

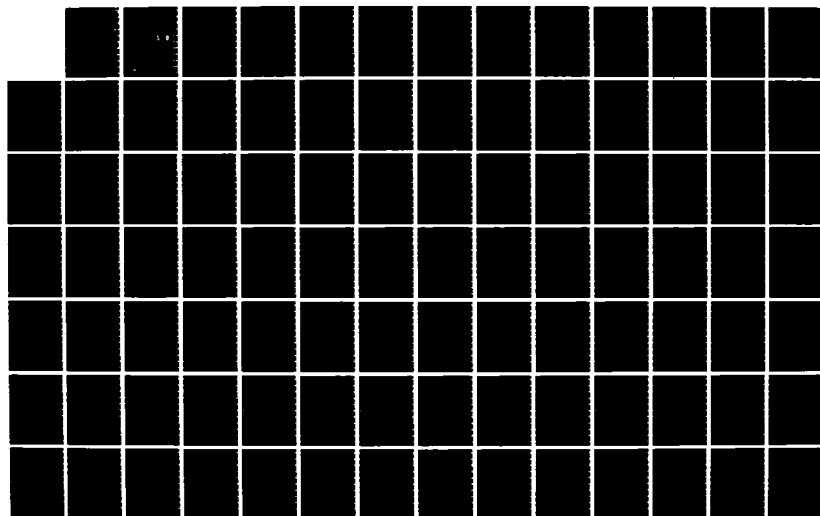
AD-A168 167

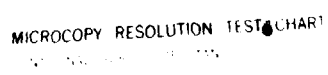
FORMULATION OF NUMERICAL METHODS USED IN THE XYZ  
THREE-DIMENSIONAL POTENT. (U) TEXAS A AND M UNIV  
COLLEGE STATION COLL OF ENGINEERING W J BEARY MAY 86  
N00228-85-G-3303 F/G 20/4

1/3

UNCLASSIFIED

NL





MICROCOPY RESOLUTION TEST CHART

1

FORMULATION OF NUMERICAL METHODS  
USED IN THE  
XYZ THREE-DIMENSIONAL POTENTIAL FLOW PROGRAM

An Engineering Report

by

WILLIAM JAMES BEARY JR.

1. N10228-85-6-3303

DTIC  
ELECTE  
MAY 28 1986  
S D

Submitted to the Faculty of  
the College of Engineering  
Texas A&M University

in partial fulfillment of the requirements for the degree of

MASTER OF ENGINEERING

May 1986

Major Subject: Ocean Engineering

**DISTRIBUTION STATEMENT A**  
Approved for public release  
Distribution Unlimited

3 0 5 07 124

DTIC FILE COPY

FORMULATION OF NUMERICAL METHODS  
USED IN THE  
XYZ THREE-DIMENSIONAL POTENTIAL FLOW PROGRAM

An Engineering Report

by

WILLIAM JAMES BEARY JR.

Approved as to style and content by:

Allen H. Magnuson  
Allen H. Magnuson (Committee Chairman)

David R. Basco  
David R. Basco (Member)

Leland A. Carlson  
Leland A. Carlson (Member)



FORMULATION OF NUMERICAL METHODS  
USED IN THE  
XYZ THREE-DIMENSIONAL POTENTIAL FLOW PROGRAM

An Engineering Report

by

WILLIAM JAMES BEARY JR.

Submitted to the Faculty of  
the College of Engineering  
Texas A&M University

in partial fulfillment of the requirements for the degree of  
MASTER OF ENGINEERING

May 1986

Major Subject: Ocean Engineering

## ABSTRACT

The calculation of non-lifting potential flow about arbitrary three dimensional bodies is examined in detail with specific interest in the XYZ Potential Flow program developed by the David W. Taylor Naval Ship Research and Development Center. The program uses a surface singularity distribution to solve the Neumann boundary value problem by means of a source panel method assuming a flat element with a constant source density over the area of the element. Boundary conditions are applied at control points on the elements producing a system of linear equations for the source density. When the source density is known, velocities and pressure coefficients may be calculated.

The main purpose of this paper is to present the details of the approximation of an arbitrary three dimensional body using quadrilateral elements, and to provide a detailed derivation of the exact source panel integrations in order to gain insight for future research at Texas A&M University. A variation of the Hess method of surface discretization using quadrilateral source panels is described in detail as it is used in the XYZ Potential Flow program. The exact source panel integrations are derived in detail.

A general discussion of other aspects of the program is included. Velocities and pressure coefficients for flow about a triaxial ellipsoid are calculated using the XYZ Potential Flow Program solution, and the results are compared with the analytical solution and the Hess Program solution.



Letter 10/16

Dist		Avail and/or Special	
A-1			

## **ACKNOWLEDGEMENTS**

The author is thankful to Janet S. Dean of the David W. Taylor Naval Ship Research and Development Center, for her generous time on the telephone explaining details of the XYZ Potential Flow program which she co-authored, and to John L. Hess of McDonnell-Douglas Corporation, who, during a valuable phone conversation, suggested references which contained information necessary to complete the closed form source panel integrations. Appreciation is also expressed to Dr. Allen H. Magnuson, who provided direction as graduate committee chairman, and to Dr. David R. Basco and Dr. Leland A. Carlson who served as committee members.

## TABLE OF CONTENTS

Section	Page
1.0 INTRODUCTION . . . . .	1
1.1 Objectives	5
2.0 HISTORICAL DEVELOPMENT . . . . .	6
3.0 THEORETICAL DEVELOPMENT . . . . .	7
3.1 The Potential Flow Problem in Three Dimensions	7
3.2 Mathematical Model	10
3.3 Numerical Model	14
4.0 ORGANIZATION OF THE PROGRAM. . . . .	17
5.0 DETAILS OF THE SURFACE APPROXIMATION . .	19
5.1 Preparation of the Input	19
5.2 Source Panel Geometry	26
5.3 Locating the Centroid	30
5.4 Coordinate Transformation	31
5.5 Moments of Inertia	32
6.0 THE MATRIX OF INFLUENCE COEFFICIENTS . . .	34
7.0 DERIVATION OF THE EXACT SOURCE PANEL . .	39
INTEGRATION	
7.1 The Y Velocity Component	40
7.2 The X Velocity Component	45
7.3 The Z Velocity Component	46
8.0 APPROXIMATIONS OF THE INDUCED VELOCITY .	55
8.1 Quadrupole Method	55
8.2 Monopole Method	57
9.0 SOLVING THE MATRIX EQUATION FOR . . . .	58
SOURCE DENSITY	
9.1 Jacobi's Iterative Method	58
9.2 Richardson Extrapolation	60

Section	Page
10.0    CALCULATION OF VELOCITIES AND . . . . . PRESSURE COEFFICIENTS	64
11.0    STREAMLINE CALCULATIONS. . . . .	67
12.0    DEVELOPMENT OF HIGHER ORDER . . . . . PANEL METHODS	69
13.0    VELOCITY CALCULATIONS FOR A. . . . . TRIAXIAL ELLIPSOID	72
14.0    CONCLUSION AND REMARKS . . . . .	76
REFERENCES . . . . .	79
APPENDICES	
Appendix I - XYZPF Section PF1 . . . . . Reads Input and Computes Quadrilateral Parameters	83
Appendix II - XYZPF Section PF2 . . . . . Computes Influence Matrix Coefficients	95
Appendix III - XYZPF Section PF3 . . . . . Solves Matrix Equation for Source Density	101
Appendix IV - XYZPF Section PF4 . . . . . Computes Velocities and Pressure Coefficients for On-Body Points	105
Appendix V - XYZPF Section PF5 . . . . . Computes Velocities and Pressure Coefficients for Off-Body Points	109
Appendix VI - XYZPF Section PF6 . . . . . Computes Velocities and Pressure Coefficients for Off-Body Streamlines	116

	Page
Appendix VII - XYZPF Section PF7. . . . .	123
Computes Velocities and Pressure Coefficients for On-Body Streamlines	
Appendix VIII - Triaxial Ellipsoid Input File . .	131
Appendix IX - Triaxial Ellipsoid Output File . .	138

## LIST OF FIGURES

Figure		Page
1	DISCRETIZATION METHODS . . . . .	4
2	POTENTIAL FLOW IN THREE DIMENSIONS . .	8
3	APPROXIMATION OF THE BODY BY . . . . SURFACE ELEMENTS	14
4	THE 3D QUADRILATERAL ELEMENT IN . . . GLOBAL COORDINATES	20
5	QUADRILATERAL INDEX NUMBERS . . . . .	22
6	APPROXIMATING A THIN REGION WITH . . ROUNDED PLANFORM	23
7	THE OUTER NORMAL TO THE QUADRILATERAL ELEMENT	26
8	THE SECOND LOCAL COORDINATE VECTOR .	28
9	THE THIRD LOCAL COORDINATE VECTOR . .	28
10	LOCATING THE CENTROID OF THE . . . . . QUADRILATERAL	30
11	FORMING THE PLANE QUADRILATERAL ELEMENT	32
12	FUNDAMENTAL POTENTIAL FUNCTIONS FOR . SIDES OF A QUADRILATERAL	40
13	THE POTENTIAL DUE TO A FINITE LINE SOURCE	42
14	THE LAW OF COSINES. . . . .	43
15	CALCULATION OF ON-BODY STREAMLINES . .	68

## 1.0 INTRODUCTION

This paper examines two aspects of the development of the XYZ Potential Flow Program (hereafter referred to as the XYZPF Program), a FORTRAN program which uses a source panel method to approximate solutions to steady potential flow problems about arbitrary three dimensional bodies. The aspects examined in detail are (1) the description of the details of the approximation of an arbitrary three-dimensional body using quadrilateral elements, and (2) a detailed derivation of the exact source panel integrations.

The XYZPF Program was developed specifically for applications in numerical ship modelling and hydrodynamics studies at the David W. Taylor Naval Ship Research and Development Center (NSRDC) in Bethesda, Maryland. The format of the program is based on the work of Hess and Smith (1962) in the numerical calculation of non-lifting potential flow. A similar program is maintained by the Aerodynamics Division of the McDonnell-Douglas Corporation, referred to in this paper as the "Hess program." The XYZPF Program is a modification of what has come to be known generally as the Hess Method. The most significant modifications are improvements to the method of solving the matrix equation for the source density, and greater flexibility in the input options (Dawson and Dean 1972).

Though potential flow is a product of mathematics, and is never found in a real fluid, the results of potential flow calculations provide usable information for flow regions external to a thin boundary layer,



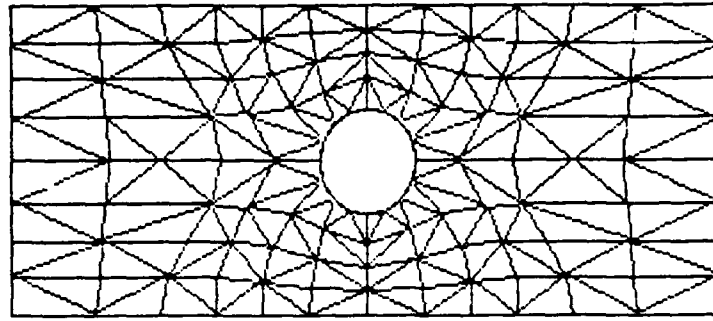
with little or no boundary layer separation. For such flow fields, the region outside the boundary layer may be considered to be effectively inviscid, and may be closely approximated by potential flow models. Small viscous effects can be accounted for by "thickening" the body by the appropriate displacement thickness. Displacement thickness accounts for the region of retarded fluid flow in the boundary layer inversely proportional to the square of the free stream velocity. Downstream of the point of boundary layer separation, the potential flow model no longer applies.

Prior to the development of numerical methods, analytical solutions were generally restricted to simple analytical shapes (Kellogg 1929). The need to solve boundary value problems for arbitrary boundaries in continuum mechanics has fostered the development of numerical approximations to the integral equation expressions. While the integration methods have been well known for quite some time, only since the advent of high speed computers have many of the problems been practical to solve by numerical methods. Among the numerical methods being used are finite differences, finite elements, and the boundary element method.

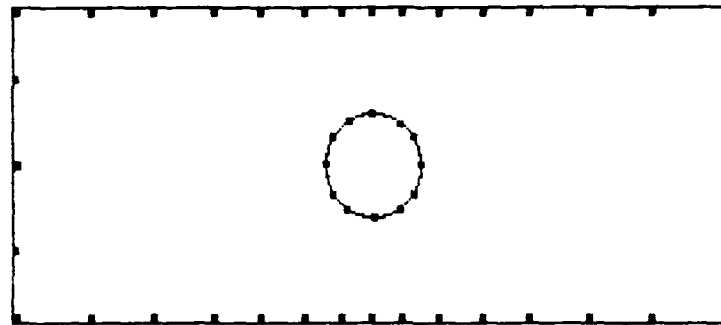
"Finite differences" and "finite elements" are numerical methods which satisfy the boundary conditions, and then approximate the solution to the governing equation in the fluid domain. These methods discretize the domain into a network of elements or cells.

Another approach is what is now known as the "Boundary Element Method," in which the governing equation is exactly satisfied in the domain, and the boundary conditions are applied through a boundary discretization method. The boundary value problem is reformulated as a boundary integral equation which is then discretized by subdividing the boundary into a finite number of surface elements. Each element is represented by an analytical function, and the source density function is integrated over the surface of each element. Two factors governing the accuracy of the boundary element method are the boundary discretization method and the source panel integration. These two factors are examined in detail in this report, as a detailed derivation of the exact source panel integration, including the development of the source panel geometry, has not previously appeared in literature.

The difference between the domain methods and the boundary methods is significant. The domain methods discretize the domain, while the boundary methods discretize the boundary. Thus, the boundary method reduces the dimension of the problem by one, as depicted in figure (1). In the application of the XYZPF Program, the problem is reduced from a three-dimensional problem in the domain to a two-dimensional problem on the boundaries. This method is well suited to problems in which the limits of the domain are infinite or difficult to define, in that the problem is applied to the boundary rather than the domain.



**FINITE ELEMENT DISCRETIZATION**



**BOUNDARY ELEMENT DISCRETIZATION**

**Figure 1. Discretization Methods**

Just as there are many variations of domain methods, there are also a variety of boundary methods. In general, they can be classified as "indirect" or "direct" formulations. The "indirect" method assumes a continuous source distribution over the surface of the body, and a solution which satisfies both the governing equation in the domain, and the boundary conditions on the body surface. The result is an integral equation on the boundary which has the surface source density function as its unknown. By enforcing the boundary conditions at control points on the surface, a system of equations is produced by which the source density may be determined.

The "direct" method solves the velocity potential function through

an application of Green's Second Identity requiring the solution of a source distribution and a dipole distribution on the boundary. The direct method has more physical significance to the general boundary value problem, and more versatility in its application as it can be applied to Neumann problems, Dirichlet problems, or mixed boundary value problems (Brebbia 1984).

The simplicity and accuracy of the indirect method has made it attractive for many applications. The source panel method is an application of the indirect formulation of the boundary element method to the Neumann type of potential flow problem, for which the normal derivative of the potential function is prescribed on the boundary.

## **1.1 OBJECTIVES**

The purpose of this paper is (1) to describe the details of the approximation of an arbitrary three-dimensional body using quadrilateral elements, and (2) to provide a detailed derivation of the exact source panel integrations for use in future investigations at Texas A&M University using panels of higher order geometries and source density functions. This paper is not intended to be a user's manual, though a general discussion of other aspects of the program is also included. NSRDC Report 3892 (Dawson and Dean 1972) is a summary of the XYZPF Program for those strictly interested in its use.

## 2.0 HISTORICAL DEVELOPMENT

The foundations of the boundary element method were laid early in this century beginning with Fredholm in 1903 when he established the existence of solutions to the Neumann problem through a reconstruction of the problem using a discretized boundary (Kellogg 1929). The solution was determined to be the potential of a simple source distribution on a boundary with a continuous normal derivative for an infinite domain. Later works by Kellogg (1929) in potential theory demonstrated the application of the boundary integral equation method in electrostatics, heat transfer, flow in porous media, and fluid flow problems, but development was limited by the difficulty of obtaining analytical solutions. No significant advances were made until interest in boundary integral equation methods was revitalized with the advent of high speed electronic computers. Investigators were then able to discretize the boundaries and solve the integral equations numerically. This method of solution became known as the boundary element method. Early development of such numerical methods was pioneered by Hess and Smith (1962) and Jaswon and Symm (1963). Hess and Smith dealt primarily with the indirect formulation eventually leading to a solution for the three dimensional problem as described in this paper. In a parallel work, Jaswon and Symm developed a direct formulation approach to the two dimensional problem. The XYZPF Program is based primarily on the work of Hess and Smith. Hess has since developed a higher order panel method (Hess 1979) and Lefebvre modified the XYZPF Program for calculating velocity potentials for five degrees of freedom (Lefebvre 1982).

### 3.0 THEORETICAL DEVELOPMENT

#### 3.1 THE POTENTIAL FLOW PROBLEM IN THREE DIMENSIONS

The governing equation for ideal (incompressible, inviscid, irrotational) flow is Laplace's equation:

$$\nabla^2 \phi = 0 \quad (1)$$

where  $\phi$  is the velocity potential, and  $\nabla^2$  is the Laplacian operator. The XYZPF Program deals with steady, uniform flow of an ideal fluid about an arbitrary three dimensional body. The velocity components at any point within the flow field may be obtained from the negative gradient of the velocity potential, i. e.

$$\mathbf{V} = -\nabla \phi = -\frac{\partial \phi}{\partial x} \mathbf{i} - \frac{\partial \phi}{\partial y} \mathbf{j} - \frac{\partial \phi}{\partial z} \mathbf{k} \quad (2)$$

The freestream flow  $\mathbf{V}_\infty$  is defined as a uniform stream of unit magnitude.

$$|\mathbf{V}_\infty| = \sqrt{V_{\infty x}^2 + V_{\infty y}^2 + V_{\infty z}^2} = 1 \quad (3)$$

The key to the boundary element method is the Divergence Theorem (Green's Theorem) which relates a volume integral to an equivalent surface integral reducing the three-dimensional problem to a

two-dimensional one. The expression for Green's second identity is (Lamb 1924):

$$\iiint (\Phi \nabla^2 w - w \nabla^2 \Phi) d\Omega = \iint (w \frac{\partial \Phi}{\partial n} - \Phi \frac{\partial w}{\partial n}) d\Gamma \quad (4)$$

in which  $\Omega$  represents the integration over the three dimensional domain, and  $\Gamma$  represents integration over the two dimensional boundary. The partial derivatives are taken with respect to the outward normal,  $n$ . The weighting function,  $w$ , is usually chosen to be the fundamental solution for three dimensions,  $w = 1/(4\pi r)$ , where  $r$  is the distance from the source to an arbitrary point on the boundary.

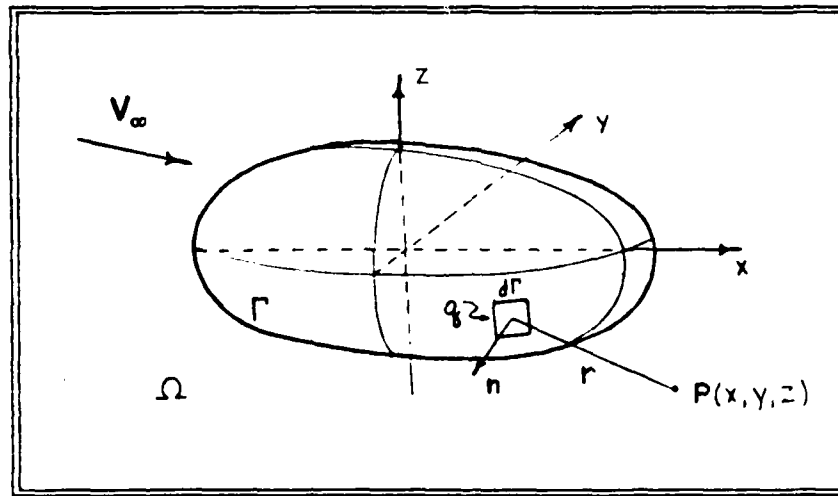


Figure 2. Potential Flow in Three Dimensions

Consider an arbitrary three-dimensional body with surface  $\Gamma$ , having an equation of the form  $F(x, y, z) = 0$  where  $x, y, z$  are Cartesian coordinates of the global reference system as shown in Figure (2). The unit outward normal,  $n$ , at any point on the surface is given by the gradient of the function describing the surface divided by the magnitude

of the gradient, i.e.

$$\mathbf{n} = \frac{\pm \nabla F}{|\nabla F|} \quad (5)$$

where the sign of the unit normal vector is chosen to ensure that the vector is an outward normal. The potential function  $\Phi$  describing the flow field must meet the following boundary conditions:

a.  $\nabla^2 \Phi = 0$  (Laplace's Equation) (6)

b. For an impermeable boundary, the velocity normal to the surface must be zero relative to the boundary (the Neumann boundary condition):

$$\left( \frac{\partial \Phi}{\partial n} \right)_{\Gamma} = 0 \quad (7)$$

c. The velocity potential approaches the freestream velocity potential as the distance from the body goes to infinity:

$$\Phi \rightarrow \Phi_{\infty} \quad \text{as} \quad |\mathbf{r}| \rightarrow \infty \quad (8)$$

The total potential at any point in the domain is composed of the freestream potential and the disturbance potential due to the body,

$$\Phi = \Phi_{\infty} + \psi \quad (9)$$



The disturbance potential,  $\phi$ , satisfies the following boundary conditions:

a.  $\nabla^2 \phi = 0$  (10)

b. From equation (7), the velocity normal to the boundary due to the disturbance and due to the onset flow must be of equal magnitude, but opposite sign. Then from equation (9)

$$\left( \frac{\partial \phi}{\partial n} \right)_{\Gamma} = \mathbf{n}(p) \cdot \mathbf{v}_{\infty} \quad (11)$$

Note that the normal vector is a function of position on the surface of the body.

c. The disturbance potential approaches zero as the distance from the body goes to infinity, i. e.

$$\phi \rightarrow 0 \quad \text{as} \quad |\mathbf{r}| \rightarrow \infty \quad (12)$$

### 3.2 MATHEMATICAL MODEL

The disturbance potential of the body may be represented by a distribution of a source density function  $\sigma$  over the body surface. The potential at an arbitrary point  $P(x, y, z)$  due to the surface potential is (Kellogg 1929):

$$\psi(x, y, z) = \iint \frac{\sigma(q)}{r(P, q)} d\Gamma \quad (13)$$

where,  $q$  is the integration point on the surface, and

$$r(P, q) = \sqrt{(x - x_0)^2 + (y - y_0)^2 + (z - z_0)^2}$$

is the distance from the field point  $P$  to the integration point  $q$ .

The source density distribution function must satisfy the boundary conditions for the disturbance potential. Boundary conditions (10) and (12) are automatically satisfied by the form of the integrand. However, equation (11), the velocity normal to the boundary, combined with the Neumann boundary condition, equation (7), is the key to solving the boundary integral problem.

The integrand becomes singular as the surface of the body is approached, i. e.  $|r|$  goes to zero. The singularity represents the local fluid flux normal to the boundary due to the local source density. The principal value of the singularity is  $-2\pi\sigma(p)$ , determined through a limiting process of the Gauss Flux Theorem (Kellogg 1929). The point  $p$  represents a field point which lies on the boundary. The integral expression is now composed of the contribution of the local source density and the contribution of the source density function over the remainder of the body surface. Solving for the velocity normal to the surface yields the following expression:

$$\left(\frac{\partial \psi}{\partial n}\right)_{\Gamma} = -2\pi\sigma(p) + \iint \frac{\partial}{\partial n} \left[ \frac{\sigma(q)}{r(p,q)} \right] d\Gamma \quad (14)$$

From equation (11), this expression becomes:

$$2\pi\sigma(p) - \iint \frac{\partial}{\partial n} \left[ \frac{\sigma(q)}{r(p,q)} \right] d\Gamma = -\mathbf{n}(p) \cdot \mathbf{V}_{\infty} \quad (15)$$

This equation is a two dimensional Fredholm integral equation of the second kind, which ensures a unique solution, and that the diagonal elements of the system matrix will be dominant, each having a value of  $2\pi$  (Kellogg 1929). Once equation (15) has been solved for the source density  $\sigma$ , the velocity components at any point of the flow field may be obtained by differentiating the disturbance potential function (13) with respect to the coordinate directions and adding the components of the freestream flow,  $\mathbf{V}_{\infty}$ .

$$\mathbf{V}(x, y, z) = \mathbf{V}_{\infty} - \frac{\partial \psi}{\partial x} \mathbf{i} - \frac{\partial \psi}{\partial y} \mathbf{j} - \frac{\partial \psi}{\partial z} \mathbf{k} \quad (16)$$

The body shape does not have to be slender, axisymmetric, or simply connected, allowing for analysis of interior flow and a wide range of applications of the method. The only restriction imposed on the form of the body is that it must have a continuous normal vector. Discontinuities in the right hand side of equation (15) will produce unwanted singularities. Thus, in the process of approximating a body which has distinct corners, where there is clearly a discontinuity in the normal vector, the corner must be replaced by a surface with some finite

curvature. However, application of this method has shown that the flow calculations give correct results for convex corners, while unrounded concave corners may or may not produce significant error, depending on the angle produced by the corner (Hess and Smith 1962).

Because of the method of approximation, the calculation of flow velocities on the body surface are restricted to the points at which the boundary conditions were applied. Velocities at points other than those must be obtained by interpolation. Direct calculation of velocities at the edge of an element yields infinite velocities.

With the solution of the system of linear equations for the source densities, the flow velocities at any point in the domain may be obtained from equation (16), and pressure coefficients are then computed from the velocities using a form of the Bernoulli equation:

$$P(t) = \frac{p}{\rho} + \frac{1}{2} |\mathbf{v}|^2 + \frac{\partial \phi}{\partial t} \quad (17)$$

where  $P(t)$  is a constant independent of position. In the XYZPF Program, the flow is steady. Therefore, equation (17) can be reduced to

$$p + \frac{1}{2} \rho |\mathbf{v}|^2 = \text{constant} \quad (18)$$

and the pressure field can be expressed in terms of a dimensionless pressure coefficient  $C_p$  as:

$$C_p = \frac{p - p_\infty}{\frac{1}{2} \rho |\mathbf{v}_\infty|^2} = 1 - \frac{|\mathbf{v}|^2}{|\mathbf{v}_\infty|^2} \quad (19)$$

where  $p_{\infty}$  is the static pressure at infinity.

### 3.3 NUMERICAL MODEL

In order to represent the surface of a body in the domain mathematically, the body may be described by analytical expressions which may provide an exact representation of the surface. However, the types of bodies which can be adequately described by such methods are severely limited. Another way to represent the body is to use a large number of analytical expressions, each describing only a small portion of the body. Hess and Smith (1962) suggested the use of an assembly of flat quadrilateral elements to model the actual surface of the body, as shown in Figure (3). Each quadrilateral approximates a region of the surface described by points which lie on the actual surface of the body. As planar elements, these quadrilaterals are clearly analytical, and when carefully constructed, the elements can approximate arbitrary three dimensional body surfaces without restriction.

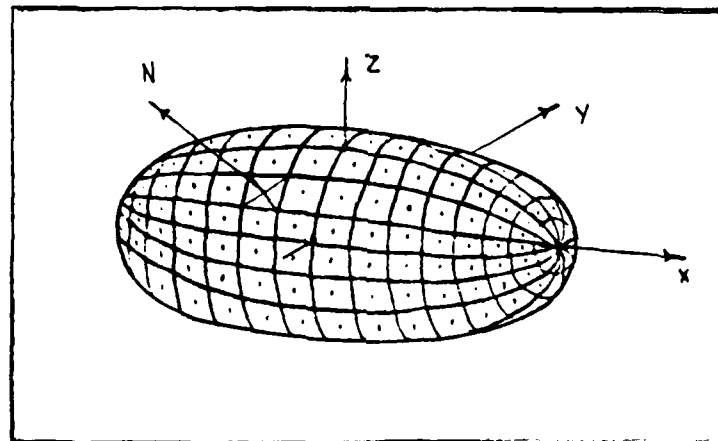


Figure 3. Approximation of the body by surface elements

The XYZPF Program uses the discretization procedure described by Hess and Smith (1962) with some minor modifications. The three dimensional body surface may be described using a large number of plane quadrilateral elements, each assumed to have a constant source density over the area of each element. Regions of the body requiring higher resolution for sharp curvature or anticipated velocity gradients will require a higher concentration of elements.

Because the plane quadrilateral elements cannot fit edge to edge on a rounded surface, small gaps in the panel approximation contribute to the error of the approximation. However, the error due to the gaps is negligible when compared with the error of the basic model, that is, using flat panels to approximate a curved surface. Triangular elements have been suggested in an attempt to eliminate the gaps (Levy 1959), but the increased accuracy is so small that it may not justify the additional work of organizing the triangular elements in lieu of the simpler quadrilaterals (Hess and Smith 1966). The method presented is valid for an polygonal element with any number of sides.

Equation (15) can now be decomposed into a summation of integrals, each representing the contribution of one element of the body surface. The unknown source density can be taken outside the integral, since it is assumed to be a constant over each element. The integration is performed over the area of the source element, and the boundary condition equation (11) is then enforced at a single point  $p$  in each remaining element. By performing this operation at each element of the

surface, a system of linear equations is generated which is equal in number to the number of surface elements and the number of unknown source densities. Equation (15) can now be approximated by the matrix equation (Dawson and Dean 1972):

$$\sigma_i = \sum_j \sigma_j C_{ij} + V_i \quad (20)$$

where

$$C_{ij} = \frac{1}{2\pi} \iint_j \frac{\partial}{\partial n_i} \left[ \frac{1}{r_{ij}} \right] dA$$

$$C_{ii} = 0$$

$$V_i = -\frac{1}{2\pi} \left[ n_i \cdot v_\infty \right]$$

It is important to note that the influence coefficients  $C_{ij}$  and  $C_{ji}$  are functions of geometry only, and once computed, need not be recomputed for analysis of several different flows. From the solution of equation (20) on the discretized surface, equation (13) may be applied at any point in the domain. Then, the velocity at an arbitrary field point  $P(x, y, z)$  in the domain may be determined from equation (16). With the velocity known, the pressure coefficient is determined from equation (19).

#### **4.0 ORGANIZATION OF THE PROGRAM**

The XYZPF Program is actually composed of seven independent programs, referred to as sections PF1 through PF7, each of which builds on data generated from a previous section. This type of organization allows the user the flexibility of rerunning portions of the program using different flow parameters without having to go through the time consuming process of recalculating the influence coefficient matrix, which is dependent only on the geometry of the body. While the NSRDC program is very similar to the Hess program, there are also some significant differences. The following list of differences is taken from NSRDC Report 3892 (Dawson and Dean 1972):

(1) The input to XYZ PF is arranged to facilitate the preparation of input for a series of problems in which only one part of the body is changed. Also, a number of checks are made on the input to help detect errors.

(2) An option was added for the recomputation of the source density and velocities for only part of the body when only small changes are made. This option also provides for the use of the solution of one problem as an initial guess for the solution of another problem.

(3) The matrix of influence coefficients is computed column by column instead of row by row. This column arrangement was used for the original LARC computer version because it required much less high speed memory. The computation is also about 10% faster this way than with the row-by-row arrangement.

(4) A simultaneous displacement iterative scheme is used to solve



the matrix coefficient for the source density. The scheme is slower than the successive displacement (Gauss-Seidel) scheme used in the Hess program, but it can be carried out using the matrix column by column instead of row by row.

(5) When possible, an extrapolation procedure is used to reduce the number of iterations required for convergence. One such method is the Richardson extrapolation.

The methods used in the XYZPF Program will be discussed in detail in the following sections.

## **5.0 DETAILS OF THE SURFACE APPROXIMATION**

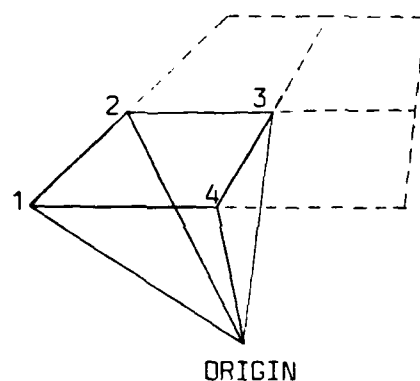
### **5.1 PREPARATION OF THE INPUT**

Section PF1 is set up to read and store the input data, and to examine the cornerpoints of the quadrilaterals to detect obvious errors in the input. Because of the number of points which may have to be entered for a complex geometry, the user input is a major source of program error, and this first look for input errors will save lot of run time in the program as a whole. If Section PF1 detects major errors in the input, the program will not continue with the calculation of the coefficient matrix, but will stop and identify the grid location of the error. Minor errors may not cause the program to stop, but will be noted in the output.

One of the major advantages to this program is in the organization of the input data. The surface is input in sections so that small portions of the input geometry may be changed without having to recalculated the points for the entire surface. The program also takes advantage of symmetry to minimize the input effort. Only the portion of the body which has no redundancy needs to be entered point by point. The remainder of the body is reflected across the planes of symmetry by the program to complete the surface representation.

The surface is represented by a set of points in three-dimensional space which lie on the actual surface, and which will later be used to define the plane quadrilateral source elements. These points are defined in the global reference system. The points on the surface should be

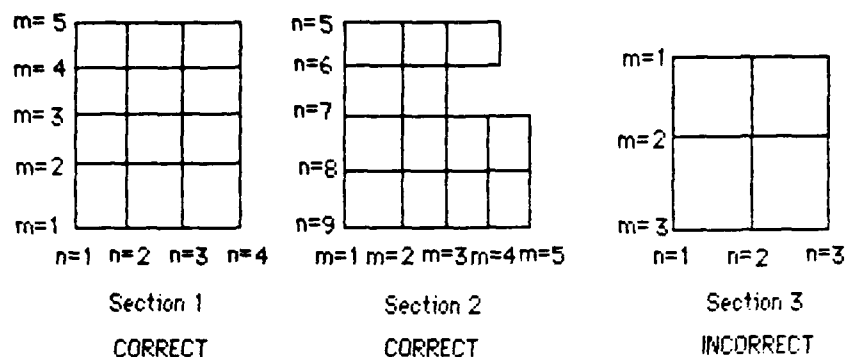
selected in such a way as to provide an accurate representation of the surface with the fewest number of points possible. Portions of the surface which are highly curved will require a larger number of points to provide adequate resolution. Additionally, portions of the surface in which the flow field is expected to change rapidly will require a large number of points to accurately determine the flow field in that region. Some familiarity with fluid dynamics will provide a somewhat intuitive approach to properly distributing the elements. Elements should change gradually in size from areas of high concentration to those of just a few large elements, changing no more than 50 percent in size between adjacent elements (Hess and Smith 1966). The accuracy is only as good as that provided by the largest element in a particular area. The use of quadrilateral elements facilitates the use of known analytical equations and body contours to determine the input points.



**Figure 4.** The 3D quadrilateral element in global coordinates

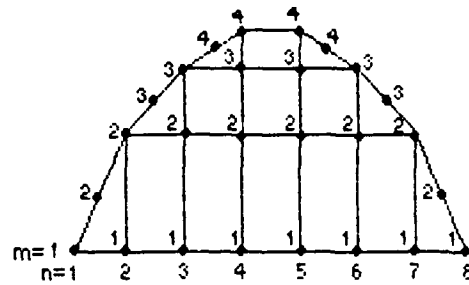
For the purposes of this program, the body surface is represented by a large number of plane quadrilateral elements as shown in figure (3), each of which is assumed to have a constant value of source density over the area of the element. Each element is defined by four input points

which lie on the actual surface as shown in figure (4). Since each input point can be used as a corner for up to four elements, there is no need to enter the same point four separate times. The input points are organized in groups of four to form the quadrilateral element, and each point may also be associated with adjacent quadrilaterals. This is accomplished through the use of a two dimensional coordinate system in which the user assigns a pair of integers,  $m$  and  $n$ , to each point which identifies the "row" and the "column" in which it lies. A column of points will be given a common value of  $n$ , and each point in that column will have a unique value of  $m$  corresponding to the row in which the point lies. The orientation of these "coordinate" integers determines the direction of the outward normal for each element. Looking from the flow field toward the section of elements, if the values of  $m$  are increasing upward, the values of  $n$  must increase to the right. Increasing  $m$  and  $n$  can point in any direction with respect to the global reference system. In fact, the orientation can change from one section to another. However, any other relationship between  $m$  and  $n$  will produce an incorrect normal vector. Once assigned, the values of  $m$  and  $n$  also serve to identify the element for which the corresponding point is a corner. The four points which form a quadrilateral element are two points of one column, or  $n$  line, with consecutive  $m$  numbers, and two points of the next higher  $n$  line with the same  $m$  numbers as the previous two points. Thus, the element  $m, n$  is composed of the points identified by  $(m, n)$ ,  $(m+1, n)$ ,  $(m, n+1)$ , and  $(m+1, n+1)$ .



**Figure 5. Quadrilateral index numbers**

Each section of the body surface is formed by specifying a set of corner points corresponding to the  $m, n$  pairs for all of the quadrilaterals of the section. The user will sequentially assign an  $m$  number to the points for each  $n$  line, and also number the  $n$  lines for the section points entered. The first point in each  $n$  line will always have  $m = 1$ . The  $n$  lines are also numbered sequentially, but the value of  $n$  is not reset for each new section. The sequence of  $n$  numbers runs through all the sections as shown in figure (5). Points on a particular row or column do not have to be strictly colinear. By forming nearly triangular elements, a rounded planform can be approximated without conflicting with the numbering convention, as shown in figure (6).



**Figure 6.** Approximating a thin region with rounded planform (Hess & Smith 1962)

By entering data in sections, small changes in geometry can be performed without having to reenter all the points associated with the body surface. This feature is unique to the XYZPF Program, and offers a great deal of flexibility in design work. However, with the added flexibility comes more restrictions on both the input of the original geometry and on any modifications. There are four important restrictions on the input which are required to provide quadrilateral elements in groups of four to facilitate geometry calculations (Dawson and Dean 1972):

- (1) There must be an even number of elements in both the  $m$  and  $n$  directions in each section of the body.
- (2) The common corner point of a group of four elements must not coincide with any other corner point. The sides between the elements serve to define the local coordinate system, and serve as the axis of rotation when the surface is flattened for numerical differentiation of

the velocity potential.

(3) Each set of four elements must have at least seven distinct corner points to allow the elements to more closely conform to a curved surface. This also allows for convergence of N-lines or M-lines as may occur, for example, at the leading edge of an ellipsoid. Thus, only two of the four quadrilateral may degenerate into triangles by having two of their corner points coincide. This does not necessarily eliminate the possibility of more than two "triangular" elements since the adjacent sides of a quadrilateral may be colinear as shown in figure (6).

(4) The normal vectors between two adjacent quadrilaterals in a group of four must be less than 90 degrees and preferably less than 45 degrees. If a sharp edge is required, it should be a concave corner with respect to the flow field, and the input should be arranged so that the edge is along an outside boundary of the groups of four, and not through the center.

When making small changes to the original geometry, the number of elements used in a new section must be the same as the number used in the original section unless the part being changed is at the end of the input data. Section configurations may be selected by natural divisions, as a matter of convenience to more easily handle large numbers of points, or as a tool to take advantage of symmetry.

In setting up input data to use planes of symmetry, it is important to note that the XYZPF Program has certain restrictions on the choice of

symmetry planes. The user only has the option to select the number of symmetry planes. The planes which will be used as symmetry planes are preselected by the program to optimize the calculation procedure. Therefore, knowing this, the preparation of input data must consider the following restrictions imposed by the program (Dean and Dawson 1972).

If only one plane of symmetry is used, the plane of symmetry is the  $y = 0$  plane of the global coordinate system. As such, all the  $y$  coordinates of the input points must be of the same sign, i. e., all positive or all negative. If the body is closed and intersects the plane of symmetry, the points touching the plane, i. e., corresponding to  $y = 0$ , must also be entered with the input points.

If two planes of symmetry are used, the planes of symmetry are the  $y = 0$  plane and the  $z = 0$  plane in the global coordinate system. Again, the  $y$  coordinates of all input points must have the same sign, positive or negative, and the  $z$  coordinates of all points must be of the same sign, positive or negative without regard to the sign of  $y$ . If the body surface intersects one or both of the planes of symmetry, the points which lie in the plane, i. e., those corresponding to  $y = 0$  or  $z = 0$ , must also be entered with the input points.

If three planes of symmetry are used, clearly the planes are the reference planes of the global coordinate system. As with the previous cases, all the  $x$  coordinates of the input points must be of the same sign, and similarly for the  $y$  and  $z$  coordinates. If any part of the body intersects any of the planes of symmetry, the points which lie in that



plane, i. e.,  $x = 0$ ,  $y = 0$  or  $z = 0$ , must also be entered with the input points.

## 5.2 SOURCE PANEL GEOMETRY

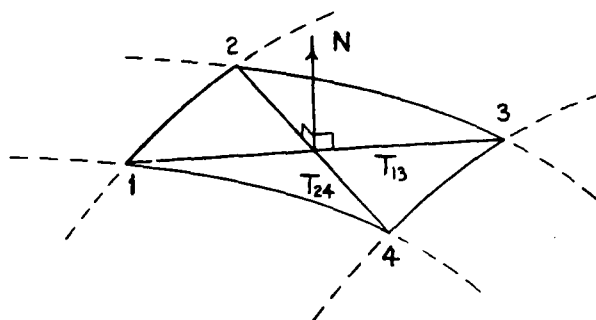


Figure 7. The outer normal to the quadrilateral element

With the surface points identified by the location numbers,  $m$  and  $n$ , and arranged in accordance with program requirements, calculation of various aspects of the source panel geometry and formation of the plane quadrilateral element is the next step in the numerical integration process. Formation of all of the planar elements is identical, so the following discussion of source panel geometry will deal with only one characteristic element. The four corner points forming the basic quadrilateral are numbered in a clockwise direction from 1 to 4 as shown in figure (7). It does not matter which corner point is identified with the number 1 subscript, but the remaining points must be numbered consecutively in a clockwise direction when observed from the flow field in order to ensure an outward directed normal vector. These subscripts will be used to identify the corner points for the remainder of this discussion. For this example, the points will be identified as follows:

<u>Position Numbers</u>	<u>Global Coordinates</u>
m, n	$X_1, Y_1, Z_1$
m+1, n	$X_2, Y_2, Z_2$
m+1, n+1	$X_3, Y_3, Z_3$
m, n+1	$X_4, Y_4, Z_4$

In forming the plane quadrilateral elements, the corner points, which are generally not coplanar, are used to form the local coordinate system, relative to the element. Recalling that the crossproduct of two vectors yields a vector solution which is perpendicular to both of the original vectors, the normal to the element may be obtained from the crossproduct of the diagonals of the element,

$$\mathbf{N} = \mathbf{T}_{24} \times \mathbf{T}_{13} \quad (21)$$

where  $\mathbf{T}_{13}$  is the vector from point 1 to point 3, and  $\mathbf{T}_{24}$  is the vector from corner point 2 to point 4. The unit normal is then:

$$\mathbf{n} = \frac{\mathbf{T}_{24} \times \mathbf{T}_{13}}{|\mathbf{T}_{24} \times \mathbf{T}_{13}|} \quad (22)$$

This unit normal now represents the first of the three local coordinate directions, this one in the  $\zeta$  direction. The side of the quadrilateral from point 2 to point 3 is then used to obtain the second coordinate vector.

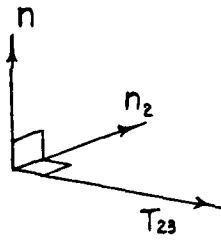


Figure 8. The second local coordinate vector

$$\mathbf{N}_2 = \mathbf{n} \times \mathbf{T}_{23} \quad (23)$$

and the unit vector

$$\mathbf{n}_2 = \frac{\mathbf{N}_2}{|\mathbf{N}_2|} \quad (24)$$

Similarly, the third local coordinate vector is obtained from the crossproduct of  $\mathbf{n}_2$  and  $\mathbf{n}$ , the result of which is a unit vector.

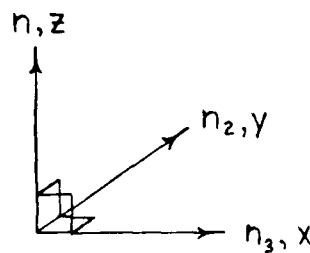


Figure 9. The third local coordinate vector

$$\mathbf{n}_3 = \mathbf{n}_2 \times \mathbf{n} \quad (25)$$

The unit vectors  $\mathbf{n}_3$ ,  $\mathbf{n}_2$ , and  $\mathbf{n}$  form an orthonormal basis and define the local coordinate system for the element in the  $\xi$ ,  $\eta$ , and  $\zeta$  directions

respectively. Other methods of obtaining an orthonormal basis could be used just as well, and would make no difference to the remaining computations. The origin of the local coordinate system would most correctly be located at the "null point," the point at which the velocity potential has no contribution to the tangential velocity component on the source element. The null point is the point in each quadrilateral element where the normal velocity boundary condition is applied. However, with the exception of long, thin quadrilaterals, the physical difference between the null point and the centroid of the quadrilateral is not significant. The XYZPF Program will print a warning in the output when a quadrilateral is long and thin enough to jeopardize the accuracy of the approximation in that region. By locating the origin of the local coordinate system at the centroid, rather than at the null point, the difficult process of locating the null point for each element can be eliminated, later calculations of the multipole expansion can be simplified, and the boundary conditions can be applied at the centroid without contributing significant error to the approximation (Hess and Smith 1966). Therefore, the origin for each local coordinate system is located at the centroid for the respective element.

### 5.3 LOCATING THE CENTROID

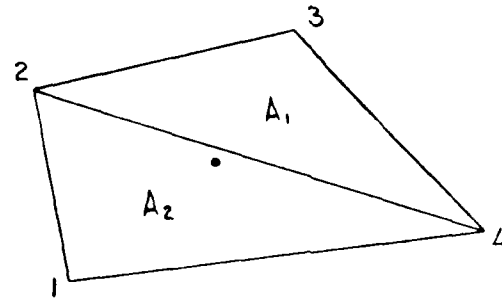


Figure 10. Locating the centroid of the quadrilateral

The centroid of the element may be calculated by first dividing the area of the quadrilateral into two triangular areas, the triangles being separated by the line from point 2 to point 4. The area  $A_1$  of the triangle defined by corner points 2, 3, and 4 is

$$A_1 = \frac{1}{2} |T_{24} \times T_{23}| \quad (26)$$

Similarly, the area  $A_2$  of the triangle defined by corner points 1, 2, and 4 is

$$A_2 = \frac{1}{2} |T_{12} \times T_{14}| \quad (27)$$

In the global coordinate system, the  $X$  component of the centroid is given by

$$\bar{X} = \frac{A_1 \bar{X}_1 + A_2 \bar{X}_2}{A_1 + A_2} \quad (28)$$

where  $X_1$  and  $X_2$  are the averages of the  $X$  components of the corner points of each triangle. Substituting the values for  $X_1$  and  $X_2$ :

$$\begin{aligned}
\bar{X} &= \frac{\frac{1}{3} A_1 (X_2 + X_3 + X_4) + \frac{1}{3} A_2 (X_1 + X_2 + X_4)}{A_1 + A_2} \\
&= \frac{1}{3} \left[ \frac{(A_1 + A_2) X_2 + (A_1 + A_2) X_4 + A_1 X_3 + A_2 X_1}{A_1 + A_2} \right] \\
&= \frac{1}{3} \left[ X_2 + X_4 + \frac{A_1 X_3 + A_2 X_1}{A_1 + A_2} \right] \quad (29)
\end{aligned}$$

Similarly

$$\bar{Y} = \frac{1}{3} \left[ Y_2 + Y_4 + \frac{A_1 Y_3 + A_2 Y_1}{A_1 + A_2} \right] \quad (30)$$

$$\bar{Z} = \frac{1}{3} \left[ Z_2 + Z_4 + \frac{A_1 Z_3 + A_2 Z_1}{A_1 + A_2} \right] \quad (31)$$

## 5.4 COORDINATE TRANSFORMATION

Now that the local coordinate system is formed and properly located at the centroid of the element, the global coordinates of the corner points (X, Y, Z) are transformed to local coordinates ( $\xi, \eta, \zeta$ ) through the components of the reference vectors of the local coordinate system as follows:

$$\begin{bmatrix} n_{3x} & n_{3y} & n_{3z} \\ n_{2x} & n_{2y} & n_{2z} \\ n_x & n_y & n_z \end{bmatrix} \begin{bmatrix} X - \bar{X} \\ Y - \bar{Y} \\ Z - \bar{Z} \end{bmatrix} = \begin{bmatrix} \xi \\ \eta \\ \zeta \end{bmatrix} \quad (32)$$

The corner points are projected into the plane of the quadrilateral element by setting the  $\xi$  components to zero. The original diagonal vectors,  $T_{13}$  and  $T_{24}$ , will be on opposite sides of the resulting plane. The plane quadrilateral element is now completely defined. The program will sweep through all of the input elements using the assigned location numbers, and repeat this process for each element.

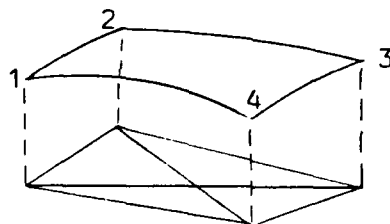


Figure 11. Forming the plane quadrilateral element

## 5.5 MOMENTS OF INERTIA

The calculation of the moments of inertia for each element are performed for use in the computation of the velocity coefficients using the quadrupole method. Any calculus text will give the moments of inertia of a planar section with a constant unit density about the origin to be:

$$I_{xx} = \iint_A \xi^2 d\xi d\eta \quad (33)$$

$$I_{yy} = \iint_A \eta^2 d\xi d\eta \quad (34)$$

$$I_{xy} = \iint_A \xi \eta d\xi d\eta \quad (35)$$

For the triangular region defined by the corner points 2, 3, and 4,

$$I_{xx} = \frac{A}{12} [(\xi_2 + \xi_3)^2 + (\xi_3 + \xi_4)^2 + (\xi_4 + \xi_2)^2] \quad (36)$$

$$I_{yy} = \frac{A}{12} [(\eta_2 + \eta_3)^2 + (\eta_3 + \eta_4)^2 + (\eta_4 + \eta_2)^2] \quad (37)$$

$$I_{xy} = \frac{A}{12} [(\xi_2 + \xi_3)(\eta_2 + \eta_3) + (\xi_3 + \xi_4)(\eta_3 + \eta_4) + (\xi_4 + \xi_2)(\eta_4 + \eta_2)] \quad (38)$$

Similar equations can be generated for the triangular region defined by the corner points 1, 2, and 4. The moment of inertia for the entire quadrilateral is the sum of the corresponding expressions for each of the triangles. The resulting equations are:

$$I_{xx} = \frac{A}{12} [(\xi_2 + \xi_3)^2 + (\xi_3 + \xi_4)^2 + (\xi_4 + \xi_2)^2] + \frac{A}{12} [(\xi_1 + \xi_2)^2 + (\xi_2 + \xi_4)^2 + (\xi_4 + \xi_1)^2] \quad (39)$$

$$I_{yy} = \frac{A}{12} [(\eta_2 + \eta_3)^2 + (\eta_3 + \eta_4)^2 + (\eta_4 + \eta_2)^2] + \frac{A}{12} [(\eta_1 + \eta_2)^2 + (\eta_2 + \eta_4)^2 + (\eta_4 + \eta_1)^2] \quad (40)$$

$$I_{xy} = \frac{A}{12} [(\xi_2 + \xi_3)(\eta_2 + \eta_3) + (\xi_3 + \xi_4)(\eta_3 + \eta_4) + (\xi_4 + \xi_2)(\eta_4 + \eta_2)] + \frac{A}{12} [(\xi_1 + \xi_2)(\eta_1 + \eta_2) + (\xi_2 + \xi_4)(\eta_2 + \eta_4) + (\xi_4 + \xi_1)(\eta_4 + \eta_1)] \quad (41)$$



## 6.0 THE MATRIX OF INFLUENCE COEFFICIENTS

With the quadrilaterals completely formed, the next step is to calculate the velocities induced by the elements at the centroids of all the other elements. The total number of elements forming the surface will be represented by  $N$ . Let the source element be the  $(j)$ th element, and the element for which the velocity components are to be calculated at the centroid is the  $(i)$ th element. It does not matter how the  $(i)$ th elements are arranged in relation to each other as the sequence progresses. However, the sequence must be consistent as the calculations proceed from one source element to another. This program sweeps through the  $(i)$ th elements in the order of their location numbers,  $m$  and  $n$ . For each consecutive  $n$  line, the elements are swept in order of increasing  $m$  numbers.

The result of the induced velocity calculations for the elements with unit source densities is an  $N$  by  $N$  square matrix of the values of induced velocities at each element, known also as the "matrix of influence coefficients." The XYZ potential flow program calculates the coefficients column by column, while the Hess program calculates them row by row. The advantage of one over the other depends on the method of later solving the matrix for the source densities. In calculating the influence coefficients, twenty-five quantities which describe the geometry of the source element are required to adequately calculate the induced velocity at the centroid of the  $(i)$ th element. These quantities include the coordinates of the centroid in the global coordinate system, the elements of the coordinate transformation matrix, the local

coordinates of the corner points, the maximum diagonal, the area, and the second moments of the quadrilateral element. Additionally, the Hess program uses the coordinates of the null point, making a total of twenty-eight quantities for that method (Hess and Smith 1962).

When calculating row by row, the first (i)th element is selected, containing the "null" point, and the influence coefficients are computed for all of the (j)th elements in sequence before proceeding to the (i+1)th element. This procedure requires the twenty-five quantities for each (j)th element to be available for calculation of the influence coefficient. Because each of the N (j)th elements is used N times with this procedure, calculating the geometric quantities or retrieving the values from low speed memory would be very time consuming, since the calculations or memory access would need to be performed  $N^2$  times. Therefore, it is more practical to have the values available in high speed memory, although large matrices may exceed the storage capacity of high speed memory, imposing a limit on the number of elements which can be used. The advantage to the row-by-row calculation is that solution of the resulting matrix by the Gauss-Seidel reduction method does not require transposing the matrix, which would be another time consuming process (Hess and Smith 1962).

Another alternative is calculation of the influence coefficients column by column. This method calculates the influence coefficients by sweeping all the (i)th elements for each (j)th element before proceeding to the (j+1)th element. Therefore, the twenty-five geometric quantities are retrieved from low speed storage only once for each (j)th element,

for a total of N times. This procedure is not limited by the capacity of high speed memory, and calculation of the coefficient matrix is approximately 10% faster than the row-by-row method (Dawson and Dean 1972). This is the calculation method used by the XYZ Potential Flow Program.

An influence coefficient represents the combined effects on one element of the velocity potentials of all the other elements comprising the body surface. For the quadrilateral element with a unit source density in the xy-plane, from equation (13), the potential at point P (x, y, z) due to the element is

$$\psi = \iint_A \frac{1}{r} dA = \iint_A \frac{d\xi d\eta}{\sqrt{(x - \xi)^2 + (y - \eta)^2 + z^2}} \quad (42)$$

The integrand,  $1/r$ , can be expanded in a series about the origin in powers of  $\xi$  and  $\eta$ . Each term of the series will contain the product of some powers of  $\xi$  and  $\eta$  with a corresponding derivative of  $1/r_0$ , where  $r_0$  is the distance of the field point P from the quadrilateral origin.

$$r_0 = \sqrt{x^2 + y^2 + z^2}$$

and let

$$w = \frac{1}{r_0}$$

Then the series expansion through the second order term is (Hess and Smith 1962):

$$\phi = Aw - (M_x w_x + M_y w_y) + 1/2(I_{xx} w_{xx} + 2 I_{xy} w_{xy} + I_{yy} w_{yy}) + \dots \quad (43)$$

The subscripts, x and y, used with w represent the respective partial derivatives. This series represents the multipole expansion of the velocity potential, since each term can be interpreted as a point singularity of a particular order. The first term is the potential at point P due to a point source of strength A located at the origin. The second term is the sum of two dipoles of strengths  $M_x$  and  $M_y$  located at the origin, oriented along the x and y axis respectively. The choice of the centroid of the quadrilateral as the origin of the local coordinate system causes the first moments,  $M_x$  and  $M_y$ , to be zero. Therefore, the dipole terms disappear, and are not dealt with anywhere in the program. The third term is the sum of three quadrupoles of strengths  $I_{xx}$ ,  $I_{xy}$ , and  $I_{yy}$  located at the origin. Kellogg (1929) shows that this second order approximation is absolutely and uniformly convergent, and Hess and Smith (1962) show that convergence is rapid enough with an increase in  $r_0$  that certain further approximations may be made without significant error at large distances  $r_0$  from the source quadrilateral.

Hess and Smith (1962) presented a comparison of velocities calculated using the exact formulas, a simple point source, and a second order approximation. The comparisons were based on the ratio of the distance  $r_0$ , between the centroid of the source quadrilateral and the field point P, to the length of the maximum dimension t, of the source quadrilateral, typically the maximum diagonal. The non-dimensional ratio is then  $r_0/t$ . The results show that sufficient accuracy is maintained

while using a simple point source at ratios of  $(r_0/t) \geq 4$ , using the second order source and quadrupole solution for the range  $2.45 \leq (r_0/t) < 4$ , and using the exact solution for ratios of  $(r_0/t) < 2.45$ . In any case, the error goes to infinity as the field point approaches the edge of the quadrilateral where calculations indicate an infinite velocity. The XYZ Potential Flow Program uses a monopole source for  $(r_0/t) > 4$ , the source - quadrupole formulae for  $2 < (r_0/t) \leq 4$ , and the exact formulae for  $(r_0/t) \leq 2$ . Hess and Smith (1962) reported a maximum error of 0.001 in approximating any velocity component using the above criteria.

## 7.0 DERIVATION OF THE EXACT SOURCE PANEL INTEGRATION

From equations (2) and (42), the components of the velocity at the field point  $P(x, y, z)$  due to the source quadrilateral are:

$$V_x = - \frac{\partial \phi}{\partial x} = \oint_A \frac{(x - \xi) d\xi d\eta}{r^3} \quad (44)$$

$$V_y = - \frac{\partial \phi}{\partial y} = \oint_A \frac{(y - \eta) d\xi d\eta}{r^3} \quad (45)$$

$$V_z = - \frac{\partial \phi}{\partial z} = \oint_A \frac{z d\xi d\eta}{r^3} \quad (46)$$

Equations (44), (45) and (46) are evaluated by expressing each of the integrals as the sum of four terms, each term representing the effect of one side of the quadrilateral (Hess and Smith 1962). This method can also be generalized for polygonal elements with any number of sides. The potential function for each side of the quadrilateral is the combined potentials of semi-infinite strips whose boundaries are the side of the quadrilateral and two semi-infinite lines parallel to either the  $x$  or  $y$  axis. When observed from the domain, and the sides are traversed in a clockwise direction, the source strip on the right will have a source density of  $\sigma = +1/2$  and the source strip on the left will have a source density of  $\sigma = -1/2$  as shown in figure (12). When the sides are recombined to form the quadrilateral, the source densities outside the quadrilateral cancel each other, and the source densities within the quadrilateral combine to form a source density of  $\sigma = +1$ . This will be

true for a planar element with any number of sides and in any relative orientation within the plane.

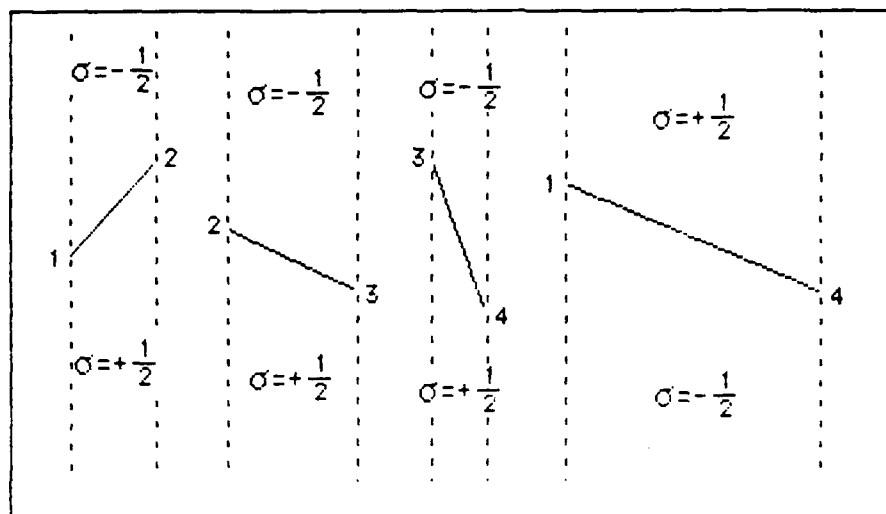


Figure 12. Fundamental potential functions for sides of a quadrilateral (Hess & Smith 1962)

## 7.1 THE Y VELOCITY COMPONENT

From equation (45), the velocity component  $V_y$  is found by summing the four terms representing the contributions of the sides of the quadrilateral. For the side from point  $(\xi_1, \eta_1)$  to point  $(\xi_2, \eta_2)$ , the contribution is expressed as the integral over the area of the semi-infinite strips with the source densities of  $\sigma = +1/2$  and  $\sigma = -1/2$  rather than the unit source density of equation (45).

$$V_{y12} = \int_{\xi_1}^{\xi_2} d\xi \left[ \frac{1}{2} \int_{-\infty}^{\eta_{12}} - \frac{1}{2} \int_{\eta_{12}}^{\infty} \right] \frac{(y - \eta) d\eta}{r^3} \quad (47)$$

$$V_{y12} = \frac{1}{2} \int_{\xi_1}^{\xi_2} d\xi \left[ \int_{-\infty}^{\eta_{12}} - \int_{\eta_{12}}^{\infty} \right] \frac{(y - \eta) d\eta}{[(x - \xi)^2 + (y - \eta)^2 + z^2]^{3/2}}$$

Integrating with respect to  $\eta$ :

$$V_{y12} = \frac{1}{2} \int_{\xi_1}^{\xi_2} d\xi \left\{ \frac{1}{[(x-\xi)^2 + (y-\eta)^2 + z^2]^{1/2}} \Big|_{\eta_{12}} \right. \\ \left. - \frac{1}{[(x-\xi)^2 + (y-\eta)^2 + z^2]^{1/2}} \Big|_{-\infty} - \frac{1}{[(x-\xi)^2 + (y-\eta)^2 + z^2]^{1/2}} \Big|_{\infty} \right. \\ \left. + \frac{1}{[(x-\xi)^2 + (y-\eta)^2 + z^2]^{1/2}} \Big|_{\eta_{12}} \right\}$$

The terms evaluated at  $\eta = +\infty$  and  $\eta = -\infty$  cancel, and the terms evaluated at  $\eta = \eta_{12}$  add to obtain the following expression:

$$V_{y12} = \frac{1}{2} \int_{\xi_1}^{\xi_2} \frac{2 d\xi}{[(x-\xi)^2 + (y-\eta)^2 + z^2]^{1/2}} \\ V_{y12} = \int_{\xi_1}^{\xi_2} \frac{d\xi}{r} \quad (48)$$

Equation (48) is changed to a function of arclength  $s$  by the relation

$$\frac{d\xi}{ds} = \frac{\xi_2 - \xi_1}{\sqrt{(\xi_2 - \xi_1)^2 + (\eta_2 - \eta_1)^2}} = \frac{\xi_2 - \xi_1}{d_{12}} \quad (49)$$

where  $d_{12}$  is the length of the side of the quadrilateral from  $(\xi_1, \eta_1)$  to  $(\xi_2, \eta_2)$  as shown in figure (13).



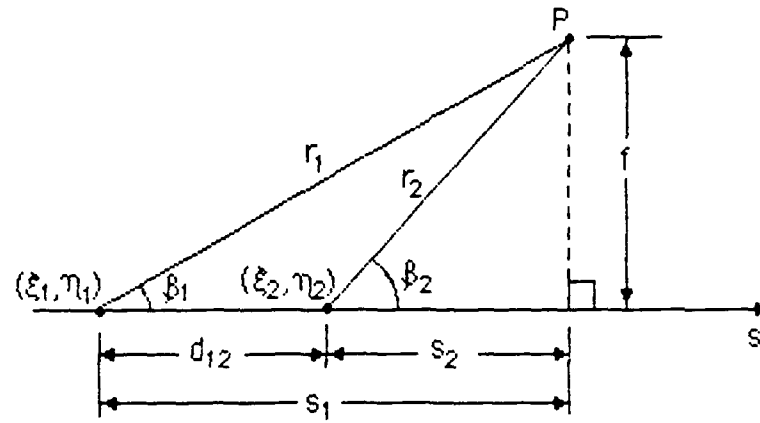


Figure 13. The potential due to a finite line source (Hess & Smith 1962)

Substituting equation (49) into equation (48)

$$V_{y_{12}} = \frac{\xi_2 - \xi_1}{d_{12}} \int_0^{d_{12}} \frac{ds}{r} \quad (50)$$

From figure (13), it can be seen that, in terms of arclength  $s$ , the distance  $r$  from point  $P$  to any point on the line from point 1 to point 2 is given by

$$r = \sqrt{f^2 + (s_1 - s)^2}$$

Substituting into equation (50) yields

$$\begin{aligned} V_{y_{12}} &= \frac{\xi_2 - \xi_1}{d_{12}} \int_0^{d_{12}} \frac{ds}{\sqrt{f^2 + (s_1 - s)^2}} \\ &= \frac{\xi_2 - \xi_1}{d_{12}} \int_0^{d_{12}} \frac{ds}{\sqrt{f^2 + (s - s_1)^2}} \end{aligned} \quad (51)$$

### Evaluating the integral

$$\begin{aligned}
 V_{y_{12}} &= \frac{\xi_2 - \xi_1}{d_{12}} \log \left[ (s - s_1) + \sqrt{f^2 + (s - s_1)^2} \right] \Big|_0^{d_{12}} \\
 &= \frac{\xi_2 - \xi_1}{d_{12}} \left\{ \log \left[ (d_{12} - s_1) + \sqrt{f^2 + (d_{12} - s_1)^2} \right] \right. \\
 &\quad \left. - \log \left[ (-s_1) + \sqrt{f^2 + (-s_1)^2} \right] \right\} \\
 &= \frac{\xi_2 - \xi_1}{d_{12}} \left\{ \log(r_2 - s_2) - \log(r_1 - s_1) \right\} \\
 &= \frac{\xi_2 - \xi_1}{d_{12}} \log \frac{(r_2 - s_2)}{(r_1 - s_1)} \quad (52)
 \end{aligned}$$

The quantities  $r_1$ ,  $r_2$ ,  $s_1$ , and  $s_2$  used in equation (52) are as shown in figure (13). Equation (52) is singular when  $r_1 = s_1$ , which occurs when the field point P is located anywhere along the line defined by the side of the quadrilateral. This singularity may be removed by using the law of cosines (Hess and Smith 1962).

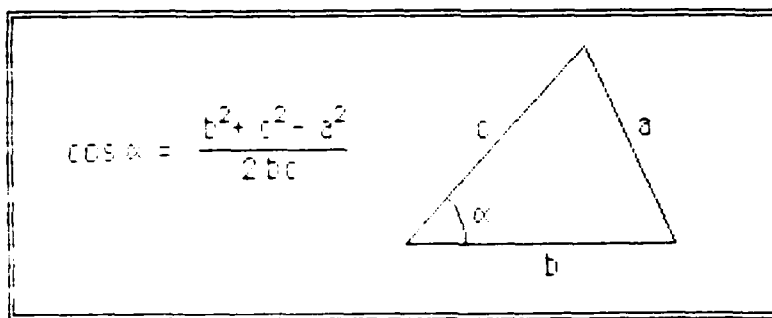


Figure 14. The law of cosines

From equation (52)

$$V_{y_{12}} = \frac{\xi_2 - \xi_1}{d_{12}} \log \frac{r_2 (1 - \cos \beta_2)}{r_1 (1 - \cos \beta_1)} \quad (53)$$

where  $\beta_1$  and  $\beta_2$  are the interior angles shown in figure (13). Applying the law of cosines to figure (13)

$$\cos \beta_1 = \frac{r_1^2 + d_{12}^2 - r_2^2}{2 r_1 d_{12}} \quad (54)$$

$$\cos \beta_2 = - \frac{r_2^2 + d_{12}^2 - r_1^2}{2 r_2 d_{12}} = \frac{r_1^2 - d_{12}^2 - r_2^2}{2 r_2 d_{12}} \quad (55)$$

From equations (54) and (55):

$$\begin{aligned} \frac{r_2 (1 - \cos \beta_2)}{r_1 (1 - \cos \beta_1)} &= \frac{r_2 \left[ 1 - \frac{r_1^2 - d_{12}^2 - r_2^2}{2 r_2 d_{12}} \right]}{r_1 \left[ 1 - \frac{r_1^2 + d_{12}^2 - r_2^2}{2 r_1 d_{12}} \right]} \\ &= \frac{r_2 \left[ \frac{2 r_2 d_{12} - r_1^2 + d_{12}^2 + r_2^2}{2 r_2 d_{12}} \right]}{r_1 \left[ \frac{2 r_1 d_{12} - r_1^2 - d_{12}^2 + r_2^2}{2 r_1 d_{12}} \right]} \\ &= \frac{2 r_2 d_{12} - r_1^2 + d_{12}^2 + r_2^2}{2 r_1 d_{12} - r_1^2 - d_{12}^2 + r_2^2} = \frac{(r_2 + d_{12})^2 - r_1^2}{-(r_1 - d_{12})^2 + r_2^2} \\ &= \frac{[(r_2 + d_{12}) + r_1] [(r_2 + d_{12}) - r_1]}{[r_2 + (r_1 - d_{12})] [r_2 - (r_1 - d_{12})]} = \frac{r_1 + r_2 + d_{12}}{r_1 + r_2 - d_{12}} \quad (56) \end{aligned}$$

Substituting equation (56) into equation (53) yields the final form of the exact equation of the y component of the velocity induced by the side of the quadrilateral from point 1 to point 2:

$$V_{y_{12}} = \frac{\xi_2 - \xi_1}{d_{12}} \log \frac{r_1 + r_2 + d_{12}}{r_1 + r_2 - d_{12}} \quad (57)$$

Equation (57) is applied to the remaining sides of the quadrilateral simply by substituting the appropriate point numbers for the corner points of each side. The total contribution of the quadrilateral to the y component of the velocity is the sum of the four terms representing the contributions of each of the sides. The y component of the velocity at the field point P is now given by:

$$\begin{aligned} V_y = & \frac{\xi_2 - \xi_1}{d_{12}} \log \frac{r_1 + r_2 + d_{12}}{r_1 + r_2 - d_{12}} + \frac{\xi_3 - \xi_2}{d_{23}} \log \frac{r_2 + r_3 + d_{23}}{r_2 + r_3 - d_{23}} \\ & + \frac{\xi_4 - \xi_3}{d_{34}} \log \frac{r_3 + r_4 + d_{34}}{r_3 + r_4 - d_{34}} + \frac{\xi_1 - \xi_4}{d_{41}} \log \frac{r_4 + r_1 + d_{41}}{r_4 + r_1 - d_{41}} \end{aligned} \quad (58)$$

## 7.2 THE X VELOCITY COMPONENT

A similar derivation process is used to produce the equation for the x component of the velocity induced by the side of the quadrilateral from point 1 to point 2. The semi-infinite source strips are constructed parallel to the x axis, and the order of integration is reversed.

The x component of the velocity at the field point P due to the quadrilateral is given by:

$$V_x = \frac{\eta_2 - \eta_1}{d_{12}} \log \frac{r_1 + r_2 + d_{12}}{r_1 + r_2 - d_{12}} + \frac{\eta_3 - \eta_2}{d_{23}} \log \frac{r_2 + r_3 + d_{23}}{r_2 + r_3 - d_{23}} \\ + \frac{\eta_4 - \eta_3}{d_{34}} \log \frac{r_3 + r_4 + d_{34}}{r_3 + r_4 - d_{34}} + \frac{\eta_1 - \eta_4}{d_{41}} \log \frac{r_4 + r_1 + d_{41}}{r_4 + r_1 - d_{41}} \quad (59)$$

### 7.3 THE Z VELOCITY COMPONENT

The z component of the velocity at the field point P due to the quadrilateral is obtained in a similar fashion, using semi-infinite source strips, this time parallel to the y axis. From equation (46), the fundamental velocity potential of the semi infinite source strips is integrated in a manner similar to that used to obtain equation (47), and the z component of the velocity due to the side from  $(\xi_1, \eta_1)$  to  $(\xi_2, \eta_2)$  is given by

$$V_{z12} = \int_{\xi_1}^{\xi_2} d\xi \left[ \frac{1}{2} \int_{-\infty}^{\eta_{12}} - \frac{1}{2} \int_{\eta_{12}}^{\infty} \right] \frac{z d\eta}{r^3} \quad (60)$$

$$V_{z12} = \frac{z}{2} \int_{\xi_1}^{\xi_2} d\xi \left[ \int_{-\infty}^{\eta_{12}} - \int_{\eta_{12}}^{\infty} \right] \frac{d\eta}{[(x - \xi)^2 + (y - \eta)^2 + z^2]^{\frac{3}{2}}}$$

Performing the integration with respect to  $\eta$ , the integral

$$\int \frac{d\eta}{[(x - \xi)^2 + (y - \eta)^2 + z^2]^{\frac{3}{2}}}$$

fits the integral form

$$-\int \frac{dF}{[C^2 + F^2]^n} = \frac{-1}{2C^2(n-1)} \left[ \frac{F}{[C^2 + F^2]^{n-1}} + (2n-3) \int \frac{dF}{[C^2 + F^2]^{n-1}} \right]$$

where

$$C^2 = (x - \xi)^2 + z^2$$

$$F = (y - \eta)$$

$$dF = -d\eta$$

$$n = 3/2$$

Then, from equation (60)

$$\begin{aligned} V_{z12} = & -\frac{z}{2} \int_{\xi_1}^{\xi_2} d\xi \left\{ \frac{(y - \eta)}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - \eta)^2 + z^2]^{1/2}} \right|_{\eta_{12}} \\ & - \frac{(y - \eta)}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - \eta)^2 + z^2]^{1/2}} \Big|_{-\infty} \\ & - \frac{(y - \eta)}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - \eta)^2 + z^2]^{1/2}} \Big|_{\infty} \\ & - \frac{(y - \eta)}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - \eta)^2 + z^2]^{1/2}} \Big|_{\eta_{12}} \Big\} \end{aligned} \quad (61)$$

Again, the terms evaluated at  $+\infty$  and  $-\infty$  cancel and the terms evaluated at  $\eta_{12}$  add to obtain the following expression:

$$V_{z12} = -z \int_{\xi_1}^{\xi_2} \frac{(y - \eta_{12}) d\xi}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - \eta_{12})^2 + z^2]^{1/2}} \quad (62)$$

Without a convenient substitution with which to integrate equation (62), the integration is performed directly. Recognizing that along the line defined by the side of the quadrilateral from  $(\xi_1, \eta_1)$  to  $(\xi_2, \eta_2)$ ,  $\eta_{12}$  may be expressed as a function of  $\xi$ :

$$\eta_{12} = m_{12} \xi + b_{12} \quad (63)$$

where the slope of the side,  $m_{12}$  is given by

$$m_{12} = \frac{\eta_2 - \eta_1}{\xi_2 - \xi_1} \quad (64)$$

and  $b_{12}$  may be determined knowing that  $\eta_{12} = \eta_1$  when  $\xi = \xi_1$ .

$$b_{12} = \frac{\xi_2 \eta_1 - \xi_1 \eta_2}{\xi_2 - \xi_1} \quad (65)$$

Substituting equation (63) into equation (62) yields

$$V_{z_{12}} = -z \int_{\xi_1}^{\xi_2} \frac{(y - m_{12}\xi - b_{12}) d\xi}{[(x - \xi)^2 + z^2][(x - \xi)^2 + (y - m_{12}\xi - b_{12})^2 + z^2]^{1/2}} \quad (66)$$

Define the quantities

$$q_{12} = y - b_{12} - m_{12}x \quad (67)$$

$$u = x - \xi \quad (68)$$

$$\text{Then} \quad du = -d\xi \quad (69)$$

$$y - b_{12} - m_{12}\xi = m_{12}u + q_{12} \quad (70)$$

By a change of variable, equation (66) is now expressed as a function of  $u$ :

$$V_{z,2} = z \int_{x-\xi_1}^{x-\xi_2} \frac{(m_{12}u + q_{12}) du}{[u^2 + z^2][u^2 + (m_{12}u + q_{12})^2 + z^2]^{\frac{1}{2}}} \quad (71)$$

$$= z \int_{x-\xi_1}^{x-\xi_2} \frac{(m_{12}u + q_{12}) du}{[u^2 + z^2][(m_{12}^2 + 1)u^2 + 2m_{12}q_{12}u + q_{12}^2 + z^2]^{\frac{1}{2}}} \quad (72)$$

which fits the form of

$$\int \frac{(Lu + M) du}{(Au^2 + 2Bu + C)\sqrt{(au^2 + 2bu + c)}} \quad (73)$$

where

$$L = m_{12}$$

$$M = q_{12}$$

$$A = 1$$

$$a = (m_{12}^2 + 1)$$

$$B = 0$$

$$b = m_{12}q_{12}$$

$$C = z^2$$

$$c = q_{12}^2 + z^2$$

From Hardy (1944), this integral form may be integrated by the substitution

$$u = \frac{\mu t + v}{t + 1} \quad (74)$$

where  $\mu$  and  $v$  satisfy

$$a\mu v + b(\mu + v) + c = 0 \quad (75)$$

$$A\mu v + B(\mu + v) + C = 0 \quad (76)$$

and are the roots of the equation

$$(aB - bA)\xi^2 - (cA - aC)\xi + (bC - cB) = 0 \quad (77)$$



Substituting the appropriate values into equation (75), the roots of the quadratic equation are

$$\mu = -\frac{q_{12}}{m_{12}} \quad (78)$$

$$v = \frac{m_{12} z^2}{q_{12}} \quad (79)$$

It can be verified that these values satisfy equations (75) and (76).

Substituting equations (78) and (79) into equation (74)

$$u = \frac{\frac{m_{12} z^2}{q_{12}} - \frac{q_{12} t}{m_{12}}}{t + 1} \quad (80)$$

$$du = \left[ \frac{-\frac{q_{12} t}{m_{12}} - \frac{m_{12} z^2}{q_{12}}}{(t + 1)^2} \right] dt \quad (81)$$

By substitution and a change of variable, equation (72) becomes a function of the parameter  $t$ . After simplification, the integral now fits the form of

$$K \int \frac{dt}{(\alpha t^2 + \beta) \sqrt{\gamma t^2 + \delta}} \quad (82)$$

where

$$K = -(m_{12}^6 q_{12} z^4 + 2m_{12}^4 q_{12}^3 z^2 + q_{12}^5 m_{12}^2)$$

$$\alpha = q_{12}^4 + m_{12}^2 q_{12}^2 z^2$$

$$\beta = m_{12}^4 Z^4 + m_{12}^2 q_{12}^2 Z^2$$

$$\gamma = q_{12}^4 + m_{12}^2 q_{12}^2 Z^2$$

$$\delta = m_{12}^6 Z^4 + m_{12}^4 Z^4 + 2m_{12}^4 q_{12}^2 Z^2 + m_{12}^2 q_{12}^4 + m_{12}^2 q_{12}^2 Z^2$$

Equation (82) can be rationalized by the substitution

$$v = \frac{t}{\sqrt{\gamma t^2 + \delta}} \quad (83)$$

from which it can be shown that

$$t^2 = \frac{v^2 \delta}{1 - v^2 \gamma} \quad (84)$$

$$dt = \left[ \frac{\delta}{(1 - v^2 \gamma)^3} \right]^{1/2} dv \quad (85)$$

Substituting equations (84) and (85) into equation (82) and simplifying yields the integral in terms of the parameter  $v$ :

$$K \int \frac{dt}{(\alpha t^2 + \beta) \sqrt{\gamma t^2 + \delta}} = K \int \frac{dv}{\beta + (\alpha \delta - \beta \gamma) v^2} \quad (86)$$

which fits the form

$$\int \frac{dv}{a^2 + b^2 v^2} = \frac{1}{ab} \tan^{-1} \frac{bv}{a} \quad (87)$$

where

$$a^2 = \beta$$

$$b^2 = (\alpha \delta - \beta \gamma)$$

Performing the integration

$$K \int \frac{dv}{\beta + (\alpha\delta - \beta\gamma)v^2} = \frac{K}{\sqrt{\beta(\alpha\delta - \beta\gamma)}} \tan^{-1} \left[ v \sqrt{\frac{\alpha\delta - \beta\gamma}{\beta}} \right] \quad (86)$$

From equations (80), (83), and the expressions for  $\alpha$ ,  $\beta$ ,  $\delta$ , and  $\gamma$  from equation (82), and after a considerable amount of algebraic manipulation and simplification, equation (88) becomes

$$\begin{aligned} & \frac{K}{\sqrt{\beta(\alpha\delta - \beta\gamma)}} \tan^{-1} \left[ v \sqrt{\frac{\alpha\delta - \beta\gamma}{\beta}} \right] \\ &= -\frac{1}{z} \tan^{-1} \left[ \frac{m_{12}z^2 - q_{12}u}{z \sqrt{z^2 + u^2 + (m_{12}u + q_{12})^2}} \right] \end{aligned} \quad (89)$$

From equations (63) and (67), equation (89) becomes

$$\begin{aligned} & -\frac{1}{z} \tan^{-1} \left[ \frac{m_{12}z^2 - q_{12}u}{z \sqrt{z^2 + u^2 + (m_{12}u + q_{12})^2}} \right] \\ &= -\frac{1}{z} \tan^{-1} \left[ \frac{m_{12}(u^2 + z^2) - (y - \eta_{12})u}{z \sqrt{u^2 + (y - \eta_{12})^2 + z^2}} \right] \end{aligned} \quad (90)$$

Finally, applying these results to equation (71)

$$\begin{aligned}
 V_{z_{12}} &= z \int_{x-\xi_1}^{x-\xi_2} \frac{(m_{12}u + q_{12}) du}{[u^2 + z^2][u^2 + (m_{12}u + q_{12})^2 + z^2]^{\frac{1}{2}}} \\
 &= -\tan^{-1} \left[ \frac{m_{12}(u^2 + z^2) - (y - \eta_{12})u}{z \sqrt{u^2 + (y - \eta_{12})^2 + z^2}} \right] \Big|_{x-\xi_1}^{x-\xi_2} \\
 &= \tan^{-1} \left[ \frac{m_{12}((x - \xi_1)^2 + z^2) - (y - \eta_{12})(x - \xi_1)}{z \sqrt{(x - \xi_1)^2 + (y - \eta_{12})^2 + z^2}} \right] \\
 &\quad - \tan^{-1} \left[ \frac{m_{12}((x - \xi_2)^2 + z^2) - (y - \eta_{12})(x - \xi_2)}{z \sqrt{(x - \xi_2)^2 + (y - \eta_{12})^2 + z^2}} \right] \quad (91)
 \end{aligned}$$

Recall that when  $x = \xi_1$ ,  $y = \eta_1$  and when  $x = \xi_2$ ,  $y = \eta_2$ . Then, for the sake of a more compact equation, define the following quantities:

$$\begin{aligned}
 e_1 &= (x - \xi_1)^2 + z^2 & e_2 &= (x - \xi_2)^2 + z^2 \\
 h_1 &= (y - \eta_1)(x - \xi_1) & h_2 &= (y - \eta_2)(x - \xi_2)
 \end{aligned}$$

The quantities  $r_1$  and  $r_2$  are as shown in figure (12), where

$$r_1 = \sqrt{(x - \xi_1)^2 + (y - \eta_1)^2 + z^2} \quad r_2 = \sqrt{(x - \xi_2)^2 + (y - \eta_2)^2 + z^2}$$

Substituting these quantities into equation (91) yields the exact  $z$  component of velocity due to the side from point  $(\xi_1, \eta_1)$  to  $(\xi_2, \eta_2)$  in the form used by the XYZ Potential Flow Program:

$$V_{z_{12}} = \tan^{-1} \left[ \frac{m_{12}e_1 - h_1}{z r_1} \right] - \tan^{-1} \left[ \frac{m_{12}e_2 - h_2}{z r_2} \right] \quad (92)$$

The total z component of the velocity at the field point P(x, y, z) due to the quadrilateral element is the sum of the four sides:

$$\begin{aligned}
 V_z = & \tan^{-1} \left[ \frac{m_{12}e_1 - h_1}{z r_1} \right] - \tan^{-1} \left[ \frac{m_{12}e_2 - h_2}{z r_2} \right] \\
 & + \tan^{-1} \left[ \frac{m_{23}e_2 - h_2}{z r_2} \right] - \tan^{-1} \left[ \frac{m_{23}e_3 - h_3}{z r_3} \right] \\
 & + \tan^{-1} \left[ \frac{m_{34}e_3 - h_3}{z r_3} \right] - \tan^{-1} \left[ \frac{m_{34}e_4 - h_4}{z r_4} \right] \\
 & + \tan^{-1} \left[ \frac{m_{41}e_4 - h_4}{z r_4} \right] - \tan^{-1} \left[ \frac{m_{41}e_1 - h_1}{z r_1} \right]
 \end{aligned} \tag{93}$$

## 8.0 APPROXIMATIONS OF THE INDUCED VELOCITY

### 8.1 QUADRUPOLE METHOD

As previously mentioned, as the ratio of  $(r_0/t)$  exceeds the value of 2, then certain approximations may be made which greatly reduce the calculation effort otherwise required by the exact method. In the range of  $2 < (r_0/t) \leq 4$ , the XYZ Potential Flow Program uses the second order approximation of the potential described by equation (43). With the origin at the centroid of the quadrilateral, the first moments are zero, and the second order approximation is

$$\phi = Aw + (1/2)(I_{xx}w_{xx} + 2I_{xy}w_{xy} + I_{yy}w_{yy}) \quad (94)$$

where the first term is a point source of strength A, the second term is composed of three quadrupoles of strengths  $I_{xx}$ ,  $I_{xy}$ , and  $I_{yy}$  located at the local origin, and the subscripts on w indicate the partial derivatives of w with respect to those variables as before. The quantity A is the area of the element, and the terms  $I_{xx}$ ,  $I_{xy}$ , and  $I_{yy}$  are the respective moments of inertia of the source element given by equations (39), (40), and (41). To obtain the velocity components at the field point, equation (94) is differentiated with respect to the coordinate directions giving:

$$V_x = -\frac{\partial \phi}{\partial x} = -\left[ A w_x + \frac{1}{2} I_{xx} w_{xxx} + I_{xy} w_{xxy} + \frac{1}{2} I_{yy} w_{xyy} \right] \quad (95)$$

$$V_y = -\frac{\partial \phi}{\partial y} = -\left[ A w_y + \frac{1}{2} I_{xx} w_{xyx} + I_{xy} w_{xyy} + \frac{1}{2} I_{yy} w_{yyy} \right] \quad (96)$$

$$V_z = -\frac{\partial \phi}{\partial z} = -\left[ A w_z + \frac{1}{2} I_{xx} w_{xxz} + I_{xy} w_{xyz} + \frac{1}{2} I_{yy} w_{yyz} \right] \quad (97)$$

Recalling that  $w = \frac{1}{\sqrt{x^2 + y^2 + z^2}} = \frac{1}{r_0}$

the derivatives of  $w$ , as expressed by Hess and Smith (1962) and as used in the XYZPF program, are

$$\left. \begin{aligned} w_x &= -x r_0^{-3} \\ w_y &= -y r_0^{-3} \\ w_z &= -z r_0^{-3} \end{aligned} \right\} \quad (99)$$

$$\left. \begin{aligned} w_{xxx} &= 3x(3p + 10x^2) r_0^{-7} \\ w_{xxy} &= 3y p r_0^{-7} \\ w_{xyy} &= 3x q r_0^{-7} \\ w_{yyy} &= 3y(3q + 10y^2) r_0^{-7} \\ w_{xxz} &= 3z p r_0^{-7} \\ w_{xyz} &= -15xyz r_0^{-7} \\ w_{yyz} &= 3z q r_0^{-7} \end{aligned} \right\} \quad (100)$$

where

$$p = y^2 + z^2 - 4x^2$$

$$q = x^2 + z^2 - 4y^2$$

## 8.2 MONOPOLE METHOD

When the ratio of  $(r_0/t)$  is greater than 4, then the quadrilateral may be approximated by a simple source corresponding to the first term of equation (43). Then the velocity components at the field point due to the quadrilateral are given by

$$V_x = - \frac{\partial \phi}{\partial x} = - Aw_x \quad (101)$$

$$V_y = - \frac{\partial \phi}{\partial y} = - Aw_y \quad (102)$$

$$V_z = - \frac{\partial \phi}{\partial z} = - Aw_z \quad (103)$$

where the partial derivatives of  $w$  are those given in equation (99).



## 9.0 SOLVING THE MATRIX EQUATION FOR SOURCE DENSITY

### 9.1 JACOBI'S ITERATIVE METHOD

From equation (20), the matrix equation may be solved for the constant source density  $\sigma_i$  for each element which satisfies the boundary condition equation (11). Equation (20) suggests the use of Jacobi's iterative method of matrix solution in the form

$$\sigma_i^{(m+1)} = V_i + \sum_{\substack{j=1 \\ j \neq i}}^N C_{ij} \sigma_j^{(m)}, \quad i = 1, 2, \dots, N \quad (104)$$

where  $N$  is the number of elements composing the body surface, and  $m$  is the number of iterations completed. A partial sum of equation (104) is computed for each of the  $i$ th elements before proceeding to the next  $j$ th element. The iteration is complete when the summation of equation (104) includes all of the  $j$ th elements. Because the values of the source densities at all of the elements are recomputed before any of them are used in the iteration, this method is also called the simultaneous displacement method (Ralston 1965). This is contrasted with the Gauss-Seidel iterative method used in the Douglas program. In the Gauss-Seidel method, as each new  $\sigma_i$  is computed, it is used immediately in the iteration process for calculation of  $\sigma_{(i+1)}$ . This is also known as the successive displacement method and is expressed as

$$\sigma_i^{(m+1)} = V_i + \sum_{j=1}^{i-1} C_{ij} \sigma_j^{(m+1)} + \sum_{j=i+1}^N C_{ij} \sigma_j^{(m)} \quad (105)$$

$$i = 1, 2, \dots, N$$

Though the Gauss-Seidel iterative method is faster, the Jacobi iteration method was selected for use in the XYZPF program in order to be able to perform the iterations column by column, since the coefficient matrix is also computed column by column, and the matrix does not have to be transposed for solution.

When the (m+1)th iteration is complete, the values of the source densities are compared with those of the (m)th iteration and the differences summed for all of the elements. The total difference between successive iterations is then compared to a convergence criteria input by the user. If the difference is less than the convergence criteria, then the matrix solution is complete and the values of the source densities are stored for later use in computing velocities and pressure coefficients. If the convergence criteria is not met, then the iteration process is repeated. After every five iterations, if the convergence criteria is still not met, then an extrapolation is attempted in order to accelerate the convergence. The XYZ Potential Flow Program uses a Richardson extrapolation method, a numerical procedure which uses two approximate results to obtain a third approximation which is closer to the exact solution (Ralston 1965).

## 9.2 RICHARDSON EXTRAPOLATION

The Richardson extrapolation assumes that the iterative process is convergent. For the iterative solutions  $S_0$ ,  $S_1$ , and  $S_2$ , where  $S_0$  is the most recent approximation and  $S_2$  the oldest, the solution is convergent if

$$\frac{S_0 - S_1}{S_1 - S_2} = \lambda < 1 \quad (106)$$

While a Richardson-type extrapolation can take many forms, the XYZPF program uses a procedure developed from the following approximations (Dawson and Dean 1972). If there is only one dominant eigenvalue and a sufficient number of iterations have been completed, the iterative solutions may be approximated by

$$\begin{aligned} S_0 &\approx S_f + E \lambda^m \\ S_1 &\approx S_f + E \lambda^{m-1} \\ S_2 &\approx S_f + E \lambda^{m-2} \\ S_i &\approx S_f + E \lambda^{m-i} \end{aligned} \quad (107)$$

where  $S_f$  is the true solution  
 $\lambda$  is the eigenvalue  
 $E$  is the eigenfunction  
 $m$  is the number of completed iterations

Define the linear combination which, from equation (107), may be

approximated as

$$A S_0 + (1 - A) S_1 \approx S_f + E \lambda^{n-1} (A \lambda + 1 - A) \quad (108)$$

The value of A may be chosen such that

$$(A \lambda + 1 - A) = 0 \quad (109)$$

Then, from equations (108) and (109)

$$A S_0 + (1 - A) S_1 \approx S_f \quad (110)$$

where the expression on the left converges to the exact solution.

From equations (106) and (109)

$$\lambda = \frac{S_0 - S_1}{S_1 - S_2} = 1 - \frac{1}{A} \quad (111)$$

Solving for A,

$$A = \frac{S_2 - S_1}{S_0 - 2 S_1 + S_2} = \frac{S_2 - S_1}{D} \quad (112)$$

Since the value of A generally changes from element to element, a weighted average of A is used in the extrapolation, where

$$\bar{A} = \frac{\sum_{i=1}^N (S_2(i) - S_1(i)) (\text{sign of } D(i))}{\sum_{i=1}^N D(i)} \quad (113)$$

Equation (113) is recomputed after every fifth iteration. If the difference between the new value and the old value is less than 0.02, then the solution is extrapolated. From equation (110), the extrapolated solution is

$$S^* = \bar{A} S_0 + (1 - \bar{A}) S_1 \quad (114)$$

When there are two dominant eigenvalues, then the iterative solutions may be approximated by

$$S_i \approx S_f + E_1 \lambda_1^{m-i} + E_2 \lambda_2^{m-i} \quad (115)$$

where  $S_f$  is the true solution

$\lambda_1$  and  $\lambda_2$  are the eigenvalues

$E_1$  and  $E_2$  are the eigenfunctions

$m$  is the number of completed iterations

Define the linear combination which, from equation (115), may be approximated as

$$\begin{aligned} & B_2 S_0 + B_1 S_1 + (1 - B_1 - B_2) S_2 \\ & \approx S_f + E_1 \lambda_1^{m-2} [B_2 \lambda_1^2 + B_1 \lambda_1 + (1 - B_1 - B_2)] \\ & \quad + E_2 \lambda_2^{m-2} [B_2 \lambda_2^2 + B_1 \lambda_2 + (1 - B_1 - B_2)] \end{aligned} \quad (116)$$

The values of  $B_1$  and  $B_2$  may be determined for which the eigenvalues  $\lambda_1$  and  $\lambda_2$  are roots of the quadratic equation

$$B_2 \lambda^2 + B_1 \lambda + (1 - B_1 - B_2) = 0 \quad (117)$$

Then, from equation (116)

$$B_2 S_0 + B_1 S_1 + (1 - B_1 - B_2) S_2 \approx S_f \quad (118)$$

where the left side of the equation (118) converges to the exact solution.

Using equation (115) and eliminating terms containing  $E_2$ :

$$\begin{aligned}(S_0 - S_1) - \lambda_2 (S_1 - S_2) &= E_1 \lambda_1^{n-2} (\lambda_1 - \lambda_2) (\lambda_1 - 1) \\(S_1 - S_2) - \lambda_2 (S_2 - S_3) &= E_1 \lambda_1^{n-3} (\lambda_1 - \lambda_2) (\lambda_1 - 1) \\(S_2 - S_3) - \lambda_2 (S_3 - S_4) &= E_1 \lambda_1^{n-4} (\lambda_1 - \lambda_2) (\lambda_1 - 1)\end{aligned} \quad (119)$$

Solving for  $\lambda_1$

$$\lambda_1 = \frac{(S_0 - S_1) - \lambda_2 (S_1 - S_2)}{(S_1 - S_2) - \lambda_2 (S_2 - S_3)} = \frac{(S_1 - S_2) - \lambda_2 (S_2 - S_3)}{(S_2 - S_3) - \lambda_2 (S_3 - S_4)} \quad (120)$$

From equations (117) and (120)

$$B_1 = \frac{(S_4 - S_3)(S_0 - 2S_2 + S_4) - (S_4 - S_2)[(S_1 - S_2) - (S_3 - S_4)]}{D} \quad (121)$$

$$B_2 = \frac{(S_4 - S_2)(S_4 - 2S_3 + S_2) - (S_4 - S_3)[(S_1 - S_2) - (S_3 - S_4)]}{D} \quad (122)$$

where  $D = (S_4 - 2S_3 - S_2)(S_0 - 2S_2 + S_4) - (S_1 - S_2 - S_3 + S_4)^2$

The weighted averages of  $B_1$  and  $B_2$  are used for the extrapolation as done with  $A$  in equation (113). If the sum of the absolute values of the weighted averages of  $B_1$  and  $B_2$  changes by less than 2%, then the extrapolation is performed. Then from equation (118), the extrapolated solution is

$$S^* = \bar{B}_2 S_0 + \bar{B}_1 S_1 + (1 - \bar{B}_1 - \bar{B}_2) S_2 \quad (123)$$

## 10.0 CALCULATION OF VELOCITIES AND PRESSURE COEFFICIENTS

With the influence coefficients and the source densities determined, the calculation of velocities is a relatively simple matter. From equation (9), the total velocity is the sum of the freestream velocity and the disturbance velocity due to the body. The product of the source densities and the influence coefficients are summed for all of the elements, and then added to the freestream velocity to determine the total velocity at any point in the domain. Velocities on the surface of the body are calculated at the null points only, as the boundary conditions are enforced only at the null point of each element, and velocities at other points in the element would produce significant error due to the method of approximation. The components of the velocity at the centroid of the  $i$ th element are

$$\begin{aligned} V_{i_x} &= V_{\infty_x} + \sum_{j=1}^N C_{ij_x} \sigma_j \\ V_{i_y} &= V_{\infty_y} + \sum_{j=1}^N C_{ij_y} \sigma_j \\ V_{i_z} &= V_{\infty_z} + \sum_{j=1}^N C_{ij_z} \sigma_j \end{aligned} \quad (124)$$

From equation (15), the velocity induced by an element at its own null point has a magnitude of  $2\pi$  directed along the outward normal vector of the element.

At a point off the surface of the body, the components of the velocity are determined just as if the point of interest was a null point of a single element. The total velocity at the field point is the sum of the freestream velocity and the contributions of each of the elements of the body surface. The contribution of each of the elements is determined by calculating the influence coefficient based on the element geometry, and multiplying the result by the source density for the element. The total velocity at the field point may be expressed as

$$\mathbf{V}_p = \mathbf{V}_\infty + \sum_{q=1}^N C_{pq} \sigma_q \quad (125)$$

where  $p$  and  $q$  represent the field point and the source element respectively and the influence coefficient,

$$C_{pq} = \iint \frac{\partial}{\partial n} \left[ \frac{1}{r(p,q)} \right] d\Gamma \quad (126)$$

As discussed in section 6.0, the influence coefficient may be calculated by the exact method, or it may be approximated by the quadrupole or monopole method depending on the ratio of the distance,  $r_0$ , between the field point and the centroid of the source element to the maximum dimension,  $t$ , of the source element.



The magnitude of the velocity at either the on-body or off-body points is given by

$$|\mathbf{V}| = \sqrt{V_x^2 + V_y^2 + V_z^2} \quad (127)$$

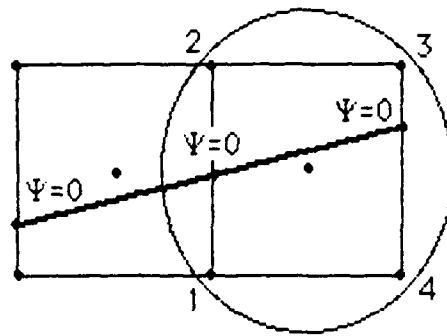
The pressure coefficient is calculated by using the result of equation (127) in equation (19), renumbered here for clarity.

$$C_p = \frac{p - p_\infty}{\frac{1}{2} \rho |\mathbf{V}_\infty|^2} = 1 - \frac{|\mathbf{V}|^2}{|\mathbf{V}_\infty|^2} \quad (128)$$

## 11.0 STREAMLINE CALCULATIONS

For the calculation of streamlines off the surface of the body, a timestep procedure is performed by calculating the velocity at the starting point of the streamline from equation (125), and advancing the streamline one time increment by a fourth order Runge-Kutta integration to a new point (Ralston 1965). The timestep procedure is repeated, thus creating a streamline composed of finite segments.

For the calculation of streamlines on the surface of the body, the streamline is started at a specified point and quadrilateral number. The local velocity is calculated from equation (124), and the values of a stream function are computed for each corner point. The stream function is chosen so that it has a value of zero at the last point on the streamline in the quadrilateral. The side of the quadrilateral through which the streamline exits is determined, and coordinates of the point on the side which has a stream function value of zero are computed. The direction of the streamline is verified by comparing it with the known direction of positive velocity. The next quadrilateral through which the streamline passes is determined by calculating the proximity of the new quadrilateral to the most recent point on the streamline. A circular area is computed which encloses the new quadrilateral with an additional 10% margin. If the last point of the streamline falls outside the circle, then the quadrilateral is discarded and a new one selected until the streamline is adjacent to the new quadrilateral.



**Figure 13.** Calculation of on-body streamlines

This procedure is repeated along the surface of the body until all of the surface elements have been tested. The result is a streamline composed of segments from one side of an element to another.

## 12.0 DEVELOPMENT OF HIGHER ORDER PANEL METHODS

The XYZ Potential Flow program assumes a constant element source panel as described in Section 3.3. Extensive use of the constant element source panel method has shown that the primary disadvantage of the method is that, in order to obtain a highly accurate solution, a large number of surface elements must be used to discretize the body surface. The method has been applied to problems of increasingly complex configurations (Hess 1977). By doing so, the size of the coefficient matrix is increased resulting in increased computer time and cost. Additional cost is accrued due to the manhours required to prepare the input. Therefore, while the constant element methods have proven to be very successful, the cost has motivated the development of higher order methods.

The higher order surface singularity methods discretize the body surface with curved elements having a variable source density, as compared to the flat elements of constant source strength used in the basic method. Hess (1973) showed that the effect of a curved surface and the effect of a variable source density are of the same order of magnitude. Therefore, the two effects must be used together to provide a "consistent" solution. The consistent higher order panel method provides the increased accuracy and speed desired for three dimensional Neumann problems (Hess 1979).

According to Hess (1979), the evolution of the higher order panel

method from the constant element method involved the derivation of new influence coefficients based on the integration of a variable source density over a curved element. Other portions of the method were unchanged. However, the development of the higher order velocity equations also required different programming logic.

In examining the potential for development of the higher order methods, Hess (1979) noted that "a consistent approach always uses a source polynomial one degree less than the panel polynomial." Through an independent effort, Brebbia (1984) presented a higher order approach using the direct method to solve for a surface potential polynomial stating that the potential function must be of a degree at least equal to the degree of the polynomial describing the element. Knowing that the velocity function is the derivative of the potential function, these two observations agree. As a result of his derivations, Hess showed that the solution of a flat element with a constant source requires one integral, a paraboloidal panel with a linearly varying source density requires six integrals, and a cubic element with a quadratic source density requires twenty-three integrals. Development of higher order methods has focused on the paraboloidal element with the linearly varying surface, as solutions of higher order than that offered little benefit for the amount of effort required to produce a working program (Hess 1979). Hess (1979) and Eriksson (1983) have independently developed programs for three dimensional higher order panel methods. The higher order Hess program evolved from the constant element program which he developed in the early 1960s, while Eriksson developed a new program based on the

work of Johnson and Rubbert (1975). Continued work in the near future is expected to deal primarily with refinement of the paraboloidal element with a linearly varying source (Eriksson 1983).

In order to alleviate the burden of preparing the input, a geometry package for input data generation has been developed which is incorporated into the Hess higher order panel program. This allows the user to enter relatively few points to describe the body. The geometry package enhances the surface representation by distributing additional points on the surface based on one of many algorithms or recurring geometries (Halsey 1978).

As the state of the art in fluid dynamics has progressed, the XYZ Potential Flow program has seen increasingly complex applications requiring a great deal of effort in preparing the input, and requiring long computer run times. Hess (1979) reported the use of the Hess constant element program for a configuration utilizing 7000 effective elements. Realizing that the computation time increases as the square of the number of elements, it is easy to see the motivation for developing the higher order panel methods. Though modern computers offer storage capacities which can handle most applications of the constant element method, the higher order panel methods can provide equal accuracy for much less user effort. While the constant element method is still a versatile tool, future generations of the surface singularity methods will be able to handle the more complex applications being demanded in fluid dynamics.

### 13.0 VELOCITY CALCULATIONS FOR A TRIAXIAL ELLIPSOID

As the only true body for which an analytical solution exists, a triaxial ellipsoid was selected for the sample calculations in order to compare calculated results with the analytical solution. Hess has made use of the triaxial ellipsoid throughout his works in developing both the constant element method and the higher order panel method. Therefore, the XYZPF program will be compared with existing results of the Hess method (Hess 1979).

The triaxial ellipsoid utilized for the calculations has semiaxes dimensions of 1, 2, and 0.5 in the x, y, and z directions respectively. The surface was discretized by selecting fixed intervals of 0.1 in the y direction, and fourteen equal divisions of the 90° sector in the x-z plane. The values of x and z were then solved in terms of y and an angle  $\theta$ . This method yielded 280 elements in the first octant for a total of 2240 effective elements after employing symmetry. A FORTRAN program was used to generate the corner points and to prepare the input file for later use by the XYZPF program.

Figures (16) and (17) show excellent correlation with the analytical solution and little difference from the Hess solution using 4320 effective elements. The use of the centroid as the control point is an approximation used to simplify the multipole expansion of the potential about the origin of the local coordinate system. This approximation is valid for most elements. However, for elements which are long and thin,

the physical difference between the centroid location and the null point location is significant, and use of the centroid can produce significant error as may be observed in figure (16) when the value of  $y$  approaches 2.0.

Recent calculations on the same body (Hess 1979) showed that results of at least equal accuracy could be obtained using only 480 effective elements using the higher order panel method. These results are a significant demonstration of the value of the higher order panel method. Using the higher order panel method rather than the constant element method, the user has the option of obtaining equal accuracy with cruder discretization or higher accuracy for the same discretization effort. While the results of the triaxial ellipsoid show relatively little improvement in accuracy, the most significant advantages of the higher order panel method are evident for a body with concave regions (Hess 1977).



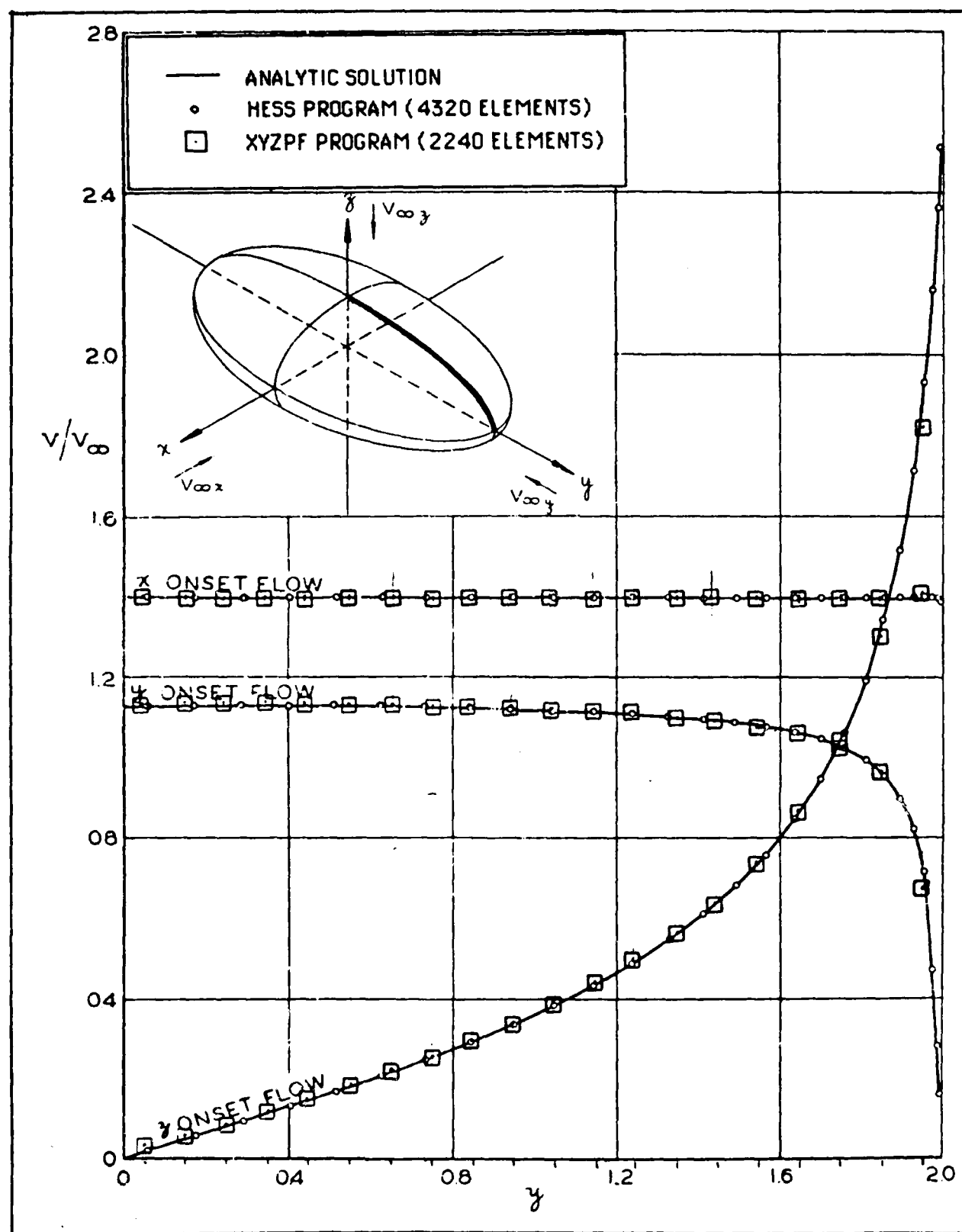
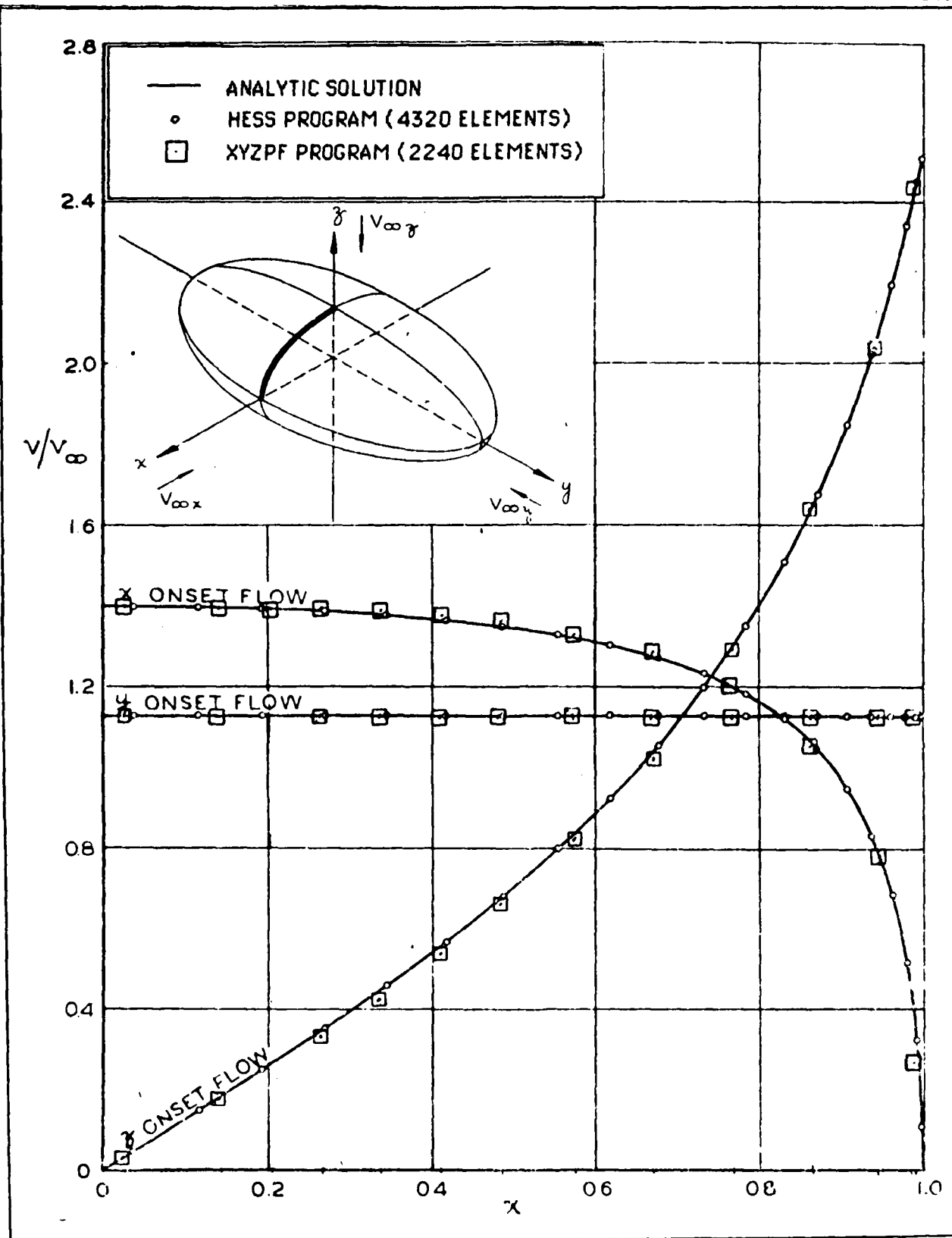


Figure 16. Comparison of analytic and calculated velocity distributions on an ellipsoid with axes ratios 1:2:0.5. Velocities in the  $xz$ -plane. (from Hess and Smith 1962)



**Figure 17.** Comparison of analytic and calculated velocity distributions on an ellipsoid with axes ratios 1:2:0.5. Velocities in the  $yz$ -plane. (from Hess and Smith 1962)

## 14.0 CONCLUSION AND REMARKS

The objectives of this paper were (1) to describe the details of the approximation of an arbitrary three-dimensional body using quadrilateral elements, and (2) to provide a detailed derivation of the exact source panel integrations. Both of these objectives were met.

The method of surface discretization and source panel geometry is easily described using basic principles of geometry and vector algebra. By using quadrilateral surface elements, many surfaces can be discretized in a very straight forward logical fashion. The user can frequently visualize the contour lines of the surface which may be used to form the quadrilaterals, with some help from an intuitive approach to the fluid dynamics problem. The method of forming the planar quadrilateral element in the XYZPF Program differs slightly from the method presented by Hess and Smith (1962). The differences lie in the formation of the local coordinate system and the use of the centroid rather than the null point as the control point for applying the boundary conditions. The method of forming the local coordinate system has no effect on the potential flow calculations as long as one of the coordinate vectors is the outer normal to the planar element. The use of the centroid as the control point is an approximation used to simplify the multipole expansion of the potential about the origin of the local coordinate system. This approximation is valid for most elements. However, for elements which are long and thin, the physical difference between the centroid location and the null point location is significant, and use of the

centroid can produce significant error as may be observed in figure (16) when the value of  $y$  approaches 2.0.

A detailed derivation of the exact source panel integration has not previously appeared in literature, though the results are summarized by Hess and Smith (1962). The derivations presented in this paper verify the equations presented by Hess and Smith (1962), and the equations used in the XYZPF Program. The integral expressions for the velocity components were evaluated exactly with no assumptions or approximations used in the course of the integrations. Since the method of integration reduces the surface integral to a line integral around each of the sides of the element, the integration method can be generalized for a planar element with any number of sides, though the surface discretization used in the XYZPF Program uses only quadrilateral elements.

The calculation of potential flow about arbitrary three dimensional bodies is an engineering tool which is basic to design involving fluid dynamics. The XYZPF Program is a useful tool which has proven its value over the past 14 years. However, the increasing demands placed on this method are exposing the errors of the approximation as evident in the sample calculations presented in this paper. The requirement for increased accuracy has motivated the development of the higher order panel methods. Some of the limitations imposed on the XYZPF Program were due to computer memory and speed limitations. Advances in computer performance may allow future investigators to eliminate some

of the simplifying approximations used in the XYZPF Program, allowing increased accuracy without violating computer limitations. Some modifications might include the use of the null point as the control point rather than the panel centroid (as is used in the Hess program), or extending the range in which the exact velocity calculations are performed. The gains in accuracy by modifying the "constant element method" are limited by the basic approximations of the planar element and the constant source density for each element. Significant gains are most evident in the higher-order panel methods. This author concurs with Eriksson (1983) in expecting advances in the surface singularity methods to focus on the "development and refinement" of the higher order panel methods.

## REFERENCES

1. Brebbia, C. A., The Boundary Element Method for Engineers, Pentech Press, London, 1984.
2. Brebbia, C. A., Telles, J. C. F., Wrobel, L. C., Boundary Element Techniques, Springer-Verlag Publishing Company, Berlin, 1984.
3. Dawson, C. W. and Dean, J. S., "The XYZ Potential Flow Program," Naval Ship Research and Development Center, Bethesda, MD., NSRDC Report 3892, June 1972.
4. Eriksson, L. E., "Development of a computer code for a three-dimensional higher-order panel method for subsonic potential flow," Aeronautical Research Institute of Sweden, Stockholm, Report No. FFA-138. Aug 1983.
5. Halsey, N. D., "A Three-Dimensional Potential Flow Program with a Geometry Package for Input Data Generation," NASACR 145311, March 1978.
6. Hardy, G.H., A Course of Pure Mathematics, MacMillan Company, New York, 1944.
7. Hess, J. L., "Higher-Order Numerical Solution of the Integral Equation for the Two-Dimensional Neumann Problem," Computer Methods in Applied Mechanics and Engineering, Vol. 2, No. 1, February 1973.
8. Hess, J.L., "Review of integral equation techniques for solving potential flow problems with emphasis on the surface-source method," Computer Methods in Applied Mechanics and Engineering, Vol. 5, No. 2, March 1975, pp. 145-196.
9. Hess, J. L., "Status of a higher order panel method for non-lifting three dimensional potential flow," McDonnell Douglas Corp., Long Beach, CA., Report No. MDC J7714-01, Aug 1977.
10. Hess, J. L., "A higher order panel method for three dimensional potential flow," McDonnell Douglas Corp., Long Beach, CA., Report No. MDC J8519, June 1979.

11. Hess, J.L. and Smith, A.M.O., "Calculation of nonlifting potential flow about arbitrary three dimensional bodies," Douglas Aircraft Company Report No. ES 40622, March 1962.
12. Hess, J.L. and Smith, A.M.O., "Calculation of nonlifting potential flow about arbitrary three dimensional bodies," Journal of Ship Research Vol. 8, No.2, p.22, September 1964.
13. Hess, J.L. and Smith, A.M.O., "Calculation of Potential Flow about Arbitrary Bodies," Progress in Aeronautical Science, Vol. 8, 1966.
14. Hunt, B., "The panel method for subsonic aerodynamic flows: A survey of mathematical formulations and numerical models and an outline of the new British Aerospace Scheme," Computational Fluid Dynamics, March 1978, von Karman Institute for Fluid Dynamics, Lecture Series 1978-4.
15. Jaswon, M. A., "Integral Equation Methods in Potential Theory. I," Proceedings of the Royal Society of London Series A, Vol. 275, No. 1360, 20 August 1963.
16. Jaswon, M. A., Integral Equation Methods in Potential Theory and Elastostatics, Academic Press, London, 1977.
17. Johnson, F.T. and Rubbert, P.E. , "Advanced panel-type influence coefficient methods applied to subsonic flows," AIAA Paper No. 75-50, 1975.
18. Kellogg, O.D., Foundations of Potential Theory, Springer-Verlag Publishing Company, Berlin, 1929.
19. Lamb, H., Hydrodynamics, Cambridge University Press, London, 1924.
20. Lefebvre, P. J., "Theoretical considerations and user's manual for a modified XYZ Potential Flow program for calculating five degrees-of-freedom velocity potentials," Naval Underwater Systems Center, Newport, Rhode Island, Technical Memo No. 82-2076A, Nov. 1982.

21. Levy, R.H., "Preliminary report on a proposed method of calculating pressure distributions over arbitrary bodies," Canadair Limited Report No. RAA-00-113, October 1959.
22. MacMillan, W.D., The Theory of the Potential, McGraw Hill Book Company, Inc., New York, 1930.
23. Newman, J.N., Marine Hydrodynamics, MIT Press, Cambridge, 1977.
24. Noblesse, F. and Triantafyllou, G., "On the calculation of potential flow about a body in an unbounded fluid," Massachusetts Institute of Technology, MIT Report No. 80-8, Dept. of Ocean Engineering, Cambridge, MA, Sept 1980.
25. Ralston, A., A First Course in Numerical Analysis, McGraw-Hill Book Company, New York, 1965.
26. Smith, A.M.O. and Pierce, J., "Exact Solution of the Neumann problem. Calculation of Plane and Axially Symmetric Flows about or within arbitrary boundaries," Douglas Aircraft Company Report No. 26988, April 1958. (Summarized in the Proceedings of the Third U.S. National Congress of Applied Mechanics. 1958).
27. Symm, G. T., "Integral Equation Methods in Potential Theory. II," Proceedings of the Royal Society of London Series A, Vol. 275, No. 1360, 20 August 1963.



## APPENDICES

	Page
Appendix I - XYZPF Section PF1 . . . . . Reads Input and Computes Quadrilateral Parameters	83
Appendix II - XYZPF Section PF2 . . . . . Computes Influence Matrix Coefficients	95
Appendix III - XYZPF Section PF3 . . . . . Solves Matrix Equation for Source Density	101
Appendix IV - XYZPF Section PF4 . . . . . Computes Velocities and Pressure Coefficients for On-Body Points	105
Appendix V - XYZPF Section PF5 . . . . . Computes Velocities and Pressure Coefficients for Off-Body Points	109
Appendix VI - XYZPF Section PF6 . . . . . Computes Velocities and Pressure Coefficients for Off-Body Streamlines	116
Appendix VII - XYZPF Section PF7. . . . . Computes Velocities and Pressure Coefficients for On-Body Streamlines	123
Appendix VIII - Triaxial Ellipsoid Input File . .	131
Appendix IX - Triaxial Ellipsoid Output File . .	138

# **APPENDIX I - XYZPF SECTION PF1**

```

PROGRAM PPF1(INPUT=128,OUTPUT=128,TAPE5=INPUT,TAPE6=OUTPUT,TAPE03,
1      TAPE3=TAPE03,TAPE04,TAPE4=TAPE04,TAPE50=128)

C
C   XYZ POTENTIAL FLOW PROGRAM VERSION 4 SECTION 1
C   READS INPUT AND COMPUTES QUADRILATERAL PARAMETERS
C
C   FOR INFORMATION CONTACT
C   BILL CHENG OR JANET DEAN
C   NUMERICAL FLUID DYNAMICS BRANCH CODE 1643
C   NAVAL SHIP RESEARCH AND DEVELOPMENT CENTER
C   BETHESDA, MARYLAND 20084
C

DIMENSION INDEX(9,3),G(9,6),F(9),CZ(9),IP(9),XP(9),YP(9),ZF(9)
1      ,MSK(100),WS(240),PROB(15),DM(650)
COMMON X(800),Y(800),Z(800),ID(41,71),B(250),T(4600),KP(100)
EQUIVALENCE (CZ(1),F(1))
EQUIVALENCE(WS(1),KP(1)),(WS(101),MSK(1)),(WS(201),NP), (WS(202),
2 NSP), (WS(203),NEP), (WS(204),NSE), (WS(205),MIX), (WS(206),MIY),
3 (WS(207),MIZ), (WS(209),IUM), (WS(210),ISM), (WS(211),K), (WS(213),
4 EPS), (WS(208),IPS), (WS(212),IPF), (WS(217),XI), (WS(218),VI),
5 (WS(219),ZI)
EQUIVALENCE (Y12,Y23), (Y34,Y41)
INTEGER P,P1,P2,P3,P4,PC,PS,P6,P7,P8,P9
WRITE (6,5)
5 FORMAT(49H1XYZ POTENTIAL FLOW PROGRAM SECTION 1, VERSION 4 )
10 FORMAT (11,15A4)
20 FORMAT (1X,15I4)
50 FORMAT (1X,2I7,6E12.5)
30 FORMAT (1X,5F12.9)

C   A. READ IN CONTROL PARAMETERS
WS(220)=4.
K1=0
ID1=0
ID2=0
ID3=0
ID4=0
ID5=0
ID6=0
ID7=0
MAXN=70
MAXM=40
MAXNQE=650
MAXPC=800
ICNTAL=1
EOF50=0.
READ (5,10)J,(PROB(1),I=1,15)
IF (EOF(5).EQ.0.) GO TO 9
WRITE(6,8)
8 FORMAT(39HONO TITLE CARD FOUND - PROGRAM ABORTED )
STOP
9 CONTINUE
J=0
WRITE (6,10) J,(PROB(1),I=1,15)
SA=.0
SB=0.
21 FORMAT (17HONO. OF QUADS. =,I4 /17H NO. OF SECTIONS=,
214/31H MAX. NO. OF ITERATIONS X FLOW ,I3,9H Y FLOW ,
313,9H Z FLOW ,I3)
READ (5,11)NQE,NSE,MIX,MIY,MIZ,ISM,EPS,IUCT,IPS,IPF,ISP

```

```

1      , IEDIT1, IEDIT3, IEDIT4, ITAPE, XCENTER, YCENTER, ZCENTER
11 FORMAT(6I4, F8.5, 8I4, 1X, 3F5.3)
   IF (EOF(5) .EQ. 0.) GO TO 19
   WRITE(6, 18)
18 FORMAT(43HONO PARAMETER CARD FOUND - PROGRAM ABORTED )
   STOP
19 CONTINUE
   IF (IEDIT1.EQ.1) ICNTRL=0
   WRITE (6, 21) NQE, NSE, MIX, MIV, MIZ
31 FORMAT ("CONVERGENCE CRITERIA", F8.5)
41 FORMAT (4H0 M, 7X, 2HX1, 12X, 2HX2, 12X, 2HX3, 12X, 2HX4, 12X, 2HXP, 12X,
1 2HXN, 12X, 1HA, 13X, 3HCZ4/4H N, 7X, 2HY1, 12X, 2HY2, 12X, 2HY3, 12X, 2HY4,
2 12X, 2HYP, 12X, 2HVN, 12X, 2HFL, 12X, 3HCZ5/4H P, 7X, 2HZ1, 12X, 2HZ2, 12X,
3 2HZ3, 12X, 2HZ4, 12X, 2HZP, 12X, 2HZN, 12X, 4HCZ1 , 10X, 3HCZ6/)
42 FORMAT (4H1 M, 7X, 2HX1, 12X, 2HX2, 12X, 2HX3, 12X, 2HX4, 12X, 2HXP, 12X,
1 2HXN, 12X, 1HA, 13X, 3HCZ4/4H N, 7X, 2HY1, 12X, 2HY2, 12X, 2HY3, 12X, 2HY4,
2 12X, 2HYP, 12X, 2HVN, 12X, 2HFL, 12X, 3HCZ5/4H P, 7X, 2HZ1, 12X, 2HZ2, 12X,
3 2HZ3, 12X, 2HZ4, 12X, 2HZP, 12X, 2HZN, 12X, 4HCZ1 , 10X, 3HCZ6/)
24 FORMAT (1H , 11, 19H PLANES OF SYMMETRY)
240 WRITE (6, 24) ISM
270 WRITE (6, 31) EPS
280 IF (IPS.LE.0) GO TO 290
285 WRITE (6, 36) IPS, IPF
36 FORMAT (45HNEW SOURCE DENSITY TO BE COMPUTED FOR QUADS., 14, 3H - ,
114)
290 K=0
   WRITE(6, 39)ISP
39 FORMAT (9H0 ISP = , 13 )
   WRITE(6, 37) IEDIT1, IEDIT3, IEDIT4, ITAPE
37 FORMAT (9H0 IEDIT1 =, 13/9H IEDIT3 =, 13/9H IEDIT4 =, 13/9H ITAPE =,
1 13)
   WRITE(6, 38) XCENTER, YCENTER, ZCENTER
38 FORMAT (10H0XCENTER = , F5.2/10H YCENTER =, F5.2/10H ZCENTER =, F5.2)
   MM=0
   MN=0
   P=1
   Q=1.0
   DO 291 I=1, 41
   DO 291 J=1, 71
291 ID(I, J)=0
   J=0
C      B. READ FIRST PT.
   IERR=0
   IF (ITAPE.EQ.1) GO TO 292
2000 READ (5, 40) X1, Y1, Z1, N1, M1, NS, NE, UN
   IF (EOF(5).NE.0. OR. NS.LE.0) GO TO 2050
   WRITE(6, 45) ICNTRL, NS
45 FORMAT(11, 9H SECTION , 14)
   LINE=0
   GO TO 293
2050 IF(IERR.EQ.0) GO TO 2200
   WRITE(6, 2100)
2100 FORMAT(39HONO POINT CARDS FOUND - PROGRAM ABORTED )
   STOP
2200 IERR =1
   ITAPE=1
   WRITE(6, 2300)
2300 FORMAT(47HERROR IN INPUT - POINT CARDS NOT ON INPUT FILE , 10X,
1 53HPROGRAM WILL CHANGE ITAPE TO 1 AND TRY TO READ TAPE50 )
   IF ( EOF(5).EQ.0 ) WRITE(6, 2400) X1, Y1, Z1
2400 FORMAT(11H0EXTRA FLOW, 3F12.5, 5X, 20HWILL NOT BE COMPUTED )

```

```

292 READ(50,40) XI,YI,ZI,NI,MI,NS,NE,UN
40 FORMAT (3F12.9,4I4,F12.9)
EOF50=EOF(50)
IF (EOF50.NE.0. .OR. NS.LE.0) GO TO 2450
WRITE(6,45) ICNTRL,NS
LINE=0
GO TO 293
2450 IF (IERR.EQ.0) GO TO 2500
WRITE(6,2100)
STOP
2500 IERR=1
ITAPE=0
WRITE(6,2600)
2600 FORMAT("ERROR IN INPUT - POINT CARDS NOT ON TAPE50",10X,
1"PROGRAM WILL CHANGE ITAPE TO 0 AND TRY TO READ INPUT FILE")
GO TO 2000
293 UNR=UN
NSS=NS
PC=1
IF (NE.EQ.0) GO TO 2700
MMIN=NI
MMAX=NI
NMIN=NI
NMAX=NI
GO TO 300
2700 MMIN=MI
MMAX=MI
NMIN=NI
NMAX=NI
GO TO 300
295 IF (ITAPE.EQ.1) GO TO 297
READ (5,40) XI,YI,ZI,NI,MI,NS,ME,UN
IF (EOF(5).EQ.0.) GO TO 299
NS=0
XI=0.
YI=0.
ZI=0.
GO TO 299
297 READ(50,40) XI,YI,ZI,NI,MI,NS,ME,UN
EOF50=EOF(50)
IF (EOF50.NE.0) NS=0
299 PC=PC+1
IF (NS.NE.NSS) GO TO 330
300 IF (NE.EQ.0) GO TO 304
301 IW=NI
NI=MI
MI=IW
C C. STORE PT. IN PT. ARRAY
304 IF (MAXPC+1-PC) 295,305,310
305 WRITE(6,306) NS,MI,NI
306 FORMAT(60H ERROR IN INPUT - THERE ARE TOO MANY DATA POINTS IN SEC
TION ,14,30H - POINTS BEGINNING WITH M = ,14,5H N = ,14,
2 17H WILL BE IGNORED )
LINE=LINE+1
ID4=ID4+1
GO TO 295
310 X(PC)=XI
Y(PC)=YI
Z(PC)=ZI
IF (MI.LE.MAXM .AND. NI.LE.MAXN) GO TO 315
WRITE(6,311) MI,NI

```

```

LINE=LINE+1
311 FORMAT(38H ERROR IN INPUT - INVALID M,N INDICES ,10X,
1 14HPOINT WITH M = ,14,5H N = ,14,17H WILL BE IGNORED )
ID5=ID5+1
PC=PC-1
GO TO 295
315 ID(M1,N1)=PC
MMAX=MAXO(MMAX,M1)
MMIN=MINO(MMIN,M1)
NMAX=MAXO(NMAX,N1)
NMIN=MINO(NMIN,N1)
GO TO 295
330 IF (IEDIT1.EQ.1) GO TO 294
IF (LINE.LT.40) GO TO 333
WRITE(6,42)
LINE=0
GO TO 294
333 WRITE(6,41)
294 CONTINUE
C E. DO LOOPS TO SWEEP PT. ARRAY
N1=NMIN
MM2=MMAX-MMIN
NN2=NMAX-NMIN
IF ( MOD(MM2,2).EQ.0 .AND. MOD(NN2,2).EQ.0) GO TO 332
WRITE(6,331) NSS,MMIN,NMAX,NMIN,NMAX
LINE=LINE+1
331 FORMAT(16HERROR - SECTION ,15,45H DOES NOT HAVE QUADS ARRANGED IN
1 BLOCKS OF 4 ,9H MMIN= ,12,6H MMAX= ,12,6H NMIN= ,12 ,
25H NMAX= ,12)
ID6=ID6+1
332 MM2=MM2/2
NN2=NN2/2
DO 404 NN=1,NN2
M1=MMIN
DO 402 MM=1,MM2
NQ=1
C F. HAVE 9 CORNER PTS. BEEN GIVEN
IT=ID(M1,N1)*ID(M1+1,N1)*ID(M1+2,N1)*ID(M1,N1+1)*ID(M1+1,N1+1)*
1 ID(M1+1,N1+2)*ID(M1,N1+2)*ID(M1+1,N1+2)*ID(M1+2,N1+2)
IF( IT.EQ.0 ) GO TO 402
IERR=0
M2=M1+1
N2=N1+1=M1,M2
DO 400 N=N1,N2
GO TO (334,335,336,337) NQ
334 P1=ID(M ,N )
P2=ID(M+1,N )
P3=ID(M+1,N+1)
P4=ID(M ,N+1)
P5=ID(M+2,N )
P6=ID(M+2,N+1)
P7=ID(M+1,N+2)
P8=ID(M ,N+2)
P9=P1
IF((X(P1).NE.X(P2).OR.Y(P1).NE.Y(P2).OR.Z(P1).NE.Z(P2)) .AND.
1 (X(P1).NE.X(P4).OR.Y(P1).NE.Y(P4).OR.Z(P1).NE.Z(P4))) GO TO 340
P9=ID(M+2,N+2)
GO TO 340
335 P1=ID(M ,N+1)
P2=ID(M ,N )
P3=ID(M+1,N )

```

```

P4=ID(M+1,N+1)
P5=ID(M,N-1)
P6=ID(M+1,N-1)
P7=ID(M+2,N)
P8=ID(M+2,N+1)
P9=P1
IF((X(P1).NE.X(P2)).OR.Y(P1).NE.Y(P2)).OR.Z(P1).NE.Z(P2)) .AND.
1 (X(P1).NE.X(P4)).OR.Y(P1).NE.Y(P4)).OR.Z(P1).NE.Z(P4))) GO TO 340
P9=ID(M+2,N-1)
GO TO 340
336 P1=ID(M+1,N)
P2=ID(M+1,N+1)
P3=ID(M,N+1)
P4=ID(M,N)
P5=ID(M+1,N+2)
P6=ID(M,N+2)
P7=ID(M-1,N+1)
P8=ID(M-1,N)
P9=P1
IF((X(P1).NE.X(P2)).OR.Y(P1).NE.Y(P2)).OR.Z(P1).NE.Z(P2)) .AND.
1 (X(P1).NE.X(P4)).OR.Y(P1).NE.Y(P4)).OR.Z(P1).NE.Z(P4))) GO TO 340
P9=ID(M-1,N+2)
GO TO 340
337 P1=ID(M+1,N+1)
P2=ID(M,N+1)
P3=ID(M,N)
P4=ID(M+1,N)
P5=ID(M-1,N+1)
P6=ID(M-1,N)
P7=ID(M,N-1)
P8=ID(M+1,N-1)
P9=P1
IF((X(P1).NE.X(P2)).OR.Y(P1).NE.Y(P2)).OR.Z(P1).NE.Z(P2)) .AND.
1 (X(P1).NE.X(P4)).OR.Y(P1).NE.Y(P4)).OR.Z(P1).NE.Z(P4))) GO TO 340
P9=ID(M-1,N-1)
340 IP(1)=P1
IP(2)=P2
IP(3)=P3
IP(4)=P4
IP(5)=P5
IP(6)=P6
IP(7)=P7
IP(8)=P8
IP(9)=P9
C G2 COMPUTE NORMAL VECTOR (XN,YN,ZN)
X1=X(P3)-X(P1)
X2=X(P4)-X(P2)
Y1=Y(P3)-Y(P1)
Y2=Y(P4)-Y(P2)
Z1=Z(P3)-Z(P1)
Z2=Z(P4)-Z(P2)
XN=Y2*Z1-Y1*Z2
YN=X1*Z2-X2*Z1
ZN=X2*Y1-X1*Y2
R=SQ2(XN,YN,ZN)
IF (R.GT. .00000000001) GO TO 345
WRITE(6,343)
343 FORMAT(33H ERROR IN INPUT - ZERO AREA QUAD )
LINE=LINE+1
ID1=ID1+1
AQ=0.

```

AD-A168 167

FORMULATION OF NUMERICAL METHODS USED IN THE XYZ  
THREE-DIMENSIONAL POTENT. (U) TEXAS A AND M UNIV  
COLLEGE STATION COLL OF ENGINEERING W J BEARY MAY 86

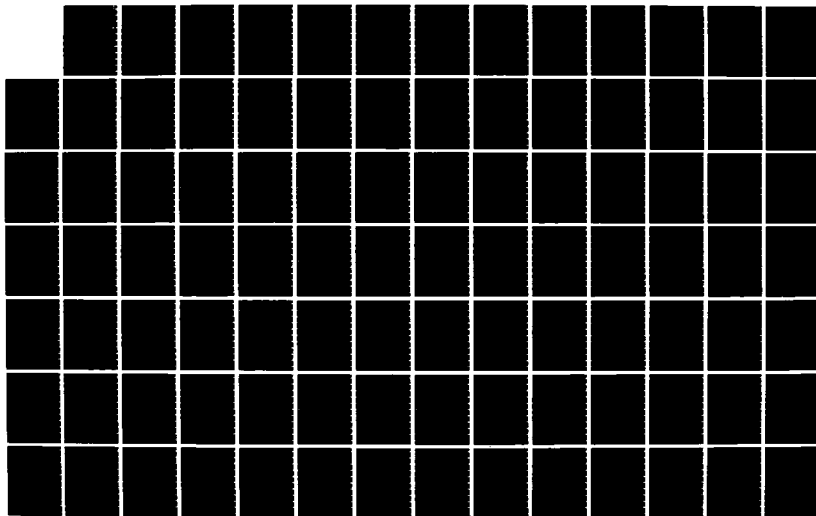
2/8

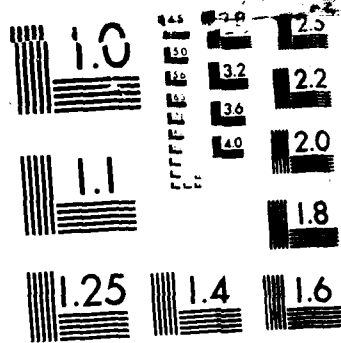
UNCLASSIFIED

NO0228-85-G-3303

F/G 20/4

NL





MICROCOPY RESOLUTION TEST CHART  
10-10-1963



```

XC=0.
YC=0.
ZC=0.
FL=0.
CZ(1)=0.
CZ(4)=0.
CZ(5)=0.
CZ(6)=0.
IERR=1
GO TO 351
345 CONTINUE
XN=XN/R
YN=YN/R
ZN=ZN/R
A0=.5*R
C   COMPUTE CENTROID
X1=X(P3)-X(P2)
Y1=Y(P3)-Y(P2)
Z1=Z(P3)-Z(P2)
X5=Y1*Z2-Y2*Z1
Y5=Z1*X2-Z2*X1
Z5=X1*Y2-X2*Y1
A1=SQ2(X5,Y5,Z5)
A2=R-A1
IT=1
XC=(X(P2)+X(P4)+(A1*X(P3)+A2*X(P1))/R)/3.
YC=(Y(P2)+Y(P4)+(A1*Y(P3)+A2*Y(P1))/R)/3.
ZC=(Z(P2)+Z(P4)+(A1*Z(P3)+A2*Z(P1))/R)/3.
C   COMPUTE SECOND AND THIRD VECTORS
945 X4=YN*Z1-Y1*ZN
Y4=ZN*X1-Z1*XN
Z4=XN*Y1-X1*YN
A=1./SQ2(X4,Y4,Z4)
X4=X4*A
Y4=Y4*A
Z4=Z4*A
X3=ZN*Y4-Z4*YN
Y3=XN*Z4-X4*ZN
Z3=YN*X4-Y4*XN
C   COMPUTE POINTS IN QUAD SYSTEM
DO 947 I=1,9
L=I P(1)
XP(1)=X3*(X(L)-XC)+Y3*(Y(L)-YC)+Z3*(Z(L)-ZC)
YP(1)=X4*(X(L)-XC)+Y4*(Y(L)-YC)+Z4*(Z(L)-ZC)
947 ZP(1)=XN*(X(L)-XC)+YN*(Y(L)-YC)+ZN*(Z(L)-ZC)
C   COMPUTE MATRIX COEF. TO FIND SURFACE EQ.
DO 949 I=2,9
G(1,1)=1.
G(1,2)=XP(1)
G(1,3)=YP(1)
G(1,4)=XP(1)**2
G(1,5)=YP(1)**2
G(1,6)=YP(1)*XP(1)
949 F(1)=ZP(1)
DO 953 I=1,6
G(1,I)=G(9,I)
G(5,I)=G(5,I)+G(6,I)
953 G(6,I)=G(7,I)+G(8,I)
F(1)=F(9)
F(5)=F(5)+F(6)
F(6)=F(7)+F(8)

```

```

C      SOLVE MATRIX EQ.  G*CZ=F  FOR CZ
      CALL MATINS(G,9,6,F,6,1,DETERM,IDM,INDEX)
      IF (IDM.EQ. 1)      GO TO (955,960) IT
      IERR=1
      WRITE(6,954)
954  FORMAT (33H ERROR IN INPUT - SINGULAR MATRIX  )
      LINE=LINE+1
      ID2=ID2+1
      GO TO 960
955  IT=2
C      FIND NEW NORMAL VECTOR
      XN=XN-CZ(2)*X3-CZ(3)*X4
      YN=YN-CZ(2)*Y3-CZ(3)*Y4
      ZN=ZN-CZ(2)*Z3-CZ(3)*Z4
      A=1./SQ2(XN,YN,ZN)
      XN=XN*A
      YN=YN*A
      ZN=ZN*A
      GO TO 945
C      STORE DATA
960  B(J+1)=XP(1)
      B(J+2)=YP(1)
      B(J+3)=XP(2)
      B(J+4)=YP(2)
      B(J+5)=XP(3)
      B(J+6)=XP(4)
      B(J+7)=YP(4)
      B(J+8)=X3
      B(J+9)=Y3
      B(J+10)=Z3
      B(J+11)=X4
      B(J+12)=Y4
      B(J+13)=Z4
      B(J+14)=CZ(1)
      B(J+15)=CZ(4)
      B(J+16)=CZ(5)
      B(J+17)=CZ(6)
      IF (K.LT. 7*MAXNDE) GO TO 965
      ID7=ID7+1
      K1=K+K1
      K=0
965  CONTINUE
      T(K+1)=XC
      T(K+2)=YC
      T(K+3)=ZC
      T(K+4)=XN
      T(K+5)=YN
      T(K+6)=ZN
      T(K+7)=AQ
C      COMPUTE QUADRUPOLE MOMENTS
      X11=XP(1)+XP(2)
      X12=XP(1)+XP(4)
      X13=XP(3)+XP(2)
      X14=XP(3)+XP(4)
      X15=XP(2)+XP(4)
      Y11=YP(1)+YP(2)
      Y12=YP(1)+YP(4)
      Y13=YP(3)+YP(2)
      Y14=YP(3)+YP(4)
      Y15=YP(2)+YP(4)
      R1=R1/24.

```

```

R2=R2/24.
R3=AQ/12.
AXX=(X11**2+X12**2)*R1+(X13**2+X14**2)*R2+X15**2*R3
AXY=(X11*Y11+X12*Y12)*R1+(X13*Y13+X14*Y14)*R2+X15*Y15*R3
AYY=(Y11**2+Y12**2)*R1+(Y13**2+Y14**2)*R2+Y15**2*R3
C   COMPUTE SOLID ANGLE
XX=XC-XCENTER
YY=YC-YCENTER
ZZ=ZC-ZCENTER
X1=XX*X3+YY*Y3+ZZ*Z3
Y1=XX*X4+YY*Y4+ZZ*Z4
Z1=XX*XN+YY*YN+ZZ*ZN
RD=1./SQ2(X1,Y1,Z1)
RCU=RD**3
RSU=RCU**2*RD
SA=SA+Z1*(AQ*RCU-((AXX*(Y1**2+Z1**2-4.*X1**2)
1   +AYY*(X1**2+Z1**2-4.*Y1**2))*1.5-15.*X1*Y1*AXY)*RSU)
B(J+18)=AXX
B(J+19)=AXY
B(J+20)=AYY
C   ERROR TESTS
D1=SQ2((XP(3)-XP(1)),(YP(3)-YP(1)),0.)
D2=SQ2((XP(4)-XP(2)),(YP(4)-YP(2)),0.)
FL=.5*AMAX1(D1,D2)
CZ23=ABS(CZ(2))+ABS(CZ(3))
IF(ABS(CZ(2))+ABS(CZ(3)).GT.FL*.001) GO TO 970
IF(ABS(CZ(1)).LT.FL*.3) GO TO 977
970 WRITE(6,975) CZ23
975 FORMAT(29H QUESTIONABLE POINT -POOR FIT ,6E14.3)
IERR=1
LINE=LINE+1
977 IF (YP(1)*XP(2)-YP(2)*XP(1) .GE. 0. .AND.
1   YP(2)*XP(3)-YP(3)*XP(2) .GE. 0. .AND.
2   YP(3)*XP(4)-YP(4)*XP(3) .GE. 0. .AND.
3   YP(4)*XP(1)-YP(1)*XP(4) .GE. 0.) GO TO 984
980 WRITE(6,1000) (XP(I),YP(I), I=1,4)
1000 FORMAT(41H ERROR IN INPUT - CROSSED OR CONCAVE QUAD
1   4(2F10.5,3X) )
IERR=1
LINE=LINE+1
ID3=ID3+1
984 CRCF=SQ2((XP(2)-XP(1)),(YP(2)-YP(1)),0)+XP(3)-XP(2)+ SQ2((XP(1)-
1   XP(4)),(YP(1)-YP(4)),0.)+SQ2((XP(4)-XP(3)),(YP(4)-YP(3)),0.)
IF(35.*AQ .GT. CRCF**2) GO TO 986
LINE=LINE+1
WRITE(6,951)
951 FORMAT(24H WARNING LONG THIN QUAD.)
986 IF( Z1 .GE. 0. ) GO TO 351
350 WRITE(6,35)
35 FORMAT(35H QUESTIONABLE POINT - INWARD NORMAL)
IERR=1
LINE=LINE+1
C   J. EDITE QUAD INFORMATION
351 IF( IEDIT1.EQ.2.AND. IERR.EQ.0) GO TO 354
IF( IEDIT1.EQ.1) GO TO 354
GO TO(356,357,358,359) NO
356 WRITE(6,51) M,X(P1),X(P2),X(P3),X(P4),XC,XN,AQ ,CZ(4) ,
1   N,Y(P1),Y(P2),Y(P3),Y(P4),YC,YN,FL ,CZ(5) ,
2   P,Z(P1),Z(P2),Z(P3),Z(P4),ZC,ZN,CZ(1),CZ(6)
GO TO 360
357 WRITE(6,51) M,X(P2),X(P3),X(P4),X(P1),XC,XN,AQ ,CZ(4) ,

```

```

1          N,V(P2),V(P3),V(P4),V(P1),VC,VN,FL      ,CZ(5) ,
2          P,Z(P2),Z(P3),Z(P4),Z(P1),ZC,ZN,CZ(1),CZ(6)
GO TO 360
358 WRITE(6,51) M,X(P4),X(P1),X(P2),X(P3),XC,XN,AQ      ,CZ(4) ,
1          N,V(P4),V(P1),V(P2),V(P3),VC,VN,FL      ,CZ(5) ,
2          P,Z(P4),Z(P1),Z(P2),Z(P3),ZC,ZN,CZ(1),CZ(6)
GO TO 360
359 WRITE(6,51) M,X(P3),X(P4),X(P1),X(P2),XC,XN,AQ      ,CZ(4) ,
1          N,V(P3),V(P4),V(P1),V(P2),VC,VN,FL      ,CZ(5) ,
2          P,Z(P3),Z(P4),Z(P1),Z(P2),ZC,ZN,CZ(1),CZ(6)
360 CONTINUE
51 FORMAT (1H ,13,8E14.5/1X,13,8E14.5/1X,13,8E14.5/)
LINE=LINE+4
IF (LINE.LT.50) GO TO 354
352 WRITE (6,42)
LINE=0
354 CONTINUE
J=J+20
I=P
DM(I)=UNR
P=P+1
NQ=NQ+1
IERR=0
349 K=K+7
C      K. WRITE OUT BLOCK OF B ARRAY IF FULL
IF (J.LT.240) GO TO 400
355 WRITE (04) Q,(B(I),I=1,240)
Q=P
J=0
C      L. END OF DO LOOP OVER PT. ARRAY
400 CONTINUE
402 M1=M1+2
404 N1=N1+2
C      M. SET FOR NEXT SECTION
NSS=NS
DO 405 M=MMIN,MMAX
DO 405 N=NM1N,NMAX
405 ID(M,N)=0
PC=1
IF (ME.LE.0) GO TO 410
MMAX=NI
MMIN=NI
NMIN=MI
NMAX=MI
GO TO 420
410 MMAX=MI
MMIN=MI
NMIN=NI
NMAX=NI
420 NE=ME
UNR=UN
IF (NS.LE.0) GO TO 500
WRITE(6,45) ICTRL,NS
LINE=0
GO TO 300
500 WRITE (04) Q,(B(I),I=1,240)
550 NP=(K+K1)/7
ISMP = ISM + 1
GO TO (595,590,580,570), ISMP
570 SA=SA+SA
580 SA=SA+SA

```

```

590 SA=SA+SA
C   01 WRITE PARAMETERS AND T ARRAY ON TAPE
595 J = 1
   IF (1TAPE.EQ.1 .AND. EOF50 .NE.0 )      GO TO 601
597 WS(J) = XI
   WS(J+20) = YI
   WS(J+40) = ZI
   J = J+1
   IF(XI**2 + YI**2 + ZI**2) 599,599,598
598 WRITE(6,600)  XI,YI,ZI
600 FORMAT(11H0EXTRA FLOW,10X,3F12.5)
601 READ(5,40)  XI,YI,ZI
   IF (EOF(5) .EQ. 0) GO TO 597
   XI=0.
   YI=0.
   ZI=0.
   GO TO 597
599 IF (ISP.LT.0) GO TO 605
   WRITE (03) (PROB(I),I=1,15)
   WRITE (03) (WS(I),I=1,220),IEDIT3,IEDIT4
   WRITE (03) (T(I),I=1,K)
   WRITE (03) (DM(I),I=1,NP)
605 CONTINUE
C   N1 CHECK SOLID ANGLE
610 WRITE (6,80) SA
   80 FORMAT(14H0SOLID ANGLE = ,F8.3)
620 REWIND 04
   REWIND 03
622 IDS=ID1+ID2+ID3+ID4+ID5+ID6+ID7
   IF (IDS.EQ.0 .AND. NP.EQ.NQE) GO TO 638
   WRITE(6,625)
   IF (ID1 .GT. 0) WRITE(6,628) ID1
   IF (ID2 .GT. 0) WRITE(6,629) ID2
   IF (ID3 .GT. 0) WRITE(6,630) ID3
   IF (ID4 .GT. 0) WRITE(6,631) ID4
   IF (ID5 .GT. 0) WRITE(6,632) ID5
   IF (ID6 .GT. 0) WRITE(6,633) ID6
   IF (ID7 .GT. 0) WRITE(6,634) NP,MAXNQE
   IF (NP.NE.NQE) WRITE(6,637) NP,NQE
   STOP
625 FORMAT(3SH0FATAL ERROR IN DATA - PROGRAM ABORTED)
628 FORMAT(1H0,15,31H  QUADRILATERALS WITH ZERO AREA      )
629 FORMAT(1H0,15,44H  QUADRILATERALS GENERATE A SINGULAR MATRIX  )
630 FORMAT(1H0,15,26H  CROSSED QUADRILATERALS              )
631 FORMAT(1H0,15,32H  SECTIONS HAVE TOO MANY POINTS      )
632 FORMAT(1H0,15,34H  POINTS HAVE INVALID M,N INDICES    )
633 FORMAT(1H0,15,52H  SECTIONS DO NOT HAVE QUADS ARRANGED IN GROUPS 0
   IF 4 )
634 FORMAT(1H0,15,48H  QUADRILATERALS GIVEN, EXCEEDING THE LIMIT OF ,
   1 14)
637 FORMAT(1H0,15,28H  QUADRILATERALS GIVEN, NOT ,14)
638 IF (ISP.LE.0) GO TO 640
   WRITE(6,639) ISP
639 FORMAT(7H0  ISP= ,14,19H - PROGRAM ABORTED )
   STOP
640 CONTINUE
C   02 READ PEPS2 AND TRANSFER TO IT
   STOP 1
   END
C
   FUNCTION SQ2(X,Y,Z)

```

```

C  COMPUTE SQUAR ROOT OF R**2
  R= ABS(X)+ABS(Y) +ABS(Z) +.0000000000001
700 RS=X**2+Y**2 +Z**2
  R=R+RS/R
  R=.25*R+RS/R
  R=R+RS/R
  SQ2=.25*R+RS/R
  RETURN
  END

C
C  SUBROUTINE MATINS(A,NR,N1,B,NC,M1,DETERM,ID,INDEX)
C    MATRIX INVERSION WITH ACCOMPANYING SOLUTION OF SIMUL. EQ.
C    PIVOT METHOD
C    FORTRAN IV SINGLE PRECISION WITH ADJUSTABLE DIMENSION
C    NOVEMBER 1971 S GOOD NAVAL SHIP R & D CENTER
C    WHERE CALLING PROGRAM MUST INCLUDE
C      DIMENSION A(NR,NR), B(NR,NC), INDEX(NR,3)
C      WHERE NR,NC ARE DIMENSIONS OF A,B,INDEX
C      N1 IS THE ORDER OF A
C      M1 IS THE NUMBER OF COLUMN VECTORS IN B (MAY BE 0)
C      DETERM WILL CONTAIN DETERMINANT ON EXIT
C      ID WILL BE SET BY ROUTINE TO 2 IF MATRIX A IS
C      SINGULAR, 1 IF INVERSION WAS SUCCESSFUL
C      MATRIX A (INPUT MATRIX) WILL BE REPLACED BY A INV
C      MATRIX B: THE COLUMN VECTORS WILL BE REPLACED
C      BY CORRESPONDING SOLUTION VECTORS
C      INDEX: WORKING STORAGE ARRAY
C    IF IT IS DESIRED TO SCALE, THE DETERMINANT CARD 29 MAY BE
C    DELETED AND DETERM PRESET BEFORE ENTERING THE ROUTINE
C
C    DIMENSION A(NR,NR), B(NR,NC), INDEX(NR,3)
C    EQUIVALENCE (IROW,JROW), (ICOLUMN,JCOLUMN), (AMAX, T, SWAP)
C
C    INITIALIZATION
C
C    N=N1
C    M=M1
C    DETERM=1.0
C    DO 20 J=1,N
C
C      20 INDEX(J,3)=0
C      DO 550 I=1,N
C
C        SEARCH FOR PIVOT ELEMENT
C
C        AMAX = 0.0
C        DO 105 J=1,N
C          IF(INDEX(J,3)-1) 60, 105, 60
C        60 DO 100 K=1,N
C          IF(INDEX(K,3)-1) 80, 100, 715
C        80 IF (      AMAX -ABS (A(J,K))) 85, 100, 100
C        85 IROW = J
C          ICOLUMN = K
C          AMAX = ABS (A(J,K))
C        100 CONTINUE
C        105 CONTINUE
C          INDEX(ICOLUMN,3) = INDEX(ICOLUMN,3) + 1
C          INDEX(1,1) = IROW
C          INDEX(1,2) = ICOLUMN
C
C    INTERCHANGE ROWS TO PUT PIVOT ELEMENT ON DIAGONAL

```

```

C      IF (IROW-ICOLUMN) 140, 310, 140
140 DETERM= -DETERM
    DO 200 L=1,N
      SWAP= A(IROW,L)
      A(IROW,L)=A(ICOLUMN,L)
200  A(ICOLUMN,L)=SWAP
      IF(M) 310, 310, 210
210  DO 250 L=1,M
      SWAP=B(IROW,L)
      B(IROW,L)=B(ICOLUMN,L)
250  B(ICOLUMN,L)=SWAP
C
C      DIVIDE PIVOT ROW BY PIVOT ELEMENT
C
310  PIVOT = A(ICOLUMN,ICOLUMN)
      DETERM=DETERM*PIVOT
330  A(ICOLUMN,ICOLUMN) = 1.0
      DO 350 L=1,N
350  A(ICOLUMN,L)=A(ICOLUMN,L)/PIVOT
      IF (M) 380, 380, 360
360  DO 370 L=1,M
370  B(ICOLUMN,L)=B(ICOLUMN,L)/PIVOT
C
C      REDUCE NON-PIVOT ROWS
C
380  DO 550 L1=1,N
      IF(L1-ICOLUMN) 400, 550, 400
400  T=A(L1,ICOLUMN)
      A(L1,ICOLUMN)=0.0
      DO 450 L=1,N
450  A(L1,L)=A(L1,L)-A(ICOLUMN,L)*T
      IF (M) 550, 550, 460
460  DO 500 L=1,M
500  B(L1,L)=B(L1,L)-B(ICOLUMN,L)*T
550  CONTINUE
C
C      INTERCHANGE COLUMNS
C
DO 710 I=1,N
  L=N+1-I
  IF (INDEX(L,1)-INDEX(L,2)) 630, 710, 630
630  JROW= INDEX(L,1)
      JCOLUMN=INDEX(L,2)
      DO 705 K=1,N
      SWAP = A(K,JROW)
      A(K,JROW)=A(K,JCOLUMN)
      A(K,JCOLUMN)=SWAP
705  CONTINUE
710  CONTINUE
      DO 730 K=1,N
      IF(INDEX(K,3)-1) 715, 720, 715
720  CONTINUE
730  CONTINUE
      ID=1
810  RETURN
715  ID=2
      GO TO 810
      END
/

```

# **APPENDIX II - XYZPF SECTION PF2**

```

PROGRAM PF2(OUTPUT=128,TAPE6=OUTPUT,TAPE03,TAPE02,TAPE08,
1      TAPE09,TAPE01,TAPE11,TAPE04,TAPE4=TAPE04,
3      TAPE1=TAPE01,
2      TAPE3=TAPE03,TAPE2=TAPE02,TAPE8=TAPE08,TAPE9=TAPE09)

C
C      XYZ POTENTIAL FLOW PROGRAM VERSION 4 SECTION 2
C      COMPUTES MATRIX COEFFICIENTS
C
COMMON B(241),T(4600),U1(1000),U2(1000),U3(1000),C1( 900),C2( 9
200),C3( 900), WS(300),PROB(15),
3UX(8),UY(8),UZ(8)
EQUIVALENCE(Y3,Y2) , (WS(201),NP), (WS(210),SYM), (WS(211),KM)
1 , (WS(212),IPF) , (WS(208),IPS) , (KM,MK)
INTEGER SYM
BLK=1.0
IDW=0
READ(03) (PROB(I),I=1,15)
WRITE(6,5)
5 FORMAT(49H0XYZ POTENTIAL FLOW PROGRAM SECTION 2, VERSION 4 )
90 FORMAT(1H0,15A4)
WRITE (6 ,90) (PROB(I),I=1,15)
C      A. READ PARAMETERS, T ARRAY, FIRST BLOCK OF B ARRAY
READ(03) (WS(I),I=1,220)
READ(03) (T(I),I=1,MK)
READ(04) (B(I),I=1,241)
C      B. START LOOP OVER QUADRILATERALS
K=1
J=1
P=1
JC=1
JU=2
NPN=5*((NP+4)/5)
KMM=7*NPN+1
290 IF(B(1)-P)595,295,595
98 FORMAT("POINTS OUT OF ORDER B(1)=",1F4.0," P=",1F4.0)
295 J=2
296 X1=B(J)
Y1=B(J+1)
X2=B(J+2)
Y2=B(J+3)
X3=B(J+4)
Y3=B(J+5)
C      X4=B(J+6)
Y4=B(J+7)
XN=T(K+3)
YN=T(K+4)
ZN=T(K+5)
XC=T(K+1)
YC=T(K+1)
ZC=T(K+2)
A=T(K+6)
XX=B(J+7)
YX=B(J+8)
ZX=B(J+9)
XY=B(J+10)
YY=B(J+11)
ZY=B(J+12)
C      C1 COMPUTE LENGTH OF SIDES OF QUAD
D12=SQ2F(X1,X2,Y1,Y2,0.,0.)
D23=SQ2F(X2,X3,Y2,Y3,.0.,0.)

```



```

      D34=SQ2F(X3,X4,Y3,Y4,.0,.0)
      D41=SQ2F(X4,X1,Y4,Y1,.0,.0)
C      C2 COMPUTE SLOPE OF SIDES
      IF(X2-X3)305,300,305
300  C123=1.
      GO TO 310
305  CM23=(Y2-Y3)/(X2-X3)
      C123=0.
310  IF(X3-X4)315,311,315
311  C134=1.
      GO TO 320
315  CM34=(Y4-Y3)/(X4-X3)
      C134=0.
320  IF(X4-X1)325,321,325
321  C141=1.
      GO TO 330
325  CM41=(Y1-Y4)/(X1-X4)
      C141=0.
330  IF(X1-X2)335,331,335
331  C112=1.
      GO TO 340
335  CM12=(Y2-Y1)/(X2-X1)
      C112=0.
C      C3 COMPUTE QUADRAPOLE MOMENTS
340  C1XX=B(J+17)
      C1XY=B(J+18)
      C1YV=B(J+19)
      CV12=0.0
      CX12=0.0
      CY23=0.0
      CX23=0.0
      CV34=0.0
      CX34=0.0
      CY41=0.0
      CX41=0.0
C      C4 COMPUTE SIN AND COS OF SLOPE ANGLE FOR EACH SIDE
      IF (D12) 9341,9342,9341
9341  CY12=(Y2-Y1)/D12
      CX12=(X1-X2)/D12
9342  IF(D23)9343,9344,9343
9343  CY23=(Y3-Y2)/D23
      CX23=(X2-X3)/D23
9344  IF(D34)9345,9346,9345
9345  CY34=(Y4-Y3)/D34
      CX34=(X3-X4)/D34
9346  IF(D41)9347,9348,9347
9347  CY41=(Y1-Y4)/D41
      CX41=(X4-X1)/D41
C      C5 COMPUTE MAX LENGTH OF QUAD
9348  ST=ABS(X1-X3)
      ST2=SQ2F(X2,X4,Y2,Y4,.0,.0)
      ST=AMAX1(ST,ST2,D12,D23,D34,D41)
C      D. START LOOP OVER NULL PTS
342  KQ=1
      L=1
343  I=KQ
      IF(IPS) 9360,9360,9350
9350  IF(L-IPS) 9355,9352,9352
9352  IF(L-IPF) 9360,9360,9355
9355  C1(JC)=.0
      C2(JC)=.0
      C3(JC)=.0

```

```

      GO TO 541
9360 IS=1
      XCQ=T(1)
      YCQ=T(1+1)
      ZCQ=T(1+2)
      XNQ=T(1+3)
      YNQ=T(1+4)
344 ZNQ=T(1+5)
C      E. COMPUTE DISTANCE BETWEEN QUAD AND NULL PT.
C      DETERMIN METHOD
345 RPQ=SQ2F(XC,XCQ,YC,YCQ,ZC,ZCQ)
      IF(RPQ-ST*4)350,350,460
350 X=(XCQ-XC)*XX+(YCQ-YC)*YX+(ZCQ-ZC)*ZX
      Y=(XCQ-XC)*XY+(YCQ-YC)*YY+(ZCQ-ZC)*ZY
      Z=(XCQ-XC)*XN+(YCQ-YC)*YN+(ZCQ-ZC)*ZN
      IF(RPQ-ST*2.0)355,355,400
C      F. COMPUTE VELOCITY COEF. BY EXACT METHOD
355 R1=SQ2F(X,X1,Y,Y1,Z,0.)
      R2=SQ2F(X,X2,Y,Y2,Z,0.)
      R3=SQ2F(X,X3,Y,Y3,Z,0.)
      R4=SQ2F(X,X4,Y,Y4,Z,0.)
      IF((R1+R2).LE.D12) GO TO 1000
      IF((R2+R3).LE.D23) GO TO 1000
      IF((R3+R4).LE.D34) GO TO 1000
      IF((R4+R1).LE.D41) GO TO 1000
      CLA1=ALOG((R1+R2-D12)/(R1+R2+D12))
      CLA2=ALOG((R2+R3-D23)/(R2+R3+D23))
      CLA3=ALOG((R3+R4-D34)/(R3+R4+D34))
      CLA4=ALOG((R4+R1-D41)/(R4+R1+D41))
      TUX=CX12*CLA1+CY23*CLA2+CY34*CLA3+CY41*CLA4
      TUY=CX12*CLA1+CX23*CLA2+CX34*CLA3+CX41*CLA4
      TUZ=0.
      IF(ABS(Z/ST)-.010) 375,361,361
361 ZSQ=Z**2
      E1=ZSQ+(X-X1)**2
      E2=ZSQ+(X-X2)**2
      E3=ZSQ+(X-X3)**2
      E4=ZSQ+(X-X4)**2
      H1=(Y-Y1)*(X-X1)
      H2=(Y-Y2)*(X-X2)
      H3=(Y-Y3)*(X-X3)
      H4=(Y-Y4)*(X-X4)
      IF(C112)363,363,364
363 WS1=(CM12*E1-H1)/(Z*R1)
      WS2=(CM12*E2-H2)/(Z*R2)
      AT1=ATAN(WS1)
      AT2=ATAN(WS2)
      TUZ=AT1-AT2
364 IF(C123)365,365,367
365 AT3=ATAN((CM23*E2-H2)/(Z*R2))
      AT4=ATAN((CM23*E3-H3)/(Z*R3))
      TUZ=TUZ+AT3-AT4
367 IF(C134)368,368,369
368 AT5=ATAN((CM34*E3-H3)/(Z*R3))
      AT6=ATAN((CM34*E4-H4)/(Z*R4))
      TUZ=TUZ+AT5-AT6
369 IF(C141)370,370,375
370 AT7=ATAN((CM41*E4-H4)/(Z*R4))
      AT8=ATAN((CM41*E1-H1)/(Z*R1))
      TUZ=TUZ+AT7-AT8
375 GO TO 450
C      G. COMPUTE VELOCITY COEF. BY QUADRAPOLE METHOD

```

```

400 RPQ3=RPQ**3
   RPQ7=(RPQ3**2)*RPQ
   WS1=X/RPQ3
   XSQ=X**2
   YSQ=Y**2
   ZSQ=Z**2
   PS=YSQ+ZSQ-4.*XSQ
   QS=XSQ+ZSQ-4.*YSQ
   WS2=X*(9.*PS+30.*XSQ)/RPQ7
   WS3=3.*Y*PS/RPQ7
   WS4=3.*X*QS/RPQ7
   TUX=A*WS1-C1XX*WS3-C1XY*WS2-C1YY*WS4
   WS1=Y/RPQ3
   WS2=Y*(9.*QS+30.*YSQ)/RPQ7
   TUY=A*WS1-C1XX*WS3-C1XY*WS4-C1YY*WS2
   TUZ=Z*(A/RPQ3-3.*(C1XX*PS-5.*C1XY*X*Y+C1YY*QS)/RPQ7)
450 UX(1S)=TUX*XX+TUY*XY+TUZ*XN
   UY(1S)=TUX*YX+TUY*YY+TUZ*YN
   UZ(1S)=TUX*ZX+TUY*ZY+TUZ*ZN
   GO TO 470
C     H. COMPUTE VELOCITY COEF. BY MONOPOLE METHOD
460 ARPQ3=A/(RPQ**3)
   UX(1S)=(XCQ-XC)*ARPQ3
   UY(1S)=(YCQ-YC)*ARPQ3
   UZ(1S)=(ZCQ-ZC)*ARPQ3
C     I. REFLECT NULL PT. IN PLANE OF SYMETRY
470 GO TO(480,485,490,495,500,505,510,515),1S
C     DO LOOPS SET UP TO FORCE USE OF INDEX REGISTERS
480 J1=J0
   J2=J0
   UDY=UX(1)
   UDY=UY(1)
   UZ=UZ(1)
   U1(J1)=UX(1)
   U2(J1)=UX(1)
   U3(J1)=UX(1)
   U1(J1+1)=UY(1)
   U2(J1+1)=UY(1)
   U3(J1+1)=UY(1)
   U1(J1+2)=UZ(1)
   U2(J1+2)=UZ(1)
   U3(J1+2)=UZ(1)
   IF(SYM) 530,530,481
481 1S=2
C     XZ SYMETRY
   YCQ=-YCQ
   GO TO 345
485 IF(SYM-1)517,517,485
C     XY SYMETRY
486 1S=3
   ZCQ=-ZCQ
   GO TO 345
490 1S=4
   YCQ=-YCQ
   GO TO 345
495 IF(SYM-2)516,516,495
C     YZ SYMETRY
496 1S=5
   XCQ=-XCQ
   GO TO 345
500 1S=6
   YCQ=-YCQ

```

```

      GO TO 345
505 IS=7
      ZCQ=-ZCQ
      GO TO 345
510 IS=8
      YCQ=-YCQ
      GO TO 345
C      J. ADD CONTRIBUTIONS OF ALL REFLECTIONS
515 U1(J1)=U1(J1)+UX(8)+UX(7)+UX(6)+UX(5)
      U2(J1)=U2(J1)-UX(8)+UX(7)+UX(6)-UX(5)
      U3(J1)=U3(J1)-UX(8)-UX(7)+UX(6)+UX(5)
      U1(J1+1)=U1(J1+1)-UY(8)+UY(7)+UY(6)-UY(5)
      U2(J1+1)=U2(J1+1)+UY(8)+UY(7)+UY(6)+UY(5)
      U3(J1+1)=U3(J1+1)+UY(8)-UY(7)+UY(6)-UY(5)
      U1(J1+2)=U1(J1+2)-UZ(8)-UZ(7)+UZ(6)+UZ(5)
      U2(J1+2)=U2(J1+2)+UZ(8)-UZ(7)+UZ(6)-UZ(5)
      U3(J1+2)=U3(J1+2)+UZ(8)+UZ(7)+UZ(6)+UZ(5)
516 U1(J1)=U1(J1)+UX(4)+UX(3)
      U2(J1)=U2(J1)+UX(4)-UX(3)
      U3(J1)=U3(J1)-UX(4)-UX(3)
      U1(J1+1)=U1(J1+1)+UY(4)-UY(3)
      U2(J1+1)=U2(J1+1)+UY(4)+UY(3)
      U3(J1+1)=U3(J1+1)-UY(4)+UY(3)
      U1(J1+2)=U1(J1+2)-UZ(4)-UZ(3)
      U2(J1+2)=U2(J1+2)-UZ(4)+UZ(3)
      U3(J1+2)=U3(J1+2)+UZ(4)+UZ(3)
517 U1(J1)=U1(J1)+UX(2)
      U2(J1)=U2(J1)-UX(2)
      U3(J1)=U3(J1)+UX(2)
      U1(J1+1)=U1(J1+1)-UY(2)
      U2(J1+1)=U2(J1+1)+UY(2)
      U3(J1+1)=U3(J1+1)-UY(2)
      U1(J1+2)=U1(J1+2)+UZ(2)
      U2(J1+2)=U2(J1+2)-UZ(2)
      U3(J1+2)=U3(J1+2)+UZ(2)
530 C1(J2)=XNQ*U1(J1)+YNQ*U1(J1+1)+ZNQ*U1(J1+2)
      C2(J2)=XNQ*U2(J1)+YNQ*U2(J1+1)+ZNQ*U2(J1+2)
      C3(J2)=XNQ*U3(J1)+YNQ*U3(J1+1)+ZNQ*U3(J1+2)
540 JU=JU+3
541 JC=JC+1
C      D. WRITE COEFFICIENTS
C      K. WRITE COEF. ON TAPE OR DRUM IF STORAGE AREA IS FULL
545 IF(JU-100)570,555,555
555 JU=2
      U1(1)=BLK
      U2(1)=BLK
      U3(1)=BLK
      IF(BLK-636.0) 560,553,566
560 WRITE (01) BLK,U1,U2,U3
      GO TO 568
563 REWIND 01
566 WRITE(11) BLK,U1,U2,U3
568 BLK=BLK+1.
570 IF(JC-90)580,571,571
571 IDW=IDW+1
      WRITE (02) IDW,C1
      WRITE (08) IDW,C2
      WRITE (09) IDW,C3
576 JC=1
580 KO=KO+7
      L=L+1
C      L. END OF LOOP OVER NULL PTS.

```

```

      IF(KQ-KM) 343,343,581
581 C1(JC)=0
      C2(JC)=0
      C3(JC)=0
      IF(KQ-KMM)541,585,585
585 P=P+1
      K=K+7
      J=J+20
      IF(K-KM) 556,586,600
C      N. END OF LOOP OVER QUADS.
C      M. READ NEXT BLOCK OF B ARRAY IF NEEDED
586 IF(J-241)296,590,590
590 READ(04)(B(I),I=1,241)
      J=2
      IF(B(1)-P)595,296,595
595 WRITE (6,98) B(1),P
      STOP
600 IF(BLK-636.0) 610,620,630
C      O. WRITE REMAINING COEF. ON TAPE OR DRUM
610 WRITE(01)BLK,U1,U2,U3
      REWIND 01
      GO TO 640
620 REWIND 01
630 WRITE(11) BLK,U1,U2,U3
      REWIND 11
640 WRITE (02) IDW,C1
      WRITE (08) IDW,C2
      WRITE (09) IDW,C3
      REWIND 02
      REWIND 03
      REWIND 04
      REWIND 08
      REWIND 09
C      P. TRANSFER TO PFP53
      GO TO 5000
1000 WRITE(6,2000) L,P
2000 FORMAT(3H L= ,15,20X,3H P= ,F5.1)
5000 CONTINUE
      STOP 2
      END
      FUNCTION SQ2F(X1,X2,Y1,Y2,Z1,Z2)
      X=X1-X2
      Y=Y1-Y2
      Z=Z1-Z2
      RS=Z**2+Y**2+X**2
      R=ABS(X)+ABS(Y)+ABS(Z)+ 1.0E-20
      R=R+RS/R
      R=.25*R+RS/R
      R= R+RS/R
      SQ2F= .25*R+RS/R
      RETURN
      END

```

# **APPENDIX III - XYZPF SECTION PF3**

```

PROGRAM PFP3(OUTPUT=128,TAPE02,TAPE08,TAPE09,
1      TAPE12,TAPE03,TAPE6=OUTPUT,TAPE2=TAPE02,
2      TAPES=TAPE08,TAPE9=TAPE09,TAPE3=TAPE03)

C
C      XYZ POTENTIAL FLOW PROGRAM  VERSION 1  SECTION 3
C      SOLVES MATRIX EQUATION FOR SOURCE DENSITY
C
COMMON      SN(654),VIP(650),S(5,650),PROB(15),WS(220),DM(650),
1      B(220),COEF(900),XN(650),YN(650),ZN(650)
EQUIVALENCE (WS(213),EPS), (KK,B(201))
EQUIVALENCE (MIX,WS(205)), (MIY,WS(206)), (MIZ,WS(207))
EQUIVALENCE (WS(201),NP), (WS(208),IPS), (WS(212),IPF), (WS(211),KM),
1      (KM,MK)
5  FORMAT(49H1XYZ POTENTIAL FLOW PROGRAM SECTION 3, VERSION 4 )
WRITE (6,5)
READ      (03)(PROB(I),I=1,15)
WRITE      ( 6,1001)(PROB(I),I=1,15)
1001  FORMAT(1H0,15A4)
READ (03) (WS(I),I=1,220),IEDIT3,IEDIT4
READ      (03)(SKIP,SKIP,SKIP,XN(I),YN(I),ZN(I),SKIP,I=1,NP)
D=-.5/3.14159265
READ      (03)(DM(I),I=1,NP)
K1=1
K2=NP
240  FORMAT (18HOCHANGES IN PROB -,15A4)
IF(IPS)1220,1220,1231
1231  READ      (12)( B(K),K=1,15)
WRITE      ( 6,240)(B(K),K=1,15)
READ      (12)( B(K),K=1,220)
READ      (12)SKIP
READ      (12)SKIP
K1=IPS
K2=IPF
C      A.  SET CONDITIONS FOR FLOW OF -1 IN X DIRECTION
1220  FX=-1
      FV=0
      FZ=0
      NF=-1
C      B.  COMPUTE INITIAL APPROXIMATION TO THE SOURCE
1240  DO 1250 K=1,NP
      VIP(K)=XN(K)*FX+YN(K)*FV+ZN(K)*FZ-DM(K)
      S(5,K)=-VIP(K)*.11936
C      C.  SET PARTIAL SUM VECTOR TO ZERO
1250  SN(K)=0.
      SN(NP+1)=0.
      SN(NP+2)=0.
      SN(NP+3)=0.
      SN(NP+4)=0.
      WRITE(6,997) FX,FV,FZ
      WRITE (6,998)
998  FORMAT(27H0ITERATION  SUM OF CHANGES ,9X,1HR,10X,2HB1,10X,2HB2)
      IT=1
      IC=5
      IF (IPS) 1260,1260,1255
1255  READ(12) (S(5,K), K=1,KK)
      DO 1256 K=1,KK
      DO 1256 I=1,4
1256  S(I,K)=S(5,K)
C      D.  START ITERATION
1260  BAND=0

```

```

      IF (NF)1261,1262,1263
1261 READ (02)IDW,COEF
      GO TO 1264
1262 READ (08)IDW,COEF
      GO TO 1264
1263 READ (09)IDW,COEF
1264 J=0
C      D. READ FIRST BLOCK OF COEF
C      E. START LOOP OVER QUADS.
      DO 1290 K=1,NP
C      F. PICK UP SOURCE DENSITY
      SP=S(IC,K)
C      G. START LOOP OVER NULL PTS.
      DO 1290 KP=1,NP,5
      IF(J-900)80,65,65
65 IF (NF)67,68,69
67 READ (02)IDW,COEF
      GO TO 70
68 READ (08)IDW,COEF
      GO TO 70
69 READ (09)IDW,COEF
70 J=0
C      H. COMPUTE PARTIAL SUM FOR NEXT 5 PTS.
80 SN(KP)=SN(KP)+COEF(J+1)*SP
      SN(KP+1)=SN(KP+1)+COEF(J+2)*SP
      SN(KP+2)=SN(KP+2)+COEF(J+3)*SP
      SN(KP+3)=SN(KP+3)+COEF(J+4)*SP
      SN(KP+4)=SN(KP+4)+COEF(J+5)*SP
      J=J+5
C      J. END OF LOOP OVER NULL PTS.
C      K. END OF LOOP OVER QUADS.
1290 CONTINUE
C      L. COMPUTE NEW SOURCE
      IF (NF) 91,92,93
91 REWIND 02
      GO TO 94
92 REWIND 08
      GO TO 94
93 REWIND 09
94 PASS=1.0
      SUM=0.
      DO 100 K=K1,K2
      SN(K)=( SN(K)+VIP(K) ) *D
      TEST=ABS(SN(K)-S(IC,K))
      SUM=SUM+TEST
      IF (TEST .GT. EPS) PASS=-1.0
100 CONTINUE
      IF (PASS .EQ. 1.0) GO TO 180
      IF (IT.GE.MIX) GO TO 180
      IF (IEDIT3 .EQ. 0) WRITE(6,99) IT,SUM
      IT=IT+1
      IC=IC+1
      IF (IC .EQ. 0) GO TO 120
      DO 110 K=K1,K2
      S(IC,K)=SN(K)
110 SN(K)=0.
      GO TO 1260
120 A=0.
      B1=0.
      B2=0.
      DA=0.
      D1=0.

```

```

      D2=0.
      DO 140 K= K1,K2
      DS9=2*S(1,K)-SN(K)-S(2,K)
      IF(DS9 .GT. 0.) GO TO 122
      A=A+S(2,K)-S(1,K)
      DA=DA-DS9
      GO TO 125
122  A =A +S(1,K)-S(2,K)
      DA=DA+DS9
125  DS1=S(4,K)-S(3,K)
      DS2=S(3,K)-S(2,K)
      DS3=DS1-DS2
      DSS=S(2,K)-S(1,K)
      DS5=DS2-DSS
      DS6=DS1-DSS
      DS4=DS2-S(1,K)+SN(K)
      DS7=DS3*DS4-DS5*DS6
      DS8=DS6*DS5-DS4*DS3
      IF(DS7 .GT. 0.) GO TO 128
      B1=B1-DS1*DS4+DS2*DS6
      D1=D1-DS7
      GO TO 130
128  B1=B1+DS1*DS4-DS2*DS6
      D1=D1+DS7
130  IF (DS8 .GT. 0.) GO TO 132
      B2=B2-DS1*DS5+DS2*DS3
      D2=D2-DS8
      GO TO 140
132  B2=B2+DS1*DS5-DS2*DS3
      D2=D2+DS8
140  CONTINUE
      A=A/DA
      B1=B1/D1
      B2=B2/D2
      IF(1T .EQ. 6) GO TO 155
      AA=A-AS
      AA=ABS(AA)
      IF (AA .GT. .02) GO TO 148
      DO 145 K=K1,K2
      S(5,K)=A*(SN(K)-S(1,K))+S(1,K)
145  SN(K)=0.
      WRITE(6,6000)
6000 FORMAT(29X,17H4 EXTRAPOLATION )
      GO TO 160
148  BB1=B1-BB1
      BB1=ABS(BB1)
      BB1=50.*BB1
      BB2=B2-BB2
      BB2=ABS(BB2)
      BB2=50.*BB2
      BBB=ABS(BB1) + ABS(BB2)
      IF ( (BB1 .GT. BBB) .OR. (BB2 .GT. BBB) ) GO TO 155
      DO 150 K=K1,K2
      S(5,K)=S(2,K)+B1*(S(1,K)-S(2,K))+B2*(SN(K)-S(2,K))
150  SN(K)=0.
      WRITE(6,7000)
7000 FORMAT(29X,17H5 EXTRAPOLATION )
      GO TO 160
155  DO 158 K=K1,K2
      S(5,K)=SN(K)
158  SN(K)=0.
160  IC=5

```



```

      WRITE(6,161) A, B1, B2
161 FORMAT(29X,3E12.3)
      AS=A
      BS1=B1
      BS2=B2
      GO TO 1260
180 WRITE(6,99) IT,SUM
      DO 182 K=K1,K2
182 S(1,K)=SN(K)
      WRITE(03) (S(1,K), K=1,NP)
      99 FORMAT(4X,13,E18.5)
997 FORMAT (13H0 X VELOCITY=,F4.1,15H Y VELOCITY=,F4.1,
115H Z VELOCITY=,F4.1)
      IF(FZ)1400,1390,1400
C      P1 IF THIS WAS NOT LAST FLOW, SET FOR NEXT FLOW
1390 FZ=FY
      FV=FX
      FX=0
      MIX=MIV
      MIV=MIZ
      NF=NF+1
      GO TO 1240
1400 REWIND 03
C      P2 READ IN PFFS4 AND TRANSFER TO IT
      STOP 3
      END

```

# APPENDIX IU - XYZPF SECTION PF4

```

PROGRAM PFP4(OUTPUT,TAPE6=OUTPUT,TAPE03,TAPE01,TAPE11,
1      TAPE3=TAPE03,TAPE1=TAPE01)
C
C      XYZ POTENTIAL FLOW PROGRAM VERSION 1 SECTION 4
C      COMPUTES VELOCITIES AND PRESSURE COEFFICIENTS FOR
C      POINTS ON THE BODY
C
COMMON      UX1(650),UY1(650),UZ1(650),      UX2(650),UY2(650),UZ2(650)
1      ,UX3(650),UY3(650),UZ3(650),      S1(650), S2(650), S3(650)
2      , X(650), Y(650), Z(650),      T4(650), T5(650), T6(650)
3      , DM(650)
DIMENSION PROB(15),WS(220),CV1(1000),CV2(1000),CV3(1000)
EQUIVALENCE (WS(201),NP),(WS(211),KM),(WS(217),UX1),(WS(218),UY1),
1(WS(219),UZ1),(WS(208),IPS),(WS(212),IPF)
EQUIVALENCE (MIX,WS(205)),(MIY,WS(206)),(MIZ,WS(207))
5 FORMAT(49HXYZ POTENTIAL FLOW PROGRAM SECTION 4, VERSION 4 )
WRITE (6,5)
READ      (Q3)(PROB(I),I=1,15)
100 FORMAT(1H ,15R4)
WRITE      ( 6,100)(PROB(I),I=1,15)
C      A. READ PARAMETERS AND SOURCE
READ (Q3) (WS(I),I=1,220),IEDIT3,IEDIT4
READ      (Q3)(X(I),Y(I),Z(I),T4(I),T5(I),T6(I),SKIP, I=1,NP)
READ      (Q3)(DM(I),I=1,NP)
D=-.5/3.14159265
READ      (Q3)(S1(I),I=1,NP)
READ      (Q3)(S2(I),I=1,NP)
READ (Q3) (S3(I),I=1,NP)
J=1
K1=1
K2=NP
IF(IPS)108,108,102
102 K1=IPS
K2=IPF
108 BBR=1.
C      B. READ FIRST BLOCK OF COEF.
ITAPE=01
READ (Q1) BB,CV1,CV2,CV3
IF (BB-BBR) 300,120,300
120 DO 125 I=K1,K2
UX1(I)=-1.0      -S1(I)*T4(I) /D
UY1(I)=      -S1(I)*T5(I) /D
UZ1(I)=      -S1(I)*T6(I) /D
UX2(I)=      -S2(I)*T4(I) /D
UY2(I)=-1.0      -S2(I)*T5(I) /D
UZ2(I)=      -S2(I)*T6(I) /D
UX3(I)=      -S3(I)*T4(I) /D
UY3(I)=      -S3(I)*T5(I) /D
125 UZ3(I)=-1.0      -S3(I)*T6(I) /D
C      C. SET UP LOOP OVER QUADS.
JC=2
C      D. PICK UP SOURCE
130 S1J=S1(J)
S2J=S2(J)
S3J=S3(J)
C      E. SET UP LOOP OVER NULL PTS.
DO 180 JP=K1,K2
C      F. COMPUTE PARTIAL SUM FOR 3 COMPONENTS OF 3 VELOCITIES
UX1(JP)=UX1(JP)+S1J*CV1(JC)
UY1(JP)=UY1(JP)+S1J*CV1(JC+1)

```

```

      UZ1(JP)=UZ1(JP)+S1J*CU1(JC+2)
      UX2(JP)=UX2(JP)+S2J*CU2(JC)
      UY2(JP)=UY2(JP)+S2J*CU2(JC+1)
      UZ2(JP)=UZ2(JP)+S2J*CU2(JC+2)
      UX3(JP)=UX3(JP)+S3J*CU3(JC)
      UY3(JP)=UY3(JP)+S3J*CU3(JC+1)
      UZ3(JP)=UZ3(JP)+S3J*CU3(JC+2)
      JC=JC+3
C      G. READ MORE COEF. IF NEEDED.
      IF (JC-1000)180,135,135
135 JC=2
      IF(BBR-635.0)140,150,155
140 READ (01) BB,CU1,CU2,CU3
      GO TO 160
150 REWIND 01
155 READ (11) BB,CU1,CU2,CU3
160 BBR=BBR+1.
      IF (BBR-BB)300,180,300
C      H. END OF LOOP OVER NULL PTS.
180 CONTINUE
      J=J+1
C      I. END OF LOOP OVER QUADS.
      IF(J-NP)130,130,200
200 IF(BBR-635.0)231,231,232
231 REWIND 01
      GO TO 233
232 REWIND 11
C      K. EDIT THE VELOCITIES ETC. AND WRITE THEM ON TAPE
233 WRITE (03)(UX1(I),UY1(I),UZ1(I),I=1,NP)
      WRITE (03)(UX2(I),UY2(I),UZ2(I),I=1,NP)
      WRITE (03)(UX3(I),UY3(I),UZ3(I),I=1,NP)
235 FORMAT(1H1,15A4,8H PAGE =,115)
      REWIND 03
      IP=K1+49
      IS=K1
      IPAGE=1
      IF (EDIT4.EQ.1) GO TO 293
      IF (MIX.LE.0) GO TO 265
242 FORMAT(8H0 X FLOW)
240 FORMAT(4H PT.,10X,1HX,9X,1HY,9X,1HZ,13X,2HUX,8X,2HUY,8X,2HUZ,10X,
1 5HABS.U,7X,2HCP,6X,6HSOURCE,4X,8H NORMAL)
245 FORMAT (1X,13,4X,3F10.5,4X,3F10.5,1F13.5,2F11.5,E12.2)
250 IF(IP-K2)255,255,260
C      J. COMPUTE PRESSURE AND ABS. VALUE OF VELOCITY
255 WRITE (6,235)(PROB(I),I=1,15),IPAGE
      WRITE (6,242)
      WRITE (6,240)
      DO 257 I=1S,IP
      USQ=UX1(I)**2+UY1(I)**2+UZ1(I)**2
      UM=(ABS(UX1(I))+ABS(UY1(I))+ABS(UZ1(I)))*.79
      UM=UM+USQ/UM
      UM=.25*UM+USQ/UM
      UM=.5*(UM+USQ/UM)
      CP=1.-USQ
      UNR=UX1(I)*T4(I)+UY1(I)*T5(I)+UZ1(I)*T6(I)
257 WRITE (6,245)1,X(I),Y(I),Z(I),UX1(I),UY1(I),UZ1(I),UM
1,CP,S1(I),UNR
      IS=IS+50
      IP=IP+50
      IPAGE=IPAGE+1
      IF(K2-IS)265,260,250
260 IP=K2

```

```

      GO TO 255
265 IP=K1+49
      IS=K1
      IF (M1V .LE. 0 ) GO TO 280
267 IF (IP-K2)275,275,270
270 IP=K2
275 WRITE          (6,235)(PROB(1),I=1,15),IPAGE
      WRITE          (6,277)
277 FORMAT(8H0 Y FLOW)
      WRITE          (6,240)
      DO 278 I=IS,IP
      USQ=UX2(1)**2+UY2(1)**2      +UZ2(1)**2
      UM=(ABS(UX2(1))+ABS(UY2(1))+ABS(UZ2(1)))*.79
      UM=UM+USQ/UM
      UM=.25*UM+USQ/UM
      UM      =.5*(UM+USQ/UM)
      UNR      =UX2(1)*T4(1)      +UY2(1)*T5(1)      +UZ2(1)*T6(1)
      CP      =1.-USQ
278 WRITE (6,245) I,X(1),Y(1),Z(1),UX2(1),UY2(1),UZ2(1),UM
      1      ,CP      ,S2(1),UNR
      IS=IS+50
      IP=IP+50
      IPAGE=IPAGE+1
      IF (IS-K2)267,267,280
280 IF=K1+49
      IS=K1
      IF (M1Z .LE. 0 ) GO TO 293
282 IF (IP-K2)290,290,285
285 IP=K2
290 WRITE          (6,235)(PROB(1),I=1,15),IPAGE
      WRITE          (6,292)
292 FORMAT(8H0 Z FLOW)
      WRITE          (6,240)
      DO 291 I=IS,IP
      USQ=UX3(1)**2+UY3(1)**2+UZ3(1)**2
      UM=(ABS(UX3(1))+ABS(UY3(1))+ABS(UZ3(1)))*.79
      UM=UM+USQ/UM
      UM=.25*UM+USQ/UM
      UM      =.5*(UM+USQ/UM)
      CP      =1.-USQ
      UNR      =UX3(1)*T4(1)      +UY3(1)*T5(1)      +UZ3(1)*T6(1)
291 WRITE (6,245) I,X(1),Y(1),Z(1),UX3(1),UY3(1),UZ3(1),UM
      1      ,CP      ,S3(1),UNR
      IS=IS+50
      IP=IP+50
      IPAGE=IPAGE+1
      IF (IS-K2)282,282,293
C      L. CHECK FOR A FOURTH FLOW
293 J = 1
294 UX1 = WS(J)
      UY1 = WS(J+20)
      UZ1 = WS(J+40)
295 IF (UX1**2+UY1**2+UZ1**2) 400,400,301
301 IS=K1
      IP=K1+49
320 IF (IP-K2)330,325,325
C      N. EDIT THE VELOCITY AND PRESSURE FOR FOURTH FLOW
325 IP=K2
330 WRITE          (6,235)(PROB(1),I=1,15),IPAGE
      WRITE          (6,315)UX1,UY1,UZ1
      WRITE          (6,340)
C      M. COMPUTE VELOCITY AND PRESSURE FOR FOURTH FLOW

```

```

DO 333 I=IS,IP
  UX4  =- (UX1*UX1<1>+UY1*UX2<1>+UZ1*UX3<1>)
  UY4  =- (UX1*UY1<1>+UY1*UY2<1>+UZ1*UY3<1>)
  UZ4  =- (UX1*UZ1<1>+UY1*UZ2<1>+UZ1*UZ3<1>)
  USQ=UX4  **2+UY4  **2+UZ4  **2
  UM=(ABS(UX4  )+ABS(UY4  )+ABS(UZ4  ))*.79
  UM=UM+USQ/UM
  UM=.25*UM+USQ/UM
  UM  =.5*(UM+USQ/UM)
  CP  = 1.-(USQ)/(UY1**2+UZ1**2+UX1**2)
333 WRITE (6,345) I,X<1>,Y<1>,Z<1>,UX4  ,UY4  ,UZ4  ,UM
  I  ,CP
  IS=IS+50
  IP=IP+50
  IPAGE=IPAGE+1
  IF(K2-IS)350,325,320
350 J = J+1
  GO TO 294
315 FORMAT(19H0  ONSET FLOW, UX1=,F6.3,2X,4HUY1=,F6.3,2X,4HUZ1=,F6.3)
340 FORMAT(4H PT., 10X, 1HX, 9X, 1HY, 9X, 1HZ, 13X, 2HUX, 8X, 2HUY, 8X, 2HUZ, 10X,
  1 5HABS.U, 7X, 2HCP)
345 FORMAT (1X, 13, 4X, 3F10.5, 4X, 3F10.5, 1F13.5, 1F11.5)
400 CONTINUE
  GO TO 5000
300 CONTINUE
  WRITE (6,310) ITAPE,BBR,BB
  310 FORMAT (6H1TAPE ,12, 17H OUT OF POSITION/114,6F6.1)
5000 CONTINUE
  STOP 4
  END

```

# **APPENDIX U - XYZPF SECTION PFS**

```

PROGRAM PFP5(INPUT=128,OUTPUT=128,TAPE03,TAPE04,
1TAPE5=INPUT,TAPE6=OUTPUT,TAPE3=TAPE03,TAPE4=TAPE04)
C
C XYZ POTENTIAL FLOW PROGRAM VERSION 4 SECTION 5
C COMPUTES VELOCITIES AND PRESSURE COEFFICIENTS FOR
C OFF BODY POINTS
C
COMMON B(241), XP(500),YP(500),ZP(500),UX(500),WS(220)
1,UY(500),UZ(500),UX2(500),UY2(500),UZ2(500),UX3(500),UY3(500)
2,UZ3(500),UX(8),UY(8),UZ(8),S1(650),S2(650),S3(650),U1(3),U2(3),U3
3(3),PROB(15),XN(650),YN(650),ZN(650),TA(650),TX(650)
4,TY(650),TZ(650)
EQUIVALENCE (KM,WS(211)),(KM,MK),(NP,WS(201)),(SYM,WS(210))
1,(Y2,Y3),(MIX,WS(205)),(M1Y,WS(206)),(M1Z,WS(207))
INTEGER PAGE
INTEGER SYM
5 FORMAT(49H0XYZ POTENTIAL FLOW PROGRAM SECTION 5, VERSION 4 )
WRITE (6,5)
C A. READ INPUT
READ(5,25) NOBP,IEDITS,IREAD
C A. READ THE OFF BODY POINTS
NOB=NOBP
DO 10 I=1,NOB
READ(5,26) XP(I),YP(I),ZP(I)
IF (EOF(5) .EQ. 0.) GO TO 10
NOBP=I-1
WRITE(6,9) NOBP,NOB
9 FORMAT(1H0,15,31H OFF BODY POINTS SPECIFIED NOT ,13)
GO TO 11
10 CONTINUE
11 CONTINUE
25 FORMAT(314)
26 FORMAT(3F12.5)
P=1.
READ (03) (PROB(I),I=1,15)
WRITE (6,90) (PROB(I),I=1,15)
90 FORMAT(1H0,18A4)
WRITE(6,91) NOBP,IEDITS,IREAD
91 FORMAT(8H0NOBP =,14 /8H IEDITS=,14/8H IREAD =,14)
WRITE(6,92)
92 FORMAT(17H0 OFF BODY POINTS / 4H PT.,11X,1HX,12X,1HY,12X,1HZ)
WRITE(6,93) (I,XP(I),YP(I),ZP(I),I=1,NOBP)
93 FORMAT(1X,13,2X,3F13.5)
C B. READ THE PARAMETERS, T ARRAY AND SOURCE FROM TAPE 31
READ (03) (WS(I),I=1,220)
READ (03) (TX(I),TY(I),TZ(I),XN(I),YN(I),ZN(I),TA(I),I=1,NP)
READ (03) SKIP
C
C FORMERLY: WS(220) .EQ. 2.
C
IF(WS(220) .EQ. 5.) READ(03) SKIP
READ (03) (S1(I),I=1,NP)
READ (03) (S2(I),I=1,NP)
READ (03) (S3(I),I=1,NP)
C C. READ THE FIRST BLOCK OF THE B ARRAY
READ (04) (B(I),I=1,241)
K=1
J=1
DO 100 I=1,NOBP
C D. SET THE PARTIAL VELOCITY TO THE FREE STREAM VELOCITY

```

```

      UX1(1)=-1.0
      UY1(1)=0.
      UZ1(1)=0.
      UX2(1)=0.
      UY2(1)=-1.0
      UX3(1)=0.0
      UY3(1)=0.0
      UZ3(1)=-1.0
100  UZ2(1)=0.
290  IF(B(1)-P)291,295,291
291  WRITE (6,98) B(1),P
      98 FORMAT(28H0 POINTS OUT OF ORDER B(1)=,1F4.0,4H P=,1F4.0)
      STOP
C      E.  START LOOP OVER THE QUADS.
295  J=2
C      F1  PICK UP QUAD. INFORMATION
296  X1=B(J)
      Y1=B(J+1)
      X2=B(J+2)
      Y2=B(J+3)
      X3=B(J+4)
      X4=B(J+5)
      Y4=B(J+6)
      XC=TX(K)
      YC=TY(K)
      ZC=TZ(K)
      A =TA(K)
      XX=B(J+7)
      YX=B(J+8)
      ZX=B(J+9)
      XY=B(J+10)
      YY=B(J+11)
      ZY=B(J+12)
C      F2  COMPUTE LENGTH OF SIDES OF QUAD.
      D12=SQ2F(X1,X2,Y1,Y2,0.,0.)
      D23=SQ2F(X2,X3,Y2,Y3,.0,.0)
      D34=SQ2F(X3,X4,Y3,Y4,.0,.0)
      D41=SQ2F(X4,X1,Y4,Y1,.0,.0)
C      F3  COMPUTE SLOPE OF SIDES
      IF(X2-X3)305,300,305
300  C123=1.
      GO TO 310
305  CM23=(Y2-Y3)/(X2-X3)
      C123=0.
310  IF(X3-X4)315,311,315
311  C134=1.
      GO TO 320
315  CM34=(Y4-Y3)/(X4-X3)
      C134=0.
320  IF(X4-X1)325,321,325
321  C141=1.
      GO TO 330
325  CM41=(Y1-Y4)/(X1-X4)
      C141=0.
330  IF(X1-X2)335,331,335
331  C112=1.
      GO TO 340
335  CM12=(Y2-Y1)/(X2-X1)
      C112=0.
C      F4  COMPUTE QUADRAPOLE MOMENTS
340  C1XX=B(J+17)
      C1XY=B(J+18)

```

```

      C1VY=B(J+1Q)
C      F5 COMPUTE SIN AND COS OF SLOPE ANGLE FOR EACH SIDE
      CY12=(Y2-Y1)/D12
      CY23=(Y3-Y2)/D23
      CY34=(Y4-Y3)/D34
      CY41=(Y1-Y4)/D41
      CX12=(X1-X2)/D12
      CX23=(X2-X3)/D23
      CX34=(X3-X4)/D34
      CX41=(X4-X1)/D41
C      F6 COMPUTE MAX DIAGONAL
      ST=SQ2F(X1,X3,Y1,Y3,0.,0.)
      ST2=SQ2F(X2,X4,Y2,Y4,0.,0.)
      IF(ST-ST2)341,342,342
341 ST=ST2
C      G. START LOOP OVER THE OFF BODY POINTS
342 DO 530 JQ=1,NDBP
      IS=1
      XCQ=XP(JQ)
      YCQ=YP(JQ)
      ZCQ=ZP(JQ)
      J1=1
345 RPQ=SQ2F(XC,XCQ,YC,YCQ,ZC,ZCQ)
C      H. DETERMIN METHOD
      IF(RPQ-ST*4)350,350,460
350 X=(XCQ-XC)*XX+(YCQ-YC)*YX+(ZCQ-ZC)*ZX
      Y=(XCQ-XC)*XY+(YCQ-YC)*YY+(ZCQ-ZC)*ZY
      Z=(XCQ-XC)*XN(K)+(YCQ-YC)*YN(K)+(ZCQ-ZC)*ZN(K)
      IF(RPQ-ST*2.5)355,355,400
C      I. COMPUTE INDUCED VELOCITY BY EXACT METHOD
355 R1=SQ2F(X,X1,Y,Y1,Z,0.)
      R2=SQ2F(X,X2,Y,Y2,Z,0.)
      R3=SQ2F(X,X3,Y,Y3,Z,0.)
      R4=SQ2F(X,X4,Y,Y4,Z,0.)
      IF((R1+R2).LE.D12) GO TO 1000
      IF((R3+R2).LE.D23) GO TO 1000
      IF((R3+R4).LE.D34) GO TO 1000
      IF((R1+R4).LE.D41) GO TO 1000
      CLA1=ALOG((R1+R2-D12)/(R1+R2+D12))
      CLA2=ALOG((R2+R3-D23)/(R2+R3+D23))
      CLA3=ALOG((R3+R4-D34)/(R3+R4+D34))
      CLA4=ALOG((R4+R1-D41)/(R4+R1+D41))
      TUX=CY12*CLA1+CY23*CLA2+CY34*CLA3+CY41*CLA4
      TUY=CX12*CLA1+CX23*CLA2+CX34*CLA3+CX41*CLA4
      TUZ=0.
      IF(ABS(Z)-.001*ST)375,361,361
361 ZSQ=Z**2
      E1=ZSQ+(X-X1)**2
      E2=ZSQ+(X-X2)**2
      E3=ZSQ+(X-X3)**2
      E4=ZSQ+(X-X4)**2
      H1=(Y-Y1)*(X-X1)
      H2=(Y-Y2)*(X-X2)
      H3=(Y-Y3)*(X-X3)
      H4=(Y-Y4)*(X-X4)
      IF(D12)363,363,354
363 WS1=(D12*E1-H1)/(Z*R1)
      WS2=(D12*E2-H2)/(Z*R2)
      AT1=ATAN(WS1)
      AT2=ATAN(WS2)
      TUZ=AT1-AT2
364 IF(D123)366,366,367

```



```

366 AT3=ATAN((CM23*E2-H2)/(Z*R2))
AT4=ATAN((CM23*E3-H3)/(Z*R3))
TUZ=TU2+AT3-AT4
367 IF(C134)368,368,369
368 AT5=ATAN((CM34*E3-H3)/(Z*R3))
AT6=ATAN((CM34*E4-H4)/(Z*R4))
TUZ=TU2+AT5-AT6
369 IF(C141)370,370,375
370 AT7=ATAN((CM41*E4-H4)/(Z*R4))
AT8=ATAN((CM41*E1-H1)/(Z*R1))
TUZ=TU2+AT7-AT8
375 GO TO 450
C      J. COMPUTE INDUCED VELOCITY BY QUADRAPOLE METHOD
400 RPQ3=RPQ**3
RPQ7=(RPQ3**2)*RPQ
WS1=X/RPQ3
XSQ=X**2
YSQ=Y**2
ZSQ=Z**2
PS=YSQ+ZSQ-4.*XSQ
QS=XSQ+ZSQ-4.*YSQ
WS2=X*(9.*PS+30.*XSQ)/RPQ7
WS3=3.*Y*PS/RPQ7
WS4=3.*X*QS/RPQ7
TUX=A*WS1-C1XY*WS3-C1XX*WS2-C1VY*WS4
WS1=Y/RPQ3
WS2=Y*(9.*QS+30.*YSQ)/RPQ7
TUY=A*WS1-C1XX*WS3-C1XY*WS4-C1VY*WS2
TUZ=Z*(A/RPQ3-3.*(C1XX*PS-5.*C1XY*X*Y+C1VY*QS)/RPQ7)
450 UX(1S)=TUX*XX+TUY*XY+TUZ*XN(K)
UY(1S)=TUX*YX+TUY*YY+TUZ*YN(K)
UZ(1S)=TUX*ZX+TUY*ZY+TUZ*ZN(K)
GO TO 470
C      K. COMPUTE INDUCED VELOCITY BY MONOPOLE METHOD
460 ARPQ3=A/(RPQ**3)
UX(1S)=(XCQ-XC)*ARPQ3
UY(1S)=(YCQ-YC)*ARPQ3
UZ(1S)=(ZCQ-ZC)*ARPQ3
C      L. REFLECT OFF BODY POINT IN PLANE OF SYMETRY
470 GO TO(480,485,490,495,500,505,510,515),1S
480 U1(J1)=UX(1)
U2(J1)=UY(1)
U3(J1)=UZ(1)
U1(J1+1)=UY(1)
U2(J1+1)=UX(1)
U3(J1+1)=UZ(1)
U1(J1+2)=UZ(1)
U2(J1+2)=UY(1)
U3(J1+2)=UX(1)
IF(SYM)525,525,481
481 1S=2
C      XZ SYMETRY
YCQ=-YCQ
GO TO 345
485 IF(SYM-1)517,517,486
C      XY SYMETRY
486 1S=3
ZCQ=-ZCQ
GO TO 345
490 1S=4
YCQ=-YCQ
GO TO 345

```

```

495 IF(SYM-2)516,516,496
C      YZ SYMETRY
496 IS=5
      XCQ=-XCQ
      GO TO 345
500 IS=6
      YCQ=-YCQ
      GO TO 345
505 IS=7
      ZCQ=-ZCQ
      GO TO 345
510 IS=8
      YCQ=-YCQ
      GO TO 345
C      M. ADD CONTRIBUTIONS OF ALL REFLECTIONS
515 U1(J1)=U1(J1)+UX(8)+UX(7)+UX(6)+UX(5)
      U2(J1)=U2(J1)-UX(8)+UX(7)+UX(6)-UX(5)
      U3(J1)=U3(J1)-UX(8)-UX(7)+UX(6)+UY(5)
      U1(J1+1)=U1(J1+1)-UY(8)+UY(7)+UY(6)-UY(5)
      U2(J1+1)=U2(J1+1)+UY(8)+UY(7)+UY(6)+UY(5)
      U3(J1+1)=U3(J1+1)+UY(8)-UY(7)+UY(6)-UY(5)
      U1(J1+2)=U1(J1+2)-UZ(8)-UZ(7)+UZ(6)+UZ(5)
      U2(J1+2)=U2(J1+2)+UZ(8)-UZ(7)+UZ(6)-UZ(5)
      U3(J1+2)=U3(J1+2)+UZ(8)+UZ(7)+UZ(6)+UZ(5)
516 U1(J1)=U1(J1)+UX(4)+UX(3)
      U2(J1)=U2(J1)+UX(4)-UX(3)
      U3(J1)=U3(J1)-UX(4)-UX(3)
      U1(J1+1)=U1(J1+1)+UY(4)-UY(3)
      U2(J1+1)=U2(J1+1)+UY(4)+UY(3)
      U3(J1+1)=U3(J1+1)-UY(4)+UY(3)
      U1(J1+2)=U1(J1+2)-UZ(4)-UZ(3)
      U2(J1+2)=U2(J1+2)-UZ(4)+UZ(3)
      U3(J1+2)=U3(J1+2)+UZ(4)+UZ(3)
517 U1(J1)=U1(J1)+UX(2)
      U2(J1)=U2(J1)-UX(2)
      U3(J1)=U3(J1)+UX(2)
      U1(J1+1)=U1(J1+1)-UY(2)
      U2(J1+1)=U2(J1+1)+UY(2)
      U3(J1+1)=U3(J1+1)-UY(2)
      U1(J1+2)=U1(J1+2)+UZ(2)
      U2(J1+2)=U2(J1+2)-UZ(2)
      U3(J1+2)=U3(J1+2)+UZ(2)
525 L=P
      UX1(JQ)=UX1(JQ)+U1(1)*S1(L)
      UY1(JQ)=UY1(JQ)+U1(2)*S1(L)
      UZ1(JQ)=UZ1(JQ)+U1(3)*S1(L)
      UX2(JQ)=UX2(JQ)+U2(1)*S2(L)
      UY2(JQ)=UY2(JQ)+U2(2)*S2(L)
      UZ2(JQ)=UZ2(JQ)+U2(3)*S2(L)
      UX3(JQ)=UX3(JQ)+U3(1)*S3(L)
      UY3(JQ)=UY3(JQ)+U3(2)*S3(L)
      UZ3(JQ)=UZ3(JQ)+U3(3)*S3(L)
530 CONTINUE
C      N. END OF LOOP OVER OFF BODY POINTS
585 P=P+1
      K=K+1
      J=J+20
      IF(K-NF)586,586,599
586 IF(J-241)296,590,590
C      O. READ NEXT BLOCK OF B ARRAY IF NEEDED
590 READ (04) (B(I),I=1,241)
      J=2

```

```

      IF(B(1)-P)291,296,291
C      P.  END OF LOOP OVER QUADS
599 CONTINUE
      PAGE = 1
      IF (IEDITS .EQ. 1) GO TO 825
601 FORMAT(4H PT., 11X, 1HX, 12X, 1HY, 12X, 1HZ, 14X, 2HUX, 11X, 2HUY, 11X, 2HUZ
      1, 14X, 2HCP)
602 FORMAT(7H X FLOW)
603 FORMAT(7H Y FLOW)
604 FORMAT(7H Z FLOW)
605 FORMAT(1H1, 15A4, 10X, 15HOFF BODY POINTS , 10X, 5HPAGE , 13)
      IF (MIX.EQ.0) GO TO 700
      WRITE(6,605) PROB,PAGE
      WRITE (6,602)
      WRITE (6,601)
      LINE=1
      LAST=53
606 IF(NOBP-LAST)607,610,610
607 LAST=NOBP
610 DO 615 I=LINE,LAST
611 FORMAT(1X, 113, 2X, 3F13.5, 2X, 3F13.5, 3X, F13.5)
C      Q.  COMPUTE PRESSURE AND EDIT 3 BASIC FLOWS
      CP1=1.-(UX1(I)**2+UY1(I)**2+UZ1(I)**2)
615 WRITE (6,611) I,XP(I),YP(I),ZP(I),UX1(I),UY1(I),UZ1(I),CP1
      LINE=LAST+1
      LAST=LINE+54
      PAGE=PAGE+1
      IF(LINE=NOBP)620,620,700
620 WRITE(6,605) PROB,PAGE
      WRITE (6,601)
      GO TO 606
700 IF (MIX.EQ.0) GO TO 800
      WRITE(6,605) PROB,PAGE
      WRITE (6,603)
      WRITE (6,601)
      LINE=1
      LAST=55
706 IF(NOBP-LAST)707,710,710
707 LAST=NOBP
710 DO 715 I=LINE,LAST
      CP2=1.-(UX2(I)**2+UY2(I)**2+UZ2(I)**2)
715 WRITE (6,611) I,XP(I),YP(I),ZP(I),UX2(I),UY2(I),UZ2(I),CP2
      LINE=LAST+1
      LAST=LINE+54
      PAGE=PAGE+1
      IF(LINE=NOBP)720,720,800
720 WRITE(6,605) PROB,PAGE
      WRITE (6,601)
      GO TO 706
800 IF (MIX.EQ.0) GO TO 825
      WRITE(6,605) PROB,PAGE
      WRITE (6,604)
      WRITE (6,601)
      LINE=1
      LAST=55
806 IF(NOBP-LAST)807,810,810
807 LAST=NOBP
810 DO 815 I=LINE,LAST
      CP3=1.-(UX3(I)**2+UY3(I)**2+UZ3(I)**2)
815 WRITE (6,611) I,XP(I),YP(I),ZP(I),UX3(I),UY3(I),UZ3(I),CP3
      LINE=LAST+1
      LAST=LINE+54

```

```

      PAGE=PAGE+1
      IF(LINE-NOBP)820,820,825
820  WRITE(6,605) PROB,PAGE
      WRITE (6,601)
      GO TO 806
825  J = 1
826  IF (IREAD.EQ.0) GO TO 827
      READ(5,26) UX4,UY4,UZ4
      IF (EOF(5).NE.0.) GO TO 900
      GO TO 828
827  UX4=WS(J)
      UY4 = WS(J+20)
      UZ4 = WS(J+40)
828  CP=UX4**2+UY4**2+UZ4**2
      IF(CP)900,900,830
C      R. COMPUTE FOURTH FLOW AND EDIT IT
830  LINE=1
      LAST=51
      WRITE(6,605) PROB,PAGE
831  FORMAT(19HCONSET FLOW      UX =,F7.3/15X,4HUY =,
      IF7.3/15X,4HUZ =,F7.3)
      WRITE (6,831) UX4,UY4,UZ4
      WRITE (6,601)
835  IF(NOBP-LAST)837,840,840
837  LAST=NOBP
840  DO 845 I=LINE,LAST
      UXP=-UX4*UX1(I)-UY4*UX2(I)-UZ4*UX3(I)
      UYP=-UX4*UY1(I)-UY4*UY2(I)-UZ4*UY3(I)
      UZF=-UX4*UZ1(I)-UY4*UZ2(I)-UZ4*UZ3(I)
      CP4= 1.-(UXP**2+UYP**2+UZP**2)/CP
845  WRITE (6,611) I,XP(I),YP(I),ZP(I),UXP,UYP,UZF,CP4
      LINE=LAST+1
      LAST=LINE+54
      PAGE=PAGE+1
      IF(LINE-NOBP)850,850,860
850  WRITE(6,605) PROB,PAGE
      WRITE (6,601)
      GO TO 835
860  J = J+1
      GO TO 826
1000 WRITE(6,1001) JQ,L,XP(JQ),YP(JQ),ZP(JQ)
1001 FORMAT(16HDOFF BODY POINT ,13,23H ON BOUNDARY OF QUAD ,13/
1      3H X=,F12.5,5X,2HY=,F12.5,5X,2HZ=,F12.5)
      GO TO 530
900  CONTINUE
C      S. REWIND TAPES AND STOP
      REWIND 03
      REWIND 04
      STOP 5
      END
      FUNCTION SQ2F(X1,X2,Y1,Y2,Z1,Z2)
      X=X1-X2
      Y=Y1-Y2
      Z=Z1-Z2
      RS=Z**2+Y**2+X**2
      R=ABS(X)+ABS(Y)+ABS(Z)+ 1.0E-20
      R=R+RS/R
      R= .25*R+RS/R
      R= R+RS/R
      SQ2F= .25*R+RS/R
      RETURN
      END

```

# APPENDIX VI - XYZPF SECTION PF6

```

PROGRAM PPF6(INPUT=128,TAPE16,OUTPUT=128,TAPE03,TAPE04,
1      TAPE5=INPUT,TAPE6=OUTPUT,TAPE3=TAPE03,TAPE4=TAPE04)
C
C      XYZ POTENTIAL FLOW PROGRAM VERSION 4 SECTION 6
C      COMPUTES VELOCITIES AND PRESSURE COEFFICIENTS FOR
C      OFF BODY STREAMLINES
C
COMMON  XP(100),YP(100),ZP(100),UX(100),WS(220)
1,UY(100),UZ(100),UX2(100),UY2(100),UZ2(100),UX3(100),UY3(100)
2,UZ3(100),UX(8),UY(8),UZ(8),S1(650),S2(650),S3(650),U1(3),U2(3),U3
3(3),PROB(15),XN(650),YN(650),ZN(650),TX(650),TY(650),TZ(650)
1,B(13000),      XT(100),YT(100),ZT(100),AP(5),GM(4),SKY(100),
1,SKZ(100),SKX(100),DX(100),DY(100),DZ(100),CP(100),TA(650)
EQUIVALENCE  (KM,WS(211)),(KM,MK),(NP,WS(201)),(SYM,WS(210))
1,(Y2,Y3)
INTEGER SYM,P
C      A. READ INPUT
WRITE (6,5)
6 FORMAT(314,4F12.5)
8 FORMAT(3F12.5)
5 FORMAT(49H0XYZ POTENTIAL FLOW PROGRAM SECTION 6, VERSION 4 )
7 FORMAT (1X,9F12.5)
20 FORMAT(1H1,14,31H STREAMLINES TO BE COMPUTED AT ,14,10H STEPS OF
1 ,F8.4,28H T FOR AN ONSET VELOCITY OF ,3F8.4)
21 FORMAT(1X,15HSTARTING POINTS/,3X,2HPT,5X,1HX,11X,1HV,11X,1HZ)
22 FORMAT(1X,14,3F12.5)
READ (03) (PROB(I),I=1,15)
WRITE (6,90) (PROB(I),I=1,15)
90 FORMAT(1H0,15A4)
C      B. READ THE PARAMETERS, T ARRAY AND SOURCE FROM TAPE 31
READ (03) (WS(I),I=1,220)
READ(03) (TX(I),TY(I),TZ(I),XN(I),YN(I),ZN(I),TA(I),I=1,NP)
READ (03) SKIP
IF ( WS(220) .EQ. 2. ) READ(03) SKIP
READ (03) (S1(I),I=1,NP)
READ (03) (S2(I),I=1,NP)
READ (03) (S3(I),I=1,NP)
C      C. READ THE B ARRAY
WZ = NP
WZ=(WZ+11.0)/12.0
NB = WZ
IS = 2
IF=241
DO 12 IP = 1,NB
READ (04) P, (B(I),I=IS,IF)
IS=IS+240
12 IF=IF+240
AP(1)= .5
AP(2)= .5
AP(3)= 1.
AP(4)=0.
AP(5)=0.
GM(1)= 1./6.
GM(2)= 1./3.
GM(3)= 1./3.
83 READ (5,6) NOBP,NST,IEND,DT,UX1,UY1,UZ1
USQ=UX1**2+UY1**2+UZ1**2
NOB=NOBP
DO 10 I=1,NOB
READ(5, 8) XP(I),YP(I),ZP(I)

```

```

      IF (EOF(5) .EQ. 0.) GO TO 10
      NOBP=1-1
      WRITE(6,9) NOBP,NOB
9     FORMAT(1H0,15, 28H STREAMLINES SPECIFIED NOT ,13)
      GO TO 11
10    CONTINUE
11    CONTINUE
      WRITE(16) NOBP,NST,IEND,UX1,UY1,UZ1
      WRITE(6,20) NOBP,NST,DT,UX1,UY1,UZ1
      WRITE(6,21)
      WRITE(6,22) (1,XP(1),YP(1),ZP(1), I=1,NOBP)
C     NOBP - NUMBER OF STREAMLINES TO BE TRACED.
C     NST - NUMBER OF STATIONS AT WHICH STREAMLINES SHOULD BE COMPUTED.
      DO 15 I=1,NOBP
      XT(1) = XP(1)
      YT(1) = YP(1)
      ZT(1) = ZP(1)
      SKX(1)=0.
      SKY(1) = 0.
15    SKZ(1) = 0.
      ITC=0
      IRK=5
98    K=1
      P = 1
      J=1
      DO 100 I=1,NOBP
C     D. SET THE PARTIAL VELOCITY TO THE FREE STREAM VELOCITY
      UX1(1)=-1.0
      UY1(1)=0.
      UZ1(1)=0.
      UX2(1)=0.
      UY2(1)=-1.0
      UX3(1)=0.0
      UY3(1)=0.0
      UZ3(1)=-1.0
100   UZ2(1)=0.
C     E. START LOOP OVER THE QUADS.
295   J=2
C     F1 PICK UP QUAD. INFORMATION
296   X1=B(J)
      Y1=B(J+1)
      X2=B(J+2)
      Y2=B(J+3)
      X3=B(J+4)
      X4=B(J+5)
      Y4=B(J+6)
      XC=TX(K)
      YC=TY(K)
      ZC=TZ(K)
      A =TA(K)
      XX=B(J+7)
      YX=B(J+8)
      ZX=B(J+9)
      XY=B(J+10)
      YY=B(J+11)
      ZY=B(J+12)
C     F2 COMPUTE LENGTH OF SIDES OF QUAD.
      D12=SQ2F(X1,X2,Y1,Y2,0.,0.)
      D23=SQ2F(X2,X3,Y2,Y3,0.,0.)
      D34=SQ2F(X3,X4,Y3,Y4,0.,0.)
      D41=SQ2F(X4,X1,Y4,Y1,0.,0.)
C     F3 COMPUTE SLOPE OF SIDES

```

```

      IF(X2-X3)305,300,305
300 C123=1.
      GO TO 310
305 CM23=(Y2-Y3)/(X2-X3)
      C123=0.
310 IF(X3-X4)315,311,315
311 C134=1.
      GO TO 320
315 CM34=(Y4-Y3)/(X4-X3)
      C134=0.
320 IF(X4-X1)325,321,325
321 C141=1.
      GO TO 330
325 CM41=(Y1-Y4)/(X1-X4)
      C141=0.
330 IF(X1-X2)335,331,335
331 C112=1.
      GO TO 340
335 CM12=(Y2-Y1)/(X2-X1)
      C112=0.
C      F4 COMPUTE QUADRAPOLE MOMENTS
340 C1XX=B(J+17)
      C1XY=B(J+18)
      C1VY=B(J+19)
C      F5 COMPUTE SIN AND COS OF SLOPE ANGLE FOR EACH SIDE
      CY12=(Y2-Y1)/D12
      CY23=(Y3-Y2)/D23
      CY34=(Y4-Y3)/D34
      CY41=(Y1-Y4)/D41
      CX12=(X1-X2)/D12
      CX23=(X2-X3)/D23
      CX34=(X3-X4)/D34
      CX41=(X4-X1)/D41
C      F6 COMPUTE MAX DIAGONAL
      ST=SQ2F(X1,X3,Y1,Y3,0.,0.)
      ST2=SQ2F(X2,X4,Y2,Y4,0.,0.)
      IF(ST-ST2)341,342,342
341 ST=ST2
C      G. START LOOP OVER THE OFF BODY POINTS
342 DO 330 JQ=1,N0BP
      IS=1
      XCQ=XP(JQ)
      YCQ=YP(JQ)
      ZCQ=ZF(JQ)
      J1=1
345 RPQ=SQ2F(XC,XCQ,YC,YCQ,ZC,ZCQ)
C      H. DETERMIN METHOD
      IF(RPQ-ST*4)350,350,460
350 X=(XCQ-XC)*XX+(YCQ-YC)*YY+(ZCQ-ZC)*ZX
      Y=(XCQ-XC)*XY+(YCQ-YC)*YY+(ZCQ-ZC)*ZY
      Z=(XCQ-XC)*XN(K)+(YCQ-YC)*YN(K)+(ZCQ-ZC)*ZN(K)
      IF(RPQ-ST*2.5)355,355,400
C      I. COMPUTE INDUCED VELOCITY BY EXACT METHOD
355 R1=SQ2F(X,X1,Y,Y1,Z,0.)
      R2=SQ2F(X,X2,Y,Y2,Z,0.)
      R3=SQ2F(X,X3,Y,Y3,Z,0.)
      R4=SQ2F(X,X4,Y,Y4,Z,0.)
      CLA1=ALOG((R1+R2-D12)/(R1+R2+D12))
      CLA2=ALOG((R2+R3-D23)/(R2+R3+D23))
      CLA3=ALOG((R3+R4-D34)/(R3+R4+D34))
      CLA4=ALOG((R4+R1-D41)/(R4+R1+D41))
      TUX=CY12*CLA1+CY23*CLA2+CY34*CLA3+CY41*CLA4

```

```

TUV=CX12*CLA1+CX23*CLA2+CX34*CLA3+CX41*CLA4
TUZ=0.
IF (ABS(Z)-.001*ST)375,361,361
361 ZSQ=Z**2
E1=ZSQ+(X-X1)**2
E2=ZSQ+(X-X2)**2
E3=ZSQ+(X-X3)**2
E4=ZSQ+(X-X4)**2
H1=(Y-Y1)*(X-X1)
H2=(Y-Y2)*(X-X2)
H3=(Y-Y3)*(X-X3)
H4=(Y-Y4)*(X-X4)
IF (C112)363,363,364
363 WS1=(CM12*E1-H1)/(Z*R1)
WS2=(CM12*E2-H2)/(Z*R2)
AT1=ATAN(WS1)
AT2=ATAN(WS2)
TUZ=AT1-AT2
364 IF (C123)366,366,367
366 AT3=ATAN((CM23*E2-H2)/(Z*R2))
AT4=ATAN((CM23*E3-H3)/(Z*R3))
TUZ=TUZ+AT3-AT4
367 IF (C134)368,368,369
368 AT5=ATAN((CM34*E3-H3)/(Z*R3))
AT6=ATAN((CM34*E4-H4)/(Z*R4))
TUZ=TUZ+AT5-AT6
369 IF (C141)370,370,375
370 AT7=ATAN((CM41*E4-H4)/(Z*R4))
AT8=ATAN((CM41*E1-H1)/(Z*R1))
TUZ=TUZ+AT7-AT8
375 GO TO 450
C J. COMPUTE INDUSED VELOCITY BY QUADRAPOLE METHOD
400 RPQ3=RPQ**3
RPQ7=(RPQ3**2)*RPQ
WS1=X/RPQ3
XSQ=X**2
YSQ=Y**2
ZSQ=Z**2
PS=YSQ+ZSQ-4.*XSQ
QS=XSQ+ZSQ-4.*YSQ
WS2=X*(9.*PS+30.*XSQ)/RPQ7
WS3=3.*Y*PS/RPQ7
WS4=3.*Y*QS/RPQ7
TUX=A*WS1-C1XY*WS3-C1XX*WS2-C1YY*WS4
WS1=Y/RPQ3
WS2=Y*(9.*QS+30.*YSQ)/RPQ7
TUY=A*WS1-C1XX*WS3-C1XY*WS4-C1YY*WS2
TUZ=Z*(A/RPQ3-3.*(C1XX*PS-5.*C1XY*X*Y+C1YY*QS)/RPQ7)
450 UX(15)=TUX*XX+TUY*XY+TUZ*XN(K)
UY(15)=TUX*YX+TUY*YY+TUZ*YN(K)
UZ(15)=TUX*ZX+TUY*ZY+TUZ*ZN(K)
GO TO 470
C K. COMPUTE INDUSED VELOCITY BY MONOPOLE METHOD
460 ARPQ3=A/(RPQ**3)
UX(15)=(XC0-XC)*ARPQ3
UY(15)=(YC0-YC)*ARPQ3
UZ(15)=(ZC0-ZC)*ARPQ3
C L. REFLECT OFF BODY POINT IN PLANE OF SYMETRY
470 GO TO(480,485,490,495,500,505,510,515),15
480 U1(J1)=UX(1)
U2(J1)=UY(1)
U3(J1)=UZ(1)

```



```

      U1(J1+1)=UY(1)
      U2(J1+1)=UY(1)
      U3(J1+1)=UY(1)
      U1(J1+2)=UZ(1)
      U2(J1+2)=UZ(1)
      U3(J1+2)=UZ(1)
      IF(SYM) 525,525,481
481 IS=2
C      XZ SYMETRY
      YCQ=-YCQ
      GO TO 345
485 IF(SYM-1)517,517,486
C      XY SYMETRY
486 IS=3
      ZCQ=-ZCQ
      GO TO 345
490 IS=4
      YCQ=-YCQ
      GO TO 345
495 IF(SYM-2)516,516,496
C      YZ SYMETRY
496 IS=5
      XCQ=-XCQ
      GO TO 345
500 IS=6
      YCQ=-YCQ
      GO TO 345
505 IS=7
      ZCQ=-ZCQ
      GO TO 345
510 IS=8
      YCQ=-YCQ
      GO TO 345
C      M. ADD CONTRIBUTIONS OF ALL REFLECTIONS
515 U1(J1)=U1(J1)+UX(8)+UX(7)+UX(6)+UX(5)
      U2(J1)=U2(J1)-UX(8)+UX(7)+UX(6)-UX(5)
      U3(J1)=U3(J1)-UX(8)-UX(7)+UX(6)+UX(5)
      U1(J1+1)=U1(J1+1)-UY(8)+UY(7)+UY(6)-UY(5)
      U2(J1+1)=U2(J1+1)+UY(8)+UY(7)+UY(6)+UY(5)
      U3(J1+1)=U3(J1+1)+UY(8)-UY(7)+UY(6)-UY(5)
      U1(J1+2)=U1(J1+2)-UZ(8)-UZ(7)+UZ(6)+UZ(5)
      U2(J1+2)=U2(J1+2)+UZ(8)-UZ(7)+UZ(6)-UZ(5)
      U3(J1+2)=U3(J1+2)+UZ(8)+UZ(7)+UZ(6)+UZ(5)
516 U1(J1)=U1(J1)+UX(4)+UX(3)
      U2(J1)=U2(J1)+UX(4)-UX(3)
      U3(J1)=U3(J1)-UX(4)-UX(3)
      U1(J1+1)=U1(J1+1)+UY(4)-UY(3)
      U2(J1+1)=U2(J1+1)+UY(4)+UY(3)
      U3(J1+1)=U3(J1+1)-UY(4)+UY(3)
      U1(J1+2)=U1(J1+2)-UZ(4)-UZ(3)
      U2(J1+2)=U2(J1+2)-UZ(4)+UZ(3)
      U3(J1+2)=U3(J1+2)+UZ(4)+UZ(3)
517 U1(J1)=U1(J1)+UX(2)
      U2(J1)=U2(J1)-UX(2)
      U3(J1)=U3(J1)+UX(2)
      U1(J1+1)=U1(J1+1)-UY(2)
      U2(J1+1)=U2(J1+1)+UY(2)
      U3(J1+1)=U3(J1+1)-UY(2)
      U1(J1+2)=U1(J1+2)+UZ(2)
      U2(J1+2)=U2(J1+2)-UZ(2)
      U3(J1+2)=U3(J1+2)+UZ(2)
525 UX1(JQ)=UX1(JQ)+U1(1)*S1(P)

```

```

      UY1(JQ)=UY1(JQ)+U1(2)*S1(P)
      UZ1(JQ)=UZ1(JQ)+U1(3)*S1(P)
      UX2(JQ)=UX2(JQ)+U2(1)*S2(P)
      UY2(JQ)=UY2(JQ)+U2(2)*S2(P)
      UZ2(JQ)=UZ2(JQ)+U2(3)*S2(P)
      UX3(JQ)=UX3(JQ)+U3(1)*S3(P)
      UY3(JQ)=UY3(JQ)+U3(2)*S3(P)
530  UZ3(JQ)=UZ3(JQ)+U3(3)*S3(P)
C     N.  END OF LOOP OVER OFF BODY POINTS
585  P=P+1
      K=K+1
      J=J+20
      IF(K-NP > 296, 296, 599)
C     P.  END OF LOOP OVER QUADS
599  H=AP(IK)*DT
      DO 730 I = 1, NOBP
63   FORMAT(2X, I3, 3F12.5, 9X, 4F12.5)
      DX(I) = -(UX1*UX1(I) + UY1*UY2(I) + UZ1*UX3(I))
      DY(I) = -(UX1*UY1(I) + UY1*UY2(I) + UZ1*UY3(I))
730  DZ(I) = -(UX1*UZ1(I) + UY1*UZ2(I) + UZ1*UZ3(I))
      IF(IK.EQ.5) GO TO 900
      IF(IK.EQ.4) GO TO 800
      DO 750 I=1, NOBP
      XP(I)=XT(I)+DX(I)*H
      YP(I)=YT(I)+DY(I)*H
      ZP(I)=ZT(I)+DZ(I)*H
      SKX(I)=SKX(I)+GM(IK)*DX(I)
      SKY(I)=SKY(I)+GM(IK)*DY(I)
750  SKZ(I)=SKZ(I)+GM(IK)*DZ(I)
      IK = IK + 1
      GO TO 98
800  H=DT
      DO 830 I=1, NOBP
      DX(I) = -(UX1*UX1(I) + UY1*UY2(I) + UZ1*UX3(I))
      DY(I) = -(UX1*UY1(I) + UY1*UY2(I) + UZ1*UY3(I))
      DZ(I) = -(UX1*UZ1(I) + UY1*UZ2(I) + UZ1*UZ3(I))
      XP(I)=XT(I)+H*DX(I)/6.+SKX(I)*H
      XT(I)=XP(I)
      YP(I)=YT(I)+H*DY(I)/6.+SKY(I)*H
      YT(I)=YP(I)
      ZP(I)=ZT(I)+H*DZ(I)/6.+SKZ(I)*H
      ZT(I)=ZP(I)
      SKX(I)=0.
      SKY(I)=0.
830  SKZ(I)=0.
      IK = 5
      GO TO 98
900  IK = 1
      DO 905 I=1, NOBP
      DSQ=DX(I)**2+DY(I)**2+DZ(I)**2
      CP(I)=1.-DSQ/USQ
905  CONTINUE
      WRITE(6,61) ITC
61   FORMAT(6H0 STEP, I4/)
      WRITE(6,62)
62   FORMAT(3X, 4HLINE, 5X, 1HX, 11X, 1HY, 11X, 1HZ, 20X, 2HUX, 10X, 2HUY,
1     10X, 2HUZ, 10X, 2HCF)
      WRITE(6,63) (I, XP(I), YP(I), ZP(I), DX(I), DY(I), DZ(I), CP(I), I=1, NOBP)
      WRITE(16) (XP(I), YP(I), ZP(I), I=1, NOBP)
      IF(ITC.EQ.NST) GO TO 910
      ITC=ITC+1
      GO TO 599

```

```

910 IF(IEND.EQ.0 ) GO TO 83
REWIND 03
REWIND 04
ENDFILE 16
REWIND 16
STOP 6
END
FUNCTION SQ2F(X1,X2,Y1,Y2,Z1,Z2)
X=X1-X2
Y=Y1-Y2
Z=Z1-Z2
RS=Z**2+Y**2+X**2
R=ABS(X)+ABS(Y)+ABS(Z)+ 1.0E-20
R=.3422*(R+(RS+RS)/R)
R= R+RS/R
SQ2F= .25*R+RS/R
RETURN
END

```

# APPENDIX VII - XYZPF SECTION PF7

PROGRAM PFP7(TAPE7, INPUT=128, OUTPUT=128, TAPE5=INPUT, TAPE17,  
1TAPE6=OUTPUT, TAPE03, TAPE04, TAPE3=TAPE03, TAPE4=TAPE04)

C  
C  
C  
C  
C

XYZ POTENTIAL FLOW PROGRAM VERSION 4 AND VERSION 5 SECTION 7  
COMPUTES VELOCITIES AND PRESSURE COEFFICIENTS FOR  
ON BODY STREAMLINES

```

COMMON X(658),Y(658),Z(658),XN(650),YN(650)
1,ZN(650),UX1(650),UY1(650),UZ1(650),UX2(650),UY2(650)
2,UZ2(650),UX3(650),UY3(650),UZ3(650),XC1(658),YC1(658)
3,XC2(658),YC2(658),XC3(658),XC4(658),YC4(658),
4,X3(658),Y3(658),Z3(658),X4(658),Y4(658),Z4(658)
5,DIMENSION XL(150),YL(150),ZL(150),UX(150),UY(150),UZ(150),
6,ICP(150),GK1(150),GK2(150),H2(150),STML(150),UABS(150),NQUAD(150)
7,DMX(650),PROB(15),YC3(658),SF(5),XCR(5),YCR(5),
8,7NSP(50),WS(220),XST(50),YST(50),ZST(50)
9,EQUIVALENCE (WS(201),NP),(YC3,YC2)
10,READ(03)(PROB(I),I=1,15)
11,READ(03)(WS(I),I=1,220)
12,READ(03)(X(I),Y(I),Z(I),XN(I),YN(I),ZN(I),
13,1SKIP,I=1,NP)
14,READ(03)SKIP
15,IUER=WS(220)
16,WRITE(6,5) IUER
17,5 FORMAT(46HXYZ POTENTIAL FLOW PROGRAM SECTION 7, VERSION ,12)
18,IF (IUER.EQ.5) READ(03) SKIP
19,READ(03)SKIP
20,READ(03)SKIP
21,READ(03)SKIP
22,READ(03)(UX1(I),UY1(I),UZ1(I),I=1,NP)
23,READ(03)(UX2(I),UY2(I),UZ2(I),I=1,NP)
24,READ(03)(UX3(I),UY3(I),UZ3(I),I=1,NP)
25,REWIND 03
26,NB=(NP+11)/12
27,DO 80 I=1,NB
28,IFN=I*12
29,IS=IFN-11
30,READ(04) 0,(XC1(J),YC1(J),XC2(J),
31,1YC2(J),XC3(J),XC4(J),YC4(J),X3(J),Y3(J),
32,2Z3(J),X4(J),Y4(J),Z4(J),(SKIP,K=1,7),J=IS,IFN)
33,NQ=0
34,IF(NQ.NE.IS) GO TO 450
35,80 CONTINUE
36,REWIND 04
37,DO 90 I=1,NP
38,D1=(XC1(I)**2+YC1(I)**2)*1.01
39,D2=(XC2(I)**2+YC2(I)**2)*1.01
40,D3=(XC3(I)**2+YC3(I)**2)*1.01
41,D4=(XC4(I)**2+YC4(I)**2)*1.01
42,90 DMX(I)=AMAX1(D1,D2,D3,D4)
43,11 FORMAT(3F12.4,3I4,F12.4)
44,12 FORMAT(3F12.4,14)
45,MID=75
46,100 READ(5,11) UX1,UY1,UZ1,NLIN,MAXJ,INWRITE,AMACH
47,IF (EOF(5).NE.0.) NLIN=0
48,MAXJ=MAXJ
49,IF (MAXJ.LE.0 .OR. MAXJ.GT.NP/2) MAXJ = NP/2
50,MINJ=MID-MAXJ
51,MAXJ=MID+MAXJ
52,IF (MAXJ.GT.MID*2) MAXJ=MID*2

```

```

      IF (MINJ .LT. 1) MINJ = 1
      WRITE(7) NLIN
      WRITE(17) NLIN,UXI,UYI,UZI
      IF(NLIN.LE.0) GO TO 550
      WRITE(6,30) (PROB(I),I=1,15)
      WRITE(6,34) UXI,UYI,UZI,NLIN,MXJ,IWRITE,AMACH
34  FORMAT(34H00N BODY STREAMLINES - INPUT DATA /6H UXI =,F10.5/
      16H UYI =,F10.5/6H UZI =,F10.5/6H NLIN=,I10/
      2 6H JMAX=,I10,/,8H IWRITE=,I10,/,9H MACH NO=,F10.5)
      WRITE(6,38)
38  FORMAT(27H08STREAMLINE STARTING POINTS/5H LINE,11X,1HX,12X,1HY,
      1 12X,1HZ,10X,3HNSP)
      LIN=NLIN
      DO 45 I=1,LIN
      READ(5,12) XST(I),YST(I),ZST(I),NSP(I)
      IF (EOF(5).EQ.0.) GO TO 45
      NLIN=I-1
      WRITE(6,42) NLIN,LIN
42  FORMAT(1H0,15,28H STREAMLINES SPECIFIED NOT ,13)
      IF(NLIN.LE.0) GO TO 550
      GO TO 48
45  WRITE(6,46) I,XST(I),YST(I),ZST(I),NSP(I)
46  FORMAT(1X,13,2X,3F13.5,19)
48  CONTINUE
      USD=UXI**2+UYI**2+UZI**2
      IF (AMACH .EQ. 0.) GO TO 1130
C *** COMPUTE CRITICAL MACH NO.
      USD = 0
      DO 1100 I=1,NP
      US = (UXI*UX1(I)+UYI*UY2(I)+UZI*UY3(I))**2 +
      1 (UXI*UY1(I)+UYI*UY2(I)+UZI*UY3(I))**2 +
      2 (UXI*UZ1(I)+UYI*UZ2(I)+UZI*UZ3(I))**2
      IF (US .GT. USD) USD = US
1100 CONTINUE
      U = SQRT(USD/USD)
      CMNA = 1./U
      DO 1110 I=1,3
      CMNE = (((CMNA**2+5.)/6.))**1.75/U
      CMNC = (((CMNE**2+5.)/6.))**1.75/U
1110 CMNA = (CMNA*CMNC-CMNE**2)/(CMNA+CMNC-2.*CMNE)
      WRITE(5,1120) CMNA
1120 FORMAT(21H CRITICAL MACH NO. =,F5.3)
1130 CONTINUE
C  START LOOP OVER STREAMLINES
      DO 400 LL=1,NLIN
      DIAT=1.
101  JI=1
      AF=1.
      U(MID)=0.
      VY(MID)=0.
      UZ(MID)=0.
      CP(MID)=0.
      H2(MID)=1.
      GK1(MID)=0.
      GK2(MID)=0.
      STML(MID)=0
102  NQ=NSP(LL)
      LND=NQ
      XL(MID)=XST(LL)
      VL(MID)=YST(LL)
      ZL(MID)=ZST(LL)
      J=MID

```

```

      JL=J
C     SEPARATE CALCULATION OF SECOND
C     POINT FROM MAIN LOOP
      XLT=(XL(J)-X(NQ))*X3(NQ)+(VL(J)-V(NQ))*Y3(NQ)
      1      + (ZL(J)-Z(NQ))*Z3(NQ)
      YLT=(XL(J)-X(NQ))*X4(NQ)+(VL(J)-V(NQ))*Y4(NQ)
      1      + (ZL(J)-Z(NQ))*Z4(NQ)
      XL(J)=XLT*X3(NQ)+YLT*X4(NQ)+X(NQ)
      VL(J)=XLT*Y3(NQ)+YLT*Y4(NQ)+V(NQ)
      ZL(J)=XLT*Z3(NQ)+YLT*Z4(NQ)+Z(NQ)
105  IQT=M33(NQ,4) + 1
      GO TO (630,600,610,620) IQT
600  NR=NQ+1
      NU=NQ+2
      GO TO 107
610  NR=NQ+2
      NU=NQ-1
      GO TO 107
620  NR=NQ-2
      NU=NQ+1
      GO TO 107
630  NR=NQ-1
      NU=NQ-2
107  UXQ=-(UX1*UX1(NQ)+UY1*UY2(NQ)+UZ1*UX3(NQ))
      UYQ=-(UX1*UY1(NQ)+UY1*UY2(NQ)+UZ1*UY3(NQ))
      UZQ=-(UX1*UZ1(NQ)+UY1*UZ2(NQ)+UZ1*UZ3(NQ))
      UXR=-(UX1*UX1(NR)+UY1*UX2(NR)+UZ1*UX3(NR))
      UVR=-(UX1*UY1(NR)+UY1*UY2(NR)+UZ1*UY3(NR))
      UZR=-(UX1*UZ1(NR)+UY1*UZ2(NR)+UZ1*UZ3(NR))
      UXU=-(UX1*UX1(NU)+UY1*UX2(NU)+UZ1*UX3(NU))
      UYU=-(UX1*UY1(NU)+UY1*UY2(NU)+UZ1*UY3(NU))
      UZU=-(UX1*UZ1(NU)+UY1*UZ2(NU)+UZ1*UZ3(NU))
C     TRANSFORM VELOCITIES TO QUAD SYSTEM
      UQ=UXQ*X3(NQ)+UYQ*Y3(NQ)+UZQ*Z3(NQ)
      VQ=UXQ*X4(NQ)+UYQ*Y4(NQ)+UZQ*Z4(NQ)
      CSR=1./((XN(NQ)*XN(NR)+YN(NQ)*YN(NR)+ZN(NQ)*ZN(NR))
      UT=UXR*X3(NR)+UVR*Y3(NR)+UZR*Z3(NR)
      UT=(UXR*X4(NR)+UVR*Y4(NR)+UZR*Z4(NR))*CSR
      XXR= (X3(NR)*X3(NQ)+Y3(NR)*Y3(NQ)+Z3(NR)*Z3(NQ))
      XVR= (X4(NR)*X3(NQ)+Y4(NR)*Y3(NQ)+Z4(NR)*Z3(NQ))
      UR=UT*XXR+UT*XVR
      YXR= (X3(NR)*X4(NQ)+Y3(NR)*Y4(NQ)+Z3(NR)*Z4(NQ))
      YVR= (X4(NR)*X4(NQ)+Y4(NR)*Y4(NQ)+Z4(NR)*Z4(NQ))
      UR=UT*YXR+UT*YVR
      UU=UXU*X3(NQ)+UYU*Y3(NQ)+UZU*Z3(NQ)
      CSU= (XN(NQ)*XN(NU)+YN(NQ)*YN(NU)+ZN(NQ)*ZN(NU))
      QU=UXU*X4(NQ)+UYU*Y4(NQ)+UZU*Z4(NQ)/CSU
C     FIND RELATIVE COORDINATES OF NEIGHBORING QUADS
      XD=X(NR)-X(NQ)
      YD=Y(NR)-Y(NQ)
      ZD=Z(NR)-Z(NQ)
      XT=XD*X3(NR)+YD*Y3(NR)+ZD*Z3(NR)
      YTT=XD*X4(NR)+YD*Y4(NR)+ZD*Z4(NR)
      ZT=XD*XN(NR)+YD*YN(NR)+ZD*ZN(NR)
      YT=(-4*SQRT(YTT**2+ZT**2)+YTT*CSR+YTT)*CSR+.16666667
      XR=XT*XXR+YT*XVR
      YR=XT*YXR+YT*YVR
      XD=X(NU)-X(NQ)
      YD=Y(NU)-Y(NQ)
      ZD=Z(NU)-Z(NQ)
      YU=XD*X3(NQ)+YD*Y3(NQ)+ZD*Z3(NQ)
      YT=XD*X4(NQ)+YD*Y4(NQ)+ZD*Z4(NQ)

```

```

      ZT=XD*ZN(NQ)+YD*YN(NQ)+ZD*ZN(NQ)
      YU=(4.*SQRT(YT**2+ZT**2)+YT/CSU+YT)*.16666667
C     FIND COEFFICIENTS OF VELOCITY FUNCTIONS
      DEN=1./((XR*YU-XU*YR)*DEN
      U1=((UR-UQ)*YU-(UU-UQ)*YR)*DEN
      U2=-((UR-UQ)*XU-(UU-UQ)*XR)*DEN
      V1=((UR-UQ)*YU-(UU-UQ)*YR)*DEN
      V2=-((UR-UQ)*XU-(UU-UQ)*XR)*DEN
C     FIND VELOCITY AT STREAMLINE POINT
      USL=UQ+U1*XLT+U2*YLT
      USL=UQ+U1*XLT+U2*YLT
      UXP=USL*X3(NQ)+USL*X4(NQ)
      UYP=USL*Y3(NQ)+USL*Y4(NQ)
      UZF=USL*Z3(NQ)+USL*Z4(NQ)
C     FIND GEODESIC CURVATURES GK1, GK2
      USQ=USL**2+USL**2
      DEN=USQ*SQRT(USQ)
      GK1P=(USL*(USL*U2-USL*U2)-USL*(USL*U1-USL*U1))/DEN
      GK2P=(USL*(USL*U1+USL*U2)-USL*(USL*U1+USL*U2))/DEN
C     FIND LOCAL STREAM FUNCTION
      CXV=(U1*U2**2+U2*U2**2)/USQ
      CVV=U2-UQ*(U1+U2)/USQ
      CXX=U2-CVV-U1
      CG=XLT*UQ-VLT*UQ-CXV*XLT*YLT-CVV*YLT**2-CXX*XLT**2
C     FIND STREAM FUNCTION AT CORNER POINTS
      XCR(1)=XC1(NQ)
      XCR(2)=XC2(NQ)
      XCR(3)=XC3(NQ)
      XCR(4)=XC4(NQ)
      XCR(5)=XCR(1)
      YCR(1)=YC1(NQ)
      YCR(2)=YC2(NQ)
      YCR(3)=YC3(NQ)
      YCR(4)=YC4(NQ)
      YCR(5)=YCR(1)
      DO 110 N=1,4
110  SF(N)=CG-UQ*XCR(N)+UQ*YCR(N)+CXV*XCR(N)*YCR(N)+CVV*YCR(N)**2
      +CXX*XCR(N)**2
      SF(5)=SF(1)
      TEST=0
      DO 120 N=1,4
      IF (SF(N)*SF(N+1) .GE. 0.) GO TO 120
      XM=(XCR(N)+XCR(N+1))*5
      VM=(YCR(N)+YCR(N+1))*5
C     FIND INTERSECTION WITH SIDE OF QUAD.
      SFM=CG-UQ*XM+UQ*VM+CXV*XM*VM+CVV*VM**2+CXX*XM**2
      AC=2.*(SF(N)-2.*SFM+SF(N+1))
      BC=2.*SF(N)-4.*SFM+SF(N+1)
      IF (AC .EQ. 0) GO TO 113
      SR=SQRT(BC**2-4.*AC*SF(N))
      TP=(BC+SR)/(2.*AC)
      IF (TP .LE. 1) AND (TP .GE. 0) GO TO 115
      TP=(BC-SR)/(2.*AC)
      GO TO 115
113  IF (BC .EQ. 0) GO TO 120
      TP=SF(N)/BC
115  XNP=(1.-TP)*XCR(N)+TP*XCR(N+1)
      YNP=(1.-TP)*YCR(N)+TP*YCR(N+1)
      TESTP=((XNP-XLT)*UQ+(YNP-VLT)*UQ)*DIRT
      IF (TESTP .LE. TEST) GO TO 120
      TEST=TESTP
      XNT=XNP

```

```

      VNT=VNP
120  CONTINUE
      IF( TEST .EQ. 0 ) GO TO 280
C    AVERAGE LAST VELOCITY AND CURVATURE
      UX(J)=(UX(J)+UXP)*AF
      UY(J)=(UY(J)+UYP)*AF
      UZ(J)=(UZ(J)+UZP)*AF
      GK1(J)=(GK1(J)+GK1P)*AF
      GK2(J)=(GK2(J)+GK2P)*AF
      H2(J)=H2(JL)*(2.-GK1(JL))*(STML(J)-STML(JL))/(2.+GK1(J))*(
1      STML(J)-STML(JL))
      CP(J)=1.-(UX(J)**2+UY(J)**2+UZ(J)**2)/USQ
      UABS(J)=SQRT(1.-CP(J))
C    COMPUTE VELOCITY AT NEXT POINT
      NQUAD(J)=NQ
      JL=J
      J=J+1
      USL=UQ+XNT*U1+VNT*U2
      USL=UQ+XNT*U1+VNT*U2
      UX(J)=USL*X3(NQ)+USL*X4(NQ)
      UY(J)=USL*Y3(NQ)+USL*Y4(NQ)
      UZ(J)=USL*Z3(NQ)+USL*Z4(NQ)
C    COMPUTE GEODESIC CURVATURES
      USQD=USL**2+USL**2
      DEN=USQD*SQRT(USQD)
      GK1(J)=(USL*(USL*U2-USL*U2)-USL*(USL*U1-USL*U1))/DEN
      GK2(J)=(USL*(USL*U1+USL*U2)-USL*(USL*U1+USL*U2))/DEN
      CORD=SQRT((XNT-XLT)**2+(VNT-VLT)**2)*Q1RT
      STML(J)=STML(JL)+CORD
C    COMPUTE H2
      H2(J)=H2(JL)*(2.-CORD*GK1(JL))/(2.+CORD*GK1(J))
      CP(J)=1.-USQD/USQ
      UABS(J)=SQRT(1.-CP(J))
      AF=.5
      LNO=NQ
      XL(J)=XNT*X3(NQ)+VNT*X4(NQ)+X(NQ)
      VL(J)=XNT*Y3(NQ)+VNT*Y4(NQ)+Y(NQ)
      ZL(J)=XNT*Z3(NQ)+VNT*Z4(NQ)+Z(NQ)
      IF ( J .LE. MINJ .OR. J .GE. MAXJ ) GO TO 280
C    FIND NEXT QUAD.
      I=1
250  NQ=I
      IF( I .EQ. LNO ) GO TO 280
      TEST=(XL(J)-X(I))**2+(VL(J)-V(I))**2+
1      (ZL(J)-Z(I))**2-DMY(I)
      IF( TEST .GT. 0 ) GO TO 280
      DS1=(XC1(I)-XC2(I))**2+(YC1(I)-YC2(I))**2
      DS2=(XC2(I)-XC3(I))**2+(YC2(I)-YC3(I))**2
      DS3=(XC3(I)-XC4(I))**2+(YC3(I)-YC4(I))**2
      DS4=(XC4(I)-XC1(I))**2+(YC4(I)-YC1(I))**2
      XLT=(XL(J)-X(I))*X3(I)+(VL(J)-V(I))*Y3(I)+
1      (ZL(J)-Z(I))*Z3(I)
      VLT=(XL(J)-X(I))*Y4(I)+(VL(J)-V(I))*Y4(I)+
1      (ZL(J)-Z(I))*Z4(I)
      ZLT=(XL(J)-X(I))*XNC(I)+(VL(J)-V(I))*YNC(I)+
1      (ZL(J)-Z(I))*ZNC(I)
      ZSQ=ZLT**2
      TEST=ZSQ-.1*DMY(I)
      IF( TEST .GT. 0 ) GO TO 280
      RC1=SQRT(ZSQ+(XLT-XC1(I))**2+(VLT-YC1(I))
1      **2)
      RC2=SQRT(ZSQ+(XLT-XC2(I))**2+(VLT-YC2(I))**2)

```



```

RC3=SQRT(ZSQ+(XLT-XC3(I))**2+(YLT-YC3(I))**2)
RC4=SQRT(ZSQ+(XLT-XC4(I))**2+(YLT-YC4(I))**2)
TEST= ((RC1+RC2)**2)-DS1 *1.21
IF(TEST.LT.0.) GO TO 105
TEST= ((RC2+RC3)**2)-DS2 *1.21
IF(TEST.LT.0.) GO TO 105
TEST= ((RC3+RC4)**2)-DS3 *1.21
IF(TEST.LT.0.) GO TO 105
TEST= ((RC4+RC1)**2)-DS4 *1.21
IF(TEST.LT.0.) GO TO 105
280 I=I+1
IF(I.LE.NP) GO TO 250
282 IF (DIAT.LT. 0.) GO TO 285
DIAT=-1.
JI=-1
JMAX=J
GO TO 102
285 JMIN=J
SS=STML(JMIN)
DO 290 J=JMIN,JMAX
290 STML(J)=STML(J)-SS
JMN=JMIN+1
JMX=JMAX-2
AF=1.
L=JMN
WRITE(6,30)(PROB(I),I=1,15)
30 FORMAT(1H1,15A4)
WRITE(6,20)UX1,UY1,UZ1
20 FORMAT(18H0 ONSET FLOW, UX1=,F6.3,2X,4HUY1=,F6.3,2X,4HUZ1=,F6.3)
WRITE(6,50) LL,NSP(LL),XST(LL),YST(LL),ZST(LL)
50 FORMAT(11H0 LINE NO. ,12,31H PASSING THROUGH QUADRILATERAL ,13,
1 28H WITH STARTING POINT, X=,F12.5,2X,2HY=,F12.5,2X,
2 2HZ=,F12.5 //)
IF (JMIN.LE.MINJ .OR. JMAX.GE.MAXJ) WRITE(6,65)
65 FORMAT(35H PROBABLE ERROR - LINE IS VERY LONG)
DO 330 J=JMN,JMX
IF ( (STML(J+2)-STML(L-1)).LT. 8.*(STML(J+1)-STML(L))) GO TO 320
WRITE(6,310) XL(L),YL(L),ZL(L),XL(J+1),YL(J+1),ZL(J+1)
310 FORMAT(14H POINT DELETED ,10X,3F12.5,10X,3F12.5)
STML(L)=(AF*STML(L)+STML(J+1))/(AF+1.)
XL(L)=(AF*XL(L)+XL(J+1))/(AF+1.)
YL(L)=(AF*YL(L)+YL(J+1))/(AF+1.)
ZL(L)=(AF*ZL(L)+ZL(J+1))/(AF+1.)
UX(L)=(AF*UX(L)+UX(J+1))/(AF+1.)
UY(L)=(AF*UY(L)+UY(J+1))/(AF+1.)
UZ(L)=(AF*UZ(L)+UZ(J+1))/(AF+1.)
GK1(L)=(AF*GK1(L)+GK1(J+1))/(AF+1.)
GK2(L)=(AF*GK2(L)+GK2(J+1))/(AF+1.)
H2(L)=(AF*H2(L)+H2(J+1))/(AF+1.)
CP(L)=1.-(UX(L)**2+UY(L)**2+UZ(L)**2)/USQ
UABS(L)=SQRT(1.-CP(L))
AF=AF+1.
GO TO 330
320 AF=1.
L=L+1
K=J+1
STML(L)=STML(K)
XL(L)=XL(K)
YL(L)=YL(K)
ZL(L)=ZL(K)
UX(L)=UX(K)
UY(L)=UY(K)

```

```

      UZ(L)=UZ(K)
      GK1(L)=GK1(K)
      GK2(L)=GK2(K)
      H2(L)=H2(K)
      CP(L)=CP(K)
      UABS(L)=UABS(K)
      NQUAD(L)=NQUAD(K)
330  CONTINUE
      L=L+1
      STML(L)=STML(JMAX)
      XL(L)=XL(JMAX)
      YL(L)=YL(JMAX)
      ZL(L)=ZL(JMAX)
      UX(L)=UX(JMAX)
      UY(L)=UY(JMAX)
      UZ(L)=UZ(JMAX)
      GK1(L)=GK1(JMAX)
      GK2(L)=GK2(JMAX)
      H2(L)=H2(JMAX)
      CP(L)=CP(JMAX)
      UABS(L)=UABS(JMAX)
      JMAX=L
      NQUAD(JMAX)=NQUAD(JMAX-1)
      NQUAD(JMIN)=NQUAD(JMIN+1)
      WRITE(6,51)
51  FORMAT(4H0 1,6X,1HX,9X,1HY,
19X,1HZ,09X,2HUX,8X,2HUY,8X,2HUZ,09X,
22HCP, 8X,2HG1, 8X,2HG2, 8X,2HHZ,8X,2HSL,8X,1HV,9X,1HP)
      IF (AMACH.EQ. 0.) GOTO 1160
C *** COMPUTE COMPRESSIBILITY CORRECTION
      DO 1150 J=JMIN,JMAX
      USD = (UX(J)**2+UY(J)**2+UZ(J)**2)/USQ
      USDA = USD
      SM = AMACH**2
      DO 1140 I=1,3
      R = (1.+2*SM*(1.-USDA))
      IF (R.LT. .000001) R = .000001
      USDB = USD/R**2.5
      R = (1.+2*SM*(1.-USDB))
      IF (R.LT. .000001) R = .000001
      USDC = USD/R**2.5
1140  USDA = (USDC*USDA-USDB**2)/(USDC+USDA-2.*USDB)
      R = (1.+2*SM*(1.-USDA))
      IF (R.LT. .000001) R = .000001
      R = R**1.25
      UX(J) = UX(J)/R
      UY(J) = UY(J)/R
      UZ(J) = UZ(J)/R
      UABS(J) = SQRT(USDA)
1150  CP(J) = (R**2.8-1.)/(1.7*SM)
1150  CONTINUE
      K=0
      DO 53 I=JMIN,JMAX
      K=K+1
53  WRITE(6,60) K,XL(I),YL(I),ZL(I),UX(I),UY(I),UZ(I),CP(I),
1      GK1(I),GK2(I),H2(I),STML(I),UABS(I),NQUAD(I)
60  FORMAT(1X,13,3F10.5,1X,3F10.5,1X,6F10.5,16)
8  FORMAT(3F12.5)
      WRITE(17) K, (XL(I),YL(I),ZL(I),NQUAD(I), I=JMIN,JMAX )
C      IWRITE .LE. 0      --      WRITE SL,U,H2,K2
C      IWRITE .GE. 2      --      WRITE X,Y,Z,CP
C      IWRITE .EQ. 1      --      WRITE SL,U,H2,K2 AND X,Y,Z,CP

```

```

      IF (IWRITE.GT.1) GO TO 340
      WRITE(7) K, (STML(I),UABS(I),H2(I),GK2(I),I=JMIN,JMAX)
340  IF (IWRITE.LT.1) GO TO 400
      WRITE(7) K, (XL(I),YL(I),ZL(I),CP(I), I=JMIN,JMAX)
      GO TO 400
300  WRITE(6,50) NSP(LL)
      WRITE(6,65)
      GO TO 282
400  CONTINUE
      GO TO 100
C      READ NEXT SET OF STREAMLINES
450  WRITE(6,451)IS,NQ
451  FORMAT(14H TAPE 04 ERROR,214)
550  ENDFILE 7
      REWIND 7
      ENDFILE 17
      REWIND 17
      REWIND 04
      STOP 7
      END

```

# APPENDIX VIII - TRIAXIAL ELLIPSOID INPUT FILE

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

280	5	150	150	150	3	.00001	0	0	0	0	0	0	0	0	0	.000	.000	.0
	1.00000		.00000		.00000		.00000	1	1	1	0		.00000					
	.97861		.00000		.10286		.10286	1	2	1	0		.00000					
	.90789		.00000		.20960		.20960	1	3	1	0		.00000					
	.82360		.00000		.28359		.28359	1	4	1	0		.00000					
	.71583		.00000		.34914		.34914	1	5	1	0		.00000					
	.62478		.00000		.39040		.39040	1	6	1	0		.00000					
	.52537		.00000		.42544		.42544	1	7	1	0		.00000					
	.44721		.00000		.44721		.44721	1	8	1	0		.00000					
	.37530		.00000		.46345		.46345	1	9	1	0		.00000					
	.29822		.00000		.47725		.47725	1	10	1	0		.00000					
	.23692		.00000		.48576		.48576	1	11	1	0		.00000					
	.16967		.00000		.49275		.49275	1	12	1	0		.00000					
	.11467		.00000		.49670		.49670	1	13	1	0		.00000					
	.05248		.00000		.49931		.49931	1	14	1	0		.00000					
	.00000		.00000		.50000		.50000	1	15	1	0		.00000					
	.99875		.10000		.00000		.00000	2	1	1	0		.00000					
	.97739		.10000		.10273		.10273	2	2	1	0		.00000					
	.90676		.10000		.20934		.20934	2	3	1	0		.00000					
	.82257		.10000		.28323		.28323	2	4	1	0		.00000					
	.71494		.10000		.34870		.34870	2	5	1	0		.00000					
	.62399		.10000		.38991		.38991	2	6	1	0		.00000					
	.52471		.10000		.42490		.42490	2	7	1	0		.00000					
	.44565		.10000		.44665		.44665	2	8	1	0		.00000					
	.37483		.10000		.46287		.46287	2	9	1	0		.00000					
	.29785		.10000		.47665		.47665	2	10	1	0		.00000					
	.23663		.10000		.48516		.48516	2	11	1	0		.00000					
	.16946		.10000		.49213		.49213	2	12	1	0		.00000					
	.11453		.10000		.49608		.49608	2	13	1	0		.00000					
	.05241		.10000		.49859		.49859	2	14	1	0		.00000					
	.00000		.10000		.49937		.49937	2	15	1	0		.00000					
	.99499		.20000		.00000		.00000	3	1	1	0		.00000					
	.97371		.20000		.10234		.10234	3	2	1	0		.00000					
	.90334		.20000		.20855		.20855	3	3	1	0		.00000					
	.81947		.20000		.28217		.28217	3	4	1	0		.00000					
	.71225		.20000		.34739		.34739	3	5	1	0		.00000					
	.62164		.20000		.38845		.38845	3	6	1	0		.00000					
	.52274		.20000		.42330		.42330	3	7	1	0		.00000					
	.44497		.20000		.44497		.44497	3	8	1	0		.00000					
	.37342		.20000		.45113		.45113	3	9	1	0		.00000					
	.29672		.20000		.47486		.47486	3	10	1	0		.00000					
	.23574		.20000		.48333		.48333	3	11	1	0		.00000					
	.16952		.20000		.49028		.49028	3	12	1	0		.00000					
	.11410		.20000		.49421		.49421	3	13	1	0		.00000					
	.05222		.20000		.49581		.49581	3	14	1	0		.00000					
	.00000		.20000		.49749		.49749	3	15	1	0		.00000					
	.98869		.30000		.00000		.00000	4	1	1	0		.00000					
	.96754		.30000		.10169		.10169	4	2	1	0		.00000					
	.89762		.30000		.20723		.20723	4	3	1	0		.00000					
	.81428		.30000		.28038		.28038	4	4	1	0		.00000					
	.70774		.30000		.34519		.34519	4	5	1	0		.00000					
	.61771		.30000		.38599		.38599	4	6	1	0		.00000					
	.51943		.30000		.42052		.42052	4	7	1	0		.00000					
	.44215		.30000		.44215		.44215	4	8	1	0		.00000					
	.37105		.30000		.45821		.45821	4	9	1	0		.00000					
	.29484		.30000		.47185		.47185	4	10	1	0		.00000					
	.23424		.30000		.48027		.48027	4	11	1	0		.00000					
	.16775		.30000		.48718		.48718	4	12	1	0		.00000					

.11338	.30000	.49108	4	13	1	0	.00000
.05189	.30000	.49366	4	14	1	0	.00000
.00000	.30000	.49434	4	15	1	0	.00000
.97980	.40000	.00000	5	1	1	0	.00000
.95884	.40000	.10078	5	2	1	0	.00000
.88955	.40000	.20537	5	3	1	0	.00000
.80696	.40000	.27786	5	4	1	0	.00000
.70137	.40000	.34208	5	5	1	0	.00000
.61215	.40000	.38251	5	6	1	0	.00000
.51476	.40000	.41684	5	7	1	0	.00000
.43818	.40000	.43818	5	8	1	0	.00000
.36771	.40000	.45409	5	9	1	0	.00000
.29219	.40000	.46761	5	10	1	0	.00000
.23214	.40000	.47595	5	11	1	0	.00000
.16624	.40000	.48280	5	12	1	0	.00000
.11236	.40000	.48667	5	13	1	0	.00000
.05142	.40000	.48922	5	14	1	0	.00000
.00000	.40000	.48990	5	15	1	0	.00000
.97980	.40000	.00000	6	1	2	0	.00000
.95884	.40000	.10078	6	2	2	0	.00000
.88955	.40000	.20537	6	3	2	0	.00000
.80696	.40000	.27786	6	4	2	0	.00000
.70137	.40000	.34208	6	5	2	0	.00000
.61215	.40000	.38251	6	6	2	0	.00000
.51476	.40000	.41684	6	7	2	0	.00000
.43818	.40000	.43818	6	8	2	0	.00000
.36771	.40000	.45409	6	9	2	0	.00000
.29219	.40000	.46761	6	10	2	0	.00000
.23214	.40000	.47595	6	11	2	0	.00000
.16624	.40000	.48280	6	12	2	0	.00000
.11236	.40000	.48667	6	13	2	0	.00000
.05142	.40000	.48922	6	14	2	0	.00000
.00000	.40000	.48990	6	15	2	0	.00000
.95825	.50000	.00000	7	1	2	0	.00000
.94754	.50000	.09959	7	2	2	0	.00000
.87906	.50000	.20295	7	3	2	0	.00000
.79745	.50000	.27458	7	4	2	0	.00000
.69310	.50000	.33805	7	5	2	0	.00000
.60434	.50000	.37801	7	6	2	0	.00000
.50869	.50000	.41193	7	7	2	0	.00000
.43301	.50000	.43301	7	8	2	0	.00000
.36338	.50000	.44874	7	9	2	0	.00000
.28875	.50000	.46209	7	10	2	0	.00000
.22940	.50000	.47034	7	11	2	0	.00000
.16428	.50000	.47710	7	12	2	0	.00000
.11103	.50000	.48093	7	13	2	0	.00000
.05081	.50000	.48346	7	14	2	0	.00000
.00000	.50000	.48412	7	15	2	0	.00000
.95334	.60000	.00000	8	1	2	0	.00000
.93354	.60000	.09212	8	2	2	0	.00000
.85507	.60000	.19995	8	3	2	0	.00000
.78566	.60000	.27052	8	4	2	0	.00000
.68286	.60000	.33305	8	5	2	0	.00000
.59500	.60000	.37242	8	6	2	0	.00000
.50117	.60000	.40564	8	7	2	0	.00000
.42652	.60000	.42651	8	8	2	0	.00000
.35801	.60000	.44111	8	9	2	0	.00000
.28448	.60000	.45527	8	10	2	0	.00000
.22601	.60000	.46339	8	11	2	0	.00000
.16185	.60000	.47005	8	12	2	0	.00000
.10939	.60000	.47382	8	13	2	0	.00000

.05006	.60000	.47531	8	14	2	0	.00000
.00000	.60000	.47697	8	15	2	0	.00000
.93675	.70000	.00000	9	1	2	0	.00000
.91671	.70000	.09635	9	2	2	0	.00000
.85047	.70000	.19635	9	3	2	0	.00000
.77150	.70000	.26565	9	4	2	0	.00000
.67056	.70000	.32705	9	5	2	0	.00000
.58526	.70000	.36571	9	6	2	0	.00000
.49214	.70000	.39853	9	7	2	0	.00000
.41893	.70000	.41893	9	8	2	0	.00000
.35156	.70000	.43414	9	9	2	0	.00000
.27936	.70000	.44706	9	10	2	0	.00000
.22194	.70000	.45504	9	11	2	0	.00000
.15894	.70000	.45158	9	12	2	0	.00000
.10742	.70000	.46529	9	13	2	0	.00000
.04916	.70000	.46773	9	14	2	0	.00000
.00000	.70000	.46837	9	15	2	0	.00000
.91652	.80000	.00000	10	1	2	0	.00000
.89691	.80000	.09427	10	2	2	0	.00000
.83210	.80000	.19210	10	3	2	0	.00000
.75484	.80000	.25991	10	4	2	0	.00000
.65607	.80000	.31999	10	5	2	0	.00000
.57262	.80000	.35781	10	6	2	0	.00000
.48151	.80000	.38992	10	7	2	0	.00000
.40988	.80000	.40988	10	8	2	0	.00000
.34397	.80000	.42476	10	9	2	0	.00000
.27332	.80000	.43741	10	10	2	0	.00000
.21714	.80000	.44521	10	11	2	0	.00000
.15550	.80000	.45161	10	12	2	0	.00000
.10510	.80000	.45523	10	13	2	0	.00000
.04810	.80000	.45763	10	14	2	0	.00000
.00000	.80000	.45826	10	15	2	0	.00000
.91652	.80000	.00000	11	1	3	0	.00000
.89691	.80000	.09427	11	2	3	0	.00000
.83210	.80000	.19210	11	3	3	0	.00000
.75484	.80000	.25991	11	4	3	0	.00000
.65607	.80000	.31999	11	5	3	0	.00000
.57262	.80000	.35781	11	6	3	0	.00000
.48151	.80000	.38992	11	7	3	0	.00000
.40988	.80000	.40988	11	8	3	0	.00000
.34397	.80000	.42476	11	9	3	0	.00000
.27332	.80000	.43741	11	10	3	0	.00000
.21714	.80000	.44521	11	11	3	0	.00000
.15550	.80000	.45161	11	12	3	0	.00000
.10510	.80000	.45523	11	13	3	0	.00000
.04810	.80000	.45763	11	14	3	0	.00000
.00000	.80000	.45826	11	15	3	0	.00000
.89303	.90000	.00000	12	1	3	0	.00000
.87393	.90000	.09185	12	2	3	0	.00000
.81077	.90000	.18718	12	3	3	0	.00000
.73550	.90000	.25325	12	4	3	0	.00000
.63926	.90000	.31179	12	5	3	0	.00000
.55794	.90000	.34854	12	6	3	0	.00000
.46917	.90000	.37993	12	7	3	0	.00000
.39937	.90000	.39937	12	8	3	0	.00000
.33515	.90000	.41368	12	9	3	0	.00000
.26632	.90000	.42620	12	10	3	0	.00000
.21158	.90000	.43380	12	11	3	0	.00000
.15152	.90000	.44004	12	12	3	0	.00000
.10241	.90000	.44357	12	13	3	0	.00000
.04687	.90000	.44590	12	14	3	0	.00000

.00000	.90000	.44651	12	15	3	0	.00000
.86603	1.00000	.00000	13	1	3	0	.00000
.84750	1.00000	.08908	13	2	3	0	.00000
.78626	1.00000	.18152	13	3	3	0	.00000
.71326	1.00000	.24559	13	4	3	0	.00000
.61993	1.00000	.30236	13	5	3	0	.00000
.54107	1.00000	.33810	13	6	3	0	.00000
.45498	1.00000	.36844	13	7	3	0	.00000
.38730	1.00000	.38730	13	8	3	0	.00000
.32502	1.00000	.40136	13	9	3	0	.00000
.25826	1.00000	.41331	13	10	3	0	.00000
.20518	1.00000	.42068	13	11	3	0	.00000
.14694	1.00000	.42673	13	12	3	0	.00000
.09931	1.00000	.43016	13	13	3	0	.00000
.04545	1.00000	.43242	13	14	3	0	.00000
.00000	1.00000	.43301	13	15	3	0	.00000
.83516	1.10000	.00000	14	1	3	0	.00000
.81730	1.10000	.08590	14	2	3	0	.00000
.75824	1.10000	.17505	14	3	3	0	.00000
.68784	1.10000	.23684	14	4	3	0	.00000
.59784	1.10000	.29159	14	5	3	0	.00000
.52179	1.10000	.32605	14	6	3	0	.00000
.43877	1.10000	.35531	14	7	3	0	.00000
.37350	1.10000	.37350	14	8	3	0	.00000
.31343	1.10000	.38706	14	9	3	0	.00000
.24905	1.10000	.39858	14	10	3	0	.00000
.19787	1.10000	.40569	14	11	3	0	.00000
.14170	1.10000	.41153	14	12	3	0	.00000
.09577	1.10000	.41483	14	13	3	0	.00000
.04383	1.10000	.41701	14	14	3	0	.00000
.00000	1.10000	.41758	14	15	3	0	.00000
.80000	1.20000	.00000	15	1	3	0	.00000
.78289	1.20000	.08228	15	2	3	0	.00000
.72631	1.20000	.16768	15	3	3	0	.00000
.65888	1.20000	.22687	15	4	3	0	.00000
.57267	1.20000	.27931	15	5	3	0	.00000
.49982	1.20000	.31232	15	6	3	0	.00000
.42030	1.20000	.34035	15	7	3	0	.00000
.35777	1.20000	.35777	15	8	3	0	.00000
.30024	1.20000	.37076	15	9	3	0	.00000
.23957	1.20000	.38180	15	10	3	0	.00000
.18954	1.20000	.38861	15	11	3	0	.00000
.13573	1.20000	.39420	15	12	3	0	.00000
.09174	1.20000	.39736	15	13	3	0	.00000
.04198	1.20000	.39945	15	14	3	0	.00000
.00000	1.20000	.40000	15	15	3	0	.00000
.80000	1.20000	.00000	16	1	4	0	.00000
.78289	1.20000	.08228	16	2	4	0	.00000
.72631	1.20000	.16768	16	3	4	0	.00000
.65888	1.20000	.22687	16	4	4	0	.00000
.57267	1.20000	.27931	16	5	4	0	.00000
.49982	1.20000	.31232	16	6	4	0	.00000
.42030	1.20000	.34035	16	7	4	0	.00000
.35777	1.20000	.35777	16	8	4	0	.00000
.30024	1.20000	.37076	16	9	4	0	.00000
.23957	1.20000	.38180	16	10	4	0	.00000
.18954	1.20000	.38861	16	11	4	0	.00000
.13573	1.20000	.39420	16	12	4	0	.00000
.09174	1.20000	.39736	16	13	4	0	.00000
.04198	1.20000	.39945	16	14	4	0	.00000
.00000	1.20000	.40000	16	15	4	0	.00000

.75993	1.30000	.00000	17	1	4	0	.00000
.74368	1.30000	.07816	17	2	4	0	.00000
.68994	1.30000	.15928	17	3	4	0	.00000
.62588	1.30000	.21551	17	4	4	0	.00000
.54399	1.30000	.26532	17	5	4	0	.00000
.47479	1.30000	.29668	17	6	4	0	.00000
.39925	1.30000	.32330	17	7	4	0	.00000
.33985	1.30000	.33985	17	8	4	0	.00000
.28520	1.30000	.35219	17	9	4	0	.00000
.22663	1.30000	.36268	17	10	4	0	.00000
.18005	1.30000	.36915	17	11	4	0	.00000
.12894	1.30000	.37446	17	12	4	0	.00000
.08714	1.30000	.37746	17	13	4	0	.00000
.03988	1.30000	.37944	17	14	4	0	.00000
.00000	1.30000	.37997	17	15	4	0	.00000
.71414	1.40000	.00000	18	1	4	0	.00000
.69887	1.40000	.07345	18	2	4	0	.00000
.64836	1.40000	.14969	18	3	4	0	.00000
.58817	1.40000	.20252	18	4	4	0	.00000
.51121	1.40000	.24933	18	5	4	0	.00000
.44518	1.40000	.27880	18	6	4	0	.00000
.37519	1.40000	.30382	18	7	4	0	.00000
.31937	1.40000	.31937	18	8	4	0	.00000
.26902	1.40000	.33097	18	9	4	0	.00000
.21297	1.40000	.34082	18	10	4	0	.00000
.16920	1.40000	.34690	18	11	4	0	.00000
.12117	1.40000	.35189	18	12	4	0	.00000
.08189	1.40000	.35472	18	13	4	0	.00000
.03748	1.40000	.35558	18	14	4	0	.00000
.00000	1.40000	.35707	18	15	4	0	.00000
.66144	1.50000	.00000	19	1	4	0	.00000
.64729	1.50000	.06803	19	2	4	0	.00000
.60051	1.50000	.13854	19	3	4	0	.00000
.54476	1.50000	.18758	19	4	4	0	.00000
.47348	1.50000	.23093	19	5	4	0	.00000
.41325	1.50000	.25823	19	6	4	0	.00000
.34750	1.50000	.28140	19	7	4	0	.00000
.29580	1.50000	.29580	19	8	4	0	.00000
.24824	1.50000	.30654	19	9	4	0	.00000
.19725	1.50000	.31567	19	10	4	0	.00000
.15671	1.50000	.32130	19	11	4	0	.00000
.11222	1.50000	.32592	19	12	4	0	.00000
.07585	1.50000	.32854	19	13	4	0	.00000
.03471	1.50000	.33026	19	14	4	0	.00000
.00000	1.50000	.33072	19	15	4	0	.00000
.60000	1.60000	.00000	20	1	4	0	.00000
.58717	1.60000	.06171	20	2	4	0	.00000
.54473	1.60000	.12576	20	3	4	0	.00000
.49416	1.60000	.17015	20	4	4	0	.00000
.42950	1.60000	.20948	20	5	4	0	.00000
.37487	1.60000	.23424	20	6	4	0	.00000
.31522	1.60000	.25526	20	7	4	0	.00000
.25833	1.60000	.26833	20	8	4	0	.00000
.22518	1.60000	.27807	20	9	4	0	.00000
.17893	1.60000	.28635	20	10	4	0	.00000
.14215	1.60000	.29145	20	11	4	0	.00000
.10180	1.60000	.29565	20	12	4	0	.00000
.06890	1.60000	.29802	20	13	4	0	.00000
.03143	1.60000	.29959	20	14	4	0	.00000
.00000	1.60000	.30000	20	15	4	0	.00000
.60000	1.60000	.00000	21	1	5	0	.00000



.58717	1.60000	.06171	21	2	5	0	.00000
.54473	1.60000	.12576	21	3	5	0	.00000
.49416	1.60000	.17015	21	4	5	0	.00000
.42950	1.60000	.20948	21	5	5	0	.00000
.37487	1.60000	.23424	21	6	5	0	.00000
.31522	1.60000	.25526	21	7	5	0	.00000
.26833	1.60000	.26833	21	8	5	0	.00000
.22518	1.60000	.27807	21	9	5	0	.00000
.17893	1.60000	.28635	21	10	5	0	.00000
.14215	1.60000	.29146	21	11	5	0	.00000
.10180	1.60000	.29565	21	12	5	0	.00000
.06880	1.60000	.29802	21	13	5	0	.00000
.03149	1.60000	.29959	21	14	5	0	.00000
.00000	1.60000	.30000	21	15	5	0	.00000
.52678	1.70000	.00000	22	1	5	0	.00000
.51552	1.70000	.05418	22	2	5	0	.00000
.47826	1.70000	.11042	22	3	5	0	.00000
.43386	1.70000	.14939	22	4	5	0	.00000
.37709	1.70000	.18392	22	5	5	0	.00000
.32912	1.70000	.20566	22	6	5	0	.00000
.27675	1.70000	.22411	22	7	5	0	.00000
.23558	1.70000	.23558	22	8	5	0	.00000
.19770	1.70000	.24414	22	9	5	0	.00000
.15710	1.70000	.25141	22	10	5	0	.00000
.12481	1.70000	.25589	22	11	5	0	.00000
.08938	1.70000	.25957	22	12	5	0	.00000
.05041	1.70000	.26165	22	13	5	0	.00000
.02765	1.70000	.26303	22	14	5	0	.00000
.00000	1.70000	.26339	22	15	5	0	.00000
.43539	1.80000	.00000	23	1	5	0	.00000
.42657	1.80000	.04483	23	2	5	0	.00000
.39574	1.80000	.09136	23	3	5	0	.00000
.35900	1.80000	.12361	23	4	5	0	.00000
.31202	1.80000	.15218	23	5	5	0	.00000
.27233	1.80000	.17017	23	6	5	0	.00000
.22900	1.80000	.18544	23	7	5	0	.00000
.19494	1.80000	.19494	23	8	5	0	.00000
.16359	1.80000	.20201	23	9	5	0	.00000
.12999	1.80000	.20803	23	10	5	0	.00000
.10327	1.80000	.21174	23	11	5	0	.00000
.07396	1.80000	.21479	23	12	5	0	.00000
.04996	1.80000	.21651	23	13	5	0	.00000
.02288	1.80000	.21764	23	14	5	0	.00000
.00000	1.80000	.21794	23	15	5	0	.00000
.31225	1.90000	.00000	24	1	5	0	.00000
.30557	1.90000	.03212	24	2	5	0	.00000
.28349	1.90000	.06545	24	3	5	0	.00000
.25717	1.90000	.08855	24	4	5	0	.00000
.22352	1.90000	.10902	24	5	5	0	.00000
.19509	1.90000	.12190	24	6	5	0	.00000
.16405	1.90000	.13234	24	7	5	0	.00000
.13964	1.90000	.13954	24	8	5	0	.00000
.11719	1.90000	.14471	24	9	5	0	.00000
.09612	1.90000	.14902	24	10	5	0	.00000
.07536	1.90000	.15168	24	11	5	0	.00000
.05292	1.90000	.15395	24	12	5	0	.00000
.03581	1.90000	.15510	24	13	5	0	.00000
.01639	1.90000	.15591	24	14	5	0	.00000
.00000	1.90000	.15612	24	15	5	0	.00000
.00000	2.00000	.00000	25	1	5	0	.00000
.00000	2.00000	.00000	25	2	5	0	.00000

.00000	2.00000	.00000	25	3	5	0	.00000
.00000	2.00000	.00000	25	4	5	0	.00000
.00000	2.00000	.00000	25	5	5	0	.00000
.00000	2.00000	.00000	25	6	5	0	.00000
.00000	2.00000	.00000	25	7	5	0	.00000
.00000	2.00000	.00000	25	8	5	0	.00000
.00000	2.00000	.00000	25	9	5	0	.00000
.00000	2.00000	.00000	25	10	5	0	.00000
.00000	2.00000	.00000	25	11	5	0	.00000
.00000	2.00000	.00000	25	12	5	0	.00000
.00000	2.00000	.00000	25	13	5	0	.00000
.00000	2.00000	.00000	25	14	5	0	.00000
.00000	2.00000	.00000	25	15	5	0	.00000

(EOR)

3	0	0
2.00000	.00000	.00000
.00000	.00000	1.50000
.00000	3.00000	.00000

(EOR)

2	20	1	-1.00000	.10000	.00000	.00000
1.00000	1.00000	.00000				
1.50000	.00000	.00000				

(EOR)

-1.0000	.0000	.0000	1	0	1
1.0000	.0500	.0000	1		

(EOR)

(EOR)

# APPENDIX IX - TRIAXIAL ELLIPSOID OUTPUT FILE XYZ POTENTIAL FLOW PROGRAM SECTION 4, VERSION 4

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

NU. OF QUADS. = 290  
 NU. OF SECTIONS = 3  
 MAX. NO. OF ITERATIONS X FLOW 100 Y FLOW 100 Z FLOW 100  
 3 PLANES OF SYMMETRY  
 CONVERGENCE CRITERIA .00001

ISP = 0  
 IEDIT1 = 0  
 IEDIT3 = 0  
 IEDIT4 = 0  
 ITAPE = 0  
 XCENTER = .00  
 YCENTER = .00  
 ZCENTER = .00

[illegible]

N  
 P  
 7  
 2  
 14  
 8  
 1  
 15  
 8  
 2  
 16  
 9  
 1  
 17  
 9  
 2  
 18  
 10  
 1  
 19  
 10  
 2  
 20  
 11  
 1  
 21  
 11  
 2  
 22  
 12  
 1  
 23  
 12  
 2  
 24  
 13  
 1  
 25  
 13  
 2  
 26

52471E+00	44605E+00	44607E+00	52279E+00	46477E+00	26835E+00	80900E-02	-32183E+00
10000E+00	10000E+00	20000E+00	20000E+00	14947E+00	20727E-01	64733E-01	-68965E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40310E+00	64804E-03	-85764E-02
37530E+00	37530E+00	37530E+00	44605E+00	41100E+00	22024E+00	73677E-02	-32082E+00
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	67033E-02	62218E-01	-67036E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	47541E+00	60241E-03	-24607E-02
37463E+00	37463E+00	37463E+00	44605E+00	40947E+00	22026E+00	73505E-02	-67020E-01
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	20108E-01	62395E-01	-32189E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	47523E+00	60228E-03	94007E-03
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	17622E+00	78256E-02	-65399E-01
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	65574E-02	63586E-01	-27940E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40433E+00	59108E-03	35907E-03
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	17617E+00	78076E-02	-27971E+00
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	13635E-01	63728E-01	-65426E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40416E+00	58967E-03	-52681E-02
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	13759E+00	61850E-02	-27942E+00
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	64023E-02	58856E-01	-64671E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40447E+00	42746E-03	-31447E-02
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	13760E+00	61699E-02	-64660E-01
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	14331E-01	58954E-01	-27975E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40430E+00	42729E-03	-61924E-03
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	10330E+00	67573E-02	-63885E-01
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	63313E-02	60397E-01	-25888E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40463E+00	42426E-03	-13246E-02
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	10324E+00	67418E-02	-25913E+00
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	14106E-01	60466E-01	-63901E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40447E+00	42436E-03	-36368E-02
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	71678E-01	55108E-02	-25890E+00
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	63130E-02	57122E-01	-63172E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40441E+00	35406E-03	-15840E-02
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	71667E-01	54976E-02	-63170E-01
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	16343E-01	57160E-01	-25915E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40472E+00	35332E-03	-79794E-03
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	41954E-01	62211E-02	-63181E-01
10000E+00	10000E+00	10000E+00	10000E+00	44605E+00	62428E-02	56907E-01	-25222E+00
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40410E+00	40223E-03	70397E-03
24722E+00	24722E+00	24722E+00	37463E+00	33055E+00	41942E-01	62006E-02	-25358E+00
10000E+00	10000E+00	10000E+00	10000E+00	14947E+00	16875E-01	56913E-01	-63182E-01
44605E+00	44605E+00	44605E+00	44605E+00	44605E+00	40444E+00	40212E-03	-11849E-02

N  
 P  
 14  
 1  
 27  
 14  
 2  
 28  
 1  
 3  
 29  
 1  
 4  
 30  
 2  
 3  
 31  
 2  
 4  
 32  
 3  
 3  
 33  
 3  
 4  
 34  
 4  
 4  
 35  
 4  
 4  
 36  
 5  
 3  
 37  
 5  
 4  
 38  
 6  
 3  
 39

14	524601E-01	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	000000E+00	00
----	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	------------	----



LINE	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	Y11	Y12	Y13	Y14	Y15	Y16	Y17	Y18	Y19	Y20	Y21	Y22	Y23	Y24	Y25	Y26	Y27	Y28	Y29	Y30	Y31	Y32	Y33	Y34	Y35	Y36	Y37	Y38	Y39	Y40	Y41	Y42	Y43	Y44	Y45	Y46	Y47	Y48	Y49	Y50	Y51	Y52	Y53	Y54	Y55	Y56	Y57	Y58	Y59	Y60	Y61	Y62	Y63	Y64	Y65	Y66	Y67	Y68	Y69	Y70	Y71	Y72	Y73	Y74	Y75	Y76	Y77	Y78	Y79	Y80	Y81	Y82	Y83	Y84	Y85	Y86	Y87	Y88	Y89	Y90	Y91	Y92	Y93	Y94	Y95	Y96	Y97	Y98	Y99	Y100	Y101	Y102	Y103	Y104	Y105	Y106	Y107	Y108	Y109	Y110	Y111	Y112	Y113	Y114	Y115	Y116	Y117	Y118	Y119	Y120	Y121	Y122	Y123	Y124	Y125	Y126	Y127	Y128	Y129	Y130	Y131	Y132	Y133	Y134	Y135	Y136	Y137	Y138	Y139	Y140	Y141	Y142	Y143	Y144	Y145	Y146	Y147	Y148	Y149	Y150	Y151	Y152	Y153	Y154	Y155	Y156	Y157	Y158	Y159	Y160	Y161	Y162	Y163	Y164	Y165	Y166	Y167	Y168	Y169	Y170	Y171	Y172	Y173	Y174	Y175	Y176	Y177	Y178	Y179	Y180	Y181	Y182	Y183	Y184	Y185	Y186	Y187	Y188	Y189	Y190	Y191	Y192	Y193	Y194	Y195	Y196	Y197	Y198	Y199	Y200	Y201	Y202	Y203	Y204	Y205	Y206	Y207	Y208	Y209	Y210	Y211	Y212	Y213	Y214	Y215	Y216	Y217	Y218	Y219	Y220	Y221	Y222	Y223	Y224	Y225	Y226	Y227	Y228	Y229	Y230	Y231	Y232	Y233	Y234	Y235	Y236	Y237	Y238	Y239	Y240	Y241	Y242	Y243	Y244	Y245	Y246	Y247	Y248	Y249	Y250	Y251	Y252	Y253	Y254	Y255	Y256	Y257	Y258	Y259	Y260	Y261	Y262	Y263	Y264	Y265	Y266	Y267	Y268	Y269	Y270	Y271	Y272	Y273	Y274	Y275	Y276	Y277	Y278	Y279	Y280	Y281	Y282	Y283	Y284	Y285	Y286	Y287	Y288	Y289	Y290	Y291	Y292	Y293	Y294	Y295	Y296	Y297	Y298	Y299	Y300	Y301	Y302	Y303	Y304	Y305	Y306	Y307	Y308	Y309	Y310	Y311	Y312	Y313	Y314	Y315	Y316	Y317	Y318	Y319	Y320	Y321	Y322	Y323	Y324	Y325	Y326	Y327	Y328	Y329	Y330	Y331	Y332	Y333	Y334	Y335	Y336	Y337	Y338	Y339	Y340	Y341	Y342	Y343	Y344	Y345	Y346	Y347	Y348	Y349	Y350	Y351	Y352	Y353	Y354	Y355	Y356	Y357	Y358	Y359	Y360	Y361	Y362	Y363	Y364	Y365	Y366	Y367	Y368	Y369	Y370	Y371	Y372	Y373	Y374	Y375	Y376	Y377	Y378	Y379	Y380	Y381	Y382	Y383	Y384	Y385	Y386	Y387	Y388	Y389	Y390	Y391	Y392	Y393	Y394	Y395	Y396	Y397	Y398	Y399	Y400	Y401	Y402	Y403	Y404	Y405	Y406	Y407	Y408	Y409	Y410	Y411	Y412	Y413	Y414	Y415	Y416	Y417	Y418	Y419	Y420	Y421	Y422	Y423	Y424	Y425	Y426	Y427	Y428	Y429	Y430	Y431	Y432	Y433	Y434	Y435	Y436	Y437	Y438	Y439	Y440	Y441	Y442	Y443	Y444	Y445	Y446	Y447	Y448	Y449	Y450	Y451	Y452	Y453	Y454	Y455	Y456	Y457	Y458	Y459	Y460	Y461	Y462	Y463	Y464	Y465	Y466	Y467	Y468	Y469	Y470	Y471	Y472	Y473	Y474	Y475	Y476	Y477	Y478	Y479	Y480	Y481	Y482	Y483	Y484	Y485	Y486	Y487	Y488	Y489	Y490	Y491	Y492	Y493	Y494	Y495	Y496	Y497	Y498	Y499	Y500	Y501	Y502	Y503	Y504	Y505	Y506	Y507	Y508	Y509	Y510	Y511	Y512	Y513	Y514	Y515	Y516	Y517	Y518	Y519	Y520	Y521	Y522	Y523	Y524	Y525	Y526	Y527	Y528	Y529	Y530	Y531	Y532	Y533	Y534	Y535	Y536	Y537	Y538	Y539	Y540	Y541	Y542	Y543	Y544	Y545	Y546	Y547	Y548	Y549	Y550	Y551	Y552	Y553	Y554	Y555	Y556	Y557	Y558	Y559	Y560	Y561	Y562	Y563	Y564	Y565	Y566	Y567	Y568	Y569	Y570	Y571	Y572	Y573	Y574	Y575	Y576	Y577	Y578	Y579	Y580	Y581	Y582	Y583	Y584	Y585	Y586	Y587	Y588	Y589	Y590	Y591	Y592	Y593	Y594	Y595	Y596	Y597	Y598	Y599	Y600	Y601	Y602	Y603	Y604	Y605	Y606	Y607	Y608	Y609	Y610	Y611	Y612	Y613	Y614	Y615	Y616	Y617	Y618	Y619	Y620	Y621	Y622	Y623	Y624	Y625	Y626	Y627	Y628	Y629	Y630	Y631	Y632	Y633	Y634	Y635	Y636	Y637	Y638	Y639	Y640	Y641	Y642	Y643	Y644	Y645	Y646	Y647	Y648	Y649	Y650	Y651	Y652	Y653	Y654	Y655	Y656	Y657	Y658	Y659	Y660	Y661	Y662	Y663	Y664	Y665	Y666	Y667	Y668	Y669	Y670	Y671	Y672	Y673	Y674	Y675	Y676	Y677	Y678	Y679	Y680	Y681	Y682	Y683	Y684	Y685	Y686	Y687	Y688	Y689	Y690	Y691	Y692	Y693	Y694	Y695	Y696	Y697	Y698	Y699	Y700	Y701	Y702	Y703	Y704	Y705	Y706	Y707	Y708	Y709	Y710	Y711	Y712	Y713	Y714	Y715	Y716	Y717	Y718	Y719	Y720	Y721	Y722	Y723	Y724	Y725	Y726	Y727	Y728	Y729	Y730	Y731	Y732	Y733	Y734	Y735	Y736	Y737	Y738	Y739	Y740	Y741	Y742	Y743	Y744	Y745	Y746	Y747	Y748	Y749	Y750	Y751	Y752	Y753	Y754	Y755	Y756	Y757	Y758	Y759	Y760	Y761	Y762	Y763	Y764	Y765	Y766	Y767	Y768	Y769	Y770	Y771	Y772	Y773	Y774	Y775	Y776	Y777	Y778	Y779	Y780	Y781	Y782	Y783	Y784	Y785	Y786	Y787	Y788	Y789	Y790	Y791	Y792	Y793	Y794	Y795	Y796	Y797	Y798	Y799	Y800	Y801	Y802	Y803	Y804	Y805	Y806	Y807	Y808	Y809	Y810	Y811	Y812	Y813	Y814	Y815	Y816	Y817	Y818	Y819	Y820	Y821	Y822	Y823	Y824	Y825	Y826	Y827	Y828	Y829	Y830	Y831	Y832	Y833	Y834	Y835	Y836	Y837	Y838	Y839	Y840	Y841	Y842	Y843	Y844	Y845	Y846	Y847	Y848	Y849	Y850	Y851	Y852	Y853	Y854	Y855	Y856	Y857	Y858	Y859	Y860	Y861	Y862	Y863	Y864	Y865	Y866	Y867	Y868	Y869	Y870	Y871	Y872	Y873	Y874	Y875	Y876	Y877	Y878	Y879	Y880	Y881	Y882	Y883	Y884	Y885	Y886	Y887	Y888	Y889	Y890	Y891	Y892	Y893	Y894	Y895	Y896	Y897	Y898	Y899	Y900	Y901	Y902	Y903	Y904	Y905	Y906	Y907	Y908	Y909	Y910	Y911	Y912	Y913	Y914	Y915	Y916	Y917	Y918	Y919	Y920	Y921	Y922	Y923	Y924	Y925	Y926	Y927	Y928	Y929	Y930	Y931	Y932	Y933	Y934	Y935	Y936	Y937	Y938	Y939	Y940	Y941	Y942	Y943	Y944	Y945	Y946	Y947	Y948	Y949	Y950	Y951	Y952	Y953	Y954	Y955	Y956	Y957	Y958	Y959	Y960	Y961	Y962	Y963	Y964	Y965	Y966	Y967	Y968	Y969	Y970	Y971	Y972	Y973	Y974	Y975	Y976	Y977	Y978	Y979	Y980	Y981	Y982	Y983	Y984	Y985	Y986	Y987	Y988	Y989	Y990	Y991	Y992	Y993	Y994	Y995	Y996	Y997	Y998	Y999	Y1000	Y1001	Y1002	Y1003	Y1004	Y1005	Y1006	Y1007	Y1008	Y1009	Y1010	Y1011	Y1012	Y1013	Y1014	Y1015	Y1016	Y1017	Y1018	Y1019	Y1020	Y1021	Y1022	Y1023	Y1024	Y1025	Y1026	Y1027	Y1028	Y1029	Y1030	Y1031	Y1032	Y1033	Y1034	Y1035	Y1036	Y1037	Y1038	Y1039	Y1040	Y1041	Y1042	Y1043	Y1044	Y1045	Y1046	Y1047	Y1048	Y1049	Y1050	Y1051	Y1052	Y1053	Y1054	Y1055	Y1056	Y1057	Y1058	Y1059	Y1060	Y1061	Y1062	Y1063	Y1064	Y1065	Y1066	Y1067	Y1068	Y1069	Y1070	Y1071	Y1072	Y1073	Y1074	Y1075	Y1076	Y1077	Y1078	Y1079	Y1080	Y1081	Y1082	Y1083	Y1084	Y1085	Y1086	Y1087	Y1088	Y1089	Y1090	Y1091	Y1092	Y1093	Y1094	Y1095	Y1096	Y1097	Y1098	Y1099	Y1100	Y1101	Y1102	Y1103	Y1104	Y1105	Y1106	Y1107	Y1108	Y1109	Y1110	Y1111	Y1112	Y1113	Y1114	Y1115	Y1116	Y1117	Y1118	Y1119	Y1120	Y1121	Y1122	Y1123	Y1124	Y1125	Y1126	Y1127	Y1128	Y1129	Y1130	Y1131	Y1132	Y1133	Y1134	Y1135	Y1136	Y1137	Y1138	Y1139	Y1140	Y1141	Y1142	Y1143	Y1144	Y1145	Y1146	Y1147	Y1148	Y1149	Y1150	Y1151	Y1152	Y1153	Y1154	Y1155	Y1156	Y1157	Y1158	Y1159	Y1160	Y1161	Y1162	Y1163	Y1164	Y1165	Y1166	Y1167	Y1168	Y1169	Y1170	Y1171	Y1172	Y1173	Y1174	Y1175	Y1176	Y1177	Y1178	Y1179	Y1180	Y1181	Y1182	Y1183	Y1184	Y1185	Y1186	Y1187	Y1188	Y1189	Y1190	Y1191	Y1192	Y1193	Y1194	Y1195	Y1196	Y1197	Y1198	Y1199	Y1200	Y1201	Y1202	Y1203	Y1204	Y1205	Y1206	Y1207	Y1208	Y1209	Y1210	Y1211	Y1212	Y1213	Y1214	Y1215	Y1216	Y1217	Y1218	Y1219	Y1220	Y1221	Y1222	Y1223	Y1224	Y1225	Y1226	Y1227	Y1228	Y1229	Y1230	Y1231	Y1232	Y1233	Y1234	Y1235	Y1236	Y1237	Y1238	Y1239	Y1240	Y1241	Y1242	Y1243	Y1244	Y1245	Y1246	Y1247	Y1248	Y1249	Y1250	Y1251	Y1252	Y1253	Y1254	Y1255	Y1256	Y1257	Y1258	Y1259	Y1260	Y1261	Y1262	Y1263	Y1264	Y1265	Y1266	Y1267	Y1268	Y1269	Y1270	Y1271	Y1272	Y1273	Y1274	Y1275	Y1276	Y1277	Y1278	Y1279	Y1280	Y1281	Y1282	Y1283	Y1284	Y1285	Y1286	Y1287	Y1288	Y1289	Y1290	Y1291	Y1292	Y1293	Y1294	Y1295	Y1296	Y1297	Y1298	Y1299	Y1300	Y1301	Y1302	Y1303	Y1304	Y1305	Y1306	Y1307	Y1308	Y1309	Y1310	Y1311	Y1312	Y1313	Y1314	Y1315	Y1316	Y1317	Y1318	Y1319	Y1320	Y1321	Y1322	Y1323	Y1324	Y1325	Y1326	Y1327	Y1328	Y1329	Y1330	Y1331	Y1332	Y1333	Y1334	Y1335	Y1336	Y1337	Y1338	Y1339	Y1340	Y1341	Y1342	Y1343	Y1344	Y1345	Y1
------	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	----



M	N	P	X1 Y1 Z1	X2 Y2 Z2	X3 Y3 Z3	X4 Y4 Z4	X5 Y5 Z5	X6 Y6 Z6	X7 Y7 Z7	X8 Y8 Z8	X9 Y9 Z9	XN YN ZN	A FL CZ1	CZ4 CZ5 CZ6
1	6	57	97980E+00	958E4E+00	94754E+00	96825E+00	96354E+00	96302E+00	97273E+00	10298E-01	-13315E+00			
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	11344E+00	-18220E+01					
			00000E+00	10076E+00	99590E-01	00000E+00	50003E-01	20229E+00	51058E-02	25252E-01				
1	7	58	96825E+00	94754E+00	93354E+00	95354E+00	95084E+00	96941E+00	96941E+00	10196E-01	-18411E+01			
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	14006E+00	72167E-01	-13398E+00				
			00000E+00	99590E-01	96100E-01	00000E+00	49428E-01	20157E+00	50318E-02	-79263E-01				
2	6	59	958E4E+00	8955E+00	87906E+00	94754E+00	91876E+00	82950E+00	12536E-01	-18037E+01				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	10150E+00	81859E-01	-12337E+00				
			10078E+00	20537E+00	20295E+00	99590E-01	15217E+00	54943E+00	73177E-02	-16165E+00				
2	7	60	94754E+00	87906E+00	86607E+00	93354E+00	90657E+00	82700E+00	12403E-01	-11943E+00				
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	12507E+00	81715E-01	-18266E+01				
			99590E-01	29295E+00	19995E+00	96100E-01	15016E+00	54793E+00	71985E-02	-17945E-01				
3	6	61	82955E+00	80656E+00	79795E+00	87906E+00	84326E+00	65712E+00	10965E-01	-10319E+00				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	87571E-01	76277E-01	-76373E+00				
			20537E+00	27786E+00	27458E+00	20295E+00	24019E+00	74868E+00	25312E-02	20143E-01				
3	7	62	87906E+00	79795E+00	78506E+00	86607E+00	83208E+00	65576E+00	10842E-01	-77007E+00				
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	10826E+00	76304E-01	-10710E+00				
			20295E+00	27459E+00	27002E+00	19995E+00	23700E+00	74716E+00	24869E-02	-10646E+00				
4	6	63	80698E+00	7017E+00	69310E+00	79795E+00	74973E+00	51807E+00	12323E-01	-75918E+00				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	77847E-01	81527E-01	-94748E-01				
			27726E+00	34208E+00	33305E+00	27458E+00	30815E+00	85179E+00	30969E-02	-86518E-01				
4	7	64	79745E+00	69310E+00	68286E+00	78506E+00	73978E+00	51266E+00	12179E-01	-91774E-01				
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	96319E-01	81470E-01	-77177E+00				
			27458E+00	33305E+00	33305E+00	27002E+00	30406E+00	85039E+00	30531E-02	89605E-03				
5	6	65	70137E+00	61215E+00	60494E+00	69310E+00	65290E+00	41176E+00	97617E-02	-84372E-01				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	70847E-01	71746E-01	-43567E+00				
			34208E+00	36251E+00	37801E+00	33805E+00	36017E+00	90854E+00	12426E-02	13917E-01				
5	7	66	69310E+00	60494E+00	59600E+00	68286E+00	64424E+00	41124E+00	96449E-02	-44000E+00				
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	87760E-01	71780E-01	-86404E-01				
			33805E+00	37801E+00	37242E+00	33305E+00	35539E+00	90729E+00	12286E-02	-57336E-01				
6	6	67	61215E+00	51476E+00	50809E+00	60494E+00	56014E+00	33168E+00	10288E-01	-43394E+00				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	66554E-01	73433E-01	-80464E-01				
			31251E+00	41684E+00	44103E+00	37601E+00	39733E+00	94104E+00	13438E-02	-39939E-01				
6	7	68	60494E+00	50809E+00	50117E+00	59600E+00	55271E+00	33125E+00	10164E-01	-79258E-01				
			50000E+00	50000E+00	60000E+00	60000E+00	54988E+00	82409E-01	73387E-01	-44135E+00				
			37801E+00	41193E+00	40294E+00	37242E+00	39206E+00	93993E+00	13281E-02	38303E-02				
7	6	69	51476E+00	43301E+00	43000E+00	50809E+00	47307E+00	26704E+00	79189E-02	-75409E-01				
			40000E+00	40000E+00	50000E+00	50000E+00	44990E+00	65612E-01	65060E-01	-32925E+00				
			41684E+00	43294E+00	42901E+00	41193E+00	42500E+00	90136E+00	76198E-03	76198E-03				







13  
 8  
 109  
 13  
 9  
 110  
 14  
 8  
 111  
 14  
 9  
 112

Y1	Z1	Y2	Z2	Y3	Z3	Z4	ZP	ZH	FL	CZ1	CZ5	CZ6
.10939E+00	.50060E-01	.4+160E-01	.10742E+00	.74010E-01	.41734E-01	.59064E-02	-.75785E-01					
.60000E+00	.60000E+00	.70000E+00	.70000E+00	.64985E+00	.05819E-01	.58448E-01	-.26468E+00					
.47382E+00	.47631E+00	.46773E+00	.46529E+00	.47000E+00	.99544E+00	.41959E-03	.27733E-02					
.10742E+00	.44160E-01	.46100E-01	.10510E+00	.77448E-01	.41741E-01	.57977E-02	-.27066E+00					
.70000E+00	.70000E+00	.80000E+00	.80000E+00	.74982E+00	.10097E+00	.58261E-01	-.75856E-01					
.46529E+00	.46773E+00	.45523E+00	.45523E+00	.46149E+00	.99401E+00	.41551E-03	-.90339E-02					
.50060E-01	.00000E+00	.00000E+00	.44100E-01	.24806E-01	.13052E-01	.49797E-02	-.26466E+00					
.60000E+00	.60000E+00	.70000E+00	.70000E+00	.64985E+00	.85672E-01	.56056E-01	-.74860E-01					
.47631E+00	.47631E+00	.46837E+00	.46773E+00	.47236E+00	.99624E+00	.35211E-03	-.14001E-03					
.49160E-01	.00000E+00	.00000E+00	.48100E-01	.24316E-01	.12991E-01	.46882E-02	-.74861E-01					
.70000E+00	.70000E+00	.80000E+00	.80000E+00	.74982E+00	.10004E+00	.55916E-01	-.27066E+00					
.46773E+00	.46837E+00	.45826E+00	.45703E+00	.46302E+00	.99484E+00	.34946E-03	-.69016E-03					

M	Y1	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X17	X18	X19	X20	X21	X22	X23	X24	X25	X26	X27	X28	X29	X30	X31	X32	X33	X34	X35	X36	X37	X38	X39	X40	X41	X42	X43	X44	X45	X46	X47	X48	X49	X50	X51	X52	X53	X54	X55	X56	X57	X58	X59	X60	X61	X62	X63	X64	X65	X66	X67	X68	X69	X70	X71	X72	X73	X74	X75	X76	X77	X78	X79	X80	X81	X82	X83	X84	X85	X86	X87	X88	X89	X90	X91	X92	X93	X94	X95	X96	X97	X98	X99	X100	X101	X102	X103	X104	X105	X106	X107	X108	X109	X110	X111	X112	X113	X114	X115	X116	X117	X118	X119	X120	X121	X122	X123	X124	X125	X126	X127	X128	X129	X130	X131	X132	X133	X134	X135	X136	X137	X138	X139	X140	X141	X142	X143	X144	X145	X146	X147	X148	X149	X150	X151	X152	X153	X154	X155	X156	X157	X158	X159	X160	X161	X162	X163	X164	X165	X166	X167	X168	X169	X170	X171	X172	X173	X174	X175	X176	X177	X178	X179	X180	X181	X182	X183	X184	X185	X186	X187	X188	X189	X190	X191	X192	X193	X194	X195	X196	X197	X198	X199	X200	X201	X202	X203	X204	X205	X206	X207	X208	X209	X210	X211	X212	X213	X214	X215	X216	X217	X218	X219	X220	X221	X222	X223	X224	X225	X226	X227	X228	X229	X230	X231	X232	X233	X234	X235	X236	X237	X238	X239	X240	X241	X242	X243	X244	X245	X246	X247	X248	X249	X250	X251	X252	X253	X254	X255	X256	X257	X258	X259	X260	X261	X262	X263	X264	X265	X266	X267	X268	X269	X270	X271	X272	X273	X274	X275	X276	X277	X278	X279	X280	X281	X282	X283	X284	X285	X286	X287	X288	X289	X290	X291	X292	X293	X294	X295	X296	X297	X298	X299	X300	X301	X302	X303	X304	X305	X306	X307	X308	X309	X310	X311	X312	X313	X314	X315	X316	X317	X318	X319	X320	X321	X322	X323	X324	X325	X326	X327	X328	X329	X330	X331	X332	X333	X334	X335	X336	X337	X338	X339	X340	X341	X342	X343	X344	X345	X346	X347	X348	
---	----	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	--



14	4.48100E+01	7.00000E+00	0.00000E+00	0.00000E+00	4.08701E-01	2.3744E-01	0.12966E+01	4.78161E-02	-0.27705E+00
11	8.00000E+00	8.00000E+00	8.00000E+00	7.00000E+00	9.00000E+00	8.4478E+00	0.11671E+00	5.5761E-01	-0.85562E+01
139	4.5763E+00	4.5763E+00	4.5763E+00	4.4651E+00	4.4590E+00	4.5210E+00	0.94303E+00	3.7342E-03	-0.17241E-02
14	4.6870E+01	9.0000E+00	0.0000E+00	9.0000E+00	4.5450E-01	2.3062E-01	0.12860E+01	4.6583E-02	-0.85565E+01
12	9.0000E+00	9.0000E+00	9.0000E+00	1.0000E+01	1.0000E+01	9.4474E+00	0.13362E+00	5.5594E-01	-0.2842E+00
140	4.4540E+00	4.4651E+00	4.4651E+00	4.4301E+00	4.4324E+00	4.4344E+00	0.94092E+00	3.6915E-03	-0.22173E-02
1	8.6603E+00	8.4750E+00	8.1750E+00	8.1750E+00	8.3516E+00	8.4159E+00	0.93643E+00	9.3353E-02	-0.18265E+00
13	1.0000E+01	1.0000E+01	1.0000E+01	1.0000E+01	1.1000E+01	1.0447E+01	0.24165E+00	7.0273E-01	-0.20237E+01
141	0.0000E+00	8.0000E-01	8.0000E-01	8.0000E-01	0.0000E+00	4.3750E-01	0.19474E+00	4.5329E-02	0.74322E-01
1	8.3516E+00	8.1750E+00	7.8626E+00	7.6289E+00	8.0000E+00	8.0896E+00	0.92479E+00	9.0833E-02	-0.20795E+01
14	1.1000E+01	1.1300E+01	1.0000E+01	1.1000E+01	1.2000E+01	1.1446E+01	0.32832E+00	6.9825E-01	-0.18759E+00
142	0.0000E+00	8.5000E-01	8.2280E-01	8.2280E-01	0.0000E+00	4.2052E-01	0.19229E+00	4.3481E-02	-0.20849E+00
2	8.4750E+00	7.8626E+00	7.5824E+00	7.2631E+00	8.1750E+00	8.0241E+00	0.86410E+00	0.11279E-01	-0.19718E+01
13	1.0000E+01	1.0000E+01	1.0000E+01	1.1000E+01	1.1000E+01	1.0447E+01	0.26391E+00	7.9621E-01	-0.19478E+00
143	8.4060E-01	1.8152E+00	1.7505E+00	1.6768E+00	8.5000E-01	1.5240E+00	0.53270E+00	6.3010E-02	-0.45905E+00
2	8.1730E+00	7.5824E+00	7.2631E+00	7.2631E+00	7.6289E+00	7.7150E+00	0.74588E+00	0.10951E-01	-0.16524E+00
14	1.1000E+01	1.1000E+01	1.1000E+01	1.2000E+01	1.2000E+01	1.1446E+01	0.24754E+00	7.4005E-01	-0.20585E+01
144	8.5900E-01	1.7505E+00	1.6768E+00	1.6768E+00	8.2280E-01	1.2775E+00	0.5247E+00	6.0008E-02	-0.36664E-01
3	7.8626E+00	7.1326E+00	6.6704E+00	6.6704E+00	7.5824E+00	7.3648E+00	0.64218E+00	0.97965E-02	-0.14684E+00
13	1.0000E+01	1.0000E+01	1.0000E+01	1.1000E+01	1.1000E+01	1.0447E+01	0.22854E+00	7.5410E-01	-0.87831E+00
145	1.8152E+00	2.4559E+00	2.4559E+00	2.3634E+00	1.7505E+00	2.0977E+00	0.73168E+00	0.24454E-02	0.67158E-01
3	7.5824E+00	6.8764E+00	6.5088E+00	6.5088E+00	7.2631E+00	7.0743E+00	0.63726E+00	0.94885E-02	-0.86764E+00
14	1.1000E+01	1.1000E+01	1.2000E+01	1.2000E+01	1.2000E+01	1.1446E+01	0.25845E+00	7.5046E-01	-0.17359E+00
146	1.7505E+00	2.3634E+00	2.2607E+00	2.2607E+00	1.6768E+00	2.0164E+00	0.72602E+00	0.24600E-02	-0.24447E+00
4	7.1326E+00	6.1943E+00	5.784E+00	5.784E+00	6.6704E+00	6.5474E+00	0.50875E+00	0.10956E-01	-0.84725E+00
13	1.0700E+01	1.0000E+01	1.0000E+01	1.1000E+01	1.1000E+01	1.0447E+01	0.20417E+00	7.4746E-01	-0.15385E+00
147	2.4559E+00	3.0256E+00	3.0256E+00	2.9159E+00	2.3634E+00	2.6912E+00	0.83635E+00	0.27911E-02	-0.25303E+00
4	6.8764E+00	5.9764E+00	5.7267E+00	5.7267E+00	6.5088E+00	6.2940E+00	0.50562E+00	0.10595E-01	-0.13067E+00
14	1.1000E+01	1.1000E+01	1.2000E+01	1.2000E+01	1.2000E+01	1.1446E+01	0.23122E+00	7.5164E-01	-0.90333E+00
148	2.3634E+00	2.9159E+00	2.7451E+00	2.7451E+00	2.2607E+00	2.5869E+00	0.83120E+00	0.26814E-02	0.11636E-01
5	6.1943E+00	5.4107E+00	5.2174E+00	5.2174E+00	5.9764E+00	5.7022E+00	0.40552E+00	0.86547E-02	-0.12288E+00
13	1.0000E+01	1.0000E+01	1.1000E+01	1.1000E+01	1.1000E+01	1.0447E+01	0.18655E+00	7.1050E-01	-0.50209E+00
149	3.0236E+00	3.3810E+00	3.2605E+00	3.2605E+00	2.9159E+00	3.1456E+00	0.89465E+00	0.12103E-02	0.44606E-01
5	5.9784E+00	5.2174E+00	4.9262E+00	4.9262E+00	5.7267E+00	5.4611E+00	0.40334E+00	0.83617E-02	-0.50818E+00
14	1.1000E+01	1.1000E+01	1.2000E+01	1.2000E+01	1.2000E+01	1.1446E+01	0.21149E+00	7.0777E-01	-0.13726E+00
150	2.4519E+00	3.2605E+00	3.1252E+00	3.1252E+00	2.7451E+00	3.0236E+00	0.89025E+00	0.11756E-02	-0.15997E+00
6	5.4107E+00	4.5425E+00	4.2666E+00	4.2666E+00	5.2174E+00	4.8921E+00	0.32723E+00	0.91057E-02	-0.48886E+00
13	1.0000E+01	1.0000E+01	1.1000E+01	1.1000E+01	1.1000E+01	1.0447E+01	0.17604E+00	7.2044E-01	-0.12523E+00
151	3.3810E+00	3.5544E+00	3.4231E+00	3.4231E+00	3.0236E+00	3.3470E+00	0.92849E+00	0.12863E-02	-0.12102E+00



N  
 P  
 6  
 14  
 152  
 7  
 13  
 153  
 7  
 14  
 154  
 8  
 13  
 155  
 8  
 14  
 156  
 9  
 13  
 157  
 9  
 14  
 158  
 10  
 13  
 159  
 10  
 14  
 160  
 11  
 13  
 161  
 11  
 14  
 162  
 12  
 13  
 163  
 12  
 14  
 164

6	5.179E+00	4.377E+00	4.203E+00	4.492E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4.702E+00	4
---	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	-----------	---

13  
 13  
 165  
 13  
 14  
 166  
 14  
 13  
 167  
 14  
 14  
 168

P	N	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	Y11	Y12	Y13	Y14	Y15	Y16	Y17	Y18	Y19	Y20	Y21	Y22	Y23	Y24	Y25	Y26	Y27	Y28	Y29	Y30	Y31	Y32	Y33	Y34	Y35	Y36	Y37	Y38	Y39	Y40	Y41	Y42	Y43	Y44	Y45	Y46	Y47	Y48	Y49	Y50	Y51	Y52	Y53	Y54	Y55	Y56	Y57	Y58	Y59	Y60	Y61	Y62	Y63	Y64	Y65	Y66	Y67	Y68	Y69	Y70	Y71	Y72	Y73	Y74	Y75	Y76	Y77	Y78	Y79	Y80	Y81	Y82	Y83	Y84	Y85	Y86	Y87	Y88	Y89	Y90	Y91	Y92	Y93	Y94	Y95	Y96	Y97	Y98	Y99	Y100	Y101	Y102	Y103	Y104	Y105	Y106	Y107	Y108	Y109	Y110	Y111	Y112	Y113	Y114	Y115	Y116	Y117	Y118	Y119	Y120	Y121	Y122	Y123	Y124	Y125	Y126	Y127	Y128	Y129	Y130	Y131	Y132	Y133	Y134	Y135	Y136	Y137	Y138	Y139	Y140	Y141	Y142	Y143	Y144	Y145	Y146	Y147	Y148	Y149	Y150	Y151	Y152	Y153	Y154	Y155	Y156	Y157	Y158	Y159	Y160	Y161	Y162	Y163	Y164	Y165	Y166	Y167	Y168	Y169	Y170	Y171	Y172	Y173	Y174	Y175	Y176	Y177	Y178	Y179	Y180	Y181	Y182	Y183	Y184	Y185	Y186	Y187	Y188	Y189	Y190	Y191	Y192	Y193	Y194	Y195	Y196	Y197	Y198	Y199	Y200	Y201	Y202	Y203	Y204	Y205	Y206	Y207	Y208	Y209	Y210	Y211	Y212	Y213	Y214	Y215	Y216	Y217	Y218	Y219	Y220	Y221	Y222	Y223	Y224	Y225	Y226	Y227	Y228	Y229	Y230	Y231	Y232	Y233	Y234	Y235	Y236	Y237	Y238	Y239	Y240	Y241	Y242	Y243	Y244	Y245	Y246	Y247	Y248	Y249	Y250	Y251	Y252	Y253	Y254	Y255	Y256	Y257	Y258	Y259	Y260	Y261	Y262	Y263	Y264	Y265	Y266	Y267	Y268	Y269	Y270	Y271	Y272	Y273	Y274	Y275	Y276	Y277	Y278	Y279	Y280	Y281	Y282	Y283	Y284	Y285	Y286	Y287	Y288	Y289	Y290	Y291	Y292	Y293	Y294	Y295	Y296	Y297	Y298	Y299	Y300	Y301	Y302	Y303	Y304	Y305	Y306	Y307	Y308	Y309	Y310	Y311	Y312	Y313	Y314	Y315	Y316	Y317	Y318	Y319	Y320	Y321	Y322	Y323	Y324	Y325	Y326	Y327	Y328	Y329	Y330	Y331	Y332	Y333	Y334	Y335	Y336	Y337	Y338	Y339	Y340	Y341	Y342	Y343	Y344	Y345	Y346	Y347	Y348	Y349	Y350	Y351	Y352	Y353	Y354	Y355	Y356	Y357	Y358	Y359	Y360	Y361	Y362	Y363	Y364	Y365	Y366	Y367	Y368	Y369	Y370	Y371	Y372	Y373	Y374	Y375	Y376	Y377	Y378	Y379	Y380	Y381	Y382	Y383	Y384	Y385	Y386	Y387	Y388	Y389	Y390	Y391	Y392	Y393	Y394	Y395	Y396	Y397	Y398	Y399	Y400	Y401	Y402	Y403	Y404	Y405	Y406	Y407	Y408	Y409	Y410	Y411	Y412	Y413	Y414	Y415	Y416	Y417	Y418	Y419	Y420	Y421	Y422	Y423	Y424	Y425	Y426	Y427	Y428	Y429	Y430	Y431	Y432	Y433	Y434	Y435	Y436	Y437	Y438	Y439	Y440	Y441	Y442	Y443	Y444	Y445	Y446	Y447	Y448	Y449	Y450	Y451	Y452	Y453	Y454	Y455	Y456	Y457	Y458	Y459	Y460	Y461	Y462	Y463	Y464	Y465	Y466	Y467	Y468	Y469	Y470	Y471	Y472	Y473	Y474	Y475	Y476	Y477	Y478	Y479	Y480	Y481	Y482	Y483	Y484	Y485	Y486	Y487	Y488	Y489	Y490	Y491	Y492	Y493	Y494	Y495	Y496	Y497	Y498	Y499	Y500	Y501	Y502	Y503	Y504	Y505	Y506	Y507	Y508	Y509	Y510	Y511	Y512	Y513	Y514	Y515	Y516	Y517	Y518	Y519	Y520	Y521	Y522	Y523	Y524	Y525	Y526	Y527	Y528	Y529	Y530	Y531	Y532	Y533	Y534	Y535	Y536	Y537	Y538	Y539	Y540	Y541	Y542	Y543	Y544	Y545	Y546	Y547	Y548	Y549	Y550	Y551	Y552	Y553	Y554	Y555	Y556	Y557	Y558	Y559	Y560	Y561	Y562	Y563	Y564	Y565	Y566	Y567	Y568	Y569	Y570	Y571	Y572	Y573	Y574	Y575	Y576	Y577	Y578	Y579	Y580	Y581	Y582	Y583	Y584	Y585	Y586	Y587	Y588	Y589	Y590	Y591	Y592	Y593	Y594	Y595	Y596	Y597	Y598	Y599	Y600	Y601	Y602	Y603	Y604	Y605	Y606	Y607	Y608	Y609	Y610	Y611	Y612	Y613	Y614	Y615	Y616	Y617	Y618	Y619	Y620	Y621	Y622	Y623	Y624	Y625	Y626	Y627	Y628	Y629	Y630	Y631	Y632	Y633	Y634	Y635	Y636	Y637	Y638	Y639	Y640	Y641	Y642	Y643	Y644	Y645	Y646	Y647	Y648	Y649	Y650	Y651	Y652	Y653	Y654	Y655	Y656	Y657	Y658	Y659	Y660	Y661	Y662	Y663	Y664	Y665	Y666	Y667	Y668	Y669	Y670	Y671	Y672	Y673	Y674	Y675	Y676	Y677	Y678	Y679	Y680	Y681	Y682	Y683	Y684	Y685	Y686	Y687	Y688	Y689	Y690	Y691	Y692	Y693	Y694	Y695	Y696	Y697	Y698	Y699	Y700	Y701	Y702	Y703	Y704	Y705	Y706	Y707	Y708	Y709	Y710	Y711	Y712	Y713	Y714	Y715	Y716	Y717	Y718	Y719	Y720	Y721	Y722	Y723	Y724	Y725	Y726	Y727	Y728	Y729	Y730	Y731	Y732	Y733	Y734	Y735	Y736	Y737	Y738	Y739	Y740	Y741	Y742	Y743	Y744	Y745	Y746	Y747	Y748	Y749	Y750	Y751	Y752	Y753	Y754	Y755	Y756	Y757	Y758	Y759	Y760	Y761	Y762	Y763	Y764	Y765	Y766	Y767	Y768	Y769	Y770	Y771	Y772	Y773	Y774	Y775	Y776	Y777	Y778	Y779	Y780	Y781	Y782	Y783	Y784	Y785	Y786	Y787	Y788	Y789	Y790	Y791	Y792	Y793	Y794	Y795	Y796	Y797	Y798	Y799	Y800	Y801	Y802	Y803	Y804	Y805	Y806	Y807	Y808	Y809	Y810	Y811	Y812	Y813	Y814	Y815	Y816	Y817	Y818	Y819	Y820	Y821	Y822	Y823	Y824	Y825	Y826	Y827	Y828	Y829	Y830	Y831	Y832	Y833	Y834	Y835	Y836	Y837	Y838	Y839	Y840	Y841	Y842	Y843	Y844	Y845	Y846	Y847	Y848	Y849	Y850	Y851	Y852	Y853	Y854	Y855	Y856	Y857	Y858	Y859	Y860	Y861	Y862	Y863	Y864	Y865	Y866	Y867	Y868	Y869	Y870	Y871	Y872	Y873	Y874	Y875	Y876	Y877	Y878	Y879	Y880	Y881	Y882	Y883	Y884	Y885	Y886	Y887	Y888	Y889	Y890	Y891	Y892	Y893	Y894	Y895	Y896	Y897	Y898	Y899	Y900	Y901	Y902	Y903	Y904	Y905	Y906	Y907	Y908	Y909	Y910	Y911	Y912	Y913	Y914	Y915	Y916	Y917	Y918	Y919	Y920	Y921	Y922	Y923	Y924	Y925	Y926	Y927	Y928	Y929	Y930	Y931	Y932	Y933	Y934	Y935	Y936	Y937	Y938	Y939	Y940	Y941	Y942	Y943	Y944	Y945	Y946	Y947	Y948	Y949	Y950	Y951	Y952	Y953	Y954	Y955	Y956	Y957	Y958	Y959	Y960	Y961	Y962	Y963	Y964	Y965	Y966	Y967	Y968	Y969	Y970	Y971	Y972	Y973	Y974	Y975	Y976	Y977	Y978	Y979	Y980	Y981	Y982	Y983	Y984	Y985	Y986	Y987	Y988	Y989	Y990	Y991	Y992	Y993	Y994	Y995	Y996	Y997	Y998	Y999	Y1000
---	---	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------

M	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X17	X18	X19	X20	X21	X22	X23	X24	X25	X26	X27	X28	X29	X30	X31	X32	X33	X34	X35	X36	X37	X38	X39	X40	X41	X42	X43	X44	X45	X46	X47	X48	X49	X50	X51	X52	X53	X54	X55	X56	X57	X58	X59	X60	X61	X62	X63	X64	X65	X66	X67	X68	X69	X70	X71	X72	X73	X74	X75	X76	X77	X78	X79	X80	X81	X82	X83	X84	X85	X86	X87	X88	X89	X90	X91	X92	X93	X94	X95	X96	X97	X98	X99	X100	X101	X102	X103	X104	X105	X106	X107	X108	X109	X110	X111	X112	X113	X114	X115	X116	X117	X118	X119	X120	X121	X122	X123	X124	X125	X126	X127	X128	X129	X130	X131	X132	X133	X134	X135	X136	X137	X138	X139	X140	X141	X142	X143	X144	X145	X146	X147	X148	X149	X150	X151	X152	X153	X154	X155	X156	X157	X158	X159	X160	X161	X162	X163	X164	X165	X166	X167	X168	X169	X170	X171	X172	X173	X174	X175	X176	X177	X178	X179	X180	X181	X182	X183	X184	X185	X186	X187	X188	X189	X190	X191	X192	X193	X194	X195	X196	X197	X198	X199	X200	X201	X202	X203	X204	X205	X206	X207	X208	X209	X210	X211	X212	X213	X214	X215	X216	X217	X218	X219	X220	X221	X222	X223	X224	X225	X226	X227	X228	X229	X230	X231	X232	X233	X234	X235	X236	X237	X238	X239	X240	X241	X242	X243	X244	X245	X246	X247	X248	X249	X250	X251	X252	X253	X254	X255	X256	X257	X258	X259	X260	X261	X262	X263	X264	X265	X266	X267	X268	X269	X270	X271	X272	X273	X274	X275	X276	X277	X278	X279	X280	X281	X282	X283	X284	X285	X286	X287	X288	X289	X290	X291	X292	X293	X294	X295	X296	X297	X298	X299	X300	X301	X302	X303	X304	X305	X306	X307	X308	X309	X310	X311	X312	X313	X314	X315	X316	X317	X318	X319	X320	X321	X322	X323	X324	X325	X326	X327	X328	X329	X330	X331	X332	X333	X334	X335	X336	X337	X338	X339	X340	X341	X342	X343	X344	X345	X346	X347	X348	X349	X350	X351	X352	X353	X354	X355	X356	X357	X358	X359	X360	X361	X362	X363	X364	X365	X366	X367	X368	X369	X370	X371	X372	X373	X374	X375	X376	X377	X378	X379	X380	X381	X382	X383	X384	X385	X386	X387	X388	X389	X390	X391	X392	X393	X394	X395	X396	X397	X398	X399	X400	X401	X402	X403	X404	X405	X406	X407	X408	X409	X410	X411	X412	X413	X414	X415	X416	X417	X418	X419	X420	X421	X422	X423	X424	X425	X426	X427	X428	X429	X430	X431	X432	X433	X434	X435	X436	X437	X438	X439	X440	X441	X442	X443	X444	X445	X446	X447	X448	X449	X450	X451	X452	X453	X454	X455	X456	X457	X458	X459	X460	X461	X462	X463	X464	X465	X466	X467	X468	X469	X470	X471	X472	X473	X474	X475	X476	X477	X478	X479	X480	X481	X482	X483	X484	X485	X486	X487	X488	X489	X490	X491	X492	X493	X494	X495	X496	X497	X498	X499	X500	X501	X502	X503	X504	X505	X506	X507	X508	X509	X510	X511	X512	X513	X514	X515	X516	X517	X518	X519	X520	X521	X522	X523	X524	X525	X526	X527	X528	X529	X530	X531	X532	X533	X534	X535	X536	X537	X538	X539	X540	X541	X542	X543	X544	X545	X546	X547	X548	X549	X550	X551	X552	X553	X554	X555	X556	X557	X558	X559	X560	X561	X562	X563	X564	X565	X566	X567	X568	X569	X570	X571	X572	X573	X574	X575	X576	X577	X578	X579	X580	X581	X582	X583	X584	X585	X586	X587	X588	X589	X590	X591	X592	X593	X594	X595	X596	X597	X598	X599	X600	X601	X602	X603	X604	X605	X606	X607	X608	X609	X610	X611	X612	X613	X614	X615	X616	X617	X618	X619	X620	X621	X622	X623	X624	X625	X626	X627	X628	X629	X630	X631	X632	X633	X634	X635	X636	X637	X638	X639	X640	X641	X642	X643	X644	X645	X646	X647	X648	X649	X650	X651	X652	X653	X654	X655	X656	X657	X658	X659	X660	X661	X662	X663	X664	X665	X666	X667	X668	X669	X670	X671	X672	X673	X674	X675	X676	X677	X678	X679	X680	X681	X682	X683	X684	X685	X686	X687	X688	X689	X690	X691	X692	X693	X694	X695	X696	X697	X698	X699	X700	X701	X702	X703	X704	X705	X706	X707	X708	X709	X710	X711	X712	X713	X714	X715	X716	X717	X718	X719	X720	X721	X722	X723	X724	X725	X726	X727	X728	X729	X730	X731	X732	X733	X734	X735	X736	X737	X738	X739	X740	X741	X742	X743	X744	X745	X746	X747	X748	X749	X750	X751	X752	X753	X754	X755	X756	X757	X758	X759	X760	X761	X762	X763	X764	X765	X766	X767	X768	X769	X770	X771	X772	X773	X774	X775	X776	X777	X778	X779	X780	X781	X782	X783	X784	X785	X786	X787	X788	X789	X790	X791	X792	X793	X794	X795	X796	X797	X798	X799	X800	X801	X802	X803	X804	X805	X806	X807	X808	X809	X810	X811	X812	X813	X814	X815	X816	X817	X818	X819	X820	X821	X822	X823	X824	X825	X826	X827	X828	X829	X830	X831	X832	X833	X834	X835	X836	X837	X838	X839	X840	X841	X842	X843	X844	X845	X846	X847	X848	X849	X850	X851	X852	X853	X854	X855	X856	X857	X858	X859	X860	X861	X862	X863	X864	X865	X866	X867	X868	X869	X870	X871	X872	X873	X874	X875	X876	X877	X878	X879	X880	X881	X882	X883	X884	X885	X886	X887	X888	X889	X890	X891	X892	X893	X894	X895	X896	X897	X898	X899	X900	X901	X902	X903	X904	X905	X906	X907	X908	X909	X910	X911	X912	X913	X914	X915	X916	X917	X918	X919	X920	X921	X922	X923	X924	X925	X926	X927	X928	X929	X930	X931	X932	X933	X934	X935	X936	X937	X938	X939	X940	X941	X942	X943	X944	X945	X946	X947	X948	X949	X950	X951	X952	X953	X954	X955	X956	X957	X958	X959	X960	X961	X962	X963	X964	X965	X966	X967	X968	X969	X970	X971	X972	X973	X974	X975	X976	X977	X978	X979	X980	X981	X982	X983	X984	X985	X986	X987	X988	X989	X990	X991	X992	X993	X994	X995	X996	X997	X998	X999	X1000	X1001	X1002	X1003	X1004	X1005	X1006	X1007	X1008	X1009	X1010	X1011	X1012	X1013	X1014	X1015	X1016	X1017	X1018	X1019	X1020	X1021	X1022	X1023	X1024	X1025	X1026	X1027	X1028	X1029	X1030	X1031	X1032	X1033	X1034	X1035	X1036	X1037	X1038	X1039	X1040	X1041	X1042	X1043	X1044	X1045	X1046	X1047	X1048	X1049	X1050	X1051	X1052	X1053	X1054	X1055	X1056	X1057	X1058	X1059	X1060	X1061	X1062	X1063	X1064	X1065	X1066	X1067	X1068	X1069	X1070	X1071	X1072	X1073	X1074	X1075	X1076	X1077	X1078	X1079	X1080	X1081	X1082	X1083	X1084	X1085	X1086	X1087	X1088	X1089	X1090	X1091	X1092	X1093	X1094	X1095	X1096	X1097	X1098	X1099	X1100	X1101	X1102	X1103	X1104	X1105	X1106	X1107	X1108	X1109	X1110	X1111	X1112	X1113	X1114	X1115	X1116	X1117	X1118	X1119	X1120	X1121	X1122	X1123	X1124	X1125	X1126	X1127	X1128	X1129	X1130	X1131	X1132	X1133	X1134	X1135	X1136	X1137	X1138	X1139	X1140	X1141	X1142	X1143	X1144	X1145	X1146	X1147	X1148	X1149	X1150	X1151	X1152	X1153	X1154	X1155	X1156	X1157	X1158	X1159	X1160	X1161	X1162	X1163	X1164	X1165	X1166	X1167	X1168	X1169	X1170	X1171	X1172	X1173	X1174	X1175	X1176	X1177	X1178	X1179	X1180	X1181	X1182	X1183	X1184	X1185	X1186	X1187	X1188	X1189	X1190	X1191	X1192	X1193	X1194	X1195	X1196	X1197	X1198	X1199	X1200	X1201	X1202	X1203	X1204	X1205	X1206	X1207	X1208	X1209	X1210	X1211	X1212	X1213	X1214	X1215	X1216	X1217	X1218	X1219	X1220	X1221	X1222	X1223	X1224	X1225	X1226	X1227	X1228	X1229	X1230	X1231	X1232	X1233	X1234	X1235	X1236	X1237	X1238	X1239	X1240	X1241	X1242	X1243	X1244	X1245	X1246	X1247	X1248	X1249	X1250	X1251	X1252	X1253	X1254	X1255	X1256	X1257	X1258	X1259	X1260	X1261	X1262	X1263	X1264	X1265	X1266	X1267	X1268	X1269	X1270	X1271	X1272	X1273	X1274	X1275	X1276	X1277	X1278	X1279	X1280	X1281	X1282	X1283	X1284	X1285	X1286	X1287	X1288	X1289	X1290	X1291	X1292	X1293	X1294	X1295	X1296	X1297	X1298	X1299	X1300	X1301	X1302	X1303	X1304	X1305	X1306	X1307	X1308	X1309	X1310	X1311	X1312	X1313	X1314	X1315	X1316	X1317	X1318	X1319	X1320	X1321	X1322	X1323	X1324	X1325	X1326	X1327	X1328	X1329	X1330	X1331	X1332	X1333	X1334	X1335	X1336	X1337	X1338	X1339	X1340	X1341	X1342	X1343	X1344	X1345	X1346	X1347	X1348	X1349	X1350	X1351	X1352	X1353	X1354	X1355	X1356	X1357	X1358	X1359	X1360	X1361	X1362	X1363	X1364	X1365	X1366	X1367	X1368	X1369	X1370	X1371	X1372	X1373	X1374	X1375	X1376	X1377	X1378	X1379	X1380	X1381	X1382	X1383	X1384	X1385	X1386	X1387	X1388	X1389	X1390	X1391	X1392	X1393	X1394	X1395	X1396	X1397	X1398	X1399	X1400	X1401	X1402	X1403	X1404	X1405	X1406	X1407	X1408	X1409	X1410	X1411	X1412	X1413	X1414	X1415	X1416	X1417	X1418	X1419	X1420	X1421	X1422	X1423	X1424	X1425	X1426	X1427	X1428	X1429	X1430	X1431	X1432	X1433	X1434	X1435	X1436	X1437	X1438	X1439	X1440	X1441	X1442	X1443	X1444	X1445	X1446	X1447	X1448	X1449	X1450	X1451	X1452	X1453	X1454	X1455	X1456	X1457	X1458	X1459	X1460	X1461	X1462	X1463	X1464	X1465	X1466	X1467	X1468	X1469	X1470	X1471	X1472	X1473	X1474	X1475	X1476	X1477	X1478	X1479	X1480	X1481	X1482	X1483	X1484	X1485	X1486	X1487	X1488	X1489	X1490	X1491	X1492	X1493	X1494	X1495
---	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------

[illegible]

Line	Item	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	Y11	Y12	Y13	Y14	Y15	Y16	Y17	Y18	Y19	Y20	Y21	Y22	Y23	Y24	Y25	Y26	Y27	Y28	Y29	Y30	Y31	Y32	Y33	Y34	Y35	Y36	Y37	Y38	Y39	Y40	Y41	Y42	Y43	Y44	Y45	Y46	Y47	Y48	Y49	Y50	Y51	Y52	Y53	Y54	Y55	Y56	Y57	Y58	Y59	Y60	Y61	Y62	Y63	Y64	Y65	Y66	Y67	Y68	Y69	Y70	Y71	Y72	Y73	Y74	Y75	Y76	Y77	Y78	Y79	Y80	Y81	Y82	Y83	Y84	Y85	Y86	Y87	Y88	Y89	Y90	Y91	Y92	Y93	Y94	Y95	Y96	Y97	Y98	Y99	Y100	Y101	Y102	Y103	Y104	Y105	Y106	Y107	Y108	Y109	Y110	Y111	Y112	Y113	Y114	Y115	Y116	Y117	Y118	Y119	Y120	Y121	Y122	Y123	Y124	Y125	Y126	Y127	Y128	Y129	Y130	Y131	Y132	Y133	Y134	Y135	Y136	Y137	Y138	Y139	Y140	Y141	Y142	Y143	Y144	Y145	Y146	Y147	Y148	Y149	Y150	Y151	Y152	Y153	Y154	Y155	Y156	Y157	Y158	Y159	Y160	Y161	Y162	Y163	Y164	Y165	Y166	Y167	Y168	Y169	Y170	Y171	Y172	Y173	Y174	Y175	Y176	Y177	Y178	Y179	Y180	Y181	Y182	Y183	Y184	Y185	Y186	Y187	Y188	Y189	Y190	Y191	Y192	Y193	Y194	Y195	Y196	Y197	Y198	Y199	Y200	Y201	Y202	Y203	Y204	Y205	Y206	Y207	Y208	Y209	Y210	Y211	Y212	Y213	Y214	Y215	Y216	Y217	Y218	Y219	Y220	Y221	Y222	Y223	Y224	Y225	Y226	Y227	Y228	Y229	Y230	Y231	Y232	Y233	Y234	Y235	Y236	Y237	Y238	Y239	Y240	Y241	Y242	Y243	Y244	Y245	Y246	Y247	Y248	Y249	Y250	Y251	Y252	Y253	Y254	Y255	Y256	Y257	Y258	Y259	Y260	Y261	Y262	Y263	Y264	Y265	Y266	Y267	Y268	Y269	Y270	Y271	Y272	Y273	Y274	Y275	Y276	Y277	Y278	Y279	Y280	Y281	Y282	Y283	Y284	Y285	Y286	Y287	Y288	Y289	Y290	Y291	Y292	Y293	Y294	Y295	Y296	Y297	Y298	Y299	Y300	Y301	Y302	Y303	Y304	Y305	Y306	Y307	Y308	Y309	Y310	Y311	Y312	Y313	Y314	Y315	Y316	Y317	Y318	Y319	Y320	Y321	Y322	Y323	Y324	Y325	Y326	Y327	Y328	Y329	Y330	Y331	Y332	Y333	Y334	Y335	Y336	Y337	Y338	Y339	Y340	Y341	Y342	Y343	Y344	Y345	Y346	Y347	Y348	Y349	Y350	Y351	Y352	Y353	Y354	Y355	Y356	Y357	Y358	Y359	Y360	Y361	Y362	Y363	Y364	Y365	Y366	Y367	Y368	Y369	Y370	Y371	Y372	Y373	Y374	Y375	Y376	Y377	Y378	Y379	Y380	Y381	Y382	Y383	Y384	Y385	Y386	Y387	Y388	Y389	Y390	Y391	Y392	Y393	Y394	Y395	Y396	Y397	Y398	Y399	Y400	Y401	Y402	Y403	Y404	Y405	Y406	Y407	Y408	Y409	Y410	Y411	Y412	Y413	Y414	Y415	Y416	Y417	Y418	Y419	Y420	Y421	Y422	Y423	Y424	Y425	Y426	Y427	Y428	Y429	Y430	Y431	Y432	Y433	Y434	Y435	Y436	Y437	Y438	Y439	Y440	Y441	Y442	Y443	Y444	Y445	Y446	Y447	Y448	Y449	Y450	Y451	Y452	Y453	Y454	Y455	Y456	Y457	Y458	Y459	Y460	Y461	Y462	Y463	Y464	Y465	Y466	Y467	Y468	Y469	Y470	Y471	Y472	Y473	Y474	Y475	Y476	Y477	Y478	Y479	Y480	Y481	Y482	Y483	Y484	Y485	Y486	Y487	Y488	Y489	Y490	Y491	Y492	Y493	Y494	Y495	Y496	Y497	Y498	Y499	Y500	Y501	Y502	Y503	Y504	Y505	Y506	Y507	Y508	Y509	Y510	Y511	Y512	Y513	Y514	Y515	Y516	Y517	Y518	Y519	Y520	Y521	Y522	Y523	Y524	Y525	Y526	Y527	Y528	Y529	Y530	Y531	Y532	Y533	Y534	Y535	Y536	Y537	Y538	Y539	Y540	Y541	Y542	Y543	Y544	Y545	Y546	Y547	Y548	Y549	Y550	Y551	Y552	Y553	Y554	Y555	Y556	Y557	Y558	Y559	Y560	Y561	Y562	Y563	Y564	Y565	Y566	Y567	Y568	Y569	Y570	Y571	Y572	Y573	Y574	Y575	Y576	Y577	Y578	Y579	Y580	Y581	Y582	Y583	Y584	Y585	Y586	Y587	Y588	Y589	Y590	Y591	Y592	Y593	Y594	Y595	Y596	Y597	Y598	Y599	Y600	Y601	Y602	Y603	Y604	Y605	Y606	Y607	Y608	Y609	Y610	Y611	Y612	Y613	Y614	Y615	Y616	Y617	Y618	Y619	Y620	Y621	Y622	Y623	Y624	Y625	Y626	Y627	Y628	Y629	Y630	Y631	Y632	Y633	Y634	Y635	Y636	Y637	Y638	Y639	Y640	Y641	Y642	Y643	Y644	Y645	Y646	Y647	Y648	Y649	Y650	Y651	Y652	Y653	Y654	Y655	Y656	Y657	Y658	Y659	Y660	Y661	Y662	Y663	Y664	Y665	Y666	Y667	Y668	Y669	Y670	Y671	Y672	Y673	Y674	Y675	Y676	Y677	Y678	Y679	Y680	Y681	Y682	Y683	Y684	Y685	Y686	Y687	Y688	Y689	Y690	Y691	Y692	Y693	Y694	Y695	Y696	Y697	Y698	Y699	Y700	Y701	Y702	Y703	Y704	Y705	Y706	Y707	Y708	Y709	Y710	Y711	Y712	Y713	Y714	Y715	Y716	Y717	Y718	Y719	Y720	Y721	Y722	Y723	Y724	Y725	Y726	Y727	Y728	Y729	Y730	Y731	Y732	Y733	Y734	Y735	Y736	Y737	Y738	Y739	Y740	Y741	Y742	Y743	Y744	Y745	Y746	Y747	Y748	Y749	Y750	Y751	Y752	Y753	Y754	Y755	Y756	Y757	Y758	Y759	Y760	Y761	Y762	Y763	Y764	Y765	Y766	Y767	Y768	Y769	Y770	Y771	Y772	Y773	Y774	Y775	Y776	Y777	Y778	Y779	Y780	Y781	Y782	Y783	Y784	Y785	Y786	Y787	Y788	Y789	Y790	Y791	Y792	Y793	Y794	Y795	Y796	Y797	Y798	Y799	Y800	Y801	Y802	Y803	Y804	Y805	Y806	Y807	Y808	Y809	Y810	Y811	Y812	Y813	Y814	Y815	Y816	Y817	Y818	Y819	Y820	Y821	Y822	Y823	Y824	Y825	Y826	Y827	Y828	Y829	Y830	Y831	Y832	Y833	Y834	Y835	Y836	Y837	Y838	Y839	Y840	Y841	Y842	Y843	Y844	Y845	Y846	Y847	Y848	Y849	Y850	Y851	Y852	Y853	Y854	Y855	Y856	Y857	Y858	Y859	Y860	Y861	Y862	Y863	Y864	Y865	Y866	Y867	Y868	Y869	Y870	Y871	Y872	Y873	Y874	Y875	Y876	Y877	Y878	Y879	Y880	Y881	Y882	Y883	Y884	Y885	Y886	Y887	Y888	Y889	Y890	Y891	Y892	Y893	Y894	Y895	Y896	Y897	Y898	Y899	Y900	Y901	Y902	Y903	Y904	Y905	Y906	Y907	Y908	Y909	Y910	Y911	Y912	Y913	Y914	Y915	Y916	Y917	Y918	Y919	Y920	Y921	Y922	Y923	Y924	Y925	Y926	Y927	Y928	Y929	Y930	Y931	Y932	Y933	Y934	Y935	Y936	Y937	Y938	Y939	Y940	Y941	Y942	Y943	Y944	Y945	Y946	Y947	Y948	Y949	Y950	Y951	Y952	Y953	Y954	Y955	Y956	Y957	Y958	Y959	Y960	Y961	Y962	Y963	Y964	Y965	Y966	Y967	Y968	Y969	Y970	Y971	Y972	Y973	Y974	Y975	Y976	Y977	Y978	Y979	Y980	Y981	Y982	Y983	Y984	Y985	Y986	Y987	Y988	Y989	Y990	Y991	Y992	Y993	Y994	Y995	Y996	Y997	Y998	Y999	Y1000
------	------	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------

M	N	P	X	Y	Z	X	Y	Z	X	Y	Z	X	Y	Z	A	C24	C25	C26
6	19	208	413251+00	150000+01	250000+00	347000+00	150000+01	250000+00	347000+00	150000+01	250000+00	347000+00	150000+01	250000+00	70510E-02	-20233E+00	-67455E+00	69448E-01
7	18	209	347519E+00	140000+01	240000+00	31957E+00	140000+01	240000+00	31957E+00	140000+01	240000+00	31957E+00	140000+01	240000+00	56111E-02	-20403E+00	-40721E+00	82230E-01
7	19	210	347500E+00	150000+01	250000+00	245500E+00	150000+01	250000+00	245500E+00	150000+01	250000+00	245500E+00	150000+01	250000+00	54023E-02	-48379E+00	-22947E+00	19957E+00
8	18	211	31937E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	52670E-02	-44625E+00	-21442E+00	13549E+00
8	19	212	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	52670E-02	-44625E+00	-21442E+00	13549E+00
9	18	213	24824E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	24824E+00	140000+01	240000+00	52670E-02	-44625E+00	-21442E+00	13549E+00
9	19	214	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	24824E+00	150000+01	250000+00	52670E-02	-44625E+00	-21442E+00	13549E+00
10	18	215	21297E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	51874E-02	-42200E+00	-20970E+00	12250E+00
10	19	216	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	51874E-02	-42200E+00	-20970E+00	12250E+00
11	18	217	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	51874E-02	-42200E+00	-20970E+00	12250E+00
11	19	218	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	51874E-02	-42200E+00	-20970E+00	12250E+00
12	18	219	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	16725E+00	140000+01	240000+00	51874E-02	-42200E+00	-20970E+00	12250E+00
12	19	220	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	16725E+00	150000+01	250000+00	51874E-02	-42200E+00	-20970E+00	12250E+00

[illegible]

M	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X17	X18	X19	X20	X21	X22	X23	X24	X25	X26	X27	X28	X29	X30	X31	X32	X33	X34	X35	X36	X37	X38	X39	X40	X41	X42	X43	X44	X45	X46	X47	X48	X49	X50	X51	X52	X53	X54	X55	X56	X57	X58	X59	X60	X61	X62	X63	X64	X65	X66	X67	X68	X69	X70	X71	X72	X73	X74	X75	X76	X77	X78	X79	X80	X81	X82	X83	X84	X85	X86	X87	X88	X89	X90	X91	X92	X93	X94	X95	X96	X97	X98	X99	X100	X101	X102	X103	X104	X105	X106	X107	X108	X109	X110	X111	X112	X113	X114	X115	X116	X117	X118	X119	X120	X121	X122	X123	X124	X125	X126	X127	X128	X129	X130	X131	X132	X133	X134	X135	X136	X137	X138	X139	X140	X141	X142	X143	X144	X145	X146	X147	X148	X149	X150	X151	X152	X153	X154	X155	X156	X157	X158	X159	X160	X161	X162	X163	X164	X165	X166	X167	X168	X169	X170	X171	X172	X173	X174	X175	X176	X177	X178	X179	X180	X181	X182	X183	X184	X185	X186	X187	X188	X189	X190	X191	X192	X193	X194	X195	X196	X197	X198	X199	X200	X201	X202	X203	X204	X205	X206	X207	X208	X209	X210	X211	X212	X213	X214	X215	X216	X217	X218	X219	X220	X221	X222	X223	X224	X225	X226	X227	X228	X229	X230	X231	X232	X233	X234	X235	X236	X237	X238	X239	X240	X241	X242	X243	X244	X245	X246	X247	X248	X249	X250	X251	X252	X253	X254	X255	X256	X257	X258	X259	X260	X261	X262	X263	X264	X265	X266	X267	X268	X269	X270	X271	X272	X273	X274	X275	X276	X277	X278	X279	X280	X281	X282	X283	X284	X285	X286	X287	X288	X289	X290	X291	X292	X293	X294	X295	X296	X297	X298	X299	X300	X301	X302	X303	X304	X305	X306	X307	X308	X309	X310	X311	X312	X313	X314	X315	X316	X317	X318	X319	X320	X321	X322	X323	X324	X325	X326	X327	X328	X329	X330	X331	X332	X333	X334	X335	X336	X337	X338	X339	X340	X341	X342	X343	X344	X345	X346	X347	X348	X349	X350	X351	X352	X353	X354	X355	X356	X357	X358	X359	X360	X361	X362	X363	X364	X365	X366	X367	X368	X369	X370	X371	X372	X373	X374	X375	X376	X377	X378	X379	X380	X381	X382	X383	X384	X385	X386	X387	X388	X389	X390	X391	X392	X393	X394	X395	X396	X397	X398	X399	X400	X401	X402	X403	X404	X405	X406	X407	X408	X409	X410	X411	X412	X413	X414	X415	X416	X417	X418	X419	X420	X421	X422	X423	X424	X425	X426	X427	X428	X429	X430	X431	X432	X433	X434	X435	X436	X437	X438	X439	X440	X441	X442	X443	X444	X445	X446	X447	X448	X449	X450	X451	X452	X453	X454	X455	X456	X457	X458	X459	X460	X461	X462	X463	X464	X465	X466	X467	X468	X469	X470	X471	X472	X473	X474	X475	X476	X477	X478	X479	X480	X481	X482	X483	X484	X485	X486	X487	X488	X489	X490	X491	X492	X493	X494	X495	X496	X497	X498	X499	X500	X501	X502	X503	X504	X505	X506	X507	X508	X509	X510	X511	X512	X513	X514	X515	X516	X517	X518	X519	X520	X521	X522	X523	X524	X525	X526	X527	X528	X529	X530	X531	X532	X533	X534	X535	X536	X537	X538	X539	X540	X541	X542	X543	X544	X545	X546	X547	X548	X549	X550	X551	X552	X553	X554	X555	X556	X557	X558	X559	X560	X561	X562	X563	X564	X565	X566	X567	X568	X569	X570	X571	X572	X573	X574	X575	X576	X577	X578	X579	X580	X581	X582	X583	X584	X585	X586	X587	X588	X589	X590	X591	X592	X593	X594	X595	X596	X597	X598	X599	X600	X601	X602	X603	X604	X605	X606	X607	X608	X609	X610	X611	X612	X613	X614	X615	X616	X617	X618	X619	X620	X621	X622	X623	X624	X625	X626	X627	X628	X629	X630	X631	X632	X633	X634	X635	X636	X637	X638	X639	X640	X641	X642	X643	X644	X645	X646	X647	X648	X649	X650	X651	X652	X653	X654	X655	X656	X657	X658	X659	X660	X661	X662	X663	X664	X665	X666	X667	X668	X669	X670	X671	X672	X673	X674	X675	X676	X677	X678	X679	X680	X681	X682	X683	X684	X685	X686	X687	X688	X689	X690	X691	X692	X693	X694	X695	X696	X697	X698	X699	X700	X701	X702	X703	X704	X705	X706	X707	X708	X709	X710	X711	X712	X713	X714	X715	X716	X717	X718	X719	X720	X721	X722	X723	X724	X725	X726	X727	X728	X729	X730	X731	X732	X733	X734	X735	X736	X737	X738	X739	X740	X741	X742	X743	X744	X745	X746	X747	X748	X749	X750	X751	X752	X753	X754	X755	X756	X757	X758	X759	X760	X761	X762	X763	X764	X765	X766	X767	X768	X769	X770	X771	X772	X773	X774	X775	X776	X777	X778	X779	X780	X781	X782	X783	X784	X785	X786	X787	X788	X789	X790	X791	X792	X793	X794	X795	X796	X797	X798	X799	X800	X801	X802	X803	X804	X805	X806	X807	X808	X809	X810	X811	X812	X813	X814	X815	X816	X817	X818	X819	X820	X821	X822	X823	X824	X825	X826	X827	X828	X829	X830	X831	X832	X833	X834	X835	X836	X837	X838	X839	X840	X841	X842	X843	X844	X845	X846	X847	X848	X849	X850	X851	X852	X853	X854	X855	X856	X857	X858	X859	X860	X861	X862	X863	X864	X865	X866	X867	X868	X869	X870	X871	X872	X873	X874	X875	X876	X877	X878	X879	X880	X881	X882	X883	X884	X885	X886	X887	X888	X889	X890	X891	X892	X893	X894	X895	X896	X897	X898	X899	X900	X901	X902	X903	X904	X905	X906	X907	X908	X909	X910	X911	X912	X913	X914	X915	X916	X917	X918	X919	X920	X921	X922	X923	X924	X925	X926	X927	X928	X929	X930	X931	X932	X933	X934	X935	X936	X937	X938	X939	X940	X941	X942	X943	X944	X945	X946	X947	X948	X949	X950	X951	X952	X953	X954	X955	X956	X957	X958	X959	X960	X961	X962	X963	X964	X965	X966	X967	X968	X969	X970	X971	X972	X973	X974	X975	X976	X977	X978	X979	X980	X981	X982	X983	X984	X985	X986	X987	X988	X989	X990	X991	X992	X993	X994	X995	X996	X997	X998	X999	X1000	X1001	X1002	X1003	X1004	X1005	X1006	X1007	X1008	X1009	X1010	X1011	X1012	X1013	X1014	X1015	X1016	X1017	X1018	X1019	X1020	X1021	X1022	X1023	X1024	X1025	X1026	X1027	X1028	X1029	X1030	X1031	X1032	X1033	X1034	X1035	X1036	X1037	X1038	X1039	X1040	X1041	X1042	X1043	X1044	X1045	X1046	X1047	X1048	X1049	X1050	X1051	X1052	X1053	X1054	X1055	X1056	X1057	X1058	X1059	X1060	X1061	X1062	X1063	X1064	X1065	X1066	X1067	X1068	X1069	X1070	X1071	X1072	X1073	X1074	X1075	X1076	X1077	X1078	X1079	X1080	X1081	X1082	X1083	X1084	X1085	X1086	X1087	X1088	X1089	X1090	X1091	X1092	X1093	X1094	X1095	X1096	X1097	X1098	X1099	X1100	X1101	X1102	X1103	X1104	X1105	X1106	X1107	X1108	X1109	X1110	X1111	X1112	X1113	X1114	X1115	X1116	X1117	X1118	X1119	X1120	X1121	X1122	X1123	X1124	X1125	X1126	X1127	X1128	X1129	X1130	X1131	X1132	X1133	X1134	X1135	X1136	X1137	X1138	X1139	X1140	X1141	X1142	X1143	X1144	X1145	X1146	X1147	X1148	X1149	X1150	X1151	X1152	X1153	X1154	X1155	X1156	X1157	X1158	X1159	X1160	X1161	X1162	X1163	X1164	X1165	X1166	X1167	X1168	X1169	X1170	X1171	X1172	X1173	X1174	X1175	X1176	X1177	X1178	X1179	X1180	X1181	X1182	X1183	X1184	X1185	X1186	X1187	X1188	X1189	X1190	X1191	X1192	X1193	X1194	X1195	X1196	X1197	X1198	X1199	X1200	X1201	X1202	X1203	X1204	X1205	X1206	X1207	X1208	X1209	X1210	X1211	X1212	X1213	X1214	X1215	X1216	X1217	X1218	X1219	X1220	X1221	X1222	X1223	X1224	X1225	X1226	X1227	X1228	X1229	X1230	X1231	X1232	X1233	X1234	X1235	X1236	X1237	X1238	X1239	X1240	X1241	X1242	X1243	X1244	X1245	X1246	X1247	X1248	X1249	X1250	X1251	X1252	X1253	X1254	X1255	X1256	X1257	X1258	X1259	X1260	X1261	X1262	X1263	X1264	X1265	X1266	X1267	X1268	X1269	X1270	X1271	X1272	X1273	X1274	X1275	X1276	X1277	X1278	X1279	X1280	X1281	X1282	X1283	X1284	X1285	X1286	X1287	X1288	X1289	X1290	X1291	X1292	X1293	X1294	X1295	X1296	X1297	X1298	X1299	X1300	X1301	X1302	X1303	X1304	X1305	X1306	X1307	X1308	X1309	X1310	X1311	X1312	X1313	X1314	X1315	X1316	X1317	X1318	X1319	X1320	X1321	X1322	X1323	X1324	X1325	X1326	X1327	X1328	X1329	X1330	X1331	X1332	X1333	X1334	X1335	X1336	X1337	X1338	X1339	X1340	X1341	X1342	X1343	X1344	X1345	X1346	X1347	X1348	X1349	X1350	X1351	X1352	X1353	X1354	X1355	X1356	X1357	X1358	X1359	X1360	X1361	X1362	X1363	X1364	X1365	X1366	X1367	X1368	X1369	X1370	X1371	X1372	X1373	X1374	X1375	X1376	X1377	X1378	X1379	X1380	X1381	X1382	X1383	X1384	X1385	X1386	X1387	X1388	X1389	X1390	X1391	X1392	X1393	X1394	X1395	X1396	X1397	X1398	X1399	X1400	X1401	X1402	X1403	X1404	X1405	X1406	X1407	X1408	X1409	X1410	X1411	X1412	X1413	X1414	X1415	X1416	X1417	X1418	X1419	X1420	X1421	X1422	X1423	X1424	X1425	X1426	X1427	X1428	X1429	X1430	X1431	X1432	X1433	X1434	X1435	X1436	X1437	X1438	X1439	X1440	X1441	X1442	X1443	X1444	X1445	X1446	X1447	X1448	X1449	X1450	X1451	X1452	X1453	X1454	X1455	X1456	X1457	X1458	X1459	X1460	X1461	X1462	X1463	X1464	X1465	X1466	X1467	X1468	X1469	X1470	X1471	X1472	X1473	X1474	X1475	X1476	X1477	X1478	X1479	X1480	X1481	X1482	X1483	X1484	X1485	X1486	X1487	X1488	X1489	X1490	X1491	X
---	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	---



M	Y1	Y2	X3	X4	XP	XN	A	CZ4
N	Y1	Y2	Y3	Y4	YF	YN	FL	CZ5
P	Z1	Z2	Z3	Z4	ZF	ZN	CZ1	CZ6
7	.27676E+00	.2555E+00	.1777E+00	.2277E+00	.25477E+00	.24014E+00	.45675E-02	-.59841E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.44721E+00	.62250E-01	-.41811E+00
238	.22411E+00	.2555E+00	.1777E+00	.10000E+01	.21064E+00	.86159E+00	.15816E-02	-.34449E+00
8	.26833E+00	.22513E+00	.1777E+00	.22513E+00	.25202E+00	.20516E+00	.44608E-02	-.52505E+00
21	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10489E+01	.36432E+00	.62397E-01	-.38590E+00
239	.26833E+00	.27807E+00	.24414E+00	.2555E+00	.25069E+00	.90859E+00	.12747E-02	-.21773E+00
8	.23553E+00	.1777E+00	.10000E+01	.19494E+00	.17654E+00	.14813E+00	.39455E-02	-.33818E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.43054E+00	.63854E-01	-.65205E+00
240	.23553E+00	.24414E+00	.20201E+00	.19494E+00	.21982E+00	.87760E+00	.15097E-02	.14752E+00
9	.22518E+00	.17000E+01	.15740E+00	.19770E+00	.16994E+00	.16405E+00	.47231E-02	-.35256E+00
21	.10000E+01	.10000E+01	.10000E+01	.17000E+01	.10489E+01	.35672E+00	.61939E-01	-.48431E+00
241	.27807E+00	.2555E+00	.22514E+00	.24414E+00	.26537E+00	.91951E+00	.12570E-02	.12615E+00
9	.19770E+00	.14215E+00	.12979E+00	.16359E+00	.16258E+00	.15931E+00	.41723E-02	-.52555E+00
22	.17000E+01	.10000E+01	.10000E+01	.10000E+01	.17464E+01	.42837E+00	.63025E-01	-.38141E+00
242	.24414E+00	.2555E+00	.20803E+00	.20201E+00	.22707E+00	.88945E+00	.12890E-02	-.21533E+00
10	.17843E+00	.14215E+00	.12979E+00	.15740E+00	.15096E+00	.12874E+00	.37251E-02	-.46205E+00
21	.10000E+01	.10000E+01	.10000E+01	.17000E+01	.16489E+01	.35160E+00	.58857E-01	-.36436E+00
243	.26635E+00	.29146E+00	.2555E+00	.25141E+00	.27166E+00	.92725E+00	.11574E-02	-.12422E+00
10	.15710E+00	.12461E+00	.10327E+00	.12999E+00	.12918E+00	.12401E+00	.32875E-02	-.34394E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.42232E+00	.60149E-01	-.54853E+00
244	.25141E+00	.2555E+00	.22174E+00	.20803E+00	.25246E+00	.89784E+00	.12006E-02	.10442E+00
11	.14215E+00	.10160E+00	.69300E-01	.12461E+00	.11470E+00	.96841E-01	.40640E-02	-.35142E+00
21	.10000E+01	.10000E+01	.10000E+01	.17000E+01	.16489E+01	.34800E+00	.56740E-01	-.43715E+00
245	.29146E+00	.29565E+00	.25957E+00	.25569E+00	.27603E+00	.93248E+00	.11627E-02	.77009E-01
11	.12461E+00	.89300E-01	.73900E-01	.10327E+00	.90146E-01	.93924E-01	.35841E-02	-.46862E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.41823E+00	.59739E-01	-.36125E+00
246	.25589E+00	.25957E+00	.21479E+00	.21174E+00	.25620E+00	.90347E+00	.12013E-02	-.12389E+00
12	.10160E+00	.69300E-01	.60410E-01	.89300E-01	.80210E-01	.67214E-01	.33110E-02	-.42909E+00
21	.10000E+01	.10000E+01	.10000E+01	.17000E+01	.10489E+01	.34547E+00	.56721E-01	-.35415E+00
247	.29565E+00	.26165E+00	.26165E+00	.25957E+00	.27912E+00	.93602E+00	.11032E-02	-.62575E-01
12	.89300E-01	.60410E-01	.49900E-01	.73900E-01	.60636E-01	.65114E-01	.29191E-02	-.34780E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.41534E+00	.57893E-01	-.49498E+00
248	.25957E+00	.26165E+00	.26165E+00	.21479E+00	.25620E+00	.90733E+00	.11496E-02	.54249E-01
13	.66860E-01	.31496E-01	.27650E-01	.60410E-01	.47154E-01	.34447E-01	.37352E-02	-.35120E+00
21	.10000E+01	.10000E+01	.10000E+01	.17000E+01	.10489E+01	.34398E+00	.56826E-01	-.42177E+00
249	.29802E+00	.29495E+00	.26303E+00	.26165E+00	.26097E+00	.93814E+00	.11261E-02	.33550E-01
13	.66410E-01	.27650E-01	.42210E-01	.99700E-01	.90550E-01	.30132E-01	.32917E-02	-.47254E+00
22	.17000E+01	.17000E+01	.10000E+01	.10000E+01	.17464E+01	.41370E+00	.57761E-01	-.35218E+00
250	.22165E+00	.26303E+00	.22760E+00	.24621E+00	.24042E+00	.90901E+00	.11673E-02	-.45454E-01

	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	A	C24
	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	F1	C25
P	Z1	Z2	Z3	Z4	Z5	Z6	Z7	Z8	Z9	Z10	C21	C26
14	.31490E+01	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.31490E+02	-.42000E+00
21	.16000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.50407E+01	-.35100E+00
251	.29000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.30000E+00	.10000E+02	-.11407E+01
14	.27000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.00000E+00	.27000E+02	-.35000E+00
22	.17000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.50407E+01	-.47203E+00
252	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.20300E+00	.11339E+02	.69129E+02
1	.45500E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.42000E+00	.61704E+02	-.82544E+00
23	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.83000E+01	-.31933E+01
253	.00000E+00	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.44000E+01	.62178E+02	.39207E+00
QUESTIONABLE POINT -PUNK FIT												
WARNING LONG THIN QUAD.												
1	.31200E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.30500E+00	.52702E+02	-.32826E+01
24	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.10300E+00	-.85409E+00
254	.00000E+00	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.32100E+01	.19002E+01	-.80341E+00
2	.42000E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.39500E+00	.70401E+02	-.27613E+01
23	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.87800E+01	-.12693E+01
255	.44000E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.91300E+01	.60940E+02	-.10141E+01
QUESTIONABLE POINT -PUNK FIT												
WARNING LONG THIN QUAD.												
2	.30500E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.26349E+00	.50022E+02	-.79607E+00
24	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.10100E+00	-.32434E+01
256	.32100E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.69400E+01	.10190E+01	-.12904E+00
3	.39500E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.35000E+00	.57441E+02	-.10000E+01
23	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.85453E+01	-.20001E+01
257	.91300E+01	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.12301E+00	.61126E+02	.94204E+00
QUESTIONABLE POINT -PUNK FIT												
WARNING LONG THIN QUAD.												
3	.28349E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.25717E+00	.44910E+02	-.10725E+01
24	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.15335E+00	-.14107E+01
258	.69400E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.80500E+01	.10502E+01	-.15017E+01
4	.35000E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.31202E+00	.61202E+02	-.14007E+01
23	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.84509E+01	-.10000E+01
259	.12301E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.15210E+00	.62700E+02	-.13103E+01
QUESTIONABLE POINT -PUNK FIT												
WARNING LONG THIN QUAD.												
4	.25717E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.24302E+00	.45603E+02	-.84137E+00
24	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.19000E+01	.14446E+00	-.21720E+01
260	.80500E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.19002E+01	.15315E+01	.40705E+00
5	.31202E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.27203E+00	.40933E+02	-.12347E+01
23	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.10000E+01	.78404E+01	-.13134E+01
261	.15210E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.17017E+00	.59601E+02	.10825E+01

P	M	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12	X13	X14	X15	X16	X17	X18	X19	X20	X21	X22	X23	X24	X25	X26	X27	X28	X29	X30	X31	X32	X33	X34	X35	X36	X37	X38	X39	X40	X41	X42	X43	X44	X45	X46	X47	X48	X49	X50	X51	X52	X53	X54	X55	X56	X57	X58	X59	X60	X61	X62	X63	X64	X65	X66	X67	X68	X69	X70	X71	X72	X73	X74	X75	X76	X77	X78	X79	X80	X81	X82	X83	X84	X85	X86	X87	X88	X89	X90	X91	X92	X93	X94	X95	X96	X97	X98	X99	X100	X101	X102	X103	X104	X105	X106	X107	X108	X109	X110	X111	X112	X113	X114	X115	X116	X117	X118	X119	X120	X121	X122	X123	X124	X125	X126	X127	X128	X129	X130	X131	X132	X133	X134	X135	X136	X137	X138	X139	X140	X141	X142	X143	X144	X145	X146	X147	X148	X149	X150	X151	X152	X153	X154	X155	X156	X157	X158	X159	X160	X161	X162	X163	X164	X165	X166	X167	X168	X169	X170	X171	X172	X173	X174	X175	X176	X177	X178	X179	X180	X181	X182	X183	X184	X185	X186	X187	X188	X189	X190	X191	X192	X193	X194	X195	X196	X197	X198	X199	X200	X201	X202	X203	X204	X205	X206	X207	X208	X209	X210	X211	X212	X213	X214	X215	X216	X217	X218	X219	X220	X221	X222	X223	X224	X225	X226	X227	X228	X229	X230	X231	X232	X233	X234	X235	X236	X237	X238	X239	X240	X241	X242	X243	X244	X245	X246	X247	X248	X249	X250	X251	X252	X253	X254	X255	X256	X257	X258	X259	X260	X261	X262	X263	X264	X265	X266	X267	X268	X269	X270	X271	X272	X273	X274	X275	X276	X277	X278	X279	X280	X281	X282	X283	X284	X285	X286	X287	X288	X289	X290	X291	X292	X293	X294	X295	X296	X297	X298	X299	X300	X301	X302	X303	X304	X305	X306	X307	X308	X309	X310	X311	X312	X313	X314	X315	X316	X317	X318	X319	X320	X321	X322	X323	X324	X325	X326	X327	X328	X329	X330	X331	X332	X333	X334	X335	X336	X337	X338	X339	X340	X341	X342	X343	X344	X345	X346	X347	X348	X349	X350	X351	X352	X353	X354	X355	X356	X357	X358	X359	X360	X361	X362	X363	X364	X365	X366	X367	X368	X369	X370	X371	X372	X373	X374	X375	X376	X377	X378	X379	X380	X381	X382	X383	X384	X385	X386	X387	X388	X389	X390	X391	X392	X393	X394	X395	X396	X397	X398	X399	X400	X401	X402	X403	X404	X405	X406	X407	X408	X409	X410	X411	X412	X413	X414	X415	X416	X417	X418	X419	X420	X421	X422	X423	X424	X425	X426	X427	X428	X429	X430	X431	X432	X433	X434	X435	X436	X437	X438	X439	X440	X441	X442	X443	X444	X445	X446	X447	X448	X449	X450	X451	X452	X453	X454	X455	X456	X457	X458	X459	X460	X461	X462	X463	X464	X465	X466	X467	X468	X469	X470	X471	X472	X473	X474	X475	X476	X477	X478	X479	X480	X481	X482	X483	X484	X485	X486	X487	X488	X489	X490	X491	X492	X493	X494	X495	X496	X497	X498	X499	X500	X501	X502	X503	X504	X505	X506	X507	X508	X509	X510	X511	X512	X513	X514	X515	X516	X517	X518	X519	X520	X521	X522	X523	X524	X525	X526	X527	X528	X529	X530	X531	X532	X533	X534	X535	X536	X537	X538	X539	X540	X541	X542	X543	X544	X545	X546	X547	X548	X549	X550	X551	X552	X553	X554	X555	X556	X557	X558	X559	X560	X561	X562	X563	X564	X565	X566	X567	X568	X569	X570	X571	X572	X573	X574	X575	X576	X577	X578	X579	X580	X581	X582	X583	X584	X585	X586	X587	X588	X589	X590	X591	X592	X593	X594	X595	X596	X597	X598	X599	X600	X601	X602	X603	X604	X605	X606	X607	X608	X609	X610	X611	X612	X613	X614	X615	X616	X617	X618	X619	X620	X621	X622	X623	X624	X625	X626	X627	X628	X629	X630	X631	X632	X633	X634	X635	X636	X637	X638	X639	X640	X641	X642	X643	X644	X645	X646	X647	X648	X649	X650	X651	X652	X653	X654	X655	X656	X657	X658	X659	X660	X661	X662	X663	X664	X665	X666	X667	X668	X669	X670	X671	X672	X673	X674	X675	X676	X677	X678	X679	X680	X681	X682	X683	X684	X685	X686	X687	X688	X689	X690	X691	X692	X693	X694	X695	X696	X697	X698	X699	X700	X701	X702	X703	X704	X705	X706	X707	X708	X709	X710	X711	X712	X713	X714	X715	X716	X717	X718	X719	X720	X721	X722	X723	X724	X725	X726	X727	X728	X729	X730	X731	X732	X733	X734	X735	X736	X737	X738	X739	X740	X741	X742	X743	X744	X745	X746	X747	X748	X749	X750	X751	X752	X753	X754	X755	X756	X757	X758	X759	X760	X761	X762	X763	X764	X765	X766	X767	X768	X769	X770	X771	X772	X773	X774	X775	X776	X777	X778	X779	X780	X781	X782	X783	X784	X785	X786	X787	X788	X789	X790	X791	X792	X793	X794	X795	X796	X797	X798	X799	X800	X801	X802	X803	X804	X805	X806	X807	X808	X809	X810	X811	X812	X813	X814	X815	X816	X817	X818	X819	X820	X821	X822	X823	X824	X825	X826	X827	X828	X829	X830	X831	X832	X833	X834	X835	X836	X837	X838	X839	X840	X841	X842	X843	X844	X845	X846	X847	X848	X849	X850	X851	X852	X853	X854	X855	X856	X857	X858	X859	X860	X861	X862	X863	X864	X865	X866	X867	X868	X869	X870	X871	X872	X873	X874	X875	X876	X877	X878	X879	X880	X881	X882	X883	X884	X885	X886	X887	X888	X889	X890	X891	X892	X893	X894	X895	X896	X897	X898	X899	X900	X901	X902	X903	X904	X905	X906	X907	X908	X909	X910	X911	X912	X913	X914	X915	X916	X917	X918	X919	X920	X921	X922	X923	X924	X925	X926	X927	X928	X929	X930	X931	X932	X933	X934	X935	X936	X937	X938	X939	X940	X941	X942	X943	X944	X945	X946	X947	X948	X949	X950	X951	X952	X953	X954	X955	X956	X957	X958	X959	X960	X961	X962	X963	X964	X965	X966	X967	X968	X969	X970	X971	X972	X973	X974	X975	X976	X977	X978	X979	X980	X981	X982	X983	X984	X985	X986	X987	X988	X989	X990	X991	X992	X993	X994	X995	X996	X997	X998	X999	X1000	X1001	X1002	X1003	X1004	X1005	X1006	X1007	X1008	X1009	X1010	X1011	X1012	X1013	X1014	X1015	X1016	X1017	X1018	X1019	X1020	X1021	X1022	X1023	X1024	X1025	X1026	X1027	X1028	X1029	X1030	X1031	X1032	X1033	X1034	X1035	X1036
---	---	----	----	----	----	----	----	----	----	----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	-----	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------

M	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	A	C24
N	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	FL	C25
P	Z1	Z2	Z3	Z4	Z5	Z6	Z7	Z8	Z9	Z10	C21	C26

QUESTIONABLE POINT -PUOK FII  
WARNING LUNG THIN QUAD.

10	93120E-01	7300E-01	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00
24	19000E+01	19000E+01	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00
272	14902E+00	15100E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00	00000E+00

QUESTIONABLE POINT -PUOK FII  
11 10327E+00 7300E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
WARNING LUNG THIN QUAD.  
11 7390E-01 5270E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
12 7390E-01 4990E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
WARNING LUNG THIN QUAD.  
12 5290E-01 35810E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
13 4990E-01 2260E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
WARNING LUNG THIN QUAD.  
13 35810E-01 1630E-01 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
14 2260E-01 0000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

QUESTIONABLE POINT -PUOK FII  
WARNING LUNG THIN QUAD.  
14 1630E-01 0000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00 00000E+00

SOLID ANGLE = 12.500

XYZ POTENTIAL FLOW PROGRAM: SOLUTION OF VERSION 4

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

Q	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100										
N	Y1	Y2	Y3	Y4	Y5	Y6	Y7	Y8	Y9	Y10	Y11	Y12	Y13	Y14	Y15	Y16	Y17	Y18	Y19	Y20	Y21	Y22	Y23	Y24	Y25	Y26	Y27	Y28	Y29	Y30	Y31	Y32	Y33	Y34	Y35	Y36	Y37	Y38	Y39	Y40	Y41	Y42	Y43	Y44	Y45	Y46	Y47	Y48	Y49	Y50	Y51	Y52	Y53	Y54	Y55	Y56	Y57	Y58	Y59	Y60	Y61	Y62	Y63	Y64	Y65	Y66	Y67	Y68	Y69	Y70	Y71	Y72	Y73	Y74	Y75	Y76	Y77	Y78	Y79	Y80	Y81	Y82	Y83	Y84	Y85	Y86	Y87	Y88	Y89	Y90	Y91	Y92	Y93	Y94	Y95	Y96	Y97	Y98	Y99	Y100
P	Z1	Z2	Z3	Z4	Z5	Z6	Z7	Z8	Z9	Z10	Z11	Z12	Z13	Z14	Z15	Z16	Z17	Z18	Z19	Z20	Z21	Z22	Z23	Z24	Z25	Z26	Z27	Z28	Z29	Z30	Z31	Z32	Z33	Z34	Z35	Z36	Z37	Z38	Z39	Z40	Z41	Z42	Z43	Z44	Z45	Z46	Z47	Z48	Z49	Z50	Z51	Z52	Z53	Z54	Z55	Z56	Z57	Z58	Z59	Z60	Z61	Z62	Z63	Z64	Z65	Z66	Z67	Z68	Z69	Z70	Z71	Z72	Z73	Z74	Z75	Z76	Z77	Z78	Z79	Z80	Z81	Z82	Z83	Z84	Z85	Z86	Z87	Z88	Z89	Z90	Z91	Z92	Z93	Z94	Z95	Z96	Z97	Z98	Z99	Z100

# XYZ POTENTIAL FLOW PROGRAM SECTION 49, VERSION 4

## SAMPLE PROBLEM TRIAXIAL ELLIPSOID

X VELOCITY=-1.0 Y VELOCITY= .0 Z VELOCITY= .0

ITERATION	SUM OF CHANGES	A	B1	B2
1	.0652E+00			
2	.13219E+00			
3	.67071E-01			
4	.25190E-01			
5	.94774E-02			
6	.35680E-02			
7	.13432E-02			
8	.50600E-03			
		.727E+00	.202E+00	.713E+00

X VELOCITY= .0 Y VELOCITY=-1.0 Z VELOCITY= .0

ITERATION	SUM OF CHANGES	A	B1	B2
1	.1142E+01			
2	.2740E+01			
3	.16521E+01			
4	.12150E+01			
5	.69020E+00			
6	.64920E+00			
7	.47463E+00			
8	.34695E+00			
9	.25362E+00			
10	.18540E+00			
		.570E+00	.435E+00	.529E+00
		A EXTRAPOLATION		
		.570E+00	.469E+00	.404E+00
11	.13005E-05			

X VELOCITY= .0 Y VELOCITY= .0 Z VELOCITY=-1.0

ITERATION	SUM OF CHANGES	A	B1	B2
1	.15505E+02			
2	.39463E+01			
3	.75055E+00			
4	.16720E+00			
5	.36973E-01			
6	.81712E-02			
7	.18059E-02			
		.120E+01	-.541E+00	.135E+01

## XYZ POTENTIAL FLOW PROGRAM SECTION 49, VERSION 4

## SAMPLE PROBLEM TRIAXIAL ELLIPSOID

## A FLUX

PT.	A	Y	Z	X	XY	VZ	AUSV	CP	SOURCE	V NORMAL
1	.90869	.04997	.60190	-.002743	.01095	.27520	.28104	.92068	.11024	.12E-04
2	.90661	.14997	.00127	-.009920	.00156	.27409	.28382	.91850	.11016	.12E-04
3	.94206	.04999	.10613	-.42322	.01309	.03055	.76018	.41297	.09881	.11E-04
4	.94350	.14997	.12574	-.42399	.00990	.03753	.76070	.41217	.09873	.11E-04
5	.86521	.04999	.24044	-.77020	.00006	.69327	1.05004	-.12072	.07488	.93E-05
6	.86304	.14997	.24502	-.77010	.00000	.69775	1.05093	-.12134	.07485	.93E-05
7	.70914	.04999	.31017	-1.002127	.00624	.02115	1.19335	-.42866	.05888	.74E-05
8	.70731	.14997	.31537	-1.001493	.00675	.02000	1.19398	-.42917	.05887	.74E-05
9	.60909	.04999	.30954	-1.10164	.00442	.52915	1.28213	-.64366	.04587	.62E-05
10	.60821	.14997	.30954	-1.10164	.00442	.52915	1.28213	-.64366	.04586	.62E-05
11	.57471	.04999	.40706	-1.24741	.00339	.43904	1.32202	-.74953	.03697	.50E-05
12	.57327	.14997	.40706	-1.24741	.00339	.43904	1.32202	-.74953	.03697	.50E-05
13	.40538	.04999	.43505	-1.30474	.00257	.36348	1.32267	-.74947	.03695	.50E-05
14	.40477	.14997	.43505	-1.30474	.00257	.36348	1.32267	-.74947	.03695	.50E-05
15	.41100	.04999	.42505	-1.33706	.00742	.30337	1.35430	-.83430	.02959	.41E-05
16	.40997	.14997	.42505	-1.33706	.00742	.30337	1.35430	-.83430	.02959	.41E-05
17	.33655	.04999	.49391	-1.33710	.00624	.30195	1.37073	-.87891	.02428	.34E-05
18	.33571	.14997	.49391	-1.33710	.00624	.30195	1.37073	-.87891	.02427	.34E-05
19	.26741	.04999	.40121	-1.33754	.00160	.24338	1.38116	-.90759	.01944	.27E-05
20	.26674	.14997	.40121	-1.33754	.00160	.24338	1.38116	-.90759	.01944	.27E-05
21	.20317	.04999	.40800	-1.37047	.00370	.19147	1.39171	-.93686	.01495	.22E-05
22	.20266	.14997	.40800	-1.37047	.00370	.19147	1.39171	-.93686	.01495	.22E-05
23	.14208	.04999	.47442	-1.37055	.00272	.14399	1.39501	-.94604	.01127	.17E-05
24	.14173	.14997	.47442	-1.37055	.00272	.14399	1.39501	-.94604	.01126	.17E-05
25	.08352	.04999	.47594	-1.37061	.00066	.10036	1.40021	-.92058	.00779	.12E-05
26	.08332	.14997	.47594	-1.37061	.00066	.10036	1.40021	-.92058	.00779	.12E-05
27	.02622	.04999	.47934	-1.37905	.00132	.05874	1.40068	-.96247	.00458	.67E-06
28	.02616	.14997	.47934	-1.37905	.00132	.05874	1.40068	-.96247	.00459	.67E-06
29	.98124	.24995	.05101	-1.40319	.00035	.01833	1.40332	-.96930	.00141	.21E-06
30	.97372	.34993	.05062	-1.40340	.00555	.27423	1.40331	-.96928	.00140	.22E-06
31	.93555	.24995	.15445	-1.40622	.00572	.27342	.29397	.91358	.11600	.12E-04
32	.92859	.34992	.15377	-1.40622	.00572	.27342	.29397	.91358	.11576	.12E-04
33	.85809	.24995	.24428	-1.77701	.04420	.63609	.76599	.40865	.09865	.11E-04
34	.85211	.34992	.24428	-1.77701	.04420	.63609	.76599	.40865	.09844	.10E-04
35	.76344	.24995	.31370	-1.77045	.00262	.69519	1.05957	-.12268	.07480	.92E-05
36	.75759	.34992	.31370	-1.77045	.00262	.69519	1.05957	-.12268	.07470	.92E-05
37	.66404	.24995	.30676	-1.802209	.00132	.62011	1.19381	-.42946	.05882	.74E-05
38	.65475	.34992	.30676	-1.802209	.00132	.62011	1.19381	-.42946	.05878	.74E-05
39	.57038	.24995	.40459	-1.80650	.00442	.52843	1.28234	-.64440	.04584	.62E-05
40	.56602	.34992	.40459	-1.80650	.00442	.52843	1.28234	-.64440	.04581	.62E-05
41	.46232	.24995	.43276	-1.24709	.00107	.43899	1.32277	-.74971	.03692	.50E-05
42	.47803	.34992	.43276	-1.24709	.00107	.43899	1.32277	-.74971	.03691	.50E-05
43	.40740	.24995	.45122	-1.30494	.00302	.36312	1.35459	-.83440	.02959	.41E-05
44	.40478	.34992	.45122	-1.30494	.00302	.36312	1.35459	-.83440	.02958	.41E-05
45	.33401	.24995	.40021	-1.33702	.00449	.30261	1.37073	-.87891	.02427	.34E-05
46	.33145	.34992	.40021	-1.33702	.00449	.30261	1.37073	-.87891	.02425	.34E-05
47	.26534	.24995	.47592	-1.37043	.00151	.24265	1.38120	-.90769	.01943	.27E-05
48	.26335	.34992	.47592	-1.37043	.00151	.24265	1.38120	-.90769	.01942	.27E-05
49	.20104	.24995	.40527	-1.37050	.00660	.19129	1.39165	-.93769	.01493	.22E-05
50	.20009	.34992	.40527	-1.37050	.00660	.19129	1.39165	-.93769	.01491	.22E-05
			.40155	-1.37060	.00055	.14392	1.39505	-.94618	.01127	.16E-05

X FLUX

Pt.	X	Y	Z	VA	VY	VZ	ADSV	CP	SOURCE	V	MUKMAL
51	.14101	.24700	.44000	-1.30000	.00322	.10015	1.40000	-.96077	.00771	.12E-05	
52	.13393	.34400	.50000	-1.30000	.00447	.10000	1.40000	-.96010	.00771	.12E-05	
53	.06200	.24400	.44000	-1.30000	.00100	.05000	1.40000	-.96044	.00450	.67E-06	
54	.06200	.34400	.50000	-1.30000	.00200	.05000	1.40000	-.96044	.00450	.67E-06	
55	.06200	.44000	.50000	-1.30000	.00300	.05000	1.40000	-.96044	.00450	.67E-06	
56	.06200	.54000	.50000	-1.30000	.00400	.05000	1.40000	-.96044	.00450	.67E-06	
57	.06200	.64000	.50000	-1.30000	.00500	.05000	1.40000	-.96044	.00450	.67E-06	
58	.06200	.74000	.50000	-1.30000	.00600	.05000	1.40000	-.96044	.00450	.67E-06	
59	.06200	.84000	.50000	-1.30000	.00700	.05000	1.40000	-.96044	.00450	.67E-06	
60	.06200	.94000	.50000	-1.30000	.00800	.05000	1.40000	-.96044	.00450	.67E-06	
61	.06200	.04000	.50000	-1.30000	.00900	.05000	1.40000	-.96044	.00450	.67E-06	
62	.06200	.14000	.50000	-1.30000	.01000	.05000	1.40000	-.96044	.00450	.67E-06	
63	.06200	.24000	.50000	-1.30000	.01100	.05000	1.40000	-.96044	.00450	.67E-06	
64	.06200	.34000	.50000	-1.30000	.01200	.05000	1.40000	-.96044	.00450	.67E-06	
65	.06200	.44000	.50000	-1.30000	.01300	.05000	1.40000	-.96044	.00450	.67E-06	
66	.06200	.54000	.50000	-1.30000	.01400	.05000	1.40000	-.96044	.00450	.67E-06	
67	.06200	.64000	.50000	-1.30000	.01500	.05000	1.40000	-.96044	.00450	.67E-06	
68	.06200	.74000	.50000	-1.30000	.01600	.05000	1.40000	-.96044	.00450	.67E-06	
69	.06200	.84000	.50000	-1.30000	.01700	.05000	1.40000	-.96044	.00450	.67E-06	
70	.06200	.94000	.50000	-1.30000	.01800	.05000	1.40000	-.96044	.00450	.67E-06	
71	.06200	.04000	.50000	-1.30000	.01900	.05000	1.40000	-.96044	.00450	.67E-06	
72	.06200	.14000	.50000	-1.30000	.02000	.05000	1.40000	-.96044	.00450	.67E-06	
73	.06200	.24000	.50000	-1.30000	.02100	.05000	1.40000	-.96044	.00450	.67E-06	
74	.06200	.34000	.50000	-1.30000	.02200	.05000	1.40000	-.96044	.00450	.67E-06	
75	.06200	.44000	.50000	-1.30000	.02300	.05000	1.40000	-.96044	.00450	.67E-06	
76	.06200	.54000	.50000	-1.30000	.02400	.05000	1.40000	-.96044	.00450	.67E-06	
77	.06200	.64000	.50000	-1.30000	.02500	.05000	1.40000	-.96044	.00450	.67E-06	
78	.06200	.74000	.50000	-1.30000	.02600	.05000	1.40000	-.96044	.00450	.67E-06	
79	.06200	.84000	.50000	-1.30000	.02700	.05000	1.40000	-.96044	.00450	.67E-06	
80	.06200	.94000	.50000	-1.30000	.02800	.05000	1.40000	-.96044	.00450	.67E-06	
81	.06200	.04000	.50000	-1.30000	.02900	.05000	1.40000	-.96044	.00450	.67E-06	
82	.06200	.14000	.50000	-1.30000	.03000	.05000	1.40000	-.96044	.00450	.67E-06	
83	.06200	.24000	.50000	-1.30000	.03100	.05000	1.40000	-.96044	.00450	.67E-06	
84	.06200	.34000	.50000	-1.30000	.03200	.05000	1.40000	-.96044	.00450	.67E-06	
85	.06200	.44000	.50000	-1.30000	.03300	.05000	1.40000	-.96044	.00450	.67E-06	
86	.06200	.54000	.50000	-1.30000	.03400	.05000	1.40000	-.96044	.00450	.67E-06	
87	.06200	.64000	.50000	-1.30000	.03500	.05000	1.40000	-.96044	.00450	.67E-06	
88	.06200	.74000	.50000	-1.30000	.03600	.05000	1.40000	-.96044	.00450	.67E-06	
89	.06200	.84000	.50000	-1.30000	.03700	.05000	1.40000	-.96044	.00450	.67E-06	
90	.06200	.94000	.50000	-1.30000	.03800	.05000	1.40000	-.96044	.00450	.67E-06	
91	.06200	.04000	.50000	-1.30000	.03900	.05000	1.40000	-.96044	.00450	.67E-06	
92	.06200	.14000	.50000	-1.30000	.04000	.05000	1.40000	-.96044	.00450	.67E-06	
93	.06200	.24000	.50000	-1.30000	.04100	.05000	1.40000	-.96044	.00450	.67E-06	
94	.06200	.34000	.50000	-1.30000	.04200	.05000	1.40000	-.96044	.00450	.67E-06	
95	.06200	.44000	.50000	-1.30000	.04300	.05000	1.40000	-.96044	.00450	.67E-06	
96	.06200	.54000	.50000	-1.30000	.04400	.05000	1.40000	-.96044	.00450	.67E-06	
97	.06200	.64000	.50000	-1.30000	.04500	.05000	1.40000	-.96044	.00450	.67E-06	
98	.06200	.74000	.50000	-1.30000	.04600	.05000	1.40000	-.96044	.00450	.67E-06	
99	.06200	.84000	.50000	-1.30000	.04700	.05000	1.40000	-.96044	.00450	.67E-06	
100	.06200	.94000	.50000	-1.30000	.04800	.05000	1.40000	-.96044	.00450	.67E-06	



pr.

168

## A FLUX

PT.	A	F	Z	YA	YV	YZ	ABSV	CP	SOURCE	V	NORMAL
151	.48921	1.04970	.37601	-1.222673	.00070	.42623	1.32572	-.72752	.03053		.47E-05
152	.47024	1.14904	.33320	-1.222940	.00195	.42243	1.32077	-.70032	.03039		.40E-05
153	.41303	1.04970	.37120	-1.300297	.00216	.35301	1.35060	-.84052	.02921		.34E-05
154	.39705	1.14904	.36679	-1.337110	.00400	.27401	1.35700	-.84161	.02916		.36E-05
155	.34905	1.04970	.36735	-1.337200	.00920	.27401	1.35720	-.80316	.02398		.32E-05
156	.33623	1.14904	.37233	-1.336022	.02004	.27416	1.35720	-.88446	.02390		.32E-05
157	.28647	1.04970	.40012	-1.301497	.03881	.23732	1.35820	-.91147	.01920		.20E-05
158	.27537	1.14904	.36401	-1.330155	.04300	.23558	1.38207	-.91233	.01917		.25E-05
159	.22762	1.04970	.40961	-1.337904	.03909	.16004	1.39255	-.93919	.01475		.21E-05
160	.21873	1.14904	.37373	-1.330016	.03337	.16537	1.39298	-.94039	.01472		.21E-05
161	.17244	1.04970	.44620	-1.30672	.02211	.14001	1.39571	-.94801	.01115		.10E-05
162	.16624	1.14904	.40007	-1.330002	.02005	.13904	1.39007	-.94902	.01113		.15E-05
163	.12094	1.04970	.42006	-1.337773	.02522	.09815	1.40095	-.96266	.00772		.11E-05
164	.11625	1.14904	.40494	-1.337175	.01717	.09737	1.40124	-.96348	.00768		.11E-05
165	.07110	1.04970	.42305	-1.400039	.00867	.02740	1.40159	-.96447	.00452		.64E-06
166	.06834	1.14904	.40723	-1.400003	.01002	.02704	1.40183	-.96512	.00452		.64E-06
167	.02232	1.04970	.42535	-1.400379	.00276	.01761	1.40390	-.97095	.00138		.20E-06
168	.02146	1.14904	.40057	-1.400405	.00310	.01761	1.40417	-.97169	.00139		.20E-06
169	.77171	1.24957	.04012	-.240033	.47201	.23047	.58174	.60158	.10830		.11E-04
170	.72439	1.34948	.03747	-.230740	.35644	.23047	.63574	.59504	.10613		.10E-04
171	.73527	1.24957	.12108	-.230424	.31144	.23047	.63546	.23358	.09345		.92E-05
172	.69544	1.34948	.11516	-.230339	.41047	.23047	.88723	.21203	.09187		.90E-05
173	.67540	1.24957	.12230	-.240490	.22922	.63960	1.09305	-.17006	.07205		.82E-05
174	.63842	1.34948	.10101	-.280266	.22803	.62301	1.10300	-.21673	.07116		.80E-05
175	.60041	1.24957	.24601	-1.040002	.13516	.57930	1.21239	-.46908	.05721		.66E-05
176	.56749	1.34948	.23325	-1.040024	.20759	.56747	1.21712	-.46138	.05665		.65E-05
177	.52253	1.24957	.20347	-1.102004	.13470	.44920	1.29016	-.68457	.04471		.50E-05
178	.49420	1.34948	.27202	-1.100019	.11146	.44071	1.32420	-.70777	.04450		.55E-05
179	.44804	1.24957	.31523	-1.220036	.10206	.41755	1.32792	-.76338	.03630		.45E-05
180	.42399	1.34948	.30075	-1.220903	.12610	.41112	1.32954	-.70768	.03605		.44E-05
181	.37938	1.24957	.34039	-1.310029	.07926	.34035	1.35006	-.84431	.02903		.30E-05
182	.32853	1.34948	.32159	-1.312220	.00956	.34210	1.35901	-.84691	.02894		.37E-05
183	.32084	1.24957	.35522	-1.341449	.00326	.28892	1.37337	-.86613	.02385		.31E-05
184	.30321	1.34948	.33570	-1.342495	.07183	.28515	1.37426	-.86863	.02362		.31E-05
185	.26272	1.24957	.36674	-1.360005	.04969	.23342	1.38339	-.91377	.01911		.25E-05
186	.24828	1.34948	.34070	-1.360032	.02045	.23033	1.38379	-.91487	.01905		.25E-05
187	.20874	1.24957	.37504	-1.360001	.03799	.18367	1.39332	-.94135	.01469		.20E-05
188	.14728	1.34948	.35500	-1.341110	.04326	.18156	1.39360	-.94228	.01462		.20E-05
189	.13060	1.24957	.36109	-1.367425	.02837	.13053	1.39643	-.95000	.01109		.15E-05
190	.11989	1.34948	.36072	-1.360901	.03217	.13005	1.39670	-.95078	.01104		.15E-05
191	.11091	1.24957	.36595	-1.367600	.01941	.09646	1.40152	-.96425	.00766		.11E-05
192	.10482	1.34948	.36475	-1.367635	.02217	.09542	1.40177	-.96497	.00765		.10E-05
193	.06520	1.24957	.36621	-1.400005	.01136	.05048	1.40204	-.96570	.00450		.62E-06
194	.06162	1.34948	.36717	-1.400115	.02590	.05573	1.40232	-.96650	.00447		.61E-06
195	.02047	1.24957	.36920	-1.404934	.00353	.01702	1.40446	-.97250	.00142		.14E-06
196	.01935	1.34948	.36836	-1.404900	.00400	.01758	1.40471	-.97322	.00141		.14E-06
197	.60077	1.44936	.03539	-.345003	.56531	.21115	.69737	.51367	.10325		.10E-04
198	.62444	1.54919	.03246	-.442124	.62114	.20200	.76974	.40750	.09945		.97E-05
199	.64903	1.44936	.10751	-.60017	.42132	.25223	.91087	.15935	.08984		.88E-05
200	.59540	1.54919	.07901	-.64921	.44936	.44935	.95386	.04015	.08708		.85E-05

X FLUX

PT.	A	Y	C	VA	VT	VZ	ADSV	CP	SOURCE	V NORMAL
201	59574	1.44426	10709	-1.00139	32142	60227	1.11475	-24290	07001	70E-05
202	54047	1.54429	11500	-1.00000	35603	57593	1.13069	-27846	06042	70E-05
203	52406	1.44431	12770	-1.00021	25202	55163	1.22202	-49542	05293	62E-05
204	43066	1.54434	13100	-1.00177	20070	55027	1.23100	-51540	05408	62E-05
205	46126	1.44436	20439	-1.01712	17071	47719	1.29230	-67602	04400	54E-05
206	42311	1.54439	23340	-1.10223	11253	46324	1.29400	-68741	04343	52E-05
207	39572	1.44436	20070	-1.20172	12115	40240	1.33100	-77157	03373	44E-05
208	36360	1.54439	20749	-1.20071	14600	39048	1.33303	-77911	03327	43E-05
209	33403	1.44436	30024	-1.34423	10143	33549	1.36010	-85005	02871	30E-05
210	30546	1.54439	27542	-1.31070	11530	32642	1.36170	-85423	02839	30E-05
211	20300	1.44436	31332	-1.34430	03139	27996	1.37489	-89033	02346	31E-05
212	25959	1.54439	26741	-1.34449	02247	27251	1.37543	-89101	02290	31E-05
213	25173	1.44436	32366	-1.30030	00400	22619	1.38397	-91530	01868	29E-05
214	21257	1.54439	27009	-1.35421	01278	22022	1.38303	-91500	01850	29E-05
215	18412	1.44436	33133	-1.30005	02789	17011	1.39310	-94046	01452	20E-05
216	16803	1.54439	30333	-1.30122	00508	17406	1.39327	-94120	01440	19E-05
217	13969	1.44436	33007	-1.30090	03049	15452	1.39050	-95037	01097	15E-05
218	12852	1.54439	30033	-1.30701	00104	13127	1.39001	-95053	01087	14E-05
219	09703	1.44436	34043	-1.30445	02471	09412	1.40183	-90514	00762	10E-05
220	06974	1.54439	31228	-1.34030	02800	09170	1.40168	-90471	00754	10E-05
221	05751	1.44436	34209	-1.40123	00457	05479	1.40230	-90600	00443	60E-06
222	05275	1.54439	31435	-1.40112	01073	05361	1.40225	-90629	00442	54E-06
223	01806	1.44436	34303	-1.40404	00451	01730	1.40470	-97334	00139	14E-06
224	01656	1.54439	31539	-1.40433	00519	01606	1.40409	-97315	00138	14E-06
225	55815	1.64439	62401	-1.50078	00434	16219	0.85590	-26744	09427	92E-05
226	47761	1.74443	02403	-0.05704	00342	12452	0.6009	07670	08659	85E-05
227	53217	1.64432	60642	-0.71000	05708	45135	1.00241	-00463	08323	81E-05
228	45537	1.74443	07542	-0.10076	53323	35132	1.06742	-13938	07730	74E-05
229	46844	1.64442	13513	-0.94104	35519	53435	1.15272	-32877	06019	73E-05
230	41745	1.74443	11400	-0.77223	44408	47519	1.18520	-40470	06255	64E-05
231	43426	1.64442	17049	-1.01945	29203	49954	1.24262	-54409	05342	60E-05
232	37153	1.74443	12713	-1.13024	45257	45257	1.26081	-56903	05059	57E-05
233	37818	1.64442	20032	-1.20734	21014	44041	1.30539	-70405	04244	51E-05
234	32360	1.74443	17051	-1.22723	24709	40441	1.31570	-73108	04070	49E-05
235	32445	1.64442	25014	-1.27320	16928	37203	1.33750	-78809	03459	42E-05
236	27762	1.74443	19633	-1.20431	19401	34504	1.34450	-80769	03330	40E-05
237	27436	1.64442	24617	-1.30007	13174	31292	1.36381	-85998	02772	35E-05
238	23477	1.74442	21004	-1.32721	13197	29104	1.36722	-80929	02642	30E-05
239	73202	1.64442	25639	-1.34404	13207	26177	1.37632	-89425	02260	30E-05
240	14854	1.74443	21902	-1.35071	12297	24377	1.37003	-85896	02186	30E-05
241	16999	1.64442	26537	-1.30552	00308	21201	1.38441	-91600	01821	24E-05
242	16258	1.74443	22707	-1.30726	00720	19811	1.38525	-91892	01708	24E-05
243	15096	1.64442	27106	-1.30109	00426	16747	1.39329	-94125	01417	19E-05
244	12918	1.74443	23245	-1.30231	07477	13677	1.39370	-94201	01375	14E-05
245	11470	1.64442	27003	-1.30903	07806	12640	1.39039	-94992	01072	14E-05
246	09815	1.74442	23620	-1.34045	00606	11860	1.39062	-95055	01043	14E-05
247	06021	1.64442	27912	-1.37009	03248	08823	1.40125	-96351	00741	10E-05
248	06864	1.74443	23044	-1.37027	03049	06823	1.40125	-96350	00719	98E-06
249	04715	1.64442	26047	-1.40006	00459	05167	1.40195	-96546	00439	50E-06
250	04035	1.74442	24042	-1.40002	02252	04847	1.40164	-96461	00423	57E-06

A FLUX

PT.	A	Y	L	VX	XY	VZ	AD5.V	CP	SOURCE	V	NORMAL
251	.01401	1.64092	.00100	-1.40000	.00000	.01000	1.40414	-.97176	.00133		.19E-06
252	.01267	1.74093	.00101	-1.40000	.00000	.00000	1.40384	-.97076	.00131		.10E-06
253	.37344	1.64092	.00101	-.00000	.00000	.11499	1.09001	-.20124	.07431		.75E-05
254	.20594	1.93333	.00101	-1.10147	.00000	.00000	1.27077	-.03520	.04460		.34E-05
255	.33606	1.84725	.00097	-.99473	.00000	.00000	1.15421	-.34377	.06762		.60E-05
256	.14635	1.93333	.00097	-1.10000	.00000	.14602	1.24649	-.08007	.04050		.50E-05
257	.32600	1.84725	.00097	-1.10000	.00000	.00000	1.23750	-.53154	.05016		.63E-05
258	.11022	1.93333	.00100	-1.20000	.00000	.14033	1.32503	-.75728	.04320		.40E-05
259	.24055	1.84725	.00100	-1.10422	.00000	.00000	1.24229	-.81647	.04650		.39E-05
260	.11022	1.93333	.00096	-1.30000	.00000	.19101	1.34770	-.78102	.02820		.34E-05
261	.25302	1.84724	.00096	-1.20000	.00000	.00000	1.33485	-.80725	.03720		.40E-05
262	.13954	1.93333	.00097	-1.33000	.00000	.10116	1.36047	-.83507	.02311		.34E-05
263	.21708	1.84725	.00097	-1.30000	.00000	.24203	1.35405	-.83507	.03024		.41E-05
264	.11971	1.93333	.00097	-1.35701	.00000	.15903	1.37028	-.89964	.01890		.29E-05
265	.18356	1.84725	.00097	-1.33675	.00000	.24807	1.37141	-.88076	.02464		.35E-05
266	.10123	1.93333	.00097	-1.33702	.00000	.13952	1.36935	-.93029	.01572		.24E-05
267	.15524	1.84724	.00097	-1.33702	.00000	.20999	1.36088	-.90603	.02045		.29E-05
268	.00501	1.93333	.00097	-1.30000	.00000	.11474	1.39025	-.94953	.01295		.20E-05
269	.12712	1.84725	.00097	-1.33702	.00000	.11600	1.38710	-.92403	.01657		.23E-05
270	.07010	1.93333	.00097	-1.33908	.00000	.09804	1.40140	-.96393	.01049		.10E-05
271	.10100	1.84725	.00097	-1.30000	.00000	.13654	1.39445	-.94450	.01292		.18E-05
272	.05570	1.93333	.00097	-1.40000	.00000	.07990	1.40080	-.97407	.00831		.13E-05
273	.07674	1.84725	.00097	-1.33702	.00000	.10352	1.39702	-.95166	.00979		.14E-05
274	.04232	1.93333	.00097	-1.40000	.00000	.00072	1.40520	-.98586	.00621		.99E-06
275	.05367	1.84724	.00097	-1.33908	.00000	.07255	1.40134	-.96374	.00678		.97E-06
276	.02960	1.93333	.00097	-1.41127	.00000	.04335	1.41247	-.99506	.00444		.60E-06
277	.03155	1.84725	.00097	-1.40000	.00000	.04222	1.40151	-.98422	.00389		.50E-06
278	.01740	1.93333	.00097	-1.41205	.00000	.02479	1.41304	-.99667	.00243		.41E-06
279	.00991	1.84725	.00097	-1.40000	.00000	.01323	1.40313	-.98876	.00121		.10E-06
280	.00546	1.93333	.00097	-1.41407	.00000	.00794	1.41411	-.99972	.00080		.13E-06

SAMPLE PREPARED: ISOTOPICALLY ENRICHED

Y FLUID

PT.	A	T	L	VA	VY	VZ	ABSAV	CP	SOURCE	V NUKMAL
1	.90009	.04999	.00140	.00304	-1.12817	.00200	1.12000	-2.1297	.00118	-1.14E-08
2	.90021	.14997	.00127	.00164	-1.12817	.00041	1.12150	-2.1138	.00354	-1.50E-08
3	.90006	.04999	.00013	.00037	-1.12835	.00008	1.12000	-2.1332	.00105	-1.0E-08
4	.90030	.14997	.00174	.00139	-1.12123	.00070	1.12100	-2.1207	.00314	-1.48E-08
5	.90001	.04999	.00000	.00000	-1.12103	.00014	1.12100	-2.1211	.00087	-1.4E-08
6	.90004	.14997	.00002	.00007	-1.12103	.00042	1.12147	-2.1119	.00261	-1.43E-08
7	.90024	.04999	.00127	.00070	-1.12101	.00021	1.12105	-2.1159	.00078	-1.2E-08
8	.90031	.14997	.00153	.00107	-1.12096	.00047	1.12132	-2.1085	.00231	-1.50E-08
9	.90009	.04999	.00004	.00034	-1.12122	.00078	1.12132	-2.1084	.00064	-1.1E-08
10	.90021	.14997	.00001	.00049	-1.12163	.00035	1.12103	-2.1020	.00206	-1.31E-08
11	.90006	.04999	.00005	.00006	-1.12110	.00078	1.12113	-2.1042	.00066	-1.93E-04
12	.90030	.14997	.00000	.00000	-1.12103	.00014	1.12087	-2.0948	.00194	-1.20E-08
13	.90001	.04999	.00000	.00000	-1.12103	.00027	1.12093	-2.0948	.00062	-1.85E-09
14	.90004	.14997	.00002	.00049	-1.12095	.00039	1.12069	-2.0943	.00184	-1.25E-08
15	.90024	.04999	.00005	.00010	-1.12077	.00078	1.12074	-2.0966	.00060	-1.80E-04
16	.90031	.14997	.00001	.00049	-1.12066	.00029	1.12066	-2.0941	.00174	-1.24E-08
17	.90009	.04999	.00006	.00042	-1.12006	.00029	1.12066	-2.0941	.00054	-1.75E-04
18	.90021	.14997	.00000	.00006	-1.12067	.00015	1.12059	-2.0875	.00175	-1.24E-08
19	.90006	.04999	.00000	.00042	-1.12034	.00015	1.12057	-2.0915	.00050	-1.75E-04
20	.90030	.14997	.00000	.00000	-1.12018	.00010	1.12034	-2.0875	.00170	-1.22E-08
21	.90001	.04999	.00000	.00000	-1.12047	.00010	1.12044	-2.0875	.00050	-1.71E-04
22	.90004	.14997	.00002	.00049	-1.12044	.00014	1.12031	-2.0858	.00164	-1.21E-08
23	.90024	.04999	.00005	.00049	-1.12044	.00014	1.12046	-2.0841	.00050	-1.70E-04
24	.90031	.14997	.00000	.00049	-1.12008	.00014	1.12028	-2.0851	.00167	-1.21E-08
25	.90009	.04999	.00006	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
26	.90021	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
27	.90006	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
28	.90030	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
29	.90001	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
30	.90004	.14997	.00002	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
31	.90024	.04999	.00005	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
32	.90031	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
33	.90009	.04999	.00006	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
34	.90021	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
35	.90006	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
36	.90030	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
37	.90001	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
38	.90004	.14997	.00002	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
39	.90024	.04999	.00005	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
40	.90031	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
41	.90009	.04999	.00006	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
42	.90021	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
43	.90006	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
44	.90030	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
45	.90001	.04999	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
46	.90004	.14997	.00002	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
47	.90024	.04999	.00005	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
48	.90031	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
49	.90009	.04999	.00006	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04
50	.90021	.14997	.00000	.00049	-1.12044	.00014	1.12044	-2.0851	.00055	-1.69E-04

Y FLUX

PT.	A	T	L	TA	TY	VZ	ABSV	UP	SOURCE	V NORMAL
51	.14101	.24975	.47009	.00293	-1.12533	.03502	1.12589	-.20764	.00279	-.34E-08
52	.13993	.24977	.47009	.00293	-1.12421	.03502	1.12533	-.20638	.00393	-.47E-08
53	.00293	.24975	.47009	.00144	-1.12531	.03505	1.12581	-.20759	.00279	-.34E-08
54	.00246	.24973	.47009	.00201	-1.12414	.03505	1.12530	-.20631	.00393	-.40E-08
55	.00263	.24975	.47009	.00042	-1.12530	.03548	1.12580	-.20756	.00278	-.34E-08
56	.00283	.24972	.47009	.00059	-1.12418	.04996	1.12529	-.20627	.00391	-.40E-08
57	.00302	.24990	.47009	.12457	-1.11376	.02500	1.12099	-.25603	.01085	-.10E-07
58	.95084	.54908	.04913	.13523	-1.10001	.03152	1.11702	-.24774	.01339	-.10E-07
59	.91876	.44950	.15217	.09532	-1.11607	.00323	1.12252	-.20004	.00474	-.14E-07
60	.90657	.54908	.15016	.11745	-1.11045	.07764	1.11936	-.25296	.01202	-.10E-07
61	.84326	.44950	.24019	.06398	-1.11423	.07476	1.12354	-.20235	.00798	-.12E-07
62	.83208	.54908	.25700	.07070	-1.11458	.09225	1.12117	-.25703	.00987	-.14E-07
63	.74973	.44950	.30610	.04807	-1.12079	.07514	1.12420	-.20384	.00711	-.10E-07
64	.73978	.54908	.30406	.09343	-1.11708	.09201	1.12230	-.25956	.00880	-.12E-07
65	.65293	.44950	.35017	.03102	-1.12104	.07305	1.12440	-.20442	.00633	-.80E-08
66	.64424	.54908	.35339	.03939	-1.11854	.09034	1.12280	-.26065	.00780	-.10E-07
67	.56014	.44950	.37333	.02943	-1.12211	.07065	1.12460	-.20473	.00590	-.77E-08
68	.55271	.54908	.37206	.02967	-1.11939	.06769	1.12322	-.20162	.00740	-.91E-08
69	.47307	.44950	.42500	.01032	-1.12237	.06916	1.12464	-.20463	.00566	-.71E-08
70	.46733	.54908	.41936	.02207	-1.11966	.00547	1.12334	-.20190	.00700	-.85E-08
71	.46057	.44950	.44551	.04357	-1.12247	.06709	1.12461	-.20475	.00549	-.66E-08
72	.34926	.54908	.43763	.01748	-1.11014	.06392	1.12343	-.20209	.00680	-.77E-08
73	.33401	.44950	.45614	.01127	-1.12226	.06690	1.12461	-.20474	.00538	-.62E-08
74	.32366	.54908	.45206	.02364	-1.12035	.06264	1.12340	-.20220	.00664	-.73E-08
75	.26062	.44950	.46900	.00334	-1.12257	.06616	1.12455	-.20461	.00521	-.62E-08
76	.25716	.54908	.46276	.01051	-1.12044	.06171	1.12346	-.20217	.00643	-.72E-08
77	.19802	.44950	.47625	.00943	-1.12260	.06502	1.12453	-.20457	.00518	-.59E-08
78	.19339	.54908	.47023	.00793	-1.12048	.06107	1.12344	-.20211	.00640	-.80E-08
79	.13848	.44950	.47130	.00941	-1.12261	.06520	1.12451	-.20453	.00512	-.56E-08
80	.13664	.54908	.47543	.00946	-1.12034	.00022	1.12345	-.20213	.00633	-.68E-08
81	.00141	.44950	.46507	.00239	-1.12264	.06495	1.12452	-.20455	.00510	-.57E-08
82	.00032	.54908	.47604	.00322	-1.12036	.00038	1.12345	-.20214	.00632	-.60E-08
83	.00556	.44950	.46608	.00075	-1.12264	.06404	1.12451	-.20453	.00506	-.57E-08
84	.02522	.54908	.46022	.00093	-1.12039	.08020	1.12346	-.20215	.00629	-.66E-08
85	.93526	.64905	.04802	.16235	-1.07027	.03747	1.11200	-.23623	.01602	-.21E-07
86	.91675	.74902	.04766	.21246	-1.06436	.04360	1.10583	-.22287	.01873	-.23E-07
87	.89172	.64905	.14770	.14005	-1.10264	.09297	1.11538	-.24407	.01446	-.18E-07
88	.87408	.74902	.14477	.16346	-1.07201	.10837	1.11027	-.23271	.01694	-.20E-07
89	.81345	.64905	.23312	.07417	-1.10662	.11024	1.11026	-.23050	.01181	-.16E-07
90	.80226	.74902	.22851	.14018	-1.10151	.12097	1.11449	-.24210	.01380	-.17E-07
91	.72767	.64905	.24908	.00026	-1.11249	.11097	1.11997	-.23433	.01053	-.13E-07
92	.71327	.74902	.24326	.07759	-1.10608	.12996	1.11099	-.24706	.01237	-.14E-07
93	.63303	.64905	.34957	.04742	-1.11474	.10610	1.12090	-.25656	.00941	-.12E-07
94	.62115	.74902	.34255	.09525	-1.10991	.12670	1.12101	-.25101	.01106	-.13E-07
95	.54366	.64905	.35004	.03564	-1.11576	.10496	1.12147	-.25770	.00887	-.10E-07
96	.53243	.74902	.37601	.00192	-1.11176	.12311	1.11934	-.25292	.01042	-.11E-07
97	.45973	.64905	.42249	.02740	-1.11060	.10235	1.12101	-.25846	.00839	-.93E-08
98	.45063	.74902	.42943	.03166	-1.11242	.12012	1.11903	-.25403	.00987	-.10E-07
99	.36879	.64905	.46746	.02100	-1.11722	.10053	1.12194	-.25875	.00615	-.80E-08
100	.36110	.74902	.42179	.06256	-1.11357	.11600	1.12009	-.25460	.00958	-.93E-08

## Y FLUX

PT.	A	Y	Z	YX	YZ	AB3-V	LP	SOURCE	V NORMAL
101	.31450	.00000	.00000	-1.11724	.00943	1.12200	-.25900	.00799	-.81E-08
102	.31255	.74902	.43000	-1.11494	.11420	1.12000	-.25498	.00436	-.84E-08
103	.25295	.64765	.44200	-1.11772	.09001	1.12200	-.25900	.00773	-.80E-08
104	.24790	.74762	.44600	-1.11434	.11427	1.12000	-.25520	.00908	-.80E-08
105	.19219	.54755	.40200	-1.11700	.09746	1.12212	-.25914	.00767	-.70E-08
106	.10859	.74762	.45300	-1.11421	.11405	1.12000	-.25527	.00902	-.84E-08
107	.13470	.64765	.46700	-1.11794	.09650	1.12212	-.25915	.00758	-.75E-08
108	.13175	.74762	.45800	-1.11401	.11345	1.12000	-.25541	.00893	-.80E-08
109	.07901	.64765	.47000	-1.11800	.09622	1.12214	-.25920	.00757	-.73E-08
110	.07745	.74762	.46100	-1.11472	.11305	1.12000	-.25541	.00891	-.78E-08
111	.02481	.64765	.47200	-1.11800	.09623	1.12212	-.25916	.00754	-.73E-08
112	.02432	.74762	.46300	-1.11474	.11276	1.12000	-.25548	.00885	-.70E-08
113	.89915	.54778	.40000	-1.00709	.04997	1.09000	-.20638	.02160	-.24E-07
114	.87019	.64774	.40500	-1.00236	.05006	1.08421	-.18630	.02468	-.24E-07
115	.85347	.74774	.41300	-1.00104	.12435	1.10424	-.21934	.01955	-.21E-07
116	.82968	.84774	.41700	-1.00007	.14112	1.09001	-.20277	.02231	-.21E-07
117	.78335	.84778	.42312	-1.00277	.14853	1.11000	-.23230	.01602	-.10E-07
118	.70151	.84774	.41600	-1.00191	.10901	1.10451	-.21944	.01840	-.10E-07
119	.64646	.84778	.42000	-1.00970	.14992	1.11347	-.21944	.01430	-.15E-07
120	.61704	.94774	.42627	-1.00000	.17107	1.10901	-.22989	.01639	-.15E-07
121	.60621	.84778	.43400	-1.00400	.14632	1.11500	-.24448	.01280	-.13E-07
122	.59960	.94774	.43200	-1.00677	.10710	1.11161	-.23612	.01467	-.13E-07
123	.52034	.84778	.43000	-1.10002	.14223	1.11007	-.24695	.01207	-.11E-07
124	.50583	.94774	.43001	-1.10004	.10257	1.11337	-.23958	.01384	-.11E-07
125	.44001	.84778	.43400	-1.10014	.13866	1.11741	-.24860	.01144	-.10E-07
126	.42774	.94774	.43000	-1.10222	.15873	1.11434	-.24166	.01311	-.10E-07
127	.37211	.84778	.44200	-1.10900	.13640	1.11774	-.24935	.01110	-.90E-08
128	.30174	.94774	.44000	-1.10343	.15600	1.11490	-.24301	.01273	-.95E-08
129	.30471	.84778	.42500	-1.10971	.13444	1.11000	-.25003	.01086	-.84E-08
130	.24621	.94775	.44372	-1.10431	.15368	1.11520	-.24304	.01247	-.88E-08
131	.24210	.84778	.42500	-1.10101	.13219	1.11017	-.25030	.01052	-.88E-08
132	.23535	.94774	.42300	-1.10450	.15219	1.11550	-.24434	.01208	-.86E-08
133	.16395	.84778	.44200	-1.10039	.13106	1.11027	-.25053	.01045	-.84E-08
134	.17862	.94774	.43000	-1.10220	.15096	1.11562	-.24400	.01199	-.82E-08
135	.12804	.84778	.44700	-1.10007	.13108	1.11032	-.25063	.01032	-.82E-08
136	.12505	.94775	.43500	-1.10534	.15010	1.11573	-.24405	.01186	-.80E-08
137	.07962	.84778	.45001	-1.11009	.13007	1.11036	-.25073	.01032	-.80E-08
138	.04352	.94774	.44800	-1.10509	.14926	1.11577	-.24495	.01163	-.78E-08
139	.02374	.84778	.45210	-1.10711	.13032	1.11035	-.25072	.01026	-.80E-08
140	.02308	.94774	.43949	-1.10578	.14930	1.11581	-.24504	.01178	-.70E-08
141	.84159	1.04970	.04375	-1.00000	.06335	1.07780	-.16105	.02792	-.24E-07
142	.80356	1.14564	.04200	-1.00501	.07026	1.06600	-.13209	.03139	-.24E-07
143	.80341	1.04970	.12770	-1.00400	.15876	1.08743	-.16250	.02520	-.21E-07
144	.77130	1.14564	.12770	-1.00249	.17675	1.07004	-.15706	.02849	-.19E-07
145	.73583	1.04970	.20977	-1.00000	.14070	1.09759	-.20470	.02090	-.10E-07
146	.70793	1.14564	.20139	-1.00291	.21333	1.08091	-.18572	.02369	-.17E-07
147	.65479	1.04970	.23912	-1.00000	.19354	1.10364	-.21802	.01870	-.15E-07
148	.62470	1.14564	.23000	-1.00000	.21764	1.09050	-.20245	.02110	-.13E-07
149	.57022	1.04970	.24000	-1.00700	.16943	1.10732	-.22615	.01669	-.13E-07
150	.54811	1.14564	.30200	-1.00000	.21304	1.10140	-.21321	.01699	-.11E-07

Y FLUX

PT.	A	T	Z	RA	RY	YZ	ADS-V	CP	SOURCE	V NORMAL
151	40921	1.04970	34701	00071	-1.07619	10449	1.10734	-23075	01260	-1.1E-07
152	47024	1.14909	33296	00069	-1.06190	20025	1.10408	-21900	01193	-96E-06
153	41303	1.24970	30110	00753	-1.07409	20020	1.11065	-22353	01494	-297E-08
154	39705	1.14964	33677	00072	-1.00002	20067	1.10506	-22293	01700	-85E-08
155	34905	1.04970	30729	00777	-1.07606	17717	1.11134	-23508	01453	-89E-08
156	33679	1.14964	31233	00700	-1.00705	20031	1.10677	-22443	01650	-77E-08
157	26647	1.04970	40010	00711	-1.07607	17470	1.11180	-22627	01420	-82E-08
158	27537	1.14964	36901	00200	-1.00703	19760	1.10749	-22654	01616	-71E-08
159	22762	1.04970	40901	00209	-1.07604	17200	1.11217	-23693	01375	-80E-08
160	21879	1.14964	39373	00457	-1.07607	19550	1.10794	-22753	01564	-60E-08
161	17294	1.04970	40007	01006	-1.07607	17145	1.11234	-22740	01300	-70E-08
162	16624	1.14964	40007	01078	-1.07607	19399	1.10620	-22811	01554	-64E-08
163	11044	1.04970	40006	01149	-1.07607	17051	1.11247	-23754	01350	-74E-08
164	11625	1.14964	40934	01291	-1.07607	19296	1.10639	-22853	01537	-63E-08
165	07119	1.04970	40309	00078	-1.07607	16999	1.11254	-23765	01349	-72E-08
166	06934	1.14964	40723	00762	-1.07607	19233	1.10044	-22875	01530	-61E-08
167	02232	1.04970	40309	00190	-1.07607	16909	1.11256	-23764	01343	-72E-08
168	02146	1.14964	40307	00219	-1.07607	19198	1.10056	-22890	01528	-60E-08
169	77179	1.24957	00010	37755	-97322	07757	1.04070	-09571	03519	-20E-07
170	72939	1.34948	03741	41390	-97322	06538	1.02511	-05065	03937	-16E-07
171	73567	1.24957	12108	27590	-1.00052	19656	1.06170	-12722	03210	-17E-07
172	69544	1.34948	12106	32005	-96006	21640	1.04341	-08870	03000	-13E-07
173	67540	1.24957	19230	00420	-1.03115	23807	1.07799	-16206	02672	-15E-07
174	63829	1.34948	10101	22757	-1.00474	26610	1.06396	-13201	03017	-11E-07
175	60049	1.24957	24601	14951	-1.02000	24422	1.08780	-16351	02401	-11E-07
176	56749	1.34948	23325	10267	-1.02812	27339	1.07621	-15823	02717	-83E-08
177	52243	1.24957	26847	10448	-1.04362	24912	1.09405	-19694	02149	-95E-08
178	49420	1.34948	27262	11711	-1.06362	29744	1.08426	-17562	02444	-65E-08
179	44804	1.24957	33323	07746	-1.00924	23449	1.09753	-20456	02037	-77E-08
180	42397	1.34948	30075	00912	-1.02250	26303	1.08052	-18408	02313	-50E-08
181	37938	1.24957	34039	00020	-1.07376	22950	1.09960	-20929	01920	-67E-08
182	35853	1.34948	32169	00700	-1.02819	25800	1.09143	-19121	02190	-40E-08
183	32034	1.24957	35522	00709	-1.07637	22507	1.10086	-21109	01875	-59E-08
184	30321	1.34948	33570	00373	-1.00136	25455	1.09270	-19417	02118	-33E-08
185	26272	1.24957	30074	00099	-1.07637	22208	1.10179	-21394	01834	-53E-08
186	24828	1.34948	34678	04175	-1.00308	25131	1.09390	-19674	02091	-27E-08
187	20374	1.24957	37504	00278	-1.07475	22026	1.10242	-21529	01777	-50E-08
188	19728	1.34948	35500	03101	-1.00554	24806	1.09472	-19842	02024	-24E-08
189	15800	1.24957	30169	00211	-1.00050	21006	1.10271	-21596	01760	-46E-08
190	14509	1.34948	36072	00377	-1.00006	24700	1.09536	-19980	02012	-21E-08
191	11091	1.24957	36595	01457	-1.00119	21770	1.10259	-21658	01746	-45E-08
192	10402	1.34948	36475	01040	-1.00754	24570	1.09557	-20028	01989	-19E-08
193	06520	1.24957	30851	00054	-1.00154	21706	1.10314	-21693	01746	-43E-08
194	06162	1.34948	36717	00904	-1.00808	24441	1.09584	-20068	01980	-16E-08
195	02047	1.24957	30900	00256	-1.00173	21670	1.10323	-21711	01737	-43E-08
196	01935	1.34948	36335	00201	-1.00050	24457	1.09594	-20109	01977	-18E-08
197	60077	1.44956	00559	45106	-00430	09273	99701	00596	04407	-10E-07
198	62447	1.54959	00240	45707	-00435	10034	99040	00155	04440	-20E-08
199	64908	1.44956	10751	39202	-92303	23802	1.01451	-03940	04055	-84E-08
200	59540	1.54959	00901	39240	-00010	20056	98591	02794	04578	-14E-08



## Y FLOW

PT.	A	Y	Z	YX	YV	VZ	AD3.0	CP	SOURCE	V NUMAL
201	.59574	1.44936	.13006	.22201	-.90907	.27538	1.04467	-.04133	.03414	-.63E-00
202	.59597	1.54919	.15500	.20509	-.92220	.32743	1.00190	-.05611	.03090	.33E-04
203	.52906	1.44936	.21770	.13136	-.91603	.30542	1.00021	-.12406	.03085	-.40E-08
204	.48506	1.54919	.17959	.20559	-.90836	.34135	1.03170	-.06648	.03524	.20E-00
205	.46126	1.44936	.25459	.13162	-.90331	.30204	1.07752	-.14608	.02782	-.23E-08
206	.42311	1.54919	.23346	.10762	-.90331	.34055	1.05137	-.10534	.03197	.34E-00
207	.39572	1.44936	.26770	.10066	-.90290	.29683	1.07630	-.15842	.02630	-.11E-00
208	.36300	1.54919	.25749	.11361	-.90771	.33553	1.05067	-.12078	.03034	.43E-08
209	.33043	1.44936	.30024	.07637	-.91714	.29154	1.08004	-.16644	.02506	-.19E-04
210	.30696	1.54919	.27542	.06550	-.90075	.35017	1.06580	-.13167	.02887	.50E-08
211	.28300	1.44936	.31332	.06074	-.90141	.26738	1.08204	-.17061	.02414	.39E-04
212	.25959	1.54919	.26741	.06910	-.90150	.32575	1.06662	-.13767	.02763	.50E-08
213	.23173	1.44936	.32350	.04704	-.90456	.26301	1.08357	-.17413	.02350	.89E-04
214	.21257	1.54919	.29009	.05505	-.90170	.32205	1.06884	-.14241	.02719	.59E-08
215	.18412	1.44936	.33133	.05059	-.90470	.26111	1.08474	-.17676	.02312	.82E-08
216	.16889	1.54919	.30393	.04204	-.90292	.34933	1.07654	-.14607	.02665	.62E-08
217	.13989	1.44936	.35607	.02750	-.90480	.27924	1.08544	-.17824	.02294	.14E-08
218	.12332	1.54919	.30803	.03104	-.90231	.31747	1.07174	-.14873	.02640	.63E-06
219	.09783	1.44936	.34043	.01006	-.90450	.27800	1.08619	-.17980	.02274	.16E-08
220	.08474	1.54919	.31228	.02220	-.90402	.31622	1.07273	-.15075	.02620	.65E-08
221	.05751	1.44936	.34201	.01041	-.90500	.27719	1.08641	-.16029	.02271	.17E-08
222	.05275	1.54919	.31455	.01296	-.90257	.31543	1.07324	-.15184	.02618	.65E-08
223	.01806	1.44936	.34505	.00333	-.90597	.27602	1.08082	-.16118	.02254	.16E-08
224	.01650	1.54919	.31594	.00391	-.90263	.31504	1.07357	-.15256	.02604	.66E-08
225	.58815	1.64842	.02901	.54912	-.73361	.10720	.90509	.10062	.05574	.87E-08
226	.47761	1.74843	.02403	.53984	-.61534	.11209	.82622	.31736	.06353	.23E-07
227	.53217	1.64842	.03814	.42445	-.70747	.26200	.93660	.11904	.05201	.82E-06
228	.45537	1.74843	.07542	.42056	-.67541	.30181	.86057	.24905	.05990	.21E-07
229	.46844	1.64842	.13913	.30910	-.65525	.36104	.97893	.04171	.04475	.94E-08
230	.41745	1.74843	.11905	.33757	-.75500	.39600	.91721	.15874	.05240	.22E-07
231	.43426	1.64842	.17044	.22742	-.90023	.36207	1.00441	-.00804	.04083	.10E-07
232	.37159	1.74843	.15273	.25247	-.81013	.42706	.94496	.04757	.04825	.22E-07
233	.37813	1.64842	.20002	.16740	-.93245	.36444	1.02239	-.04528	.03714	.11E-07
234	.32360	1.74843	.17851	.16008	-.93026	.43549	.97304	.05203	.04414	.23E-07
235	.32445	1.64842	.23014	.12008	-.90527	.38024	1.03186	-.06473	.03533	.12E-07
236	.27762	1.74843	.17073	.14542	-.87527	.43469	.98612	.02361	.04207	.22E-07
237	.27436	1.64842	.24617	.07050	-.90340	.37509	1.03075	-.07900	.03341	.12E-07
238	.25477	1.74842	.21064	.11364	-.87276	.43104	.99018	.00367	.03934	.23E-07
239	.23202	1.64842	.25609	.09011	-.97118	.37141	1.04280	-.08756	.03225	.13E-07
240	.19854	1.74843	.21962	.06273	-.90311	.42824	1.00581	-.00764	.03840	.23E-07
241	.16949	1.64842	.26537	.06307	-.97708	.36767	1.04598	-.04407	.03164	.13E-07
242	.16258	1.74843	.22707	.07334	-.91142	.42573	1.00865	-.01758	.03793	.23E-07
243	.15090	1.64842	.27100	.04072	-.90150	.36526	1.04831	-.04846	.03107	.13E-07
244	.12418	1.74842	.23249	.02601	-.97150	.42359	1.01197	-.02404	.03722	.23E-07
245	.11470	1.64842	.27603	.03002	-.90421	.36351	1.04584	-.02116	.03084	.13E-07
246	.09815	1.74842	.23025	.04202	-.92151	.42205	1.01426	-.02876	.03690	.22E-07
247	.06021	1.64842	.27942	.02220	-.90608	.36213	1.05577	-.04412	.03057	.13E-07
248	.04804	1.74843	.23034	.02926	-.92404	.42091	1.01586	-.03196	.03660	.23E-07
249	.04715	1.64842	.26071	.02470	-.90742	.36137	1.05142	-.04548	.03054	.13E-07
250	.04655	1.74842	.24052	.01720	-.92571	.42050	1.01600	-.03509	.03650	.22E-07

## Y FLUX

PL	A	f	L	FA	FY	FZ	ASD.Y	CP	SOURCE	V NORMAL
251	.01421	1.84725	.40190	.00920	-.70767	.36094	1.00175	-.10618	.03040	.13E-07
252	.01267	1.74745	.29421	.00921	-.70094	.41999	1.00130	-.00490	.03043	.22E-07
253	.37364	1.84725	.01911	.00620	-.49027	.11025	.09080	.51108	.07249	.44E-07
254	.20544	1.93333	.00071	.00707	-.14010	.60358	.40940	.83252	.08450	.71E-07
255	.30006	1.84725	.00997	.40304	-.50000	.30695	.74756	.44155	.06920	.42E-07
256	.19635	1.93333	.00202	.00137	-.20631	.24212	.45755	.79065	.08467	.65E-07
257	.30603	1.84725	.07308	.00992	-.50947	.42004	.81130	.34100	.06195	.42E-07
258	.10022	1.93333	.00133	.00204	-.20509	.34707	.51602	.73372	.08234	.62E-07
259	.29095	1.84725	.11942	.27943	-.00360	.40920	.05012	.26362	.05744	.40E-07
260	.10023	1.93333	.00506	.23407	-.30275	.41238	.50292	.68312	.08238	.55E-07
261	.25302	1.84724	.10921	.21071	-.71000	.49136	.09423	.20036	.05205	.42E-07
262	.13954	1.93333	.00997	.17500	-.50009	.42142	.59035	.64436	.08080	.53E-07
263	.21708	1.84725	.15998	.10927	-.74994	.49600	.91524	.16233	.04911	.42E-07
264	.11971	1.93333	.00491	.10236	-.30097	.47520	.61091	.61696	.08068	.50E-07
265	.16356	1.84725	.00470	.10579	-.77447	.49866	.93107	.13310	.04716	.41E-07
266	.10123	1.93333	.09063	.13397	-.37826	.49251	.03547	.59618	.08065	.47E-07
267	.15524	1.84724	.17108	.11145	-.70997	.49807	.94093	.11466	.04013	.40E-07
268	.00501	1.93333	.07476	.11248	-.30999	.50244	.64585	.50208	.08013	.40E-07
269	.12712	1.84725	.17754	.00908	-.80228	.49903	.94901	.09938	.04547	.39E-07
270	.07010	1.93333	.07791	.09125	-.39910	.51024	.05418	.57205	.08051	.45E-07
271	.10109	1.84725	.10176	.00800	-.81138	.49900	.95502	.08793	.04460	.30E-07
272	.05570	1.93333	.10023	.07141	-.40596	.51619	.06054	.56309	.08052	.44E-07
273	.07674	1.84725	.10400	.0128	-.61746	.49801	.95900	.08032	.04442	.37E-07
274	.04232	1.93333	.10105	.00374	-.42074	.52024	.06501	.55776	.08036	.43E-07
275	.05367	1.84724	.10075	.03400	-.82100	.49801	.96180	.07483	.04384	.30E-07
276	.02900	1.93333	.10299	.03813	-.41309	.52279	.66789	.55392	.08031	.43E-07
277	.03155	1.84725	.10798	.02036	-.62439	.49841	.96350	.07156	.04362	.37E-07
278	.01740	1.93333	.10307	.02213	-.41594	.52439	.66969	.55151	.08048	.42E-07
279	.00991	1.84725	.10800	.00623	-.82503	.49827	.96435	.07003	.04340	.30E-07
280	.00546	1.93333	.10401	.00090	-.41693	.52522	.67062	.55026	.08044	.42E-07

Z FLOW

PT.	A	Y	Z	VX	VT	VZ	403.8 V	CP	SOURCE	V NORMAL
1	.93409	.04999	.05140	.49320	.00624	-2.30249	2.43333	-4.92137	.04429	-.30E-05
2	.90621	.14917	.05117	.49410	.04072	-2.30204	2.43333	-4.92200	.04429	-.30E-05
3	.94206	.04999	.15013	1.13390	.01317	-1.71129	2.05343	-3.21677	.11993	-.81E-05
4	.94030	.14917	.15074	1.13000	.04239	-1.71259	2.05343	-3.21652	.11993	-.81E-05
5	.80521	.04999	.24044	1.25000	.01765	-1.00019	1.64494	-1.70503	.15702	-.90E-05
6	.86304	.14917	.24002	1.25025	.04403	-1.00019	1.64494	-1.70832	.15690	-.90E-05
7	.76924	.04999	.31017	1.10047	.01226	-.60957	1.28025	-.05969	.17793	-.10E-04
8	.70731	.14917	.31537	1.00994	.04051	-.67071	1.28045	-.60209	.17780	-.10E-04
9	.62989	.04999	.36954	.93379	.01751	-.42329	1.02340	-.05145	.18051	-.98E-05
10	.60821	.14917	.36761	.93348	.04330	-.42425	1.02080	-.05433	.18045	-.98E-05
11	.57471	.04999	.40700	.77504	.01712	-.27332	.02203	.32327	.19325	-.10E-04
12	.57327	.14917	.40604	.77503	.04105	-.27443	.02409	.32008	.19323	-.10E-04
13	.48548	.04999	.43695	.60370	.01695	-.17759	.06150	.50242	.19382	-.10E-04
14	.46477	.14917	.43426	.60376	.04605	-.17853	.06327	.50007	.19378	-.10E-04
15	.41100	.04999	.45595	.52016	.01039	-.11940	.54174	.70652	.19796	-.10E-04
16	.40977	.14917	.45371	.52010	.04949	-.12028	.54378	.70430	.19792	-.10E-04
17	.35055	.04999	.47006	.42003	.01501	-.07531	.42702	.81765	.19997	-.10E-04
18	.35711	.14917	.46838	.42008	.04846	-.07614	.42942	.81557	.19994	-.10E-04
19	.26741	.04999	.45121	.32773	.01618	-.04504	.33128	.84025	.19017	-.95E-05
20	.26674	.14917	.44938	.32773	.04743	-.04607	.33438	.84018	.19012	-.95E-05
21	.20317	.04999	.46095	.24963	.01504	-.06597	.25088	.93706	.19980	-.97E-05
22	.20266	.14917	.45773	.24969	.04702	-.06677	.25486	.93505	.19977	-.97E-05
23	.14208	.04999	.49442	.17510	.01610	-.01270	.17030	.90892	.19965	-.98E-05
24	.14173	.14917	.49218	.17523	.04754	-.01345	.18138	.90710	.19962	-.98E-05
25	.06352	.04999	.49769	.10324	.01577	-.00444	.10453	.90907	.20066	-.97E-05
26	.08332	.14917	.49645	.10336	.04742	-.00525	.11384	.90704	.20061	-.97E-05
27	.02622	.04999	.49334	.03040	.01573	-.00051	.03423	.94803	.20033	-.98E-05
28	.02616	.14917	.49009	.03054	.04735	-.00130	.03625	.94604	.20030	-.98E-05
29	.90124	.24995	.05101	.49355	.03158	-2.30299	2.43377	-4.92325	.04421	-.30E-05
30	.97372	.34993	.07002	.49170	.04416	-2.30325	2.43305	-4.92361	.04412	-.30E-05
31	.93550	.24995	.15445	1.13053	.07693	-1.71416	2.05482	-3.22230	.11974	-.80E-05
32	.92859	.34992	.15377	1.12692	.10722	-1.71635	2.05004	-3.22729	.11959	-.80E-05
33	.85808	.24995	.24458	1.25335	.09039	-1.00836	1.64738	-1.71306	.15084	-.90E-05
34	.85211	.34992	.24271	1.25027	.12714	-1.01125	1.64463	-1.72195	.15065	-.90E-05
35	.76344	.24995	.31376	1.09829	.09106	-.67204	1.29111	-.66698	.17776	-.10E-04
36	.75759	.34992	.31138	1.09606	.12800	-.67612	1.29474	-.67654	.17759	-.10E-04
37	.66484	.24995	.30676	.93249	.08801	-.42636	1.02416	-.05918	.18630	-.98E-05
38	.65975	.34992	.30394	.93125	.12507	-.42938	1.03323	-.06756	.18622	-.98E-05
39	.57033	.24995	.40459	.77406	.03622	-.27631	.02097	.31612	.19302	-.10E-04
40	.56602	.34992	.40159	.77371	.12102	-.27933	.03156	.30851	.19302	-.10E-04
41	.48232	.24995	.43276	.63605	.03372	-.10025	.66038	.55594	.19572	-.10E-04
42	.47803	.34992	.42945	.63607	.11864	-.10328	.67252	.54712	.19558	-.10E-04
43	.46740	.24995	.45102	.52707	.00299	-.12241	.54013	.69955	.19784	-.10E-04
44	.46478	.34992	.44810	.52702	.11671	-.12472	.55401	.69307	.19775	-.10E-04
45	.33461	.24995	.40051	.41939	.04123	-.07763	.43441	.81129	.19987	-.10E-04
46	.33145	.34992	.40294	.41904	.11459	-.08044	.44180	.80476	.19970	-.10E-04
47	.26539	.24995	.47750	.32707	.06052	-.04019	.34109	.88309	.19607	-.95E-05
48	.26335	.34992	.47332	.32697	.11357	-.05001	.34444	.87709	.19797	-.95E-05
49	.20104	.24995	.45527	.24953	.07976	-.06093	.26291	.93008	.19970	-.97E-05
50	.20007	.34992	.45155	.24800	.11278	-.06303	.27479	.92449	.19959	-.97E-05

Z FLUX

PT.	A	Y	Z	XA	YI	VZ	ABD.V	CP	SOURCE	V NORMAL
51	.14161	.24995	.40009	.17402	.07907	-.01520	.19279	.90263	.19955	-.90E-05
52	.13993	.34912	.40034	.17413	.11213	-.01734	.20782	.95600	.19944	-.90E-05
53	.06293	.24995	.40034	.13324	.07939	-.00606	.13042	.96294	.20057	-.97E-05
54	.06225	.34993	.40010	.13321	.11105	-.00932	.13241	.97677	.20046	-.97E-05
55	.06203	.24995	.40030	.09324	.07925	-.00290	.08489	.94279	.20024	-.96E-05
56	.06503	.34992	.40170	.09344	.11108	-.00537	.11586	.96657	.20014	-.96E-05
57	.06302	.44996	.05009	.09321	.07919	-.238445	.243474	-.492622	.04415	-.31E-05
58	.95084	.54928	.04943	.46265	.07015	-.238536	.243333	-.493091	.04397	-.31E-05
59	.91876	.44990	.15217	.11227	.13092	-.171974	.2405623	-.323631	.11926	-.80E-05
60	.90657	.54908	.15010	.11401	.17025	-.172374	.260000	-.324607	.11697	-.80E-05
61	.84326	.44968	.24049	.122676	.16459	-.109602	.165328	-.173332	.15641	-.84E-05
62	.83203	.54968	.23700	.122102	.20314	-.110163	.165747	-.174721	.15604	-.84E-05
63	.74973	.44973	.30615	.109301	.16595	-.66034	.165961	-.660638	.17739	-.10E-04
64	.73973	.54968	.30436	.109012	.20332	-.66634	.164445	-.70138	.17707	-.10E-04
65	.65290	.44990	.35017	.92924	.16215	-.43380	.163825	-.07796	.18005	-.98E-05
66	.64424	.54968	.35539	.92090	.20044	-.43960	.164541	-.04268	.18577	-.98E-05
67	.56014	.44990	.37733	.77237	.15763	-.28339	.83769	.29828	.19284	-.10E-04
68	.55271	.54968	.37206	.77028	.19509	-.28869	.84569	.28461	.19261	-.10E-04
69	.46738	.44990	.41536	.63413	.15359	-.18604	.67869	.53938	.19545	-.10E-04
70	.46057	.54968	.41351	.63397	.19047	-.19212	.68093	.52537	.19223	-.10E-04
71	.39526	.54968	.43763	.52652	.15145	-.12852	.56274	.60333	.19759	-.10E-04
72	.32601	.44990	.45614	.52532	.16701	-.13338	.57335	.67127	.19741	-.10E-04
73	.32366	.54968	.45206	.41752	.14008	-.08460	.45201	.74568	.19964	-.10E-04
74	.26062	.44990	.46900	.32705	.16391	-.08869	.46476	.78398	.19940	-.10E-04
75	.25716	.54968	.46278	.32548	.14734	-.05429	.36279	.86838	.19783	-.95E-05
76	.19802	.44990	.47655	.24898	.16202	-.05874	.37152	.85748	.19764	-.95E-05
77	.19537	.54968	.47623	.24799	.14598	-.03449	.29067	.91551	.19946	-.97E-05
78	.13848	.44990	.46138	.17450	.16019	-.03847	.30730	.90430	.19429	-.97E-05
79	.13664	.54968	.47548	.17369	.14506	-.02107	.22441	.94783	.19431	-.96E-05
80	.06141	.44990	.46567	.13313	.17990	-.02550	.25130	.93602	.19916	-.96E-05
81	.06032	.54968	.47504	.13204	.14503	-.01274	.17841	.96817	.20033	-.97E-05
82	.02556	.44990	.46608	.03010	.14404	-.00877	.20754	.95693	.20016	-.96E-05
83	.02522	.54968	.46022	.03032	.14407	-.01322	.18210	.96604	.20001	-.96E-05
84	.93526	.64965	.04652	.46109	.03596	-.238743	.243703	-.493910	.04379	-.30E-05
85	.91676	.74962	.04766	.46040	.07770	-.238808	.243778	-.494276	.04357	-.30E-05
86	.84972	.64965	.14770	.110649	.20369	-.172947	.246429	-.326131	.11893	-.81E-05
87	.84903	.74962	.14477	.109673	.23817	-.173002	.246826	-.327771	.11845	-.81E-05
88	.81945	.64965	.23312	.121500	.24243	-.110851	.166251	-.176393	.15570	-.84E-05
89	.80226	.74962	.22851	.120700	.20392	-.111746	.166419	-.178618	.15516	-.84E-05
90	.72767	.64965	.29908	.100554	.24514	-.69365	.163135	-.171963	.17671	-.99E-05
91	.71327	.74962	.29310	.107990	.23764	-.70294	.162025	-.17366	.17624	-.94E-05
92	.63303	.64965	.34957	.92306	.23976	-.44649	.165336	-.10999	.18549	-.98E-05
93	.62115	.74962	.34204	.91998	.26154	-.45545	.166445	-.113305	.18507	-.98E-05
94	.54366	.64965	.36504	.76865	.23559	-.29538	.165338	.26833	.19232	-.10E-04
95	.53290	.74962	.37801	.76550	.27365	-.30374	.86783	.24667	.19197	-.10E-04
96	.49973	.64965	.41249	.63118	.22745	-.19626	.69459	.51058	.19500	-.10E-04
97	.45063	.74962	.40433	.63023	.26877	-.20057	.71494	.40867	.19465	-.10E-04
98	.30879	.64965	.43090	.52490	.22400	-.13959	.58714	.65526	.19716	-.10E-04
99	.30110	.74962	.42194	.52226	.26251	-.14708	.60274	.63670	.19688	-.10E-04

## Z FLOW

PT.	A	Y	Z	FX	VY	VZ	ADJAV	CP	SOURCE	V NORMAL
101	.31456	.74905	.74906	.74909	.62001	-.009405	.46040	.76916	.19423	-.10E-04
102	.31205	.74902	.74908	.74919	.62002	-.10212	.47906	.75034	.19695	-.10E-04
103	.25705	.64705	.64706	.64707	.24627	-.60473	.59731	.64214	.19741	-.95E-05
104	.24752	.64902	.64903	.64907	.22976	-.60716	.41007	.64472	.19712	-.95E-05
105	.17213	.64905	.64905	.64910	.24630	-.60473	.55004	.87160	.19906	-.97E-05
106	.18039	.74902	.74903	.74906	.22976	-.60473	.55004	.87160	.19676	-.97E-05
107	.13440	.64905	.64905	.64907	.24630	-.60473	.27080	.92223	.19693	-.96E-05
108	.15175	.74902	.74903	.74906	.22976	-.60473	.50671	.90470	.19867	-.97E-05
109	.07901	.64905	.64905	.64907	.24630	-.60473	.23926	.94275	.19994	-.97E-05
110	.07745	.74902	.74903	.74906	.22976	-.60473	.27303	.92502	.19966	-.97E-05
111	.02451	.64905	.64905	.64907	.24630	-.60473	.21771	.95260	.19964	-.96E-05
112	.02452	.74902	.74903	.74906	.22976	-.60473	.25466	.93518	.19936	-.96E-05
113	.84515	.64905	.64905	.64907	.24630	-.60473	.243929	-.49494	.04325	-.30E-05
114	.87019	.74902	.74903	.74906	.22976	-.60473	.244076	-.495740	.04301	-.30E-05
115	.85347	.64905	.64905	.64907	.24630	-.60473	.207366	-.330006	.11777	-.80E-05
116	.84908	.74902	.74903	.74906	.22976	-.60473	.208016	-.332706	.11702	-.80E-05
117	.76335	.64905	.64905	.64907	.24630	-.60473	.107777	-.181492	.15453	-.80E-05
118	.76151	.74902	.74903	.74906	.22976	-.60473	.108006	-.184955	.15425	-.89E-05
119	.69646	.64905	.64905	.64907	.24630	-.60473	.171422	-.17107	.17567	-.99E-05
120	.67704	.74902	.74903	.74906	.22976	-.60473	.154551	-.80503	.17496	-.97E-05
121	.66651	.64905	.64905	.64907	.24630	-.60473	.107690	-.15971	.18457	-.97E-05
122	.56860	.74902	.74903	.74906	.22976	-.60473	.109233	-.19318	.18398	-.97E-05
123	.52034	.64905	.64905	.64907	.24630	-.60473	.08209	-.22200	.19151	-.10E-04
124	.50583	.74902	.74903	.74906	.22976	-.60473	.90074	.16949	.19098	-.10E-04
125	.44001	.64905	.64905	.64907	.24630	-.60473	.73074	.40595	.19424	-.10E-04
126	.42774	.74902	.74903	.74906	.22976	-.60473	.75207	.43439	.19374	-.99E-05
127	.37211	.64905	.64905	.64907	.24630	-.60473	.62264	.61226	.19650	-.10E-04
128	.36174	.74902	.74903	.74906	.22976	-.60473	.64532	.50356	.19605	-.10E-04
129	.30471	.64905	.64905	.64907	.24630	-.60473	.52162	.72791	.19858	-.10E-04
130	.24621	.74902	.74903	.74906	.22976	-.60473	.54059	.69905	.19814	-.10E-04
131	.24210	.64905	.64905	.64907	.24630	-.60473	.44001	.80107	.19676	-.95E-05
132	.25335	.74902	.74903	.74906	.22976	-.60473	.47517	.77422	.19632	-.95E-05
133	.16395	.64905	.64905	.64907	.24630	-.60473	.38801	.84945	.19643	-.97E-05
134	.17302	.74902	.74903	.74906	.22976	-.60473	.42167	.82203	.19800	-.97E-05
135	.12404	.64905	.64905	.64907	.24630	-.60473	.34282	.89247	.19633	-.96E-05
136	.12505	.74902	.74903	.74906	.22976	-.60473	.37993	.85565	.19790	-.96E-05
137	.07362	.64905	.64905	.64907	.24630	-.60473	.51114	.90319	.19933	-.97E-05
138	.07352	.74902	.74903	.74906	.22976	-.60473	.55177	.87626	.19890	-.97E-05
139	.02374	.64905	.64905	.64907	.24630	-.60473	.29491	.91303	.19903	-.96E-05
140	.02305	.74902	.74903	.74906	.22976	-.60473	.33076	.86659	.19863	-.96E-05
141	.84159	.64905	.64905	.64907	.24630	-.60473	.244208	-.496765	.04258	-.30E-05
142	.80896	.74902	.74903	.74906	.22976	-.60473	.244515	-.497874	.04201	-.29E-05
143	.80241	.64905	.64905	.64907	.24630	-.60473	.208026	-.330004	.11599	-.74E-05
144	.77130	.74902	.74903	.74906	.22976	-.60473	.209041	-.334033	.11480	-.78E-05
145	.73648	.64905	.64905	.64907	.24630	-.60473	.170104	-.185556	.15332	-.84E-05
146	.70793	.74902	.74903	.74906	.22976	-.60473	.171742	-.194952	.15263	-.89E-05
147	.65479	.64905	.64905	.64907	.24630	-.60473	.155990	-.84950	.17471	-.10E-04
148	.60940	.74902	.74903	.74906	.22976	-.60473	.137961	-.90333	.17364	-.99E-05
149	.57622	.64905	.64905	.64907	.24630	-.60473	.111083	-.23344	.18324	-.97E-05
150	.54811	.74902	.74903	.74906	.22976	-.60473	.113401	-.28597	.18280	-.97E-05

Z FLOW

Pt.	A	I	L	RA	RT	YZ	ABJ.V	CP	SOURCE	V NORMAL
151	.40621	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
152	.47024	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
153	.41308	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
154	.39765	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
155	.34935	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
156	.33623	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
157	.26647	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
158	.27537	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
159	.22702	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
160	.21879	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
161	.16624	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
162	.16094	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
163	.11625	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
164	.07119	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
165	.06834	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
166	.02232	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
167	.02146	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
168	.77179	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
169	.72937	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
170	.73587	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
171	.69544	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
172	.67540	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
173	.63829	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
174	.60049	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
175	.50749	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
176	.44420	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
177	.42390	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
178	.37938	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
179	.35853	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
180	.32084	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
181	.26272	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
182	.24828	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
183	.19723	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
184	.15820	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
185	.14989	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
186	.11041	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
187	.10402	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
188	.06162	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
189	.02047	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
190	.01935	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
191	.68077	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
192	.62447	1.14964	.33399	.74925	.40125	-.30203	.94614	.10103	.18993	-.10E-04
193	.64903	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
194	.59540	1.14964	.33399	.74925	.40733	-.34244	.92120	.15128	.19077	-.10E-04
195	.59540	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
196	.59540	1.14964	.33399	.74925	.40733	-.34244	.92120	.15128	.19077	-.10E-04
197	.59540	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
198	.59540	1.14964	.33399	.74925	.40733	-.34244	.92120	.15128	.19077	-.10E-04
199	.59540	1.04970	.37791	.75216	.40733	-.34244	.92120	.15128	.19077	-.10E-04
200	.59540	1.14964	.33399	.74925	.40733	-.34244	.92120	.15128	.19077	-.10E-04

## Z FLUX

PT.	Z	Y	X	XY	VZ	ABS.V	CP	SOURCE	V NORMAL
201	.55574	1.44436	1.00000	.00000	-1.20050	1.79400	-2.22080	.14090	-.87E-05
202	.54017	1.45983	1.01000	.12303	-1.15434	1.83499	-2.30720	.14300	-.85E-05
203	.52006	1.47976	.99000	.07390	-1.07646	1.47700	-1.16160	.16897	-.90E-05
204	.49506	1.50479	.97000	.05749	-.93309	1.52999	-1.34005	.16284	-.97E-05
205	.46129	1.54496	.93000	.03133	-.66207	1.24717	-.35544	.17874	-.97E-05
206	.42311	1.59919	.88000	.00620	-.26404	1.30020	-.71140	.17601	-.90E-05
207	.39532	1.64436	.80000	.00441	-.46276	1.07326	-.33109	.18625	-.10E-04
208	.36300	1.74419	.60000	.04005	-.35257	1.14052	-.30079	.18374	-.10E-04
209	.33403	1.84496	.50000	.09005	-.35818	.94311	-.11054	.18944	-.10E-04
210	.30690	1.94419	.40000	.15006	-.41600	.80501	-.03347	.18709	-.97E-05
211	.28030	1.99936	.30000	.09007	-.24350	.85051	.26639	.19050	-.97E-05
212	.25509	1.94496	.20000	.02748	-.35213	.93701	.30109	.18064	-.97E-05
213	.23173	1.84496	.10000	.00418	-.24707	.78033	.30109	.19181	-.97E-05
214	.21257	1.54419	.00000	.00000	-.30407	.67199	.23903	.18964	-.90E-05
215	.16412	1.44436	.30000	.02768	-.21500	.73002	.40180	.19241	-.95E-05
216	.10489	1.54419	.30000	.02768	-.21500	.62300	.32108	.19033	-.95E-05
217	.13087	1.44496	.30000	.02375	-.19236	.69423	.51805	.19422	-.90E-05
218	.12432	1.54419	.30000	.00927	-.24652	.78005	.30212	.19219	-.97E-05
219	.09703	1.44496	.30000	.00919	-.11600	.66474	.55811	.19415	-.90E-05
220	.08974	1.54419	.30000	.00000	-.25000	.70094	.42097	.19215	-.90E-05
221	.05751	1.44496	.30000	.00927	-.16774	.64001	.57904	.19522	-.90E-05
222	.05275	1.54419	.30000	.00445	-.22105	.74458	.44560	.19327	-.90E-05
223	.01806	1.44496	.30000	.00000	-.21600	.63072	.54204	.19493	-.97E-05
224	.01656	1.54419	.30000	.00000	-.21600	.73002	.45779	.19300	-.97E-05
225	.55815	1.64436	.00000	.24194	-2.44358	2.46001	-5.09897	.03590	-.25E-05
226	.47701	1.74436	.00000	.20317	-2.44210	2.47409	-5.14805	.03299	-.22E-05
227	.53217	1.64436	.00000	.00000	-1.64436	2.49417	-3.83634	.10131	-.70E-05
228	.45537	1.74436	.00000	.00000	-2.44210	2.49417	-4.03392	.09416	-.65E-05
229	.48844	1.64436	.00000	.00209	-1.64254	1.89030	-2.57355	.13886	-.83E-05
230	.41745	1.74436	.00000	.00007	-1.54476	1.90969	-2.80048	.13122	-.80E-05
231	.43426	1.64436	.00000	.00074	-1.63006	1.60204	-1.50846	.16137	-.95E-05
232	.37159	1.74436	.00000	.00001	-1.10882	1.70050	-1.91235	.15402	-.95E-05
233	.37818	1.64436	.00000	.00001	-1.74406	1.39152	-9.93633	.17200	-.95E-05
234	.32300	1.74436	.00000	.00004	-.91758	1.51400	-1.24237	.16235	-.95E-05
235	.32445	1.64436	.00000	.00004	-.61055	1.23330	-.52122	.17996	-.99E-05
236	.27762	1.74436	.00000	.00004	-.75021	1.36522	-.80303	.17361	-.97E-05
237	.27436	1.64436	.00000	.00004	-.50204	1.11780	-.24902	.18212	-.95E-05
238	.23477	1.74436	.00000	.00004	-.64104	1.26292	-.59497	.17390	-.67E-05
239	.23502	1.64436	.00000	.00004	-.43715	1.04555	-.09317	.18330	-.92E-05
240	.19854	1.74436	.00000	.00104	-.57491	1.19425	-.43820	.17749	-.90E-05
241	.18993	1.64436	.00000	.00073	-.33744	.98570	.02840	.18632	-.95E-05
242	.16258	1.74436	.00000	.00013	-.52277	1.14302	-.30852	.18055	-.93E-05
243	.15076	1.64436	.00000	.00006	-.35204	.94020	.11603	.18709	-.94E-05
244	.12918	1.74436	.00000	.00006	-.40015	1.10406	-.21895	.18154	-.92E-05
245	.11470	1.64436	.00000	.00011	-.32776	.90732	-.17677	.18897	-.90E-05
246	.09815	1.74436	.00000	.00019	-.40000	1.07467	-.13491	.18340	-.94E-05
247	.08021	1.64436	.00000	.00014	-.31144	.88467	.21700	.18902	-.95E-05
248	.06504	1.74436	.00000	.00019	-.44302	1.05094	-.11209	.18364	-.93E-05
249	.04715	1.64436	.00000	.00013	-.25013	.67054	.24216	.19013	-.97E-05
250	.04055	1.74436	.00000	.00001	-.44302	1.04201	-.00746	.18470	-.95E-05

Z FLUX

PT.	X	Y	YX	YZ	405.4	UP	SOURCE	V NORMAL
201	.01401	1.84725	.00000	.00000	.00000	.00000	.18480	-.90E-05
202	.01207	1.84725	.00000	.00000	.00000	.00000	.18480	-.90E-05
203	.01344	1.84725	.00000	.00000	.00000	.00000	.02041	-.20E-05
204	.00544	1.84725	.00000	.00000	.00000	.00000	.02130	-.13E-05
205	.00606	1.84725	.00000	.00000	.00000	.00000	.08234	-.51E-05
206	.01435	1.84725	.00000	.00000	.00000	.00000	.06701	-.61E-05
207	.01602	1.84725	.00000	.00000	.00000	.00000	.11775	-.75E-05
208	.01802	1.84725	.00000	.00000	.00000	.00000	.09187	-.65E-05
209	.02005	1.84725	.00000	.00000	.00000	.00000	.14050	-.85E-05
200	.02023	1.84725	.00000	.00000	.00000	.00000	.11135	-.80E-05
201	.02302	1.84725	.00000	.00000	.00000	.00000	.15055	-.81E-05
202	.01394	1.84725	.00000	.00000	.00000	.00000	.11408	-.80E-05
203	.02108	1.84725	.00000	.00000	.00000	.00000	.15779	-.82E-05
204	.01191	1.84725	.00000	.00000	.00000	.00000	.12350	-.84E-05
205	.01396	1.84725	.00000	.00000	.00000	.00000	.16275	-.82E-05
206	.01023	1.84725	.00000	.00000	.00000	.00000	.12440	-.91E-05
207	.01524	1.84725	.00000	.00000	.00000	.00000	.16057	-.84E-05
208	.00501	1.84725	.00000	.00000	.00000	.00000	.13131	-.90E-05
209	.01212	1.84725	.00000	.00000	.00000	.00000	.16480	-.87E-05
270	.07010	1.84725	.00000	.00000	.00000	.00000	.13394	-.93E-05
271	.01000	1.84725	.00000	.00000	.00000	.00000	.17101	-.86E-05
272	.00570	1.84725	.00000	.00000	.00000	.00000	.13520	-.93E-05
273	.00774	1.84725	.00000	.00000	.00000	.00000	.17242	-.86E-05
274	.04232	1.84725	.00000	.00000	.00000	.00000	.13594	-.93E-05
275	.00307	1.84725	.00000	.00000	.00000	.00000	.17264	-.86E-05
276	.02400	1.84725	.00000	.00000	.00000	.00000	.13644	-.93E-05
277	.03195	1.84725	.00000	.00000	.00000	.00000	.17300	-.86E-05
278	.01740	1.84725	.00000	.00000	.00000	.00000	.13725	-.94E-05
279	.00991	1.84725	.00000	.00000	.00000	.00000	.17304	-.85E-05
280	.00540	1.84725	.00000	.00000	.00000	.00000	.13730	-.94E-05

XYZ POTENTIAL FLOW PROGRAM SECTION 05 VERSION 4

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

NORP = 3  
 ILCITS= 0  
 IWEAD = 0

OFF BODY PLINTS

PT.	X	Y	Z
1	.00000	.00000	.00000
2	.00000	.00000	.00000
3	.00000	.00000	.00000



AD-A168 167

FORMULATION OF NUMERICAL METHODS USED IN THE XYZ  
THREE-DIMENSIONAL POTENT. (U) TEXAS A AND M UNIV  
COLLEGE STATION COLL OF ENGINEERING W J BERRY MAY 86  
N00228-85-G-3303

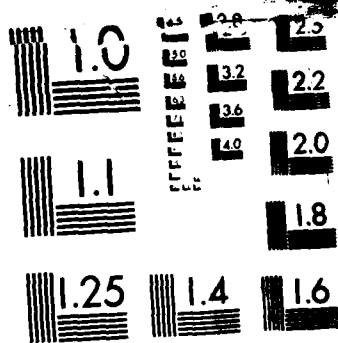
3/3

UNCLASSIFIED

F/G 20/4

NL





MICROCOPY RESOLUTION TEST CHART  
NATIONAL BUREAU OF STANDARDS-1963-A

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

PT.	X	Y	Z	VX	VY	VZ	PAGE
1	2.00000	0.00000	0.00000	-0.90113	0.00000	0.00000	CP
2	0.00000	0.00000	2.00000	-1.00000	0.00000	0.00000	-0.10000
3	0.00000	3.00000	0.00000	-1.00000	0.00000	0.00000	-0.00000

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

PT.	X	Y	Z	VX	VY	VZ	PAGE
1	2.00000	0.00000	0.00000	0.00000	-1.00000	0.00000	CP
2	0.00000	0.00000	2.00000	0.00000	-1.00000	0.00000	-0.00000
3	0.00000	3.00000	0.00000	0.00000	-0.90113	0.00000	0.00000

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

PT.	X	Y	Z	VX	VY	VZ	PAGE
1	2.00000	0.00000	0.00000	0.00000	0.00000	-1.00000	CP
2	0.00000	0.00000	2.00000	0.00000	0.00000	-0.70714	-0.22452
3	0.00000	3.00000	0.00000	0.00000	0.00000	-1.00000	-0.11731

XYZ POTENTIAL FLW PROGRAM SECTION 0, VERSION 4

SAMPLE PROBLEM TRIAXIAL ELLIPSOID

2 STEPS LINES TO BE COMPUTED AT 20 STEPS UP -1.0000 T FOR AN UNSET VELOCITY OF .1000 .0000 .0000

# STARTING POINTS

PT	A	Y	Z	VA	VY	VZ	CP
1	1.00000	1.00000	.00000	.00122	-.02240	.00000	.60518
2	1.50000	.00000	.00000	.00772	.00000	.00000	.39600
STEP 0							
LINE	X	Y	Z	VA	VY	VZ	CP
1	1.00000	1.00000	.00000	.00122	-.02240	.00000	.60518
2	1.50000	.00000	.00000	.00772	.00000	.00000	.39600
STEP 1							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.95270	1.02485	.00000	.00334	-.00005	.00000	.74008
2	1.42411	.00000	.00000	.00394	.00000	.00000	.45332
STEP 2							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.91327	1.05377	.00000	.00305	-.03100	.00000	.77600
2	1.35240	.00000	.00000	.00935	.00000	.00000	.51910
STEP 3							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.88110	1.08683	.00000	.00640	-.03506	.00000	.79351
2	1.28576	.00000	.00000	.00378	.00000	.00000	.59326
STEP 4							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.85496	1.12394	.00000	.00366	-.03914	.00000	.78987
2	1.22519	.00000	.00000	.00724	.00000	.00000	.67230
STEP 5							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.83254	1.16476	.00000	.00107	-.04231	.00000	.77664
2	1.17163	.00000	.00000	.04969	.00000	.00000	.75305
STEP 6							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.81250	1.20800	.00000	.01957	-.04567	.00000	.75312
2	1.12610	.00000	.00000	.04126	.00000	.00000	.82956
STEP 7							
LINE	X	Y	Z	VA	VY	VZ	CP
1	.79204	1.25254	.00000	.02102	-.04747	.00000	.72574
2	1.08423	.00000	.00000	.03242	.00000	.00000	.84491

STEP 8									
LINE		X	Y	Z	VA	VY	VZ	CP	
1		.77077	1.53475	.00000	.02174	-.05033	.00000	.65439	
2		1.06120	.00000	.00000	.02377	.00000	.00000	.94352	
STEP 9									
LINE		A	Y	Z	VA	VY	VZ	CP	
1		.74064	1.53505	.00000	.02526	-.05294	.00000	.65504	
2		1.06414	.00000	.00000	.01003	.00000	.00000	.97430	
STEP 10									
LINE		A	Y	Z	VA	VY	VZ	CP	
1		.72070	1.41110	.00000	.02762	-.05024	.00000	.60403	
2		1.02066	.00000	.00000	.03975	.00000	.00000	.95020	
STEP 11									
LINE		X	Y	Z	VA	VY	VZ	CP	
1		.69033	1.46037	.00000	.03167	-.05080	.00000	.50129	
2		1.02435	.00000	.00000	.03526	.00000	.00000	.94724	
STEP 12									
LINE		A	Y	Z	VA	VY	VZ	CP	
1		.65062	1.52020	.00000	.03753	-.06170	.00000	.47845	
2		1.01761	.00000	.00000	.00254	.00000	.00000	.94936	
STEP 13									
LINE		A	Y	Z	VA	VY	VZ	CP	
1		.61701	1.55060	.00000	.04124	-.06460	.00000	.41459	
2		1.01588	.00000	.00000	.00113	.00000	.00000	.94987	
STEP 14									
LINE		A	Y	Z	VA	VY	VZ	CP	
1		.57055	1.65650	.00000	.05008	-.06610	.00000	.31229	
2		1.01512	.00000	.00000	.00043	.00000	.00000	.94998	

STEP 15									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.51044	1.72440	.00000	.00108	-.00035	.00000	.14599		
2	1.01480	.00000	.00000	.00020	.00000	.00000	1.00000		
STEP 16									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.45208	1.79351	.00000	.00804	-.07144	.00000	.01838		
2	1.01467	.00000	.00000	.00008	.00020	.00000	1.00000		
STEP 17									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.37174	1.85222	.00000	.00820	-.06674	.00000	-.18642		
2	1.01461	.00000	.00000	.00003	.00000	.00000	1.00000		
STEP 18									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.27359	1.92497	.00000	.11722	-.04705	.00000	-.54555		
2	1.01454	.00000	.00000	.00001	.00000	.00000	1.00000		
STEP 19									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.15407	1.97074	.00000	.12240	-.03020	.00000	-.62923		
2	1.01450	.00000	.00000	.00001	.00000	.00000	1.00000		
STEP 20									
LINE	X	Y	Z	VA	VY	VZ	CP		
1	.02453	1.99005	.00000	.14659	.00103	.00000	-1.10076		
2	1.01458	.00000	.00000	.00000	.00000	.00000	1.00000		

XYZ POTENTIAL FLOW PROGRAM SECTION 7, VERSION 4

# SAMPLE PROBLEM TRIAXIAL ELLIPSOID

## ON BODY STREAMLINES - INPUT DATA

VX1 = -1.00000  
 VY1 = .00000  
 VZ1 = .00000  
 NLIN = 1  
 JMAX = 0  
 IWRITE = 1  
 MACH NO = .00000

STREAMLINE STARTING POINTS

LINE	X	Y	Z	NCP
1	1.00000	.05000	.00000	1

## SAMPLE PROBLEM TRIAXIAL ELLIPSOID

UNSET FLOW, VX1=-1.000 VY1= .000 VZ1= .000

LINE NO. 1 PASSING THROUGH QUADRILATERAL 1 WITH STARTING POINT, X= 1.00000 Y= .05000 Z= .00000

I	X	Y	Z	VX	VY	VZ	CP	K1	K2	M2	SL	V	P
1	.99940	.04944	-.00012	-.01221	.01124	.05148	.94614	-10.55732	-16.67703	1.00000	.00000	.00172	0.00000
2	.99463	.10000	.01980	-.02440	.03434	.14164	.97705	-3.72831	-5.86713	1.42924	.05404	.14883	0.00000
3	.99463	.10000	.01980	-.02440	.03434	.14164	.97705	-3.72831	-5.86713	1.42924	.05404	.14883	0.00000

14.27.20.UCLP, AA, NOTTYS49 4.442KLNJ.  
 \*\* LNU OF LISTING \*\*

END  
DTIC

7-86